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# Lecture Notes 0: Introduction

## CPSC 302: Numerical Computation for Algebraic Problems

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# Outline

1. Motivation
2. Introduction of Your Instructor
3. Syllabus
4. Group Activity  
    Common Ground  
    Team Presentation
5. Reflection

# Outline

1. Motivation

2. Introduction of Your Instructor

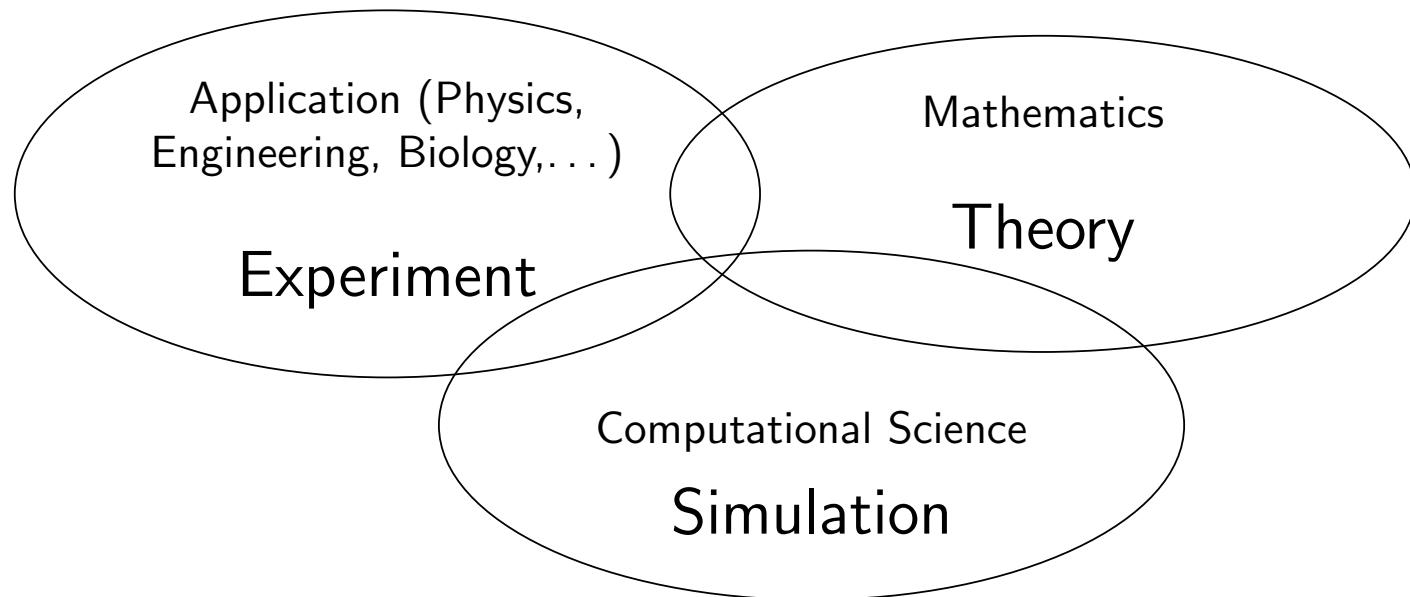
3. Syllabus

4. Group Activity

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# Scientific Computing

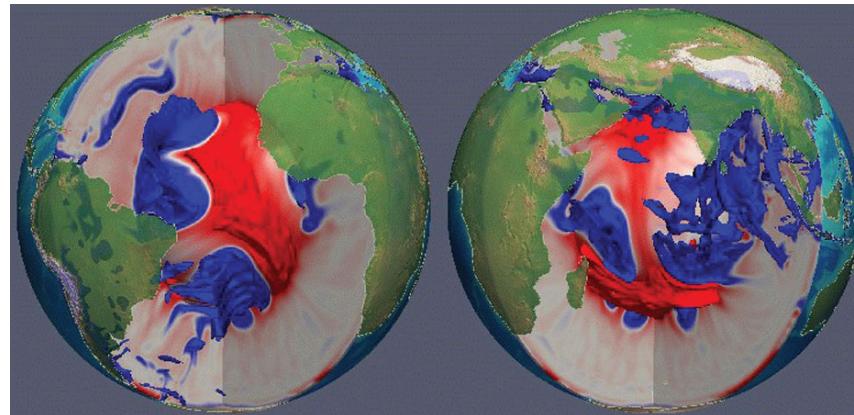
- Development & study of **numerical algorithms** for solving mathematical problems.
- Numerical analysis is the theory behind.



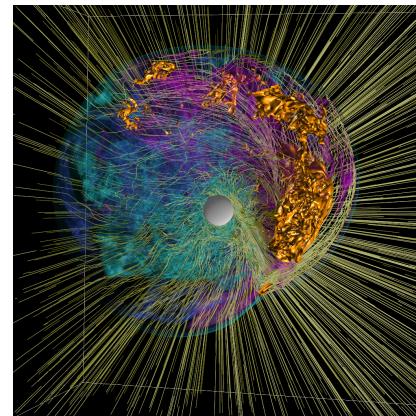
# Why Numerical Simulations?

Experiments are often impossible.

- Geophysics: thermal structure of the Earth's mantle [1]

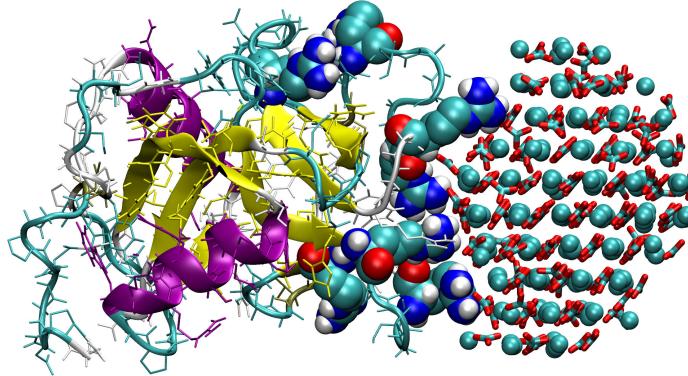


- Astrophysics: supernova simulations [2]

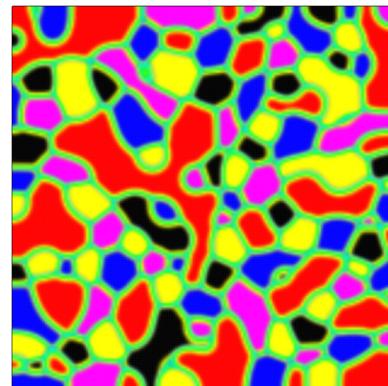


# Why Numerical Simulations?

- Experiments are often costly: analysis and study of proteins [3]



- Simulations are often cheaper and faster: phase separation and coarsening in alloys [4]



# Why Numerical Methods?

- Practical applications often require solving enormous systems of equations, millions or even billions of variables.
- Many practical problems – optimization, differential equations, signal processing, etc. – boil down to solving linear systems, even when the original problems are non-linear. Finite element software, for example, spends nearly all its time solving linear equations.
- The heart of Google is an enormous linear algebra problem. PageRank is essentially an eigenvalue problem.

# To Prevent Disasters

## Collapse of the Tacoma Narrows bridge on November 7, 1940

<http://eigenvaluesandbridges.weebly.com/tacoma-narrows-bridge.html>



A suspension bridge should be built so that the lower eigenvalues of vibrations in the bridge are not close to possible wind-induced frequencies.

# CPSC 302

- We study **basic numerical methods** for solving:
  - Linear systems
  - Linear eigenvalue problems
  - Linear least squares problems
  - Nonlinear equations
- Many of the algorithms we will learn are already implemented...
- **Why studying them?**
  - They provide the **basis for more complex tasks**.
  - To **detect, understand, and correct errors**.
  - To **modify or create software** appropriate to a particular problem.
  - To **formulate the problem** in a manner appropriate to the problem.

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# My Home



# Today's Goals

- Start the term on a positive note
- Gain your interest
- Communicate key elements and expectations for the course
- Actively involve you

# Another Passion



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# Contact Your Instructor

How to reach me?

- In person after class
- Office hour: Mondays 4:30–5:30pm in ICCS 215
- Piazza
- Email: [jbosch@cs.ubc.ca](mailto:jbosch@cs.ubc.ca)

# Contact Your TAs

- Michael Wathen
  - Office hour: Tuesdays 09:30-10:30 in ICCS X337
  - Piazza
  - Email: mwathen@cs.ubc.ca
- Nicholas Hu
  - Office hour: Tuesdays 11:30-12:30 in Demco Learning Centre (ICCS X150), Table 3
  - Piazza
  - Email: nicholas.hu@alumni.ubc.ca
- Sarah Elhammadi
  - Office hour: Wednesdays 11:30-12:30 in Demco Learning Centre (ICCS X150), Table 3 (**start: Sept 20**)
  - Piazza
  - Email: shammadi@cs.ubc.ca

# Outcomes

## Main Objective

By the end of this course, you should be able to  
choose, analyze, implement, and evaluate  
appropriate numerical methods for solving a variety of mathematical problems.

### Further outcomes include:

- Improve or continue on being an intentional learner.
- Identify the interactions between numerical computation and other realms of knowledge such as history, economics, science, . . .
- Get excited!

# Course Structure

	Monday	Wednesday	Friday
In-class activities	Lecture	Lecture	Group Exercise
Out-of-class activities	Prior Knowledge Quiz	Assignment	Pre-Class Readings Quiz

## Lectures

- we'll use clickers → register your clicker on Connect
- receive an extra 1% after good performance

## Required Reading

- check "Schedule" on course website regularly
- for Friday classes: complete readings before class
- pre-class quizzes (Connect) on these readings
- in-class group exercises on these readings

## Assignments

- bi-weekly
- uploaded ≈ 2 weeks before the due date
- hardcopy and electronic submission
- 1 bonus assignment at the end, up to an additional 3%

## Course grade:

- 30% – Assignments
- 5% – Prior Knowledge Quizzes
- 5% – Pre-Class Readings Quizzes
- 5% – In-Class Group Exercises
- 15% – Midterm Exam
- 40% – Final Exam

You must have a pass standing in the assignment component of the course.

# Course Structure

	Monday		Wednesday		Friday
In-class activities		Lecture		Lecture	
Out-of-class activities	Prior Knowledge Quiz		Assignment		Pre-Class Readings Quiz

## Prior Knowledge Quizzes

- in Connect
- weekly, due by Monday at 1pm
- 5 graded quizzes among them

## Pre-Class Readings Quizzes

- in Connect
- weekly, due by Friday at 1pm
- 5 graded quizzes among them

## In-Class Group Exercises

- weekly
- 6 graded exercises among them

## Course grade:

- 30% – Assignments
- 5% – Prior Knowledge Quizzes
- 5% – Pre-Class Readings Quizzes
- 5% – In-Class Group Exercises
- 15% – Midterm Exam
- 40% – Final Exam

You must have a pass standing in the assignment component of the course.

# Suggestion Box

You can provide me with anonymous suggestions regarding my teaching or the course in general.

You are encouraged to submit *typed* suggestions if you are concerned.

# Course Details: Getting Started

- **Find the course website:**

<http://www.cs.ubc.ca/~jbosch/courses/2017-18/CPSC302/>

- Read through the [syllabus](#) on the first page.
- Log into Connect and register your [i>clicker](#).  
Clicker bonus questions start Sept 20.
- Register into [Piazza](#) site for the course:  
<http://www.piazza.com/ubc.ca/winterterm12017/cpsc302/>
- Get access to [MATLAB](#).
- Do the [assigned reading](#) for Friday and answer the [pre-class reading quiz](#).  
This Friday, each group should bring a laptop with MATLAB access.
- [Interest Inventory Survey](#) (Connect) due by Monday, 1pm

# Note for Waiting List Students

- I will copy a PDF of the quizzes/surveys into Piazza until Sept 19.
- Students are admitted from wait lists until the add/drop deadline according to the department's standard priority scheme:  
<https://www.cs.ubc.ca/students/undergrad/courses/waitlists>

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  - Common Ground
  - Team Presentation
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# Common Ground

Form groups of 4 students.

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Form groups of 4 students.

Discuss and write down the following on a piece of paper:

- Everyone's name
- Come up with 6 things that you all share
- Create a team name
- Try to find a volunteer that is keen to present your team to the class
- If you have time: choose a team song, design a team mascot

# Team Presentations

Who wants to present the team to the whole class?

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# Reflection

On a piece of paper, write down the following:

- Your name
- The best way to contact you
- Answer the following question:

*What have teachers and professors done in the past that helped you to learn?*

Submit the paper to your instructor.

# References

- [1] "Thermal versus elastic heterogeneity in high-resolution mantle circulation models with pyrolite composition: High plume excess temperatures in the lowermost mantle" by Schuberth, B. S. A.; Bunge, H. P.; Steinle-Neumann, G.; et al *Geochemistry Geophysics Geosystems* 10(1) Article Q01W01; Published January 8, 2009.
- [2] <http://www.csm.ornl.gov/astro/>
- [3] [http://www2.warwick.ac.uk/newsandevents/pressreleases/researchers\\_apply\\_computing/](http://www2.warwick.ac.uk/newsandevents/pressreleases/researchers_apply_computing/)
- [4] "Fast Iterative Solvers for Cahn–Hilliard Problems" by J. Bosch; PhD thesis, Faculty of Mathematics, Otto-von-Guericke-Universität Magdeburg, June 2016.