

**CS536**

**Flow Graph  
and  
Basic Blocks**

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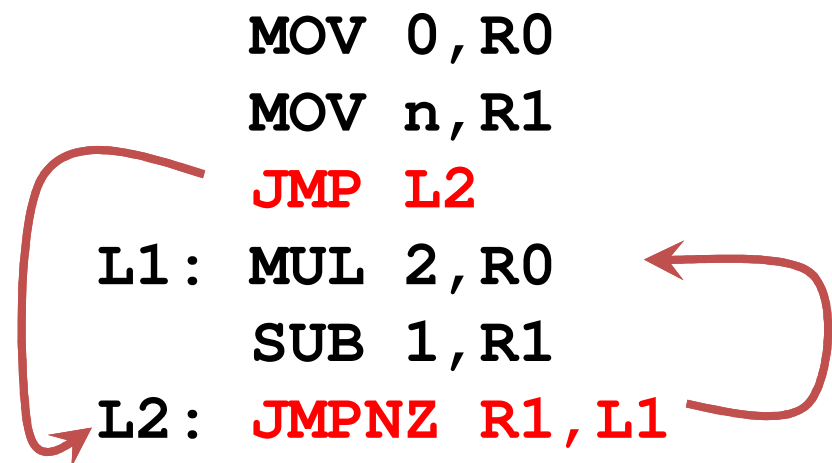
# Outline

- Flow Graphs
- Basic Block: detection
- Loop Detection
- Transformation on Basic Block
- Peep Hole Optimization or Window optimization
- Register Allocation

# Flow Graphs

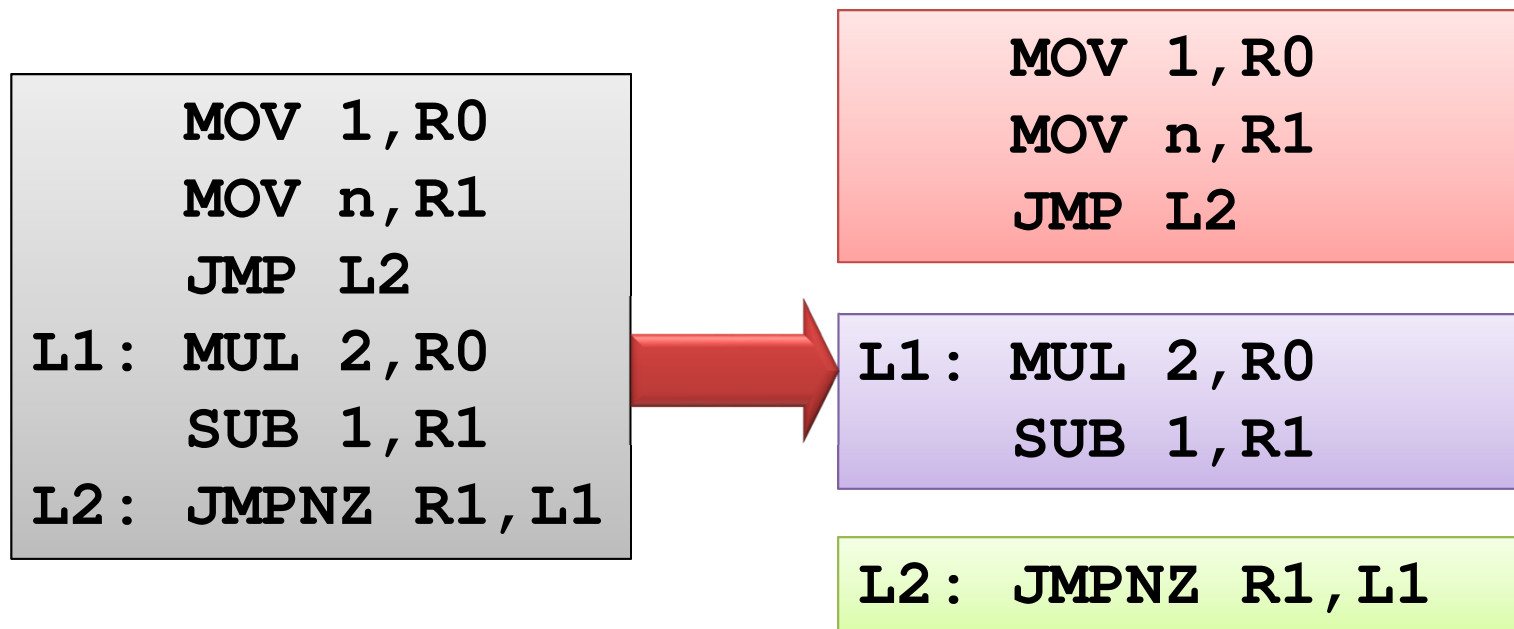
- A *flow graph* is a graphical depiction of a sequence of instructions with control flow edges
- A flow graph can be defined at the intermediate code level or target code level

```
    MOV 1, R0
    MOV n, R1
    JMP L2
L1:  MUL 2, R0
     SUB 1, R1
L2:  JMPNZ R1, L1
```



