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# THC & Water Solution

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### Prompt

The past decade has witnessed significant research on clathrate hydrates. Clathrate hydrates have found applications in the storage and transportation of various gases, and can be also be used in CO<sub>2</sub> sequestration. Tetrahydrofuran (THF) is a heterocyclic ether which is readily miscible with water, and stands out as a potential material for hydrate formation. To understand the conditions that lead to the formation of hydrates, it is imperative to investigate the thermodynamics of a THF-water mixture. Under the assumption that van Laar correlations apply to the non-ideality of a THF-water mixture, plot the (a) P vs x, y and (b) T vs x, y diagram at room temperature and pressure. Use the van Laar equation for activity coefficients.

All of the plots will be at the end of the code for each section. Tables with all the values will be presented at the end of the last problem (end of the file).

## P-xy Diagram

```
% First, we define the liquid molar fraction of THF and water as a
linearly-spaced, 1000-element vector from 0 to 1.

xTHF = linspace(0,1,1000);
xW = 1 - xTHF;

% From Perry's Handbook, we find the Van Laar coefficients for a THF
and water solution, and the vapor pressure for both components at
room temperature.

% <https://accessengineeringlibrary.com/browse/perrys-chemical-
engineers-handbook-eighth-edition/p200139d899713\_6001>

alpha = 3.0216;
beta = 1.9436;

VpTHF = 21.65; % in kPa
VpW = 3.18;

% With these values, we find the Van Laar activity coefficients for
both components. The activity of THF and water is plotted against the
liquid molar fraction of THF.

gammaTHF = exp(alpha./(1+alpha.*xTHF./beta./xW).^2);
gammaW = exp(beta./(1+beta.*xW./alpha./xTHF).^2);

figure
plot(xTHF,gammaTHF,xTHF,gammaW)
title('THF and Water Activities by Van Laar')
xlabel('x_ THF')
```

```

ylabel('gamma')
legend('THF','Water','Location','southoutside')

% We define the total pressure as the sum of partial pressures, as by
% Dalton's Law of Partial Pressures, and use Raoult's Law to express
