

Analyzing the Relationship between Personal Income Tax Progressivity and Income Inequality

Gevorg Khandamiryan, Class of 2020
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- How personal income tax progressivity affects inequality?

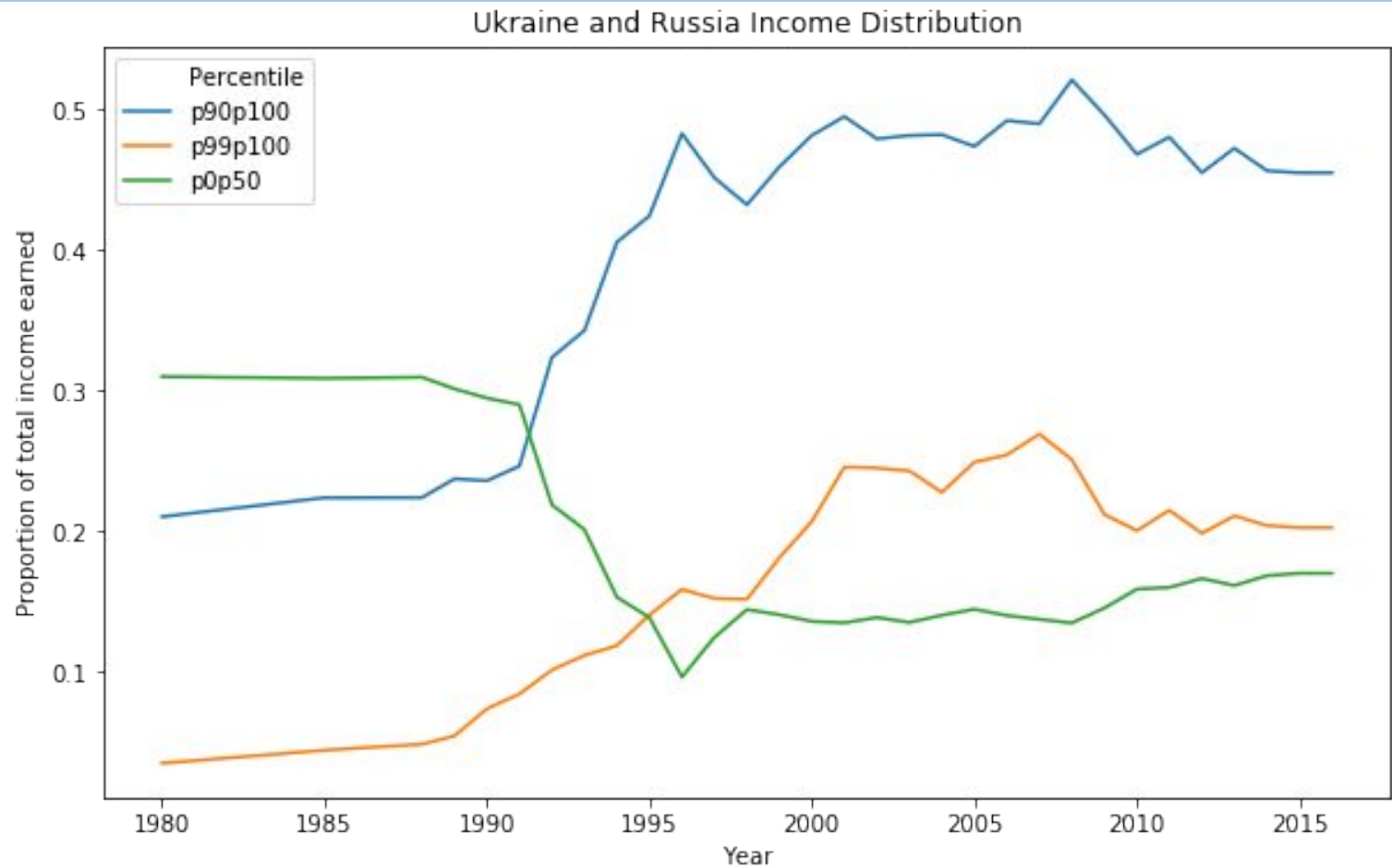
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 - How can we measure PIT progressivity?
 - What do we mean by inequality?

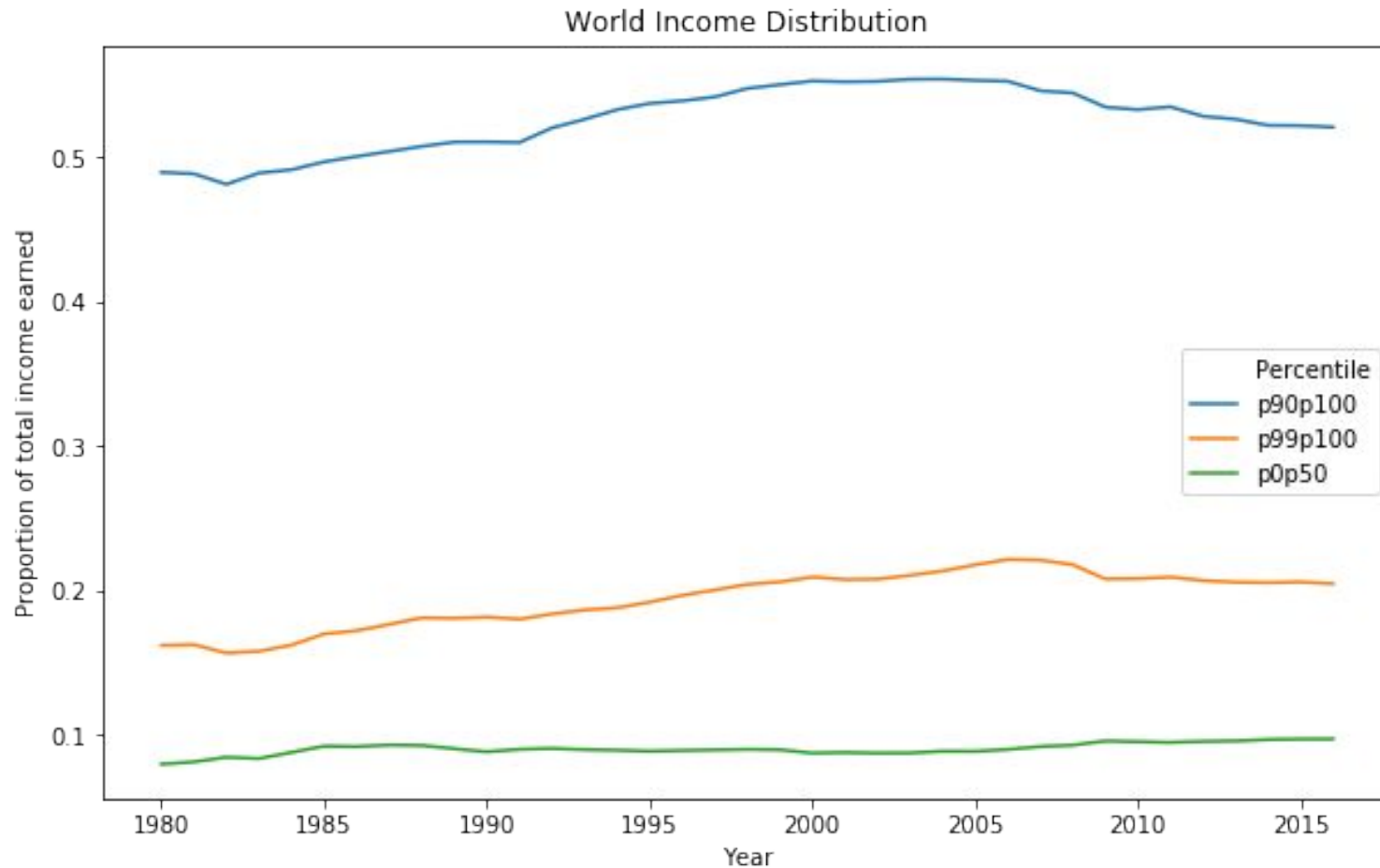
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- Do flat taxes statistically significantly affect inequality?

