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 $\text{Simple} \leq \text{New} \leq \text{New}$

- $\blacksquare \text{ and } -\text{ and } -\text$
- $\square \hspace{0.2cm} \triangleright \angle \hspace{0.2cm} \square \hspace{0.2cm} \wedge \hspace{0.2cm} \square \hspace{0.2cm} \wedge \hspace{0.2cm} \square \hspace{0.2cm} \wedge \hspace{0.2cm} \square \hspace{0.2cm} \wedge \hspace{0.2cm} \square \hspace{0.2cm} \square \hspace{0.2cm} \wedge \hspace{0.2cm} \square \hspace{0.2$
- $\square \Leftarrow @ \gg \text{hm} \land \lceil \text{Jh} \land \gg \ll @ \ni @ \land \lceil \text{h}$
- ◀÷⋘⋌⋙ഏ⊐⋓≎⋌⋘≜△⌒⋒⋑⋋⋞⋞⋟≼□◀⌒⋘÷⌒⋒⋼⋞⋞⋟≤
 - $\Box \trianglerighteq \angle \texttt{W} \texttt{S} \gg \Leftrightarrow \texttt{M} \texttt{D} \gg \Rightarrow \texttt{M} \texttt{A} \angle \ll \texttt{Y} \texttt{S}$
 - $\square = \mathbb{R} / \text{meds} \Rightarrow \text{hem}$

 - $\square \Leftarrow \mathbb{R} \gg \text{then} \leftarrow \text{then} \times \mathbb{S} \ni \mathbb{R} \wedge \text{th}$

- $\square \geq \mathbb{R} \cap \mathbb{R} = \mathbb{R} \cap \mathbb{R}$

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 $\exists \dot{=} \exists \mathbb{R} \text{ and } \mathbb{R}$