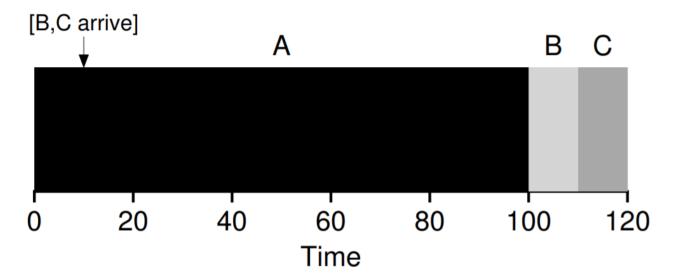
## Part 3: Preemptive Policies

SRT, RR

#### Example #3

Assume 3 jobs (A, B, & C)

- A runs for 100s, B&C run for 10s each.
- A arrives at 0, B&C at 10s.



$$TT_{average} = \frac{100 + 100 + 110}{3} = 103.3$$

## Scheduling Assumptions (Rev 3)

#### All tasks:

- Arrive at the same time (roughly)

  Once started, run to completion

  Inly use the CPU
- Only use the CPU
- Have a known run-time.

#### Policy #3: Shortest Remaining Time

if a new task arrives which has a shorter execution time than the current task, pre-empt

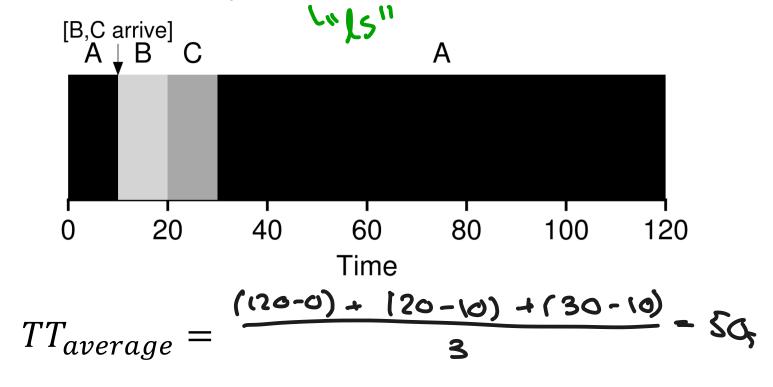
Assume 3 jobs (A, B, & C)

- A runs for 100s, B&C run for 10s each.
- A arrives at 0, B&C at 10s.

#### Example #3, revised

Assume 3 jobs (A, B, & C) (#1) Starvation)

- A runs for 100s, B&C run for 10s each.
- A arrives at 0, B&C at 10s.



## Scheduling Metric #2

#### Response Time:

-> how long until the task responds -> small as possible when considering the user

## Policy #4: Round-Robin

#### Big idea:

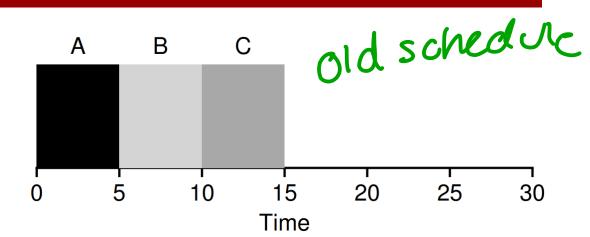
don't pre-empt on arrival

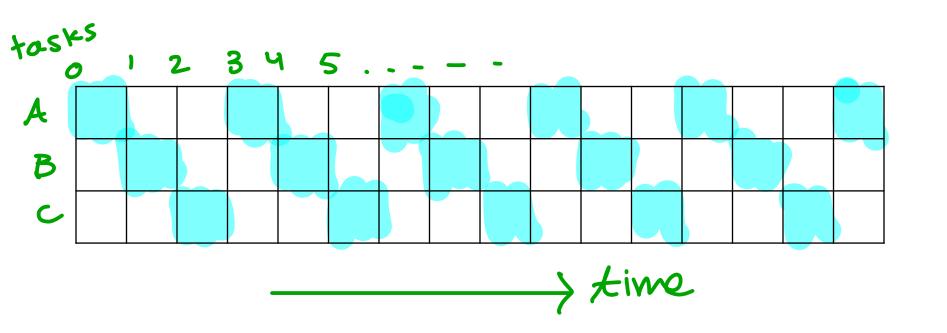
- time slice
- > Instead pre-empt évery so after
  - 1. Move the running task to the back of the ready queru
  - 2. Schedule task that is at the front of the queue
- =) effectively à pre-emptie FIFO

