cindent,

Contents Basic 1 1.1 .vimrc linenumber, relative-linenumber, mouse, shiftwidth, softtabstop, nowrap, ignorecase nornu when enter insert mode

1.2 default code

2 au InsertLeave * se rnu 3 au InsertEnter * se nornu

1| se nu rnu mouse=a cin et sw=2 sts=2 nowrap ic

```
1 | #include < bits / stdc++.h>
2 #define ll long long
3 #define ld long double
   #define INF 0x3f3f3f3f3f
   #define LLINF 0x3f3f3f3f3f3f3f3f3f
6 #define X first
7 #define Y second
8 #define PB emplace_back
9 using namespace std;
10 const int MXN = 4e5+5;
11
12 void sol(){}
13
   int main(){
     int t=1;
14
     cin >> t;
15
     while(t--){
    sol(); } }
16
```

2 flow

17

- 2.1 MinCostFlow
- 2.2 Dinic
- 2.3 Hungarian
- Kuhn Munkres 最大完美二分匹配

3 Math

3.1 Fast Pow & Inverse & Combination

```
fpow(a, b, m) = a^b \pmod{m}
    fa[i] = i! \pmod{MOD}
    fi[i] = i!^{-1} \equiv 1 \pmod{MOD}
    c(a,b) = \binom{a}{b} \pmod{MOD}
 1|ll fpow(ll a, ll b, ll m){
      ll ret = 1;
      a %= m;
      while(b){
        if(b&1) ret = ret * a % m;
         a = a * a % m;
         b >>= 1; }
 8
      return ret; }
10 ll fa[MXN], fi[MXN];
   void init(){
      fa[0] = 1;
12
      for(ll i = 1; i < MXN; ++i)
fa[i] = fa[i - 1] * i % MOD;
13
14
      fi[MXN - 1] = fpow(fa[MXN - 1], MOD - 2, MOD);
for(ll i = MXN - 1; i > 0; --i)
  fi[i - 1] = fi[i] * i % MOD; }
15
16
17
18
19 | ll c(ll a, ll b){
     return fa[a] * fi[b] % MOD * fi[a - b] % MOD; }
```

4 Geometry

5 Tree

5.1 LCA

```
LCA(n) \Rightarrow n: 點數
lca.addEdge(u, v);
lca.build(root, root)
lca.anc[i][j] \Rightarrow i 的第 2^{j} 個祖先
lca.query(x, y) ⇒ x,y 的 LCA
lca.qdis(x, y) ⇒ x,y 的最短距離 (可以用倍增法帶權)
編譯指令: g++ -Wl,-stack,500000000 test.cpp a
```

```
const int MXN = 5e5+5;
            struct LCA{
               int n, lgn, ti = 0;
               int anc[MXN][24], in[MXN], out[MXN];
               vector<int> g[MXN];
               LCA(int n) : n(n + 1), lgn(__lg(n) + 5){}
expandtab, 6
               void addEdge(int x, int y){g[x].PB(y), g[y].PB(x); }
          8
               void build(int x, int fx){
                  in[x] = ti++;
                  int cur = fx;
for(int i = 0; i < lgn; ++i)</pre>
         10
         11
                    anc[x][i] = cur, cur = anc[cur][i];
         12
                  for(auto i : g[x]) if(i != fx) build(i, x);
         13
                  out[x] = ti++; }
         14
               bool isanc(int a, int x){
         15
                  return in[a] <= in[x] && out[a] >= out[x]; }
         16
               int query(int x, int y){
  if(isanc(x, y)) return x;
         17
         18
                  if(isanc(y, x)) return y;
for(int i = lgn-1; i >= 0; --i)
   if(!isanc(anc[x][i], y)) x = anc[x][i];
         19
         20
         21
         22
                  return anc[x][0]; }
               int qdis(int x, int y){
         23
                  int dis = !isanc(x, y) + !isanc(y, x);
for(int i = lgn - 1; i >= 0; --i){
   if(!isanc(anc[x][i], y))
         24
         25
         26
         27
                       x = anc[x][i], dis +=
                    if(!isanc(anc[y][i], x))
         28
         29
                       y = anc[y][i], dis += 1 << i; 
         30
                  return dis; } };
```