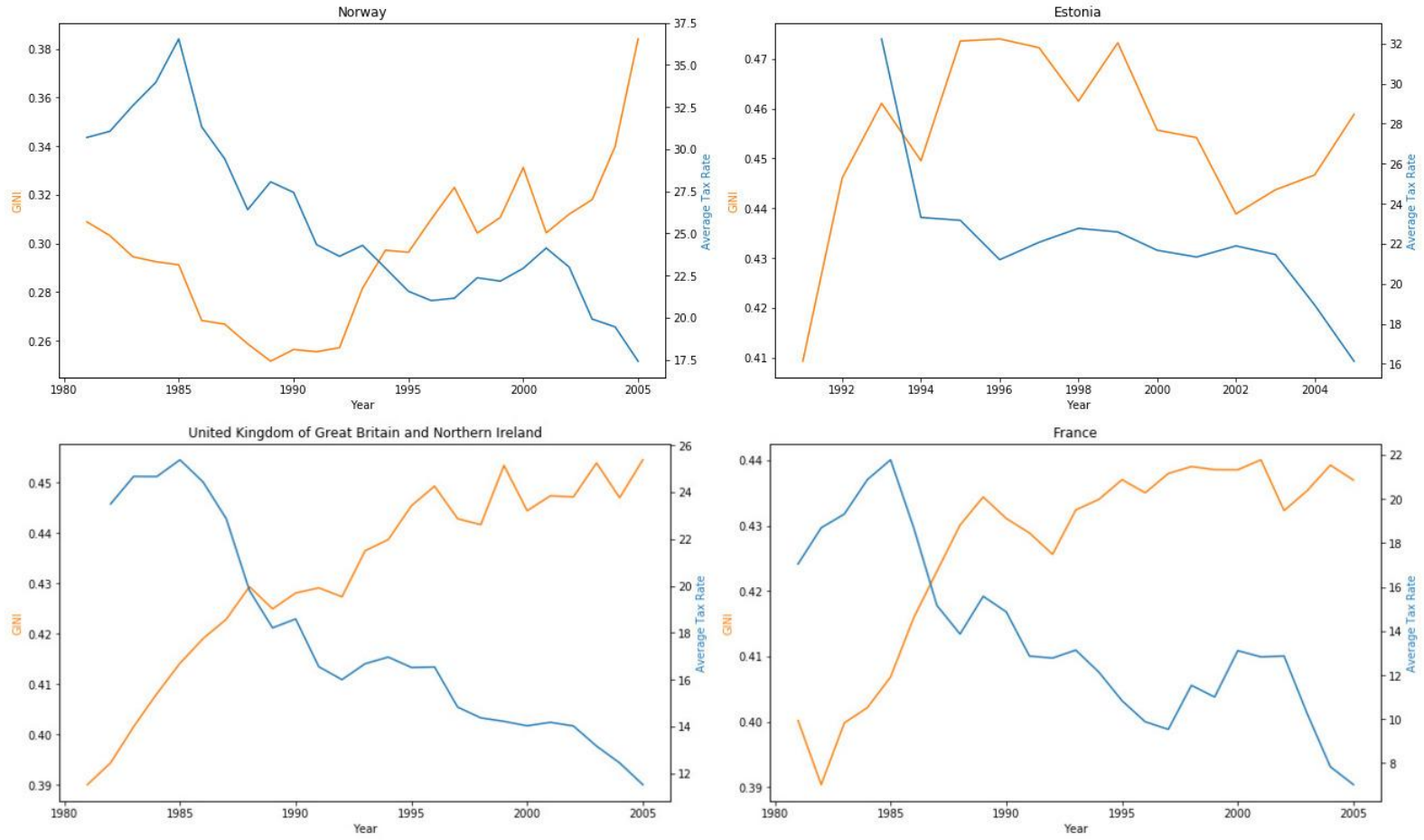
- How personal income tax progressivity affects inequality?
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- Do flat taxes statistically significantly affect inequality?
- How do all these effects persist over time?
 - Impulse response functions

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- The net income received by top 1 percent earners has skyrocketed, whereas the proportional income for bottom 50 percent has shrunk to historically low levels.







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 - cities that are somewhere in between.

