

# Sample of T<sub>E</sub>X writing

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July 2, 2020

## Abstract

One can write a brief explain of his paper. Blah-blah-.

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## 1 Mathematical statement

### 1.1 Definition

The first sentence does not need an indent.

**Definition 1.1** (First definition). *The symbol  $\mathbb{R}$  denotes the set of real numbers.*

To our best knowledge, this notation is standard.

### 1.2 Theorem

The following theorem is well-known.

**Theorem 1.2.** *The set  $\mathbb{N}$  is countable.*

*Proof.* It is obvious by definition of  $\mathbb{N}$  <sup>1</sup>. □

Due to the theorem above, we obtain an important corollary.

**Corollary 1.3.** *Any subset of  $\mathbb{N}$  is countable.*

**Remark 1.4.** *It is known that  $\mathbb{Q}$  is also a countable set; however, this margin is too narrow to contain the proof.*

In his work [1], Fujiwara showed the next fact.

**Proposition 1.5.** *Fujiwara likes walking.*

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<sup>1</sup>The expression “by definition” does not need “the”, since it is an idiom.

## 2 Environments for equations

In this section, we compare some environments for presenting mathematical equations. The *equation* environment can present a single equation.

**Example 2.1** (*equation*). *The geodesic equation on a Riemannian manifold  $(M, g)$  is given by*

$$\frac{d^2 c^k}{dt^2} + \Gamma_{ij}^k \frac{dc^i}{dt} \frac{dc^j}{dt} = 0. \quad (1)$$

In order to write several equations, we can use the *eqnarray* environment.

**Example 2.2** (*eqnarray*). *The symbols  $(\Gamma_{ij}^k)$  in (1) denote functions defined by*

$$\Gamma_{ij}^k := g^{kl} \Gamma_{ij;l}, \quad (2)$$

$$\Gamma_{ij;l} := \frac{1}{2} \left( \frac{\partial g_{jl}}{\partial x_i} + \frac{\partial g_{li}}{\partial x_j} - \frac{\partial g_{ij}}{\partial x_l} \right). \quad (3)$$

We can also use the *align* environment. The author prefer this one to the *eqnarray* environment.

**Example 2.3** (*align*). *The functions defined by (2) and (3) are called the coefficients of the Levi-Civita connection. They are characterized by the conditions*

$$\Gamma_{ij}^k = \Gamma_{ji}^k, \quad (4)$$

$$\frac{\partial g_{jk}}{\partial x^i} = \Gamma_{ij;k} + \Gamma_{ik;j}. \quad (5)$$

Finally, we introduce a simple way to write an equation like

$$1 + 1 = 2.$$

This command is useful to describe a series of calculation.

## References

- [1] A. Fujiwara, *Foundations of information geometry*, (Makino Shoten, Tokyo, 2015); in Japanese.