% the partial pressures as the activity times the vapor pressure.

P = VpTHF.*gammaTHF.*xTHF + VpW.*gammaW.*xW;

% We then define the vapor molar fraction of THF as the fraction
% of partial pressure of THF and the total pressure. The relationship
% between the liquid and vapor molar fractions is plotted.

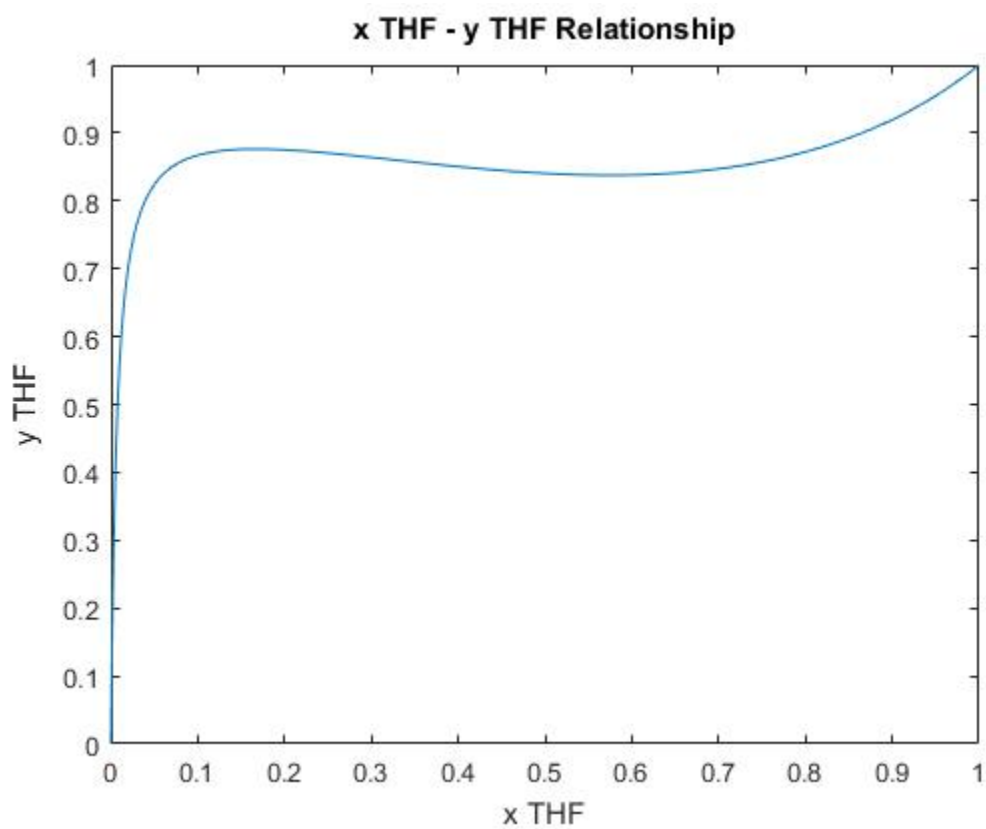
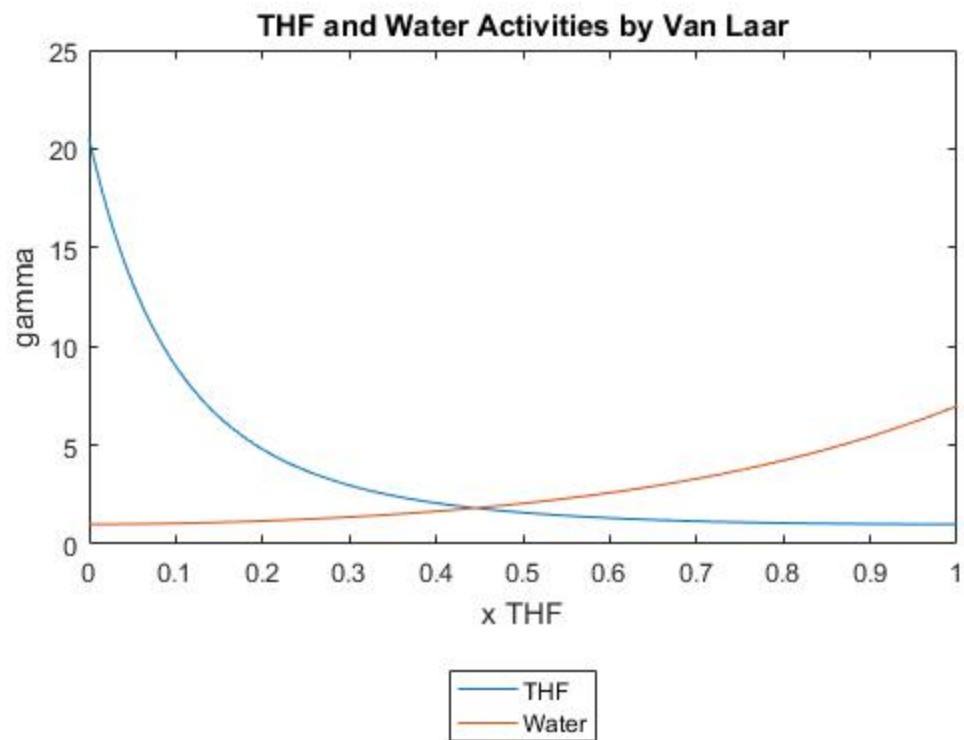
yTHF = VpTHF.*gammaTHF.*xTHF./P;

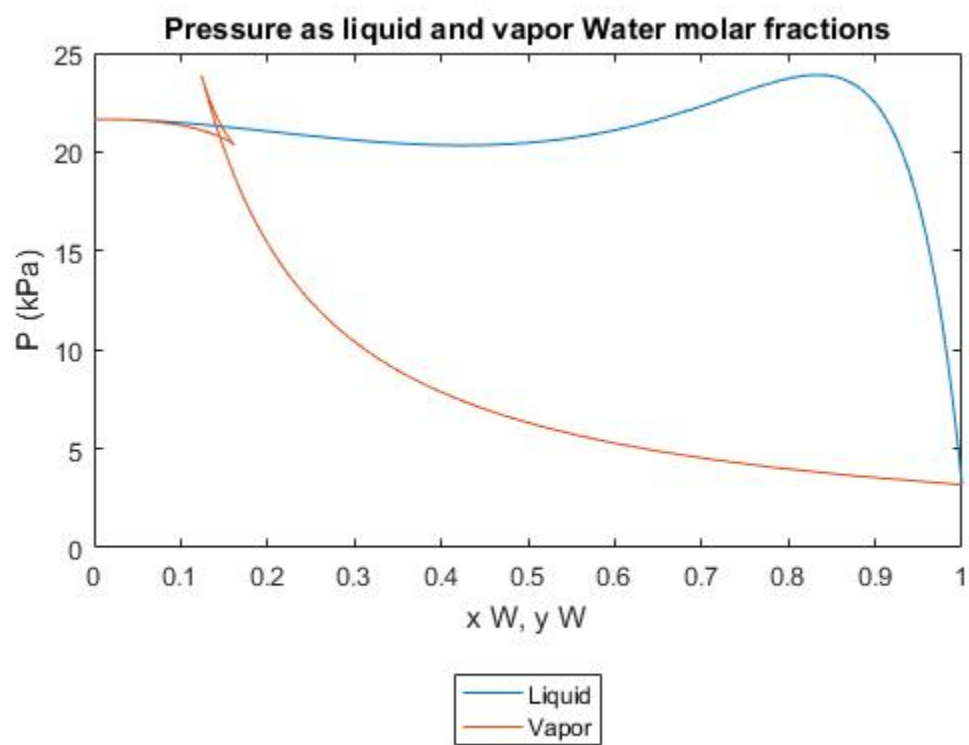
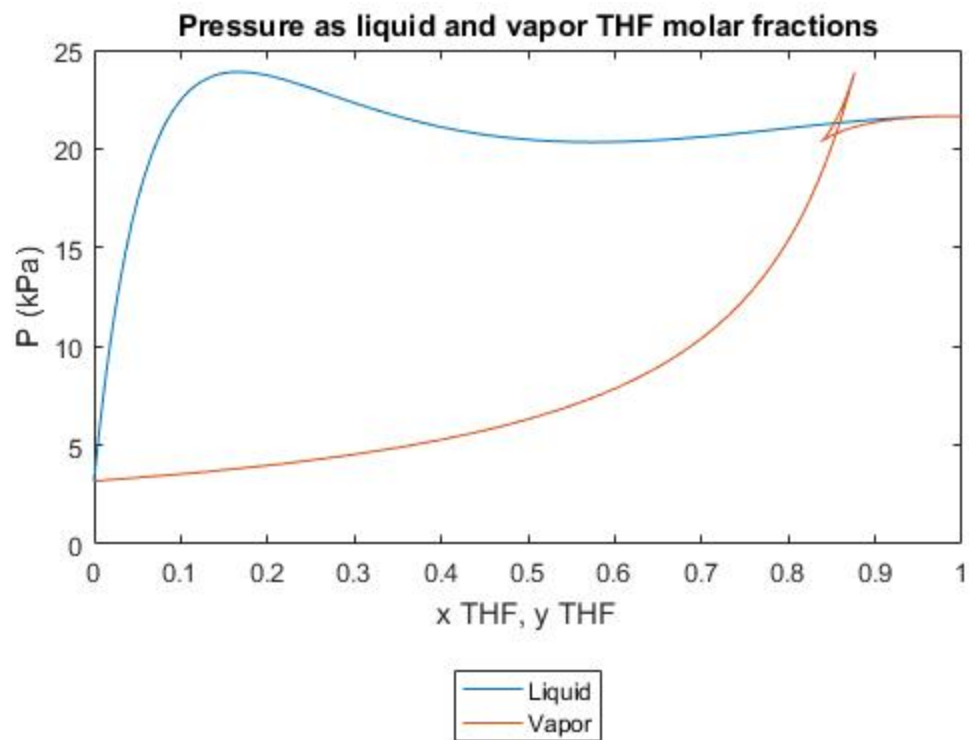
figure
plot(xTHF,yTHF)
title('x_ THF - y_ THF Relationship')
xlabel('x_ THF')
ylabel('y_ THF')

% In this section we will generate Pressure diagrams for both
% components.

figure
plot(xTHF, P, yTHF, P)
title('Pressure as liquid and vapor THF molar fractions')
xlabel('x_ THF, y_ THF')
ylabel('P (kPa)')
legend('Liquid','Vapor','Location','southoutside')
figure
plot(xW, P, 1-yTHF, P)
title('Pressure as liquid and vapor Water molar fractions')
xlabel('x_ W, y_ W')
ylabel('P (kPa)')
legend('Liquid','Vapor','Location','southoutside')