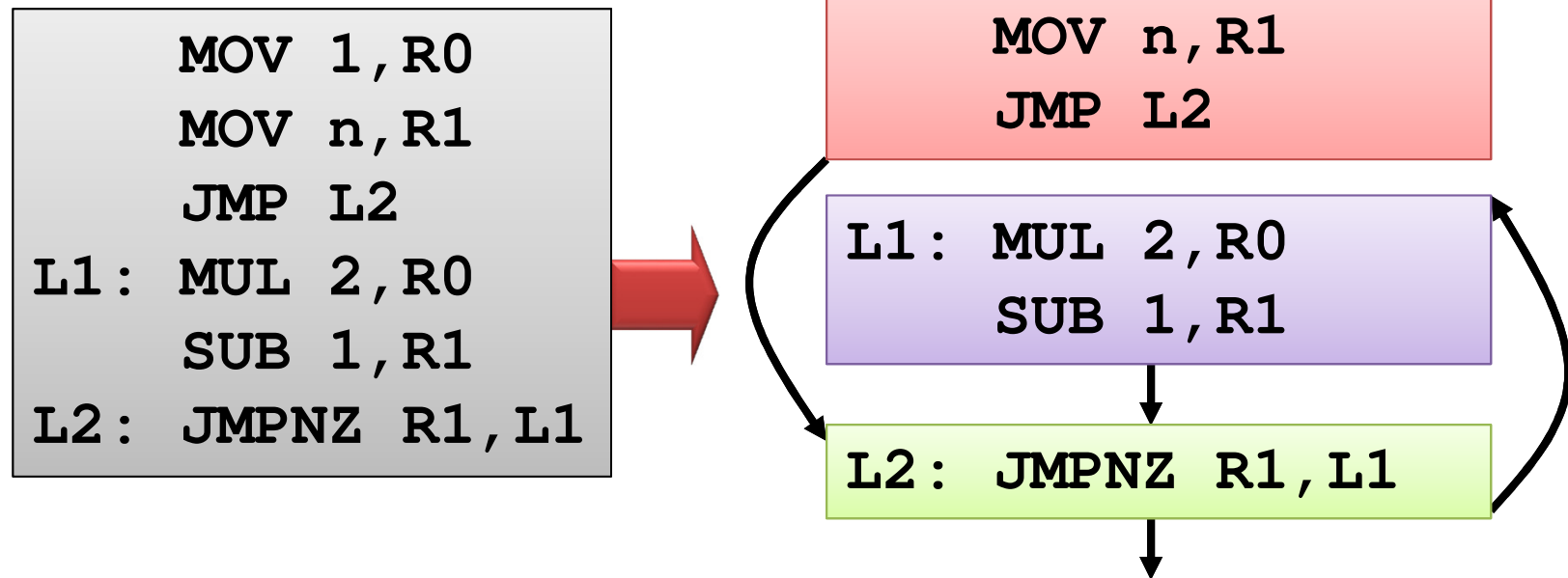
# Basic Blocks

- A *basic block* is a sequence of consecutive instructions
- with exactly one entry point and one exit point (with natural flow or a branch instruction)