#### Example #4

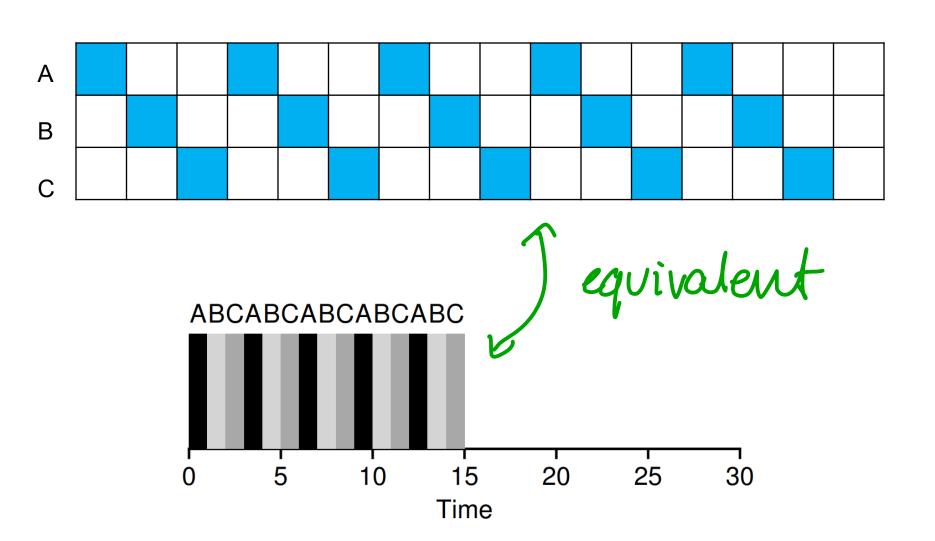
3 tasks (A, B, & C):

- $\blacksquare$  Arrive at T = 0
- Each run for 5s





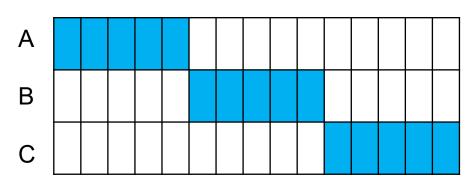
#### Example 4



## Example 4: Comparison

# Round Robin (q = 1)

В



$$RT_{average} = \frac{(0-0)+(1-0)+(2-0)}{5}$$

$$TT_{average} = \frac{13 + 14 + 15}{3}$$

$$RT_{average} = \frac{(v-0)+5+10}{5}$$

$$TT_{average} = \underbrace{5 + 10 + 15}_{=10}$$

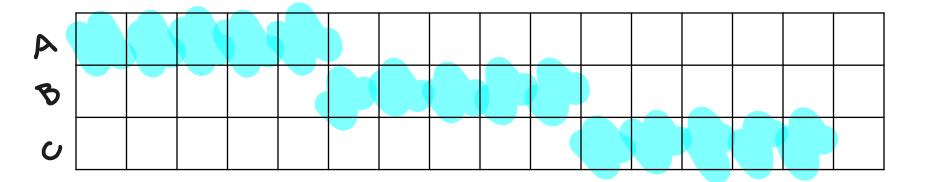
#### What Happens if We Set q = 5?