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 - Effective measure: looking pre- and post- tax implementation and looking at the actual data to understand to what extent the redistribution was achieved

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- Erroneous data because of shadow economy, tax evasion and income misreporting

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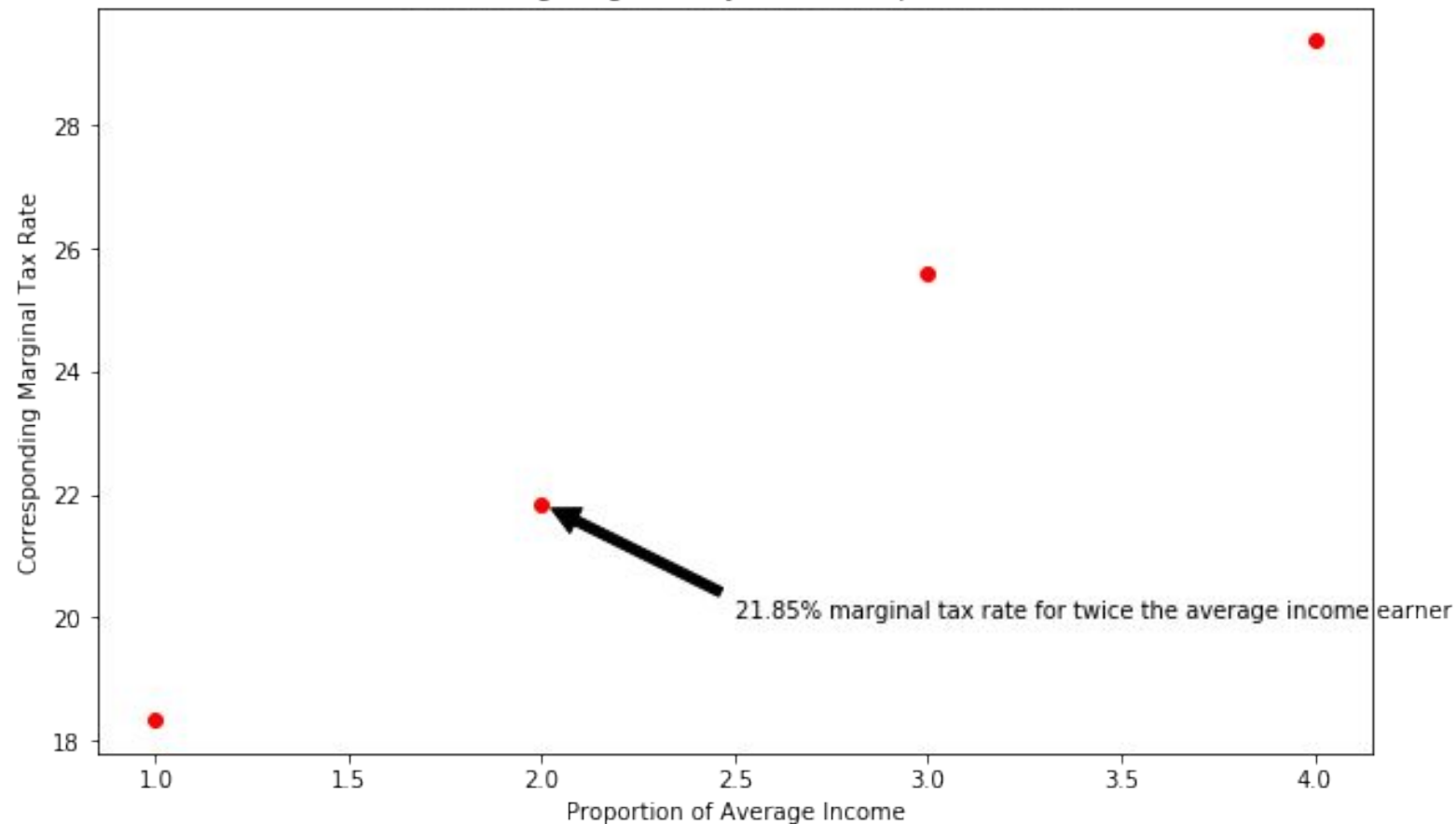
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Issue with that: income tax brackets highly vary between countries.

Solution: use marginal tax rates from that dataset to construct a new structural progressivity measure with a standardized approach.

