# DATA624: Homework 7

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# Homework 7

### Exercise 6.2

Developing a model to predict permeability (see Section 1.4) could save significant resources for a pharmaceutical company, while at the same time more reapidly identifying molecules that have a sufficient permeability to become a drug:

a. Start  $\mathbf{R}$  and use these commands to load the data:

```
library(tidyverse)
## -- Attaching core tidyverse packages -----
                                                 ----- tidyverse 2.0.0 --
## v dplyr
              1.1.3
                         v readr
                                     2.1.4
## v forcats
              1.0.0
                         v stringr
                                     1.5.0
## v ggplot2
              3.4.4
                                     3.2.1
                         v tibble
## v lubridate 1.9.3
                                     1.3.0
                         v tidyr
               1.0.2
## v purrr
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                    masks stats::lag()
## i Use the conflicted package (<a href="http://conflicted.r-lib.org/">http://conflicted.r-lib.org/</a>) to force all conflicts to become error
library(AppliedPredictiveModeling)
library(caret)
## Loading required package: lattice
```

```
##
##
## Attaching package: 'caret'
##
## The following object is masked from 'package:purrr':
##
##
lift
```

```
data(permeability)
```

The matrix fingerprints contains the 1,107 binary molecular predictors for the 165 compounds, while permeability contains permeability response.

b. The fingerprint predictors indicate the presence or absence of substructures of a molecule and are often sparse meaning that relatively few of the molecules contain each substructure. Filter out the predictors that have low frequencies using the nearZeroVar function from the caret package. How many predictors are left for modeling?

```
predictors <- fingerprints[,-nearZeroVar(fingerprints)]
predictors |>
   dim()
```

```
## [1] 165 388
```

After removing the low frequencies, there are 388 predictors remaining.

c. Split the data into a training and a test set, pre-process the data, and tune a PLS model. How many latent variables are optimal and what is the corresponding re-sampled estimate of  $\mathbb{R}^2$ ?

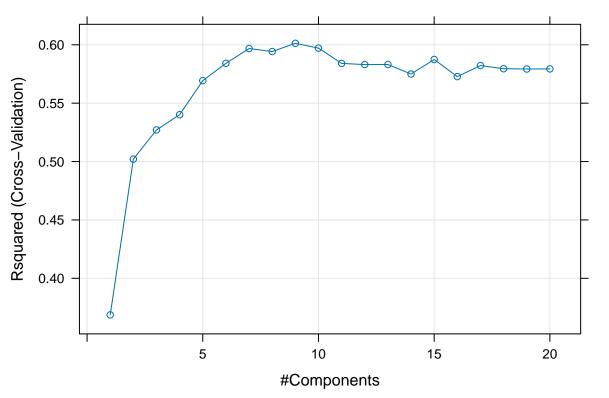
```
## Partial Least Squares
##
## 133 samples
## 388 predictors
##
## Pre-processing: centered (388), scaled (388)
## Resampling: Cross-Validated (10 fold)
## Summary of sample sizes: 121, 119, 119, 121, 118, 120, ...
## Resampling results across tuning parameters:
##
##
    ncomp RMSE
                      Rsquared
                                 MAF.
##
            13.16678 0.3686642 10.102616
     1
##
     2
            11.64286 0.5020875
                                  8.027381
##
     3
            11.80050 0.5271023
                                  8.673277
##
            11.85865 0.5401392
                                  8.819911
```

```
##
      5
             11.49682
                       0.5692806
                                     8.495717
##
      6
             11.14764
                       0.5841270
                                     8.331981
                       0.5967975
##
      7
             10.79245
                                     8.144105
      8
             10.68815
                                     8.223844
##
                       0.5942149
##
      9
             10.51466
                       0.6012664
                                     8.000850
     10
             10.63739
                       0.5971470
                                     7.921168
##
##
             10.89611
                       0.5840609
                                     8.168532
     11
                       0.5830611
##
     12
             10.91030
                                     8.461339
##
     13
             11.11168
                       0.5831191
                                     8.491526
             11.21344
##
     14
                       0.5749599
                                     8.491858
##
     15
             11.03331
                       0.5874111
                                     8.363449
##
     16
             11.25919
                       0.5727178
                                     8.479557
             11.24701
##
     17
                       0.5822250
                                     8.420155
##
             11.27822
                       0.5794783
                                     8.380912
     18
##
     19
             11.26692
                       0.5792757
                                     8.369043
##
     20
             11.25220
                       0.5793416
                                     8.210200
##
```

