${f q4.m}$ Page 1

0; function x = solvetridiagonal(b, d1, d2, d3)% n is the length of the center diagonal n = length(d2)% Scan down to reduce the lower diagonal to zero and the pivots to 1. for i = 1:n% Rescale the row so the pivot is 1. a = d2(i);d2(i) /= a;if i < nd3(i) /= a;end b(i) /= a;% Cancel out all non zero elements in the column except for the pivot. if i < nfactor = -d1(i); d1(i) += factor; d2(i+1) += factor * d3(i);b(i+1) += factor * b(i);end end % Scan back upwards and reduce the upper diagonal to zero and thus solving for x. for i = flip(2:n)factor = -d3(i-1); d3(i-1) += factor; b(i-1) += factor * b(i); end % Finally set x = bx = b;end % 2.a n = 10000% construct the 3 diagaonals d1 = - (2:n);d2 = 3 * (1:n);d3 = - (1:n-1);% pick b to be something b = 1:n;%x = solvetridiagonal(b, d1, d2, d3)% 2.b function gt = g(t) $gt = (pi/2)^2 * sin(pi/2 * t)$ end n = 100h = 1/n $d1 = repmat(-1/h^2, 1, n-1)$ $d2 = repmat(2/h^2, 1, n)$ $d3 = repmat(-1/h^2, 1, n-1)$ b = g((1:n) * h)v = solvetridiagonal(b, d1, d2, d3) $u = \sin(pi/2 * (1:n) * h)$

norm(v-u, inf)