Calculating Progressivity index for Spain in 1981

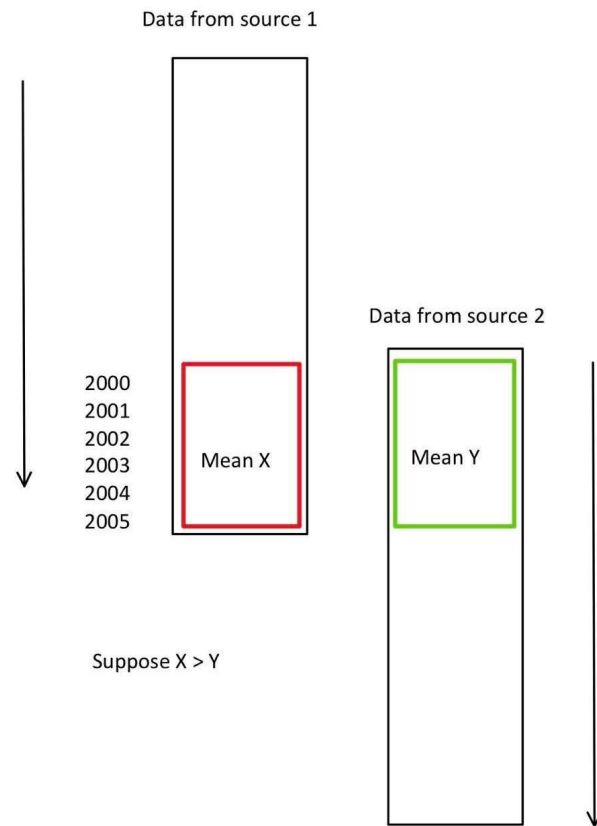


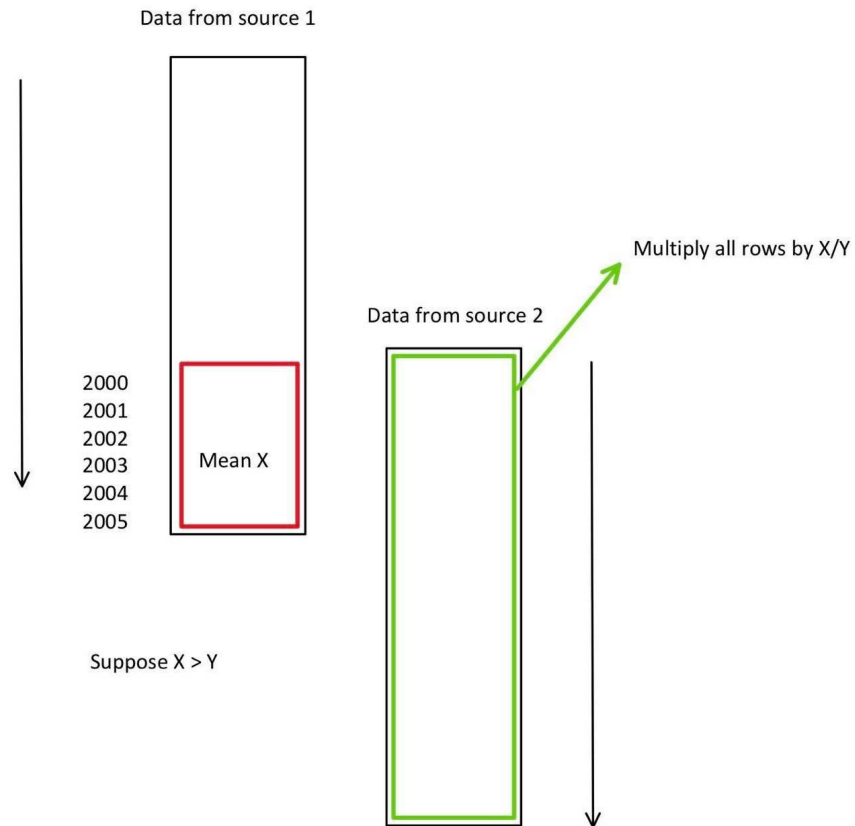
$$MarginalTaxRate_{\alpha,r,t} = \beta_0 + \beta_{1r,t} * StandardizedIncome_{\alpha,r,t} \quad (1)$$

where r is the index for country, t for year, α is the proportion/multiple of average income, *MarginalTaxRate* is the marginal tax rate equivalent to α multiples of the average income earner. α takes values of 1, 2, 3 and 4 for years 1981-2005 and values 0.67, 1, 1.33 and 1.67 for years 2000-2018.

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- Sources:

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 - Michigan World Tax Database
 - Penn World Tables
 - World Inequality Database
 - KPMG