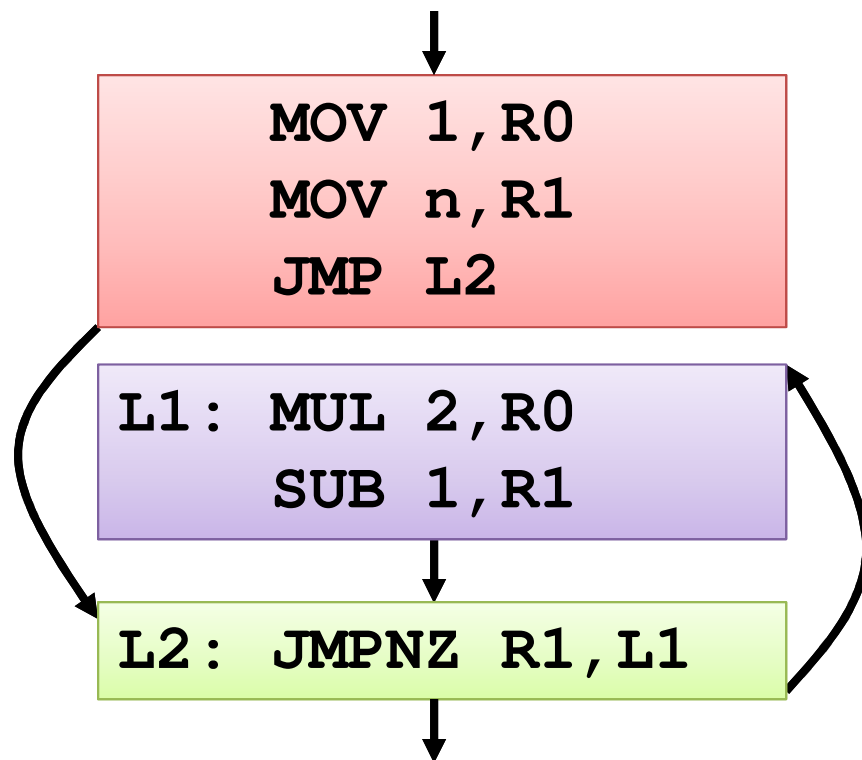
# Basic Blocks and Control Flow Graphs

- A *control flow graph* (CFG) is a directed graph with basic blocks  $B_i$  as vertices and with edges  $B_i \rightarrow B_j$  iff  $B_j$  can be executed immediately after  $B_i$



# Successor and Predecessor Blocks

- Suppose the CFG has an edge  $B_1 \rightarrow B_2$ 
  - Basic block  $B_1$  is a *predecessor* of  $B_2$
  - Basic block  $B_2$  is a *successor* of  $B_1$



# Partition Algorithm for Basic Blocks

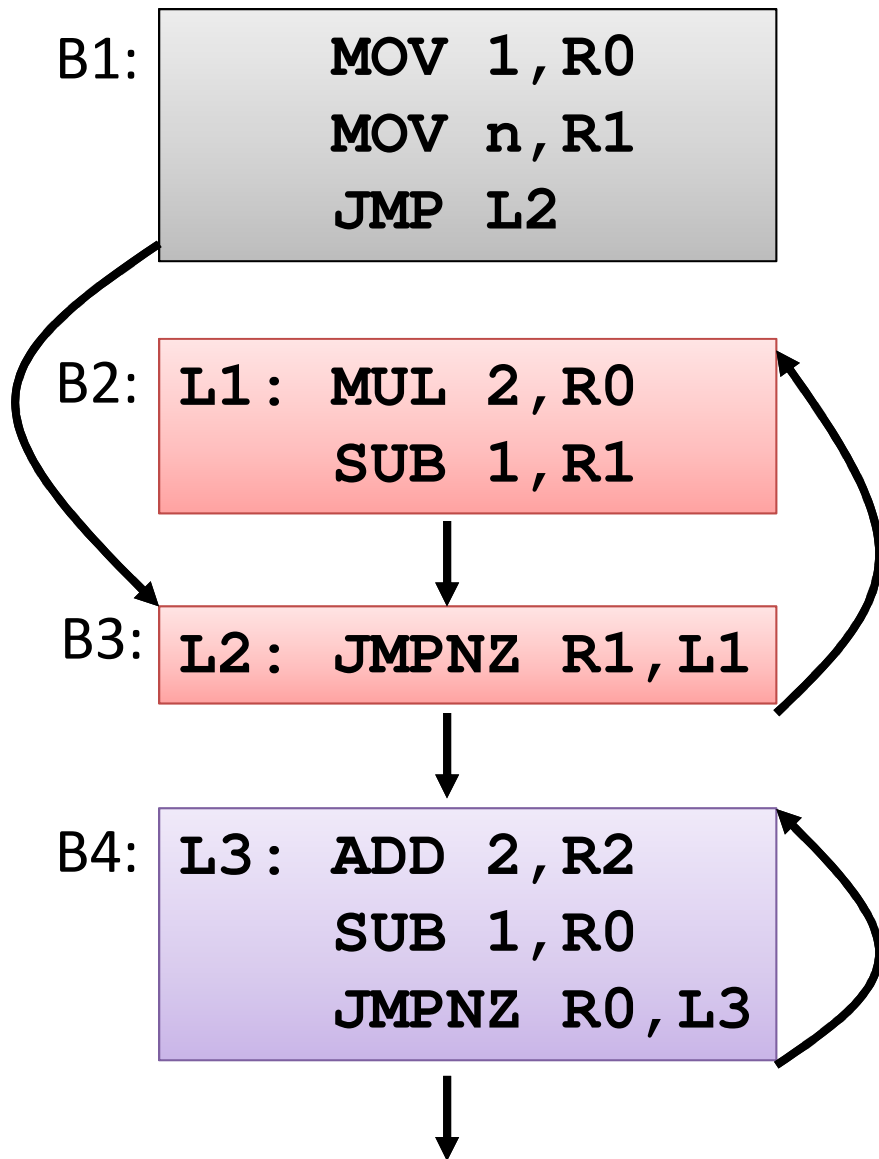
- *Input*: A sequence of three-address statements
  - *Output*: A list of basic blocks with each three-address statement in exactly one block
1. Determine the set of *leaders*, the first statements of basic blocks
    - A. The first statement is the leader
    - B. Any statement that is the target of a goto is a leader
    - C. Any statement that immediately follows a goto is a leader
  2. For each leader, its basic block consists of the leader and all statements up to but not including the next leader or the end of the program

