Class 7: Machine Learning 1

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