6 Graph

String 7

8 Data Structure

th = merge(th, new Treap(val)) ⇒ 新增元素到 th

8.1 Treap Treap *th = nullptr

36

push(x);

```
th = merge(merge(tl, tm), tr) \Rightarrow 合併 tl,tm,tr 到 th split(th, k, tl, tr) \Rightarrow 分割 th, tl 的元素 \leq k (失去 BST 性質後不能用)
   家内に (ti, ti, ti, ti) \rightarrow 分割 th, gsz(tl) \leq k (< when gsz(th) < k) gsz \rightarrow get size \mid gsum \rightarrow get sum \mid th->rev ^{\wedge}= 1 \rightarrow 反轉 th 帶懶標版本,並示範 sum/rev 如何 pull/push
    注意 Treap 複雜度好但常數大,動作能用其他方法就用,並做 io 等優化
 1 | struct Treap{
       Treap *l, *r;
      int pri, sz, rev;
ll val, sum;
 3
 4
       Treap(int _val): l(nullptr), r(nullptr),
         pri(rand()), sz(1), rev(0),
 6
         val(_val), sum(_val){} };
   11 gsz(Treap *x){ return x ? x->sz : 0; }
10
   11 gsum(Treap *x){ return x ? x->sum : 0; }
11
12 Treap* pull(Treap *x){
      x->sz = gsz(x->l) + gsz(x->r) + 1;
13
       x\rightarrow sum = x\rightarrow val + gsum(x\rightarrow l) + gsum(x\rightarrow r);
14
15
       return x; }
    void push(Treap *x){
16
       if(x->rev){
17
         swap(x->1, x->r);
18
         if(x->l) x->l->rev ^= 1;
if(x->r) x->r->rev ^= 1;
19
20
21
         x \rightarrow rev = 0; } 
22
   Treap* merge(Treap* a, Treap* b){
23
       if(!a || !b) return a ? a : b;
24
25
       push(a), push(b);
26
       if(a->pri > b->pri){
27
         a \rightarrow r = merge(a \rightarrow r, b);
         return pull(a); }
28
29
       else{
         b->l = merge(a, b->l);
30
31
         return pull(b); } }
32
   void split(Treap *x, int k, Treap *&a, Treap *&b){
33
34
      if(!x) a = b = nullptr;
35
       else{
```

```
38
       pull(x); } }
39
40
   void kth(Treap *x, int k, Treap *&a, Treap *&b){
41
42
     if(!x) a = b = nullptr;
43
     else{
44
        push(x);
       a = x, kth(x->r, k - gsz(x->l) - 1, a->r, b);
else b = x, kth(x->l, k, a, b->l);
pull(x); } }
45
46
47
48
   8.2 BIT
   支援單點加值、前綴求和、第 k 小
   not finished, not verified
 1 struct BIT{
     int sz;
     vector<int> dat;
 3
     void init(int _sz){
       sz = _sz;
       dat.assign(sz + 1, 0);
 6
 7
     void upd(int id, int x){
  for(int i = id; i <= sz; i += i & -i)</pre>
 8
9
10
          dat[i] += x;
11
     int sum(int id){
12
       int res = 0;
for(int i = id; i > 0; i -= i & -i)
13
14
15
          res += dat[i];
        return res;
16
17
18
     int kth(int k){
       int res = 0;
for(int i = 1 << __lg(sz); i > 0; i >>= 1)
   if(res + i <= sz && dat[res + i] < k)</pre>
19
20
21
            k -= dat[res += i];
22
23
        return res;
24
     }
25 };
```

9 **Others**

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