3 tasks (A, B, & C): The length of the time

Arrive at T = 0

Slice is critical

■ Each run for 5s

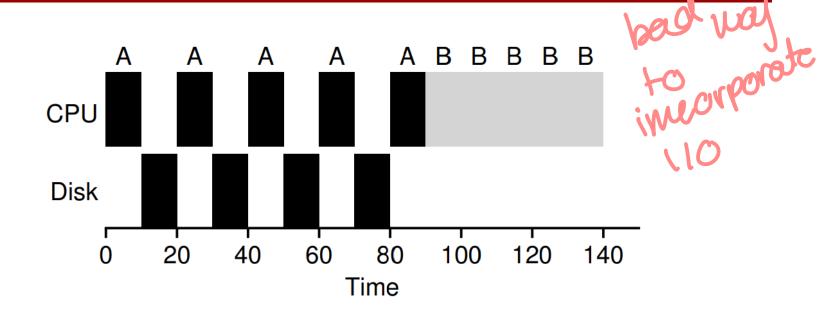


#### Scheduling Assumptions (Rev 4)

#### All tasks:

- 1. Run for the same amount of time
- Arrive at the same time (roughly)
- 3. Once started, run to completion
- 4. Only use the CPU odd 110
- Have a known run-time.

#### Incorporating I/O



#### Incorporating I/O

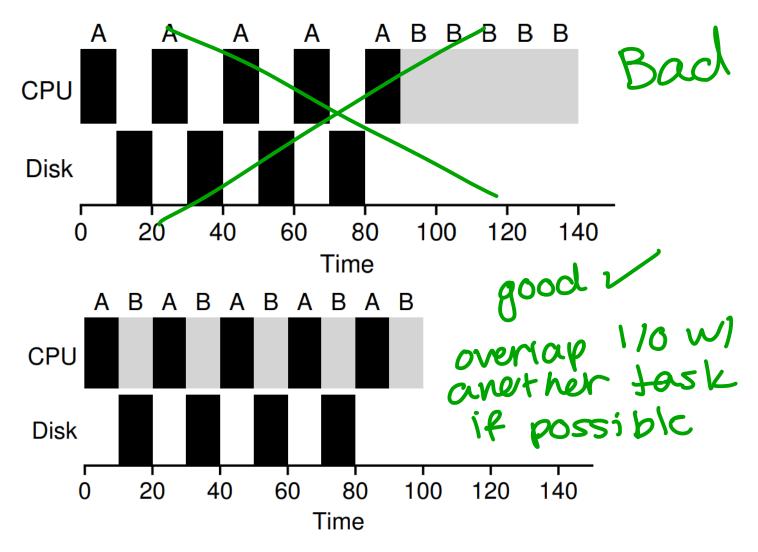


Figure 7.9: Overlap Allows Better Use Of Resources

## Interlude: Project 4

#### Part 4: The RealWorld<sup>TM</sup>

We finally break all the bad assumptions

#### Scheduling Assumptions (Rev 5)

#### All tasks:

- 1. Run for the same amount of time
- Arrive at the same time (roughly)
- 3. Once started, run to completion
- 4. Only use the CPU
- 5. Have a known run time.

#### Predicting Run Time: Simple Average (a)

- 1. Track his torical Runtimes
- 2. average history to predict the future

#### Predicting Run Time: Simple Average (b)

Key Idea: No need to recalculate the entire sum

$$S_{n+1} = \frac{1}{n} \sum_{i=1}^{n} T_i$$

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$$S_{n+1} = \frac{1}{n} \sum_{i=1}^{n} T_i$$