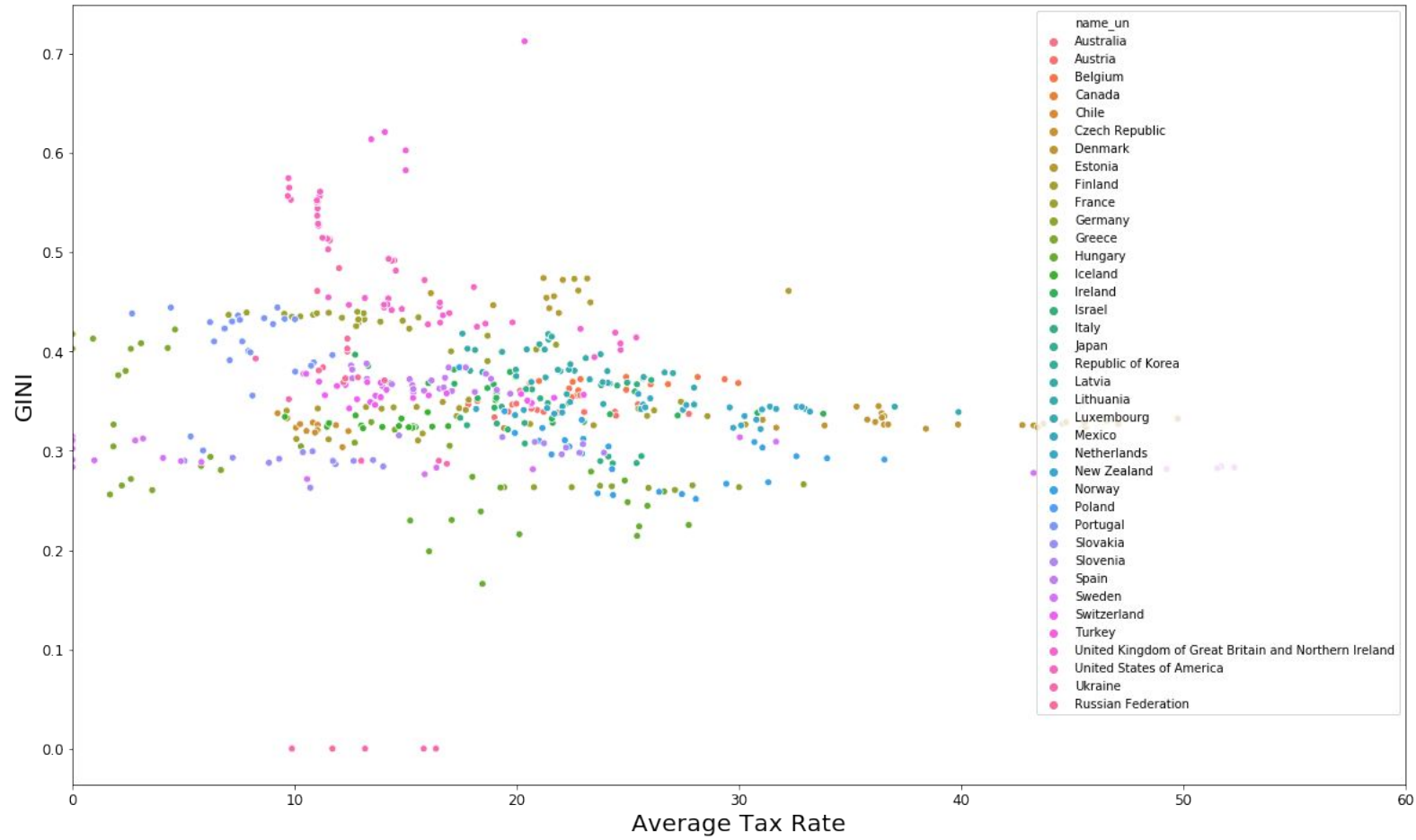
- Independent variable selection

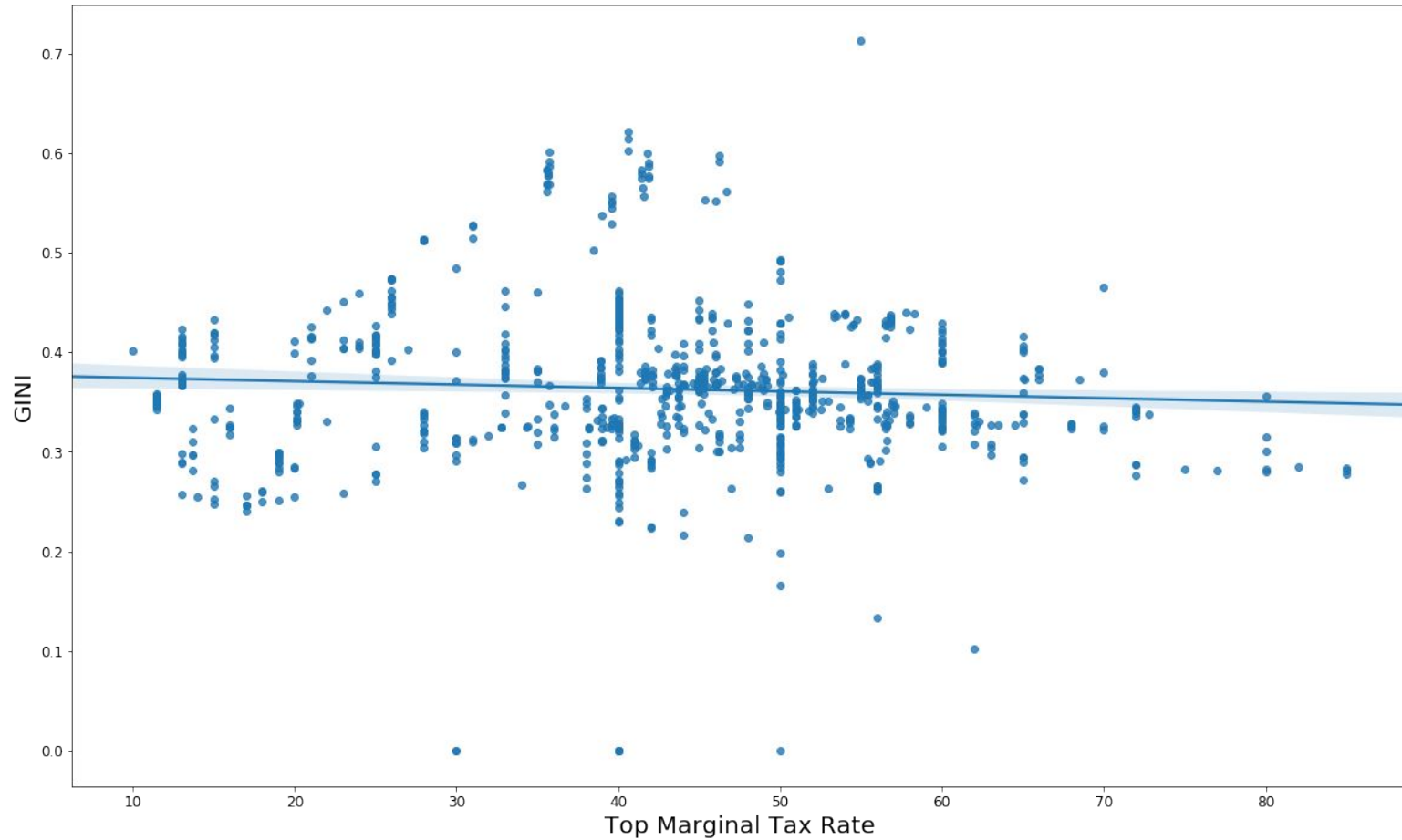
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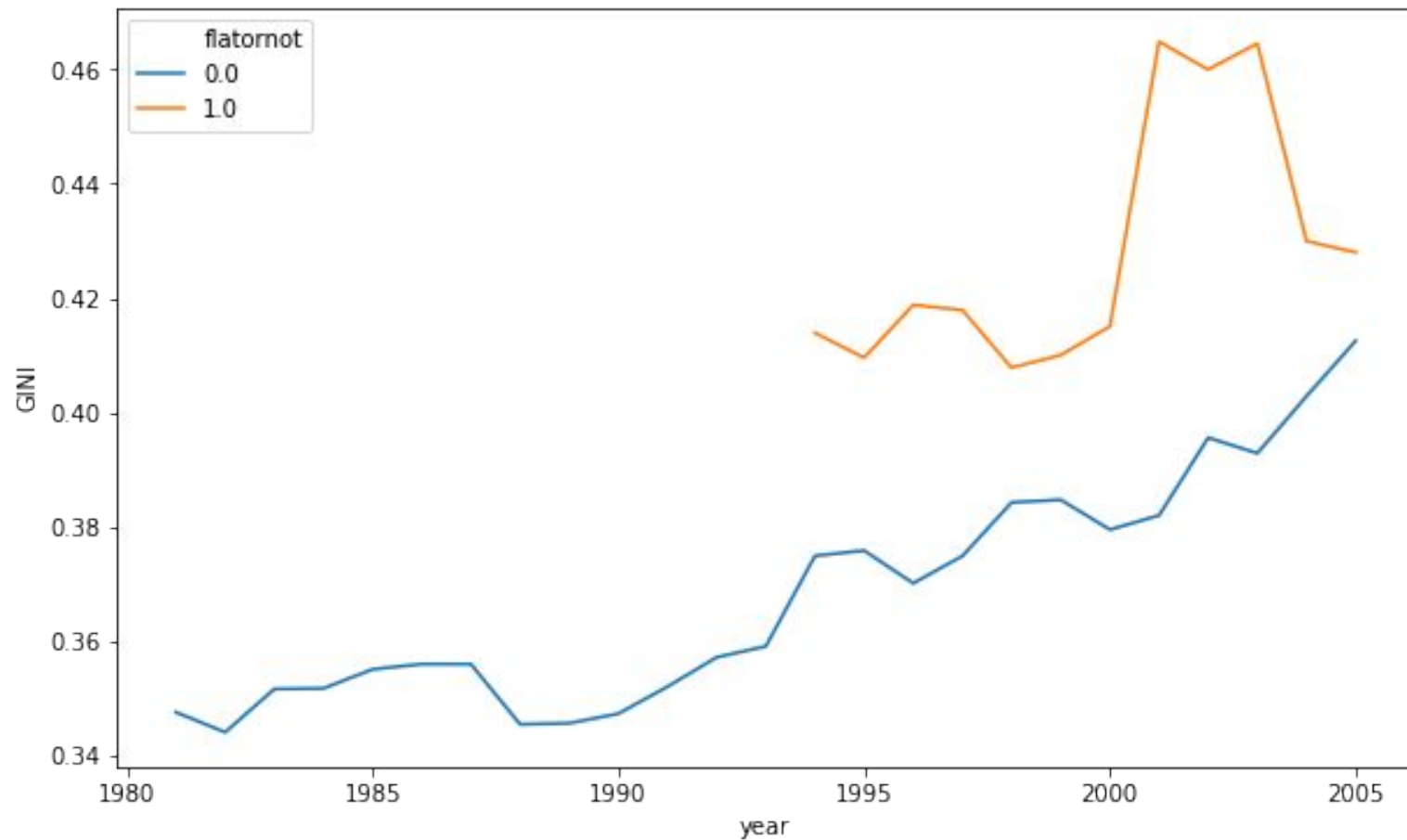
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 - The current level of GINI almost surely determines the level of GINI tomorrow (the trend is set today)
 - Capture the fluctuations around the trend