```





## T-xy Diagram

```
% From the NIST website, we find the Antoine's coefficients for both
THF and water. We also set the total pressure to the room pressure,
in bars.

% <http://webbook.nist.gov/cgi/cbook.cgi?
ID=C109999&Mask=4&Type=ANTOINE&Plot=on#ANTOINE>
% <http://webbook.nist.gov/cgi/cbook.cgi?
ID=C7732185&Mask=4&Type=ANTOINE&Plot=on>

At = 4.12118;
Bt = 1202.942;
Ct = -46.818;
Aw = 6.20963;
Bw = 2354.731;
Cw = 7.559;

P2 = 1.01325; % bar

% We define a MATLAB system for T (we let T be a symbolic variable).
We then use Antoine's equation to find the vapor pressures of THF and
water.

syms T
Pt = 10.^(At-Bt./(T+Ct));
Pw = 10.^(Aw-Bw./(T+Cw));

% We create two empty vectors to keep track of all of the temperatures
and vapor molar fractions.

allT = [];
yTHF2 = [];

% In this section we solve for the temperature as a function of the
liquid molar fraction of THF, and we find the vapor molar fraction of
both components. We then plot all of the data.

% We create a loop that will iterate through the liquid molar fraction
of THF, in 100 steps. For each molar fraction value, we find the
corresponding activity (by Van Laars equation), and use the 'solve'
function to find the temperature. We also calculate the corresponding
vapor molar fraction at that temperature.

warning('off','all') % to avoid 'solve' warning messages
for xTHF2 = linspace(0,1,100)
xW = 1 - xTHF2;
gammaTHF = exp(alpha./(1+alpha.*xTHF2./beta./xW).^2);
gammaW = exp(beta./(1+beta.*xW./alpha./xTHF2).^2);
allT = [allT eval(solve(xTHF2 == (-Pw.*gammaW+P2)./(Pt.*gammaTHF-
Pw.*gammaW),T))];
yTHF2 = [yTHF2 (10.^(At-Bt./(allT(end)+Ct)).*gammaTHF.*xTHF2./
P2)];
```