# Loops

- A *loop* is a collection of basic blocks, such that
  - All blocks in the collection are *strongly connected*
  - The collection has a unique *entry*, and the only way to reach a block in the loop is through the entry



# Loops (Example)



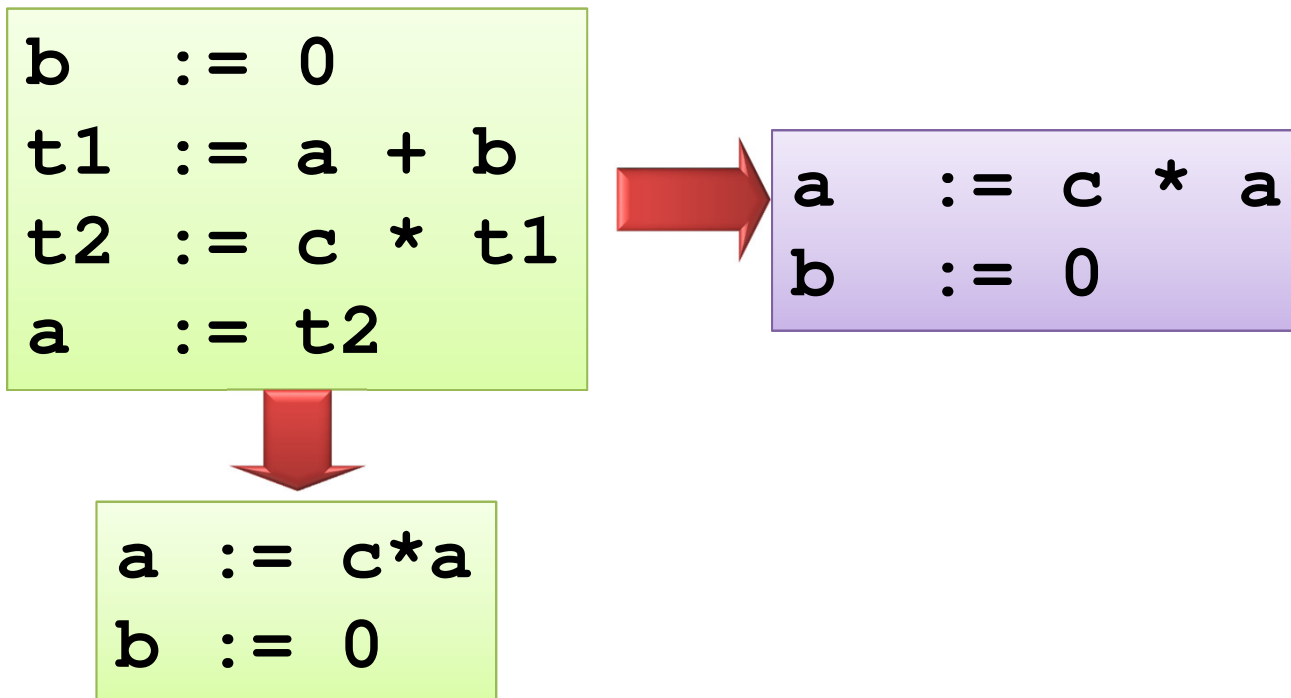
Strongly connected components:

SCC = { {**B2, B3**}, {**B4**} }

Unique Entries: **B3**, **B4**

# Equivalence of Basic Blocks

- Two basic blocks are (semantically) *equivalent* if they compute the same set of expressions



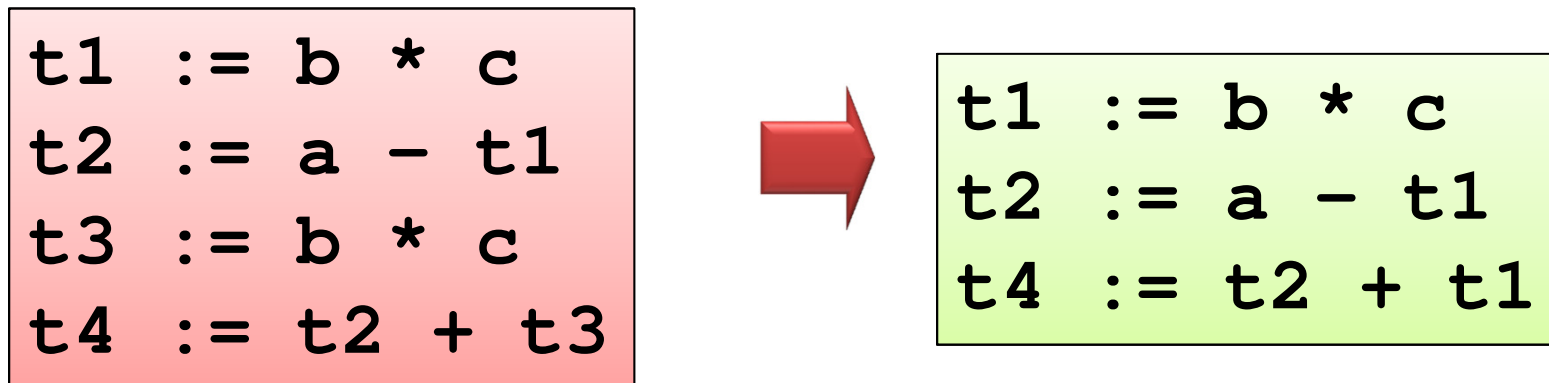
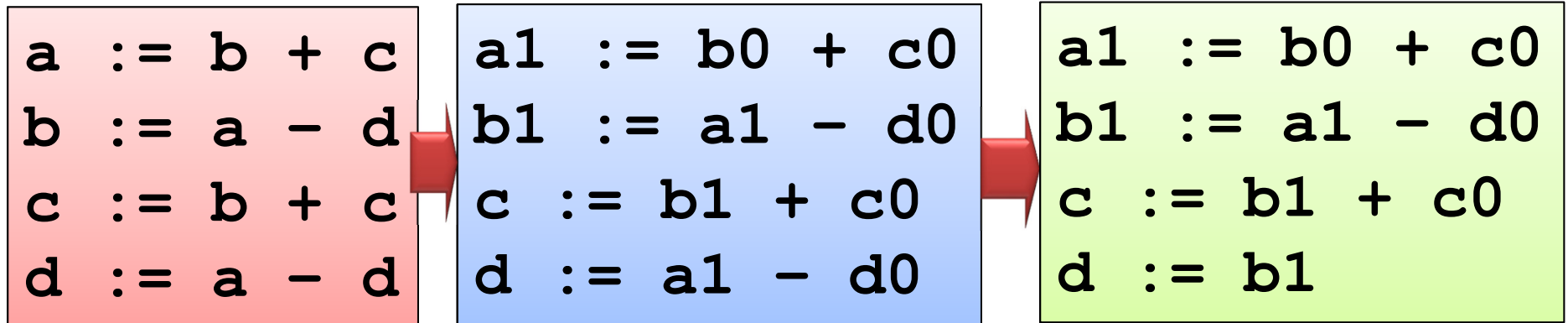
Blocks are equivalent, assuming `t1` and `t2` are *dead*:  
no longer used (no longer *live*)