$$\begin{aligned} GINI_{t+h,r} = & \alpha + \gamma_h * Progressivity_{t,r} + \theta_h * Flatornot_{t,r} + \delta_h * TopRate_{t,r} + \sigma_h * AverageTaxRate_{t,r} + \\ & GINI_{t-1,r} + 1\text{-Year-Lag of Covariates} + \lambda_r + \eta_t + \epsilon_{t,r} \end{aligned}$$

where h takes values greater than or equal to 0 and is the variable in index used to trace policy response functions, $Progressivity_{t,r}$ is the index of progressivity, $Flatornot_{t,r}$ is the dummy variable for country r in year t being 1 if the country has flat tax policy enacted in year t and 0 otherwise, $TopRate_{t,r}$ is the marginal tax rate of the highest income bracket, $AverageTaxRate_{t,r}$ is the average tax rate of average income earner in country r in year t , and the last terms are the 1-year-lags of the dependent variable and independent variables, country fixed effects, time fixed effects and an error term.

- Country and time fixed effects:

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 - filtered out within country inherent differences, as well as extraneous shocks on yearly basis, such as 2008 Financial crisis or any important economic event.

Variables						
Average Tax Rate (for avg. earner)	-0.0151 (0.0142)	-0.0124* (6.98e-03)	-0.0117* (6.98e-03)	-0.0111 (6.99e-03)	8.05e-03 (0.0146)	9.30e-03 (0.0149)
Top Marginal Tax Rate	-0.0103 (9.76e-03)	-3.67e-03 (4.80e-03)	-4.35e-03 (4.80e-03)	-0.0155* (9.15e-03)	-0.0155* (9.17e-03)	-0.0155* (9.18e-03)
Dummy for Flat tax	-0.322 (0.486)	0.252 (0.242)	0.773** (0.349)	0.696** (0.353)	0.897** (0.376)	0.905** (0.377)
Progressivity index 1	-1.59e-03 (3.06e-03)	9.70e-04 (1.48e-03)	1.04e-03 (1.47e-03)	9.97e-04 (1.47e-03)	1.07e-03 (1.47e-03)	1.86e-03 (2.27e-03)
1-year-lag GINI		81.0*** (1.82)	80.8*** (1.81)	81.0*** (1.82)	81.2*** (1.85)	81.2*** (1.85)
1-year-lag Dummy for Flat tax			-0.667** (0.323)	-0.553* (0.333)	-0.638* (0.366)	-0.642* (0.366)
1-year-lag Top Marginal Rate				0.0125 (9.01e-03)	0.0130 (9.04e-03)	0.0132 (9.06e-03)
1-year-lag Average Tax Rate (for avg. earner)					-0.0208 (0.0143)	-0.0221 (0.0146)
1-year-lag Progressivity index 1						-1.03e-03 (2.27e-03)
Constant	34.9*** (0.915)	6.78*** (0.751)	6.86*** (0.750)	6.67*** (0.762)	6.42*** (0.783)	6.42*** (0.784)
Observations	845	820	820	820	812	812
R-squared	0.313	0.827	0.828	0.828	0.826	0.826

Table 1: The following table includes 6 different regression model results with different sets of covariates. GINI is scaled up by 100. The main model results with all specified covariates included is in the last column. For this last column, Top Marginal Tax Rate, Dummy for Flat tax, 1-year-lag of Dummy for Flat tax, 1-year-lag of GINI are statistically significant. An interesting case is the sign change of flat tax dummy from current year to the lagged year. *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$: Standard errors in parentheses.

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- $h = 0$ will characterize the statistical relationship between the same year covariates and inequality level
- Only Top Marginal Tax Rate and Flat Tax Dummy turn out to be significant 90 and 95% level.