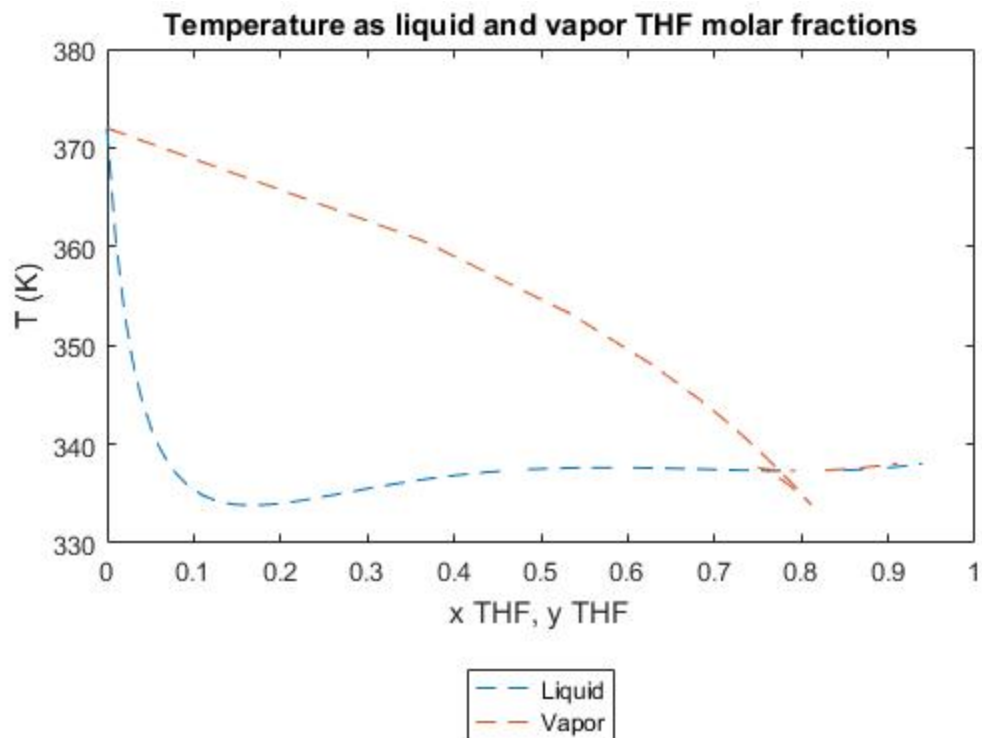
```

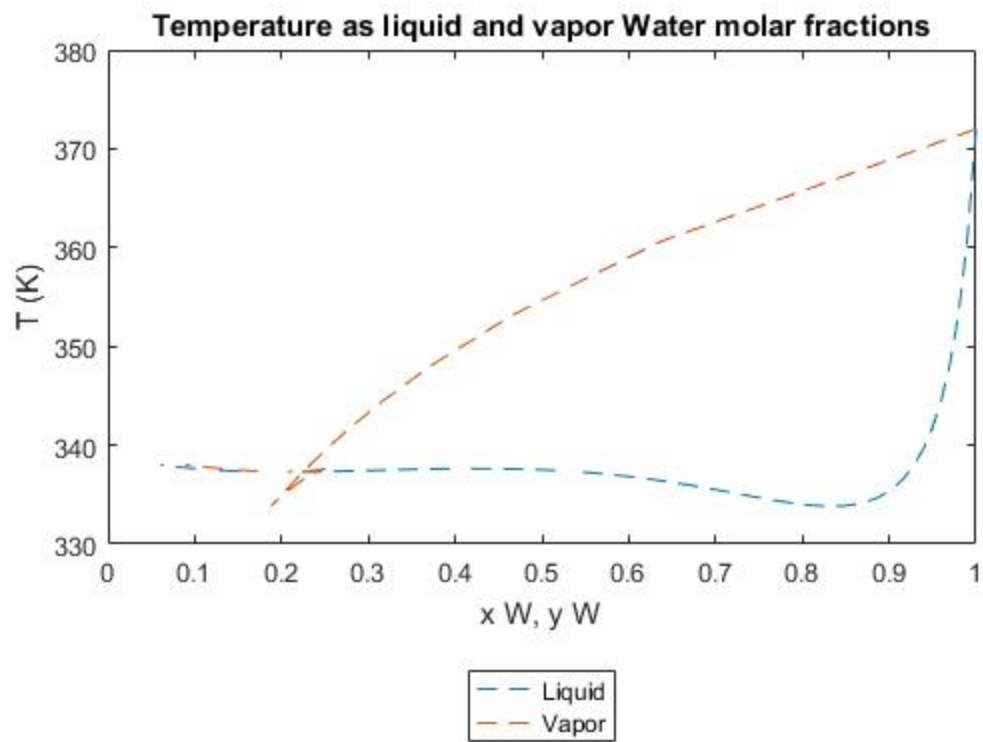
end
warning('on','all')

xTHF2 = linspace(0,1,100);
xW2 = 1 - xTHF2;

figure
plot(xTHF2,allT,'--',yTHF2,allT,'--') % with '--' to hide plot
gaps
title('Temperature as liquid and vapor THF molar fractions')
xlim([0 1])
xlabel('x_ THF, y_ THF')
ylabel('T (K)')
legend('Liquid','Vapor','Location','southoutside')
figure
plot(xW2, allT,'--', 1-yTHF2, allT,'--')
title('Temperature as liquid and vapor Water molar fractions')
xlim([0 1])
xlabel('x_ W, y_ W')
ylabel('T (K)')
legend('Liquid','Vapor','Location','southoutside')

```





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