# Transformations on Basic Blocks

- A *code-improving transformation* is a code optimization to improve speed or reduce code size
- *Global transformations* are performed **across basic blocks**
- *Local transformations* are only performed on **single basic blocks**
- Transformations must be safe and preserve the meaning of the code
  - A local transformation is safe if the transformed basic block is guaranteed to be equivalent to its original form

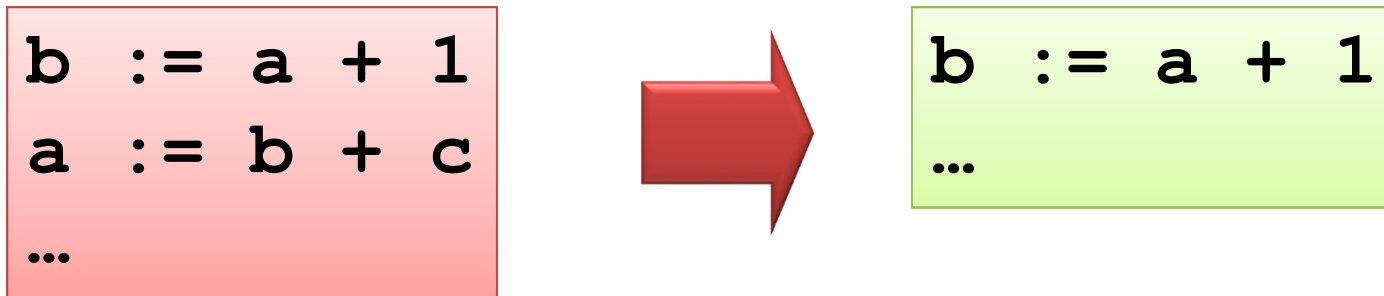
# Common-Subexpression Elimination

- Remove redundant computations

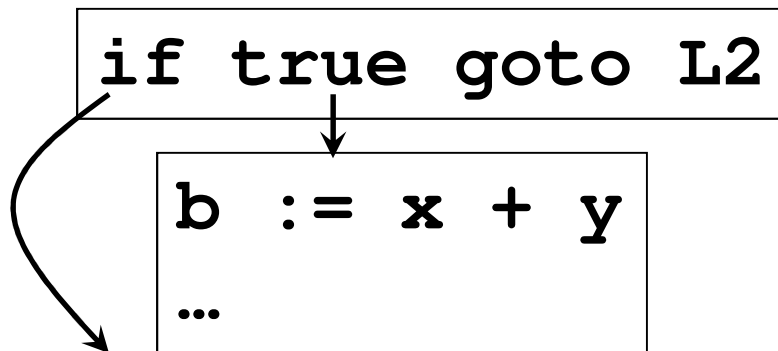


# Dead Code Elimination

- Remove unused statements



Assuming `a` is *dead* (not used)



Remove unreachable code

# Renaming Temporary Variables

- Temporary variables that are dead at the end of a block can be safely renamed

```
t1 := b + c  
t2 := a - t1  
t1 := t1 * d  
d := t2 + t1
```



```
t1 := b + c  
t2 := a - t1  
t3 := t1 * d  
d := t2 + t3
```

Normal-form block

# Interchange of Statements

- Independent statements can be reordered

```
t1 := b + c  
t2 := a - t1  
t3 := t1 * d  
d := t2 + t3
```



```
t1 := b + c  
t3 := t1 * d  
t2 := a - t1  
d := t2 + t3
```

Note that normal-form blocks permit all statement interchanges that are possible

# Algebraic Transformations

- Change arithmetic operations to transform blocks to algebraic equivalent forms

```
t1 := a - a  
t2 := b + t1  
t3 := 2 * t2
```



```
t1 := 0  
t2 := b  
t3 := t2 << 1
```



**Thanks**