## Rsquared was used to select the optimal model using the largest value.

## The final value used for the model was ncomp = 9.

### plot(plsTune)



```
plsTune$results |>
filter(ncomp == 9)
```

```
## ncomp RMSE Rsquared MAE RMSESD RsquaredSD MAESD ## 1 9 10.51466 0.6012664 8.00085 2.433004 0.1888001 1.831002
```

The optimal tuning had 9 components with  $R^2 = 0.6012664$ .

d. Predict the response for the test set. What is the test set estimate of  $\mathbb{R}^2$ ?

plsPred <- predict(plsTune, newdata = X\_test)</pre>

```
postResample(pred = plsPred, obs = y_test)
##
                Rsquared
                                  MAE
         RMSE
## 14.0020332 0.1863225 10.1137713
R^2 = 0.1863225
  e. Try building other models discussed in this chapter. Do any have better predictive performance?
PCR.
pcrTune <- train(X_train, y_train, method = 'pcr', metric = 'Rsquared',</pre>
                  tuneLength = 20, trControl = trainControl(method = 'cv'),
                  preProc = c('center','scale'))
pcrPred <- predict(pcrTune, newdata = X_test)</pre>
postResample(pred = pcrPred, obs = y_test)
##
        RMSE Rsquared
                              MAE
## 13.435755 0.212318 9.198531
lars
larsTune <- train(X_train, y_train, method = 'lars', metric = 'Rsquared',</pre>
                   tuneLength = 20, trControl = trainControl(method = 'cv'),
                   preProc = c('center','scale'))
larsPred <- predict(larsTune, newdata = X test)</pre>
postResample(pred = larsPred, obs = y_test)
##
         RMSE
                Rsquared
                                  MAE
## 12.3293046 0.2729282 8.8094694
enet
enetGrid <- expand.grid(.lambda = c(0, 0.01, .1),</pre>
                         .fraction = seq(.05, 1, length = 20))
enetTune <- train(X_train, y_train, method = 'enet', metric = 'Rsquared',</pre>
                   tuneGrid = enetGrid, trControl = trainControl(method = 'cv'),
                  preProc = c('center','scale'))
enetPred <- predict(enetTune, newdata = X test)</pre>
postResample(pred = enetPred, obs = y_test)
         RMSE
                Rsquared
                                  MAE
## 14.6165658 0.1462702 10.3027249
The lars model produced the highest R^2 value of 0.273.
```

f. Would you recommend any of your models to replace the permeability laboratory experiment?

I would recommend the Least Angle Regression (LARS) model since it produced better statistics.

#### Exercise 6.3

A chemical manufacturing process for a pharmaceutical product was discussed in Section 1.4. In this problem, the objective is to understand the relationship between biological measurements of the raw materials (predictors), measurements of the manufacturing process (predictors), and the response of product yield. Biological predictors cannot be changed but can be used to assess the quality of the raw material before processing. On the other hand, manufacturing process predictors can be changed in the manufacturing process. Improving product yield by 1% will boost revenue by approximately one hundred thousand dollars per batch:

a. Start  ${f R}$  and use these commands to load the data:

```
data(ChemicalManufacturingProcess)
```

The matrix processPredictors contains the 57 predictors (12 describing the input biological material and 45 describing the process predictors) for the 176 manufacturing runs. Yield contains the percent yield for each run.

b. A small percentage of cells in the predictor set contain missing values. Use an imputation function to fill in these missing values.

```
imputed <- predict(preProcess(ChemicalManufacturingProcess, method = 'bagImpute'), ChemicalManufacturing</pre>
```