Impulse Response Functions

Variable	h=0	h=1	h=2	h=3	h=4	h=5
Average Tax Rate	9.30e-03 (0.0149)	-8.87e-03 (0.0192)	-0.0132 (0.0221)	-0.0169 (0.0241)	-0.0359 (0.0250)	-0.0403 (0.0255)
Flat Tax Dummy	0.905** (0.377)	0.572 (0.490)	0.771 (0.561)	0.657 (0.610)	0.742 (0.701)	0.548 (0.713)
Top Marginal Tax Rate	-0.0155* (9.18e-03)	-0.0114 (0.0119)	-0.0115 (0.0137)	-3.89e-03 (0.0148)	-2.01e-03 (0.0156)	9.10e-03 (0.0158)
Progressivity Index 1	1.86e-03 (2.27e-03)	2.21e-03 (2.94e-03)	3.37e-03 (3.38e-03)	2.18e-03 (3.67e-03)	-3.41e-04 (3.79e-03)	1.20e-03 (3.87e-03)
1-year-lag GINI	81.2*** (1.85)	67.6*** (2.52)	55.4*** (2.91)	41.0*** (3.23)	31.4*** (3.41)	23.2*** (3.51)
1-year-lag Average Tax Rate	-0.0221 (0.0146)	-0.0186 (0.0189)	-0.0240 (0.0218)	-0.0291 (0.0238)	-0.0184 (0.0248)	-0.0190 (0.0253)
1-year-lag Progressivity index 1	-1.03e-03 (2.27e-03)	-1.16e-03 (2.93e-03)	-2.56e-03 (3.37e-03)	-2.12e-03 (3.66e-03)	1.73e-04 (3.79e-03)	-1.38e-03 (3.87e-03)
1-year-lag Top Marginal Tax Rate	0.0132 (9.06e-03)	9.67e-03 (0.0117)	9.28e-03 (0.0135)	1.98e-03 (0.0147)	1.95e-03 (0.0154)	-8.06e-03 (0.0157)
1-year-lag Flat Tax Dummy	-0.642* (0.366)	-0.669 (0.475)	-1.14** (0.548)	-0.957 (0.598)	-1.14 (0.692)	-1.37* (0.714)
Constant	6.42*** (0.784)	12.0*** (1.05)	16.6*** (1.22)	22.1*** (1.35)	25.4*** (1.42)	28.3*** (1.46)
Observations	812	782	754	725	696	668
R-squared	0.826	0.691	0.585	0.493	0.441	0.405

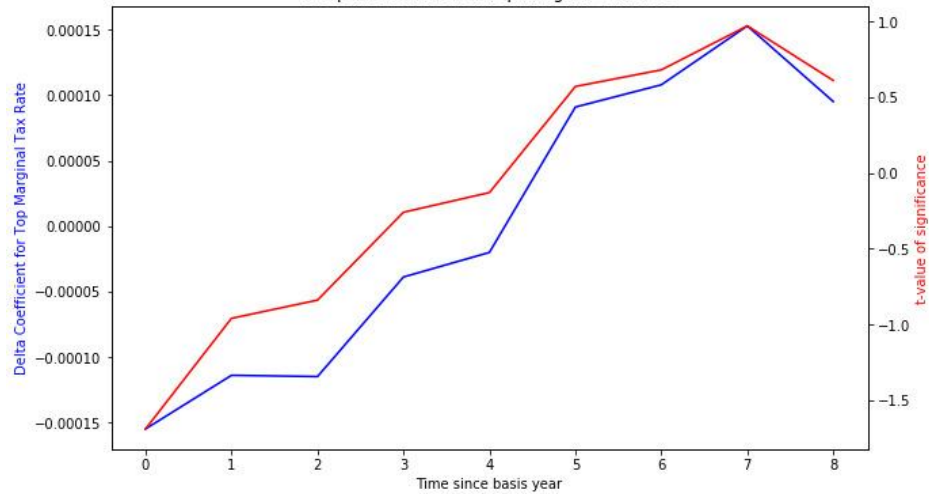
Table 2: This table summarizes the regression results for the main model for different values of h . GINI is scaled up by 100. $h = 0$ case is same as the last column of Table 1, because it takes the current year GINI as the dependent variable. The rest of the values of h aim to investigate the effect of the covariates on GINI lead variables. *** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$: Standard errors in parentheses.