every term is weighted equally

#### Predicting Run Time: Exponential Average

Key Idea: Give more weight to recent history

$$S_{n+1} = \frac{1}{n}T_n + \left(1 - \frac{1}{n}\right)S_n$$

$$S_{n+1} = \alpha \cdot T_n + \left(1 - \alpha\right)S_n$$

$$S_{n+1} = \alpha \cdot T_n + \left(1 - \alpha\right)S_n$$

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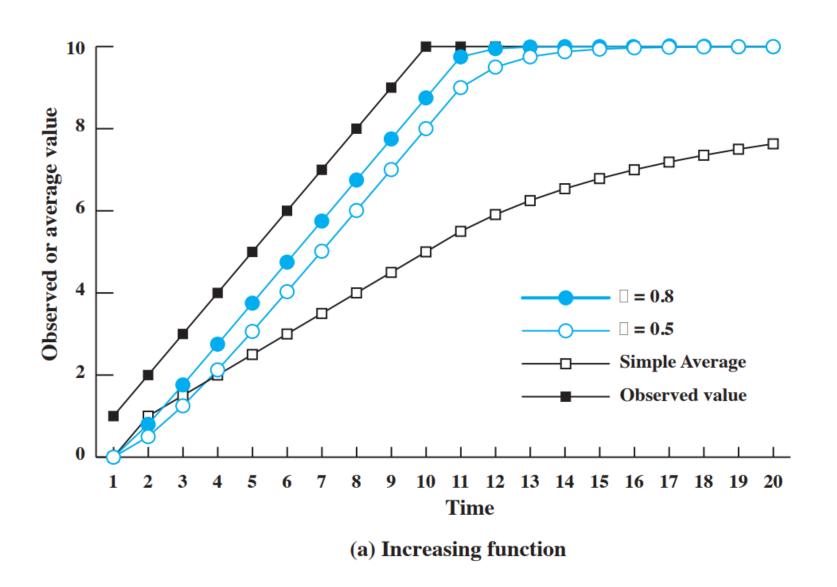
$$S_{n+1} = \alpha \cdot T_n + \left(1 - \alpha\right)S_n$$

$$S_{n+1} = \alpha \cdot T_n + \left(1 - \alpha\right)S_n$$

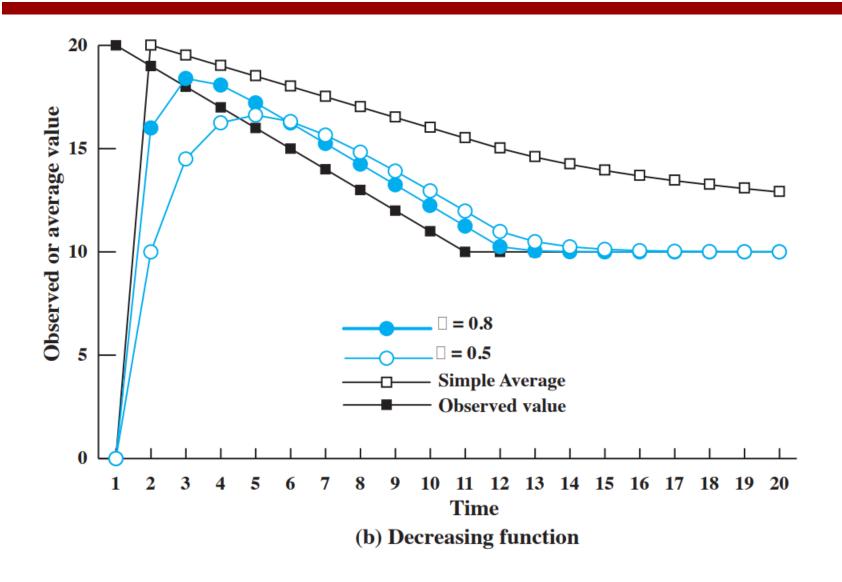
$$S_{n+1} = \alpha \cdot T_n + \left(1 - \alpha\right)S_n$$

$$S_{n+$$

## How Well Does Averaging Work?



#### How Well Does Averaging Work?



#### When Might We Need This?

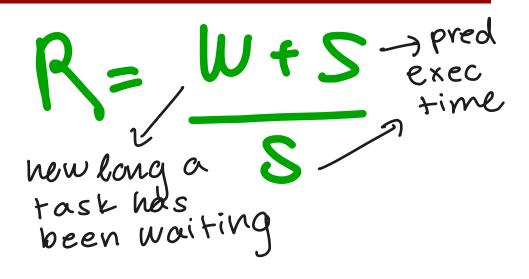
...that was a lot of math. When is it useful?

- 1. SPN (shortest process next)
- 2. SRT (shortest remaing time)
- 3. HKRN

#### Policy #5: Highest Response Ratio Next

#### Response Ratio:

account for the account for the age of a task one long it and how long it and execute will execute



3 a balance b/w FCFS and SPN/SRT + fixes Starvation

#### Wouldn't it Be Nice

If we...

- 1. Didn't need to know (/predict) service time 🔾
- 2. Could balance turnaround and response time?

## multi level feedback queves