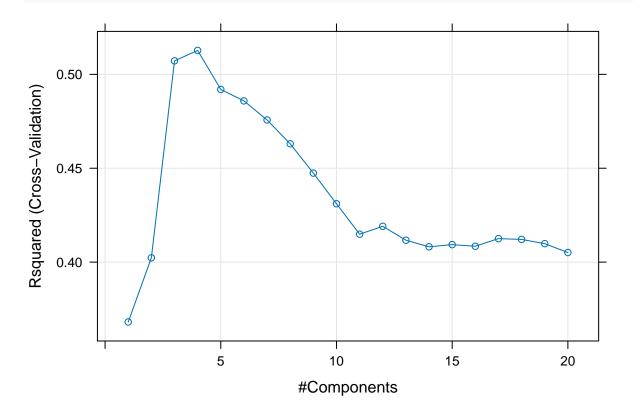
c. Split the data into a training and a test set, pre-process the data, and tune a model of your choice from this chapter. What is the optimal value of the performance metric?

```
## Partial Least Squares
##
## 144 samples
## 56 predictor
##
## Pre-processing: centered (56), scaled (56)
## Resampling: Cross-Validated (10 fold)
```

```
## Summary of sample sizes: 131, 130, 130, 129, 128, 130, ...
## Resampling results across tuning parameters:
##
##
     ncomp
            RMSE
                       Rsquared
                                   MAE
##
      1
            1.623627
                       0.3681262
                                   1.247352
##
      2
            2.024424
                       0.4022758
                                   1.284387
##
      3
            1.505117
                       0.5071746
                                   1.132973
                       0.5127511
##
      4
            1.634346
                                   1.158204
##
      5
            1.911984
                       0.4919781
                                   1.233227
##
      6
            2.051749
                       0.4858665
                                   1.277254
##
      7
            2.189562
                       0.4757200
                                   1.328835
##
      8
            2.267202
                       0.4630105
                                   1.361028
      9
##
            2.474943
                       0.4474028
                                   1.425831
##
     10
            2.733383
                       0.4310777
                                   1.504535
##
            2.948974
                       0.4148744
                                   1.577500
     11
##
     12
            3.051209
                       0.4190821
                                   1.607100
##
     13
            3.121594
                       0.4116678
                                   1.633030
##
     14
            3.224966
                       0.4081584
                                   1.661069
##
     15
            3.223102
                       0.4093197
                                   1.653023
##
     16
            3.137133
                       0.4084612
                                   1.635706
##
     17
            3.033415
                       0.4125177
                                   1.596948
##
     18
            3.056691
                       0.4120972
                                   1.606322
##
     19
            3.088082
                       0.4098343
                                   1.613294
##
     20
            3.050203
                       0.4051016
                                  1.608124
##
## Rsquared was used to select the optimal model using the largest value.
```

## The final value used for the model was ncomp = 4.

#### plot(plsTune)



```
plsTune$results |>
  filter(ncomp == 4)
```

```
## ncomp RMSE Rsquared MAE RMSESD RsquaredSD MAESD ## 1 4 1.634346 0.5127511 1.158204 1.175888 0.1763008 0.3701309
```

In the PLS model, 4 components was the optimal model with an  $\mathbb{R}^2$  value of .576.

d. Predict the response for the test set. What is the value of the performance metric and how does this compare with the resampled performance metric on the training set?

```
plsPred <- predict(plsTune, newdata = X_test)
postResample(pred = plsPred, obs = y_test)</pre>
```

```
## RMSE Rsquared MAE
## 1.1044103 0.5996569 0.8792745
```

The measurement statistics from the test set are similar to the training set indicating that the model is predicting values about the same which makes it a good model.

e. Which predictors are most important in the model you have trained? Do either the biological or process predictors dominate the list?

```
top10 <- varImp(plsTune)$importance |>
    arrange(desc(Overall)) |>
    head(10)

##
## Attaching package: 'pls'

## The following object is masked from 'package:caret':
##
## R2

## The following object is masked from 'package:stats':
```

#### top10

loadings

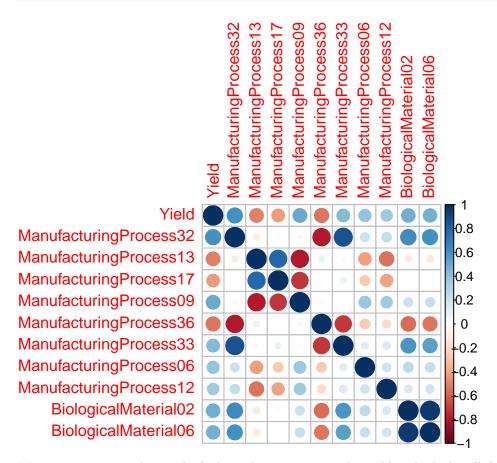
## ##

```
##
                            Overall
## ManufacturingProcess32 100.00000
## ManufacturingProcess13
                           89.99177
## ManufacturingProcess17
                           83.95322
## ManufacturingProcess09
                           83.21071
## ManufacturingProcess36
                           76.64583
## ManufacturingProcess33
                           64.34552
## ManufacturingProcess06
                           63.76321
## ManufacturingProcess12
                           59.03898
## BiologicalMaterial02
                           57.57342
## BiologicalMaterial06
                           56.92581
```

Looking at the top 10 predictors and the weights of their importance, the manufacturing process predictors have the most importance.

f. Explore the relationships between each of the top predictors and the response. How could this information be helpful in improving yield in the future runs of the manufacturing process?

```
imputed |>
  select(c('Yield', row.names(top10))) |>
  cor() |>
  corrplot::corrplot()
```



It's important to understand which predictors improve the yield and which will decrease it. Manufacturing processes 13, 17, and 36 reduce the yield, while the others improve it. Additionally, recognizing which predictors are correlated to each other, may also help in finding yield improvements.