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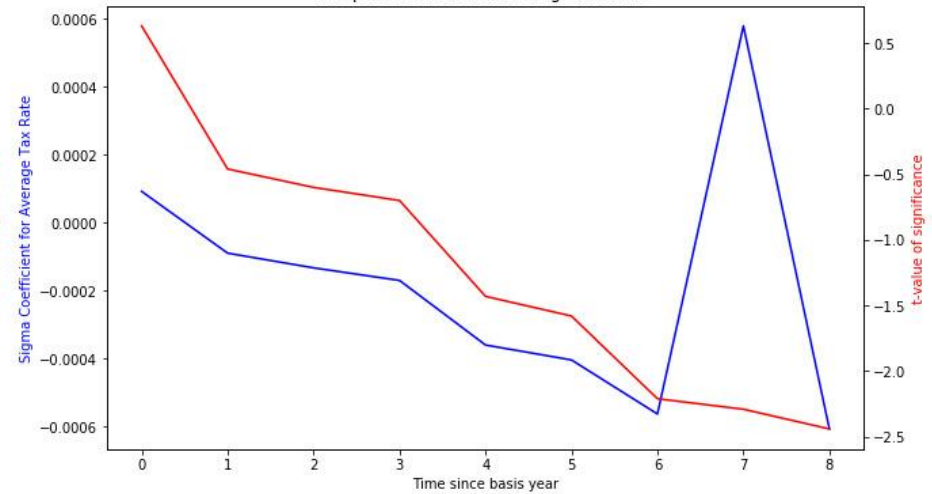
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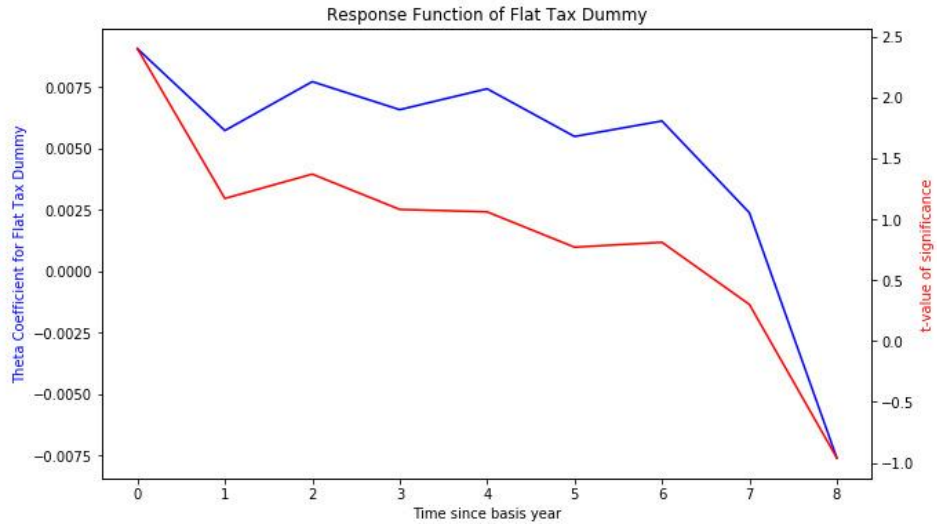
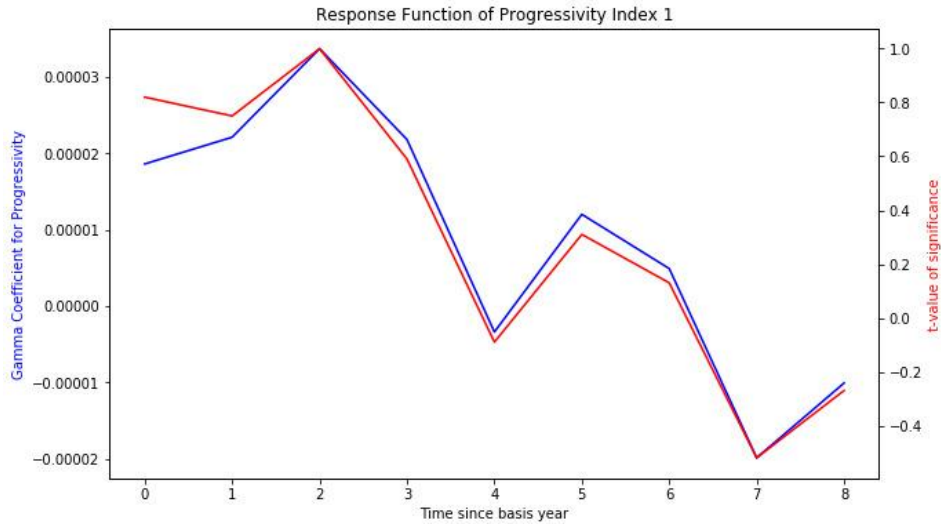
Response Function of Top Marginal Tax Rate



Response Function of Average Tax Rate



Impulse Response Functions



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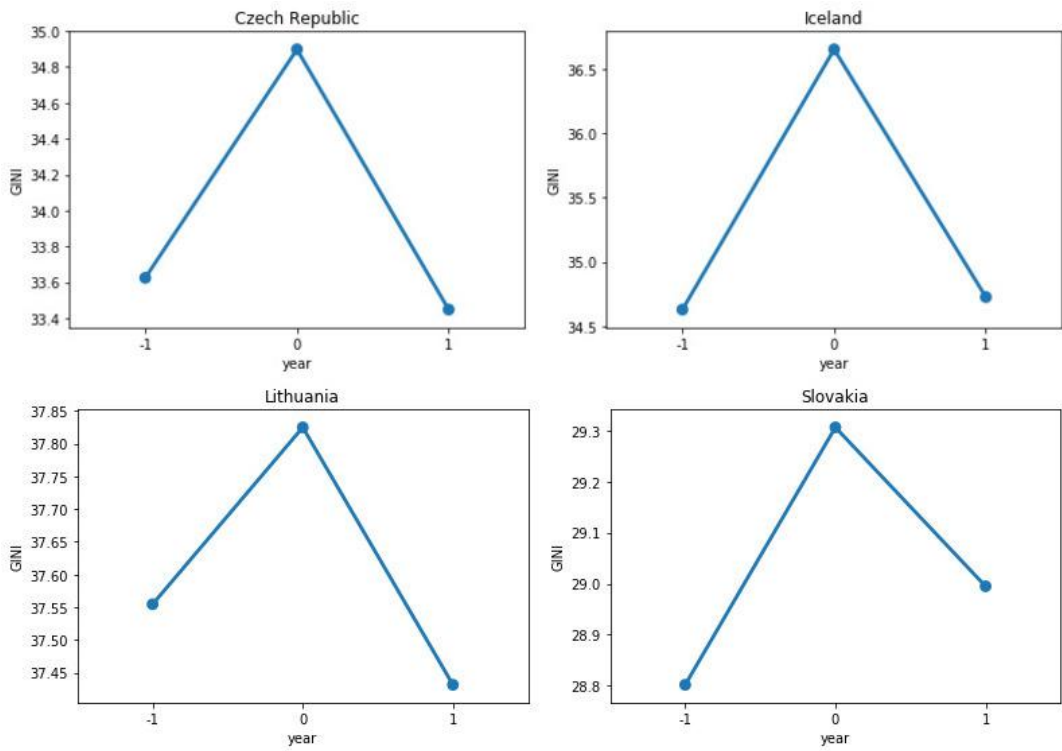
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- Our *Progressivity* measure turns insignificant. Previous papers and robustness checks in this paper also do not find any significance between GINI and any other pre-existing progressivity measure
- *Impulse Response Functions* show a fading pattern as expected

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- Switching to flat system, the inequality level measured by GINI index is significantly increased, emphasizing that the main beneficiaries of the flat tax policy are the top earners. Yet, this effect is completely reversed in 4 of the 9 flat tax countries analyzed, with lagged dummy flat tax variable yielding negative significant coefficients.

Particularly interesting is the case of flat tax countries:



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- Possible explanations:
 - trickle-up economics (via generous social packages) argument by Jackson et al. (2019)

- Questions
- Contacts:
 - gevorgkh@berkeley.edu