

# HW11

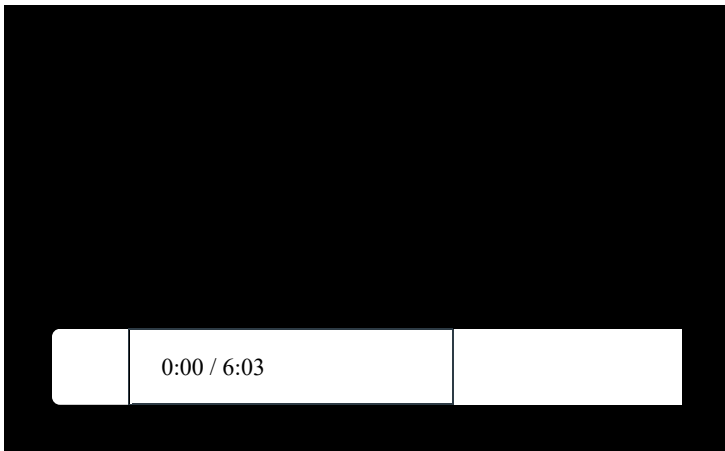
- Due Apr 25 at 11:59pm
- Points 40
- Questions 17
- Available Apr 18 at 12am - Apr 26 at 11:59am
- Time Limit None
- Allowed Attempts 7

## Instructions

Question text:

[Assignment11.pdf \(https://k-state.instructure.com/courses/151504/files/38096946?wrap=1\)](https://k-state.instructure.com/courses/151504/files/38096946?wrap=1)  [\(https://k-state.instructure.com/courses/151504/files/38096946/download?download\\_frd=1\)](https://k-state.instructure.com/courses/151504/files/38096946/download?download_frd=1)

Explanation:



## Attempt History

	Attempt	Time	Score
KEPT	<a href="#">Attempt 7</a>	2 minutes	40 out of 40
LATEST	<a href="#">Attempt 7</a>	2 minutes	40 out of 40
	<a href="#">Attempt 6</a>	12 minutes	35 out of 40
	<a href="#">Attempt 5</a>	12 minutes	32 out of 40
	<a href="#">Attempt 4</a>	9 minutes	26.33 out of 40

Attempt	Time	Score
<a href="#">Attempt 3</a>	16 minutes	20.33 out of 40
<a href="#">Attempt 2</a>	14 minutes	14.5 out of 40
<a href="#">Attempt 1</a>	27 minutes	8.83 out of 40

❗ Correct answers are hidden.

Score for this attempt: 40 out of 40

Submitted Apr 25 at 3:56pm

This attempt took 2 minutes.



First some questions about Exercise 1.



Question 1

3 / 3 pts

What is  $h[i]$  when

$i = 2$

1



$i = 3$

1



$i = 4$

infinity



$i = 5$

5



$i = 6$

5



$i = 7$

5



## Question 2

8 / 8 pts

To compute  $h$ , what should be the action of

PreNode on a node  $u$

 $h[u] \leftarrow \text{infinity}$ 

PreEdge on a tree edge from  $u$  to  $w$

do nothing



PostEdge on a tree edge from  $u$  to  $w$

 $h[u] \leftarrow \min(h[u], h[w])$ 

OtherEdge on a back edge from  $u$  to  $w$

 $h[u] \leftarrow \min(h[u], d[w])$ 

## Question 3

2 / 2 pts

When will a back edge from  $u$  to  $w$  be a bridge?

☐ iff  $h[u] = d[w]$ ☐ always☒ never

## Question 4

5 / 5 pts

A tree edge from  $u$  to  $w$  will be determined to be a bridge by [ Select ] Edge iff

$h(w)$  [ Select ]  $d(u)$

**Answer 1:**

Other

Post

Pre

**Answer 2:**

=

&lt;=

&gt;=

&lt;

&gt;



## Question 5

2 / 2 pts

We have derived an algorithm for finding bridges.

What is its asymptotic running time, as simplified as possible?

☐  $\Theta(|V| + |E|)$ 
☐  $\Theta(|V|)$ 
☐  $\Theta(|V| |E|)$ 
☒  $\Theta(|E|)$ 


Next some questions about Exercise 2.

First about the 1st iteration of Edmonds-Karp.



## Question 6

1 / 1 pts

Which nodes occur in the shortest augmenting path?

☒ a

☐ b

☐ e

☒ f☐ d☐ c

## Question 7

1 / 1 pts

What is the minimum capacity of the edges in that path?



## Question 8

1 / 1 pts

In the resulting residual network, what is the capacity of the edge from s to a?



Next about the 2nd iteration of Edmonds-Karp.



## Question 9

1 / 1 pts

Which nodes occur in the shortest augmenting path?

☐ d☒ b☒ a☐ f☒ c☐ e

## Question 10

1 / 1 pts

What is the minimum capacity of the edges in that path?

1



## Question 11

1 / 1 pts

In the resulting residual network, the source  $s$  has an edge to which nodes? (check all that apply)

☐ a☒ d☐ b

## Question 12

2 / 2 pts

In the resulting residual network, what is the capacity of the edge from  $a$  to  $b$ ?

8



the edge from  $b$  to  $a$ ?

1



Next about the 3rd iteration of Edmonds-Karp.



## Question 13

1 / 1 pts

Which nodes occur in the shortest augmenting path?

☒ f☒ c☒ d☒ e☒ a



b



## Question 14

1 / 1 pts

What is the minimum capacity of the edges in that path?



## Question 15

4 / 4 pts

In the resulting residual network, what is the capacity of the edge  
from a to b



from b to a



from a to f



from f to a



Finally, we consider the flow we have computed (by adding the flows from the augmenting paths).



## Question 16

5 / 5 pts

What is that flow on the edge  
from s to a



from a to b



from a to f



from s to d



from f to t



Question 17

1 / 1 pts

What is the value of that flow? (which will be the maximum flow for the given network)

Quiz Score: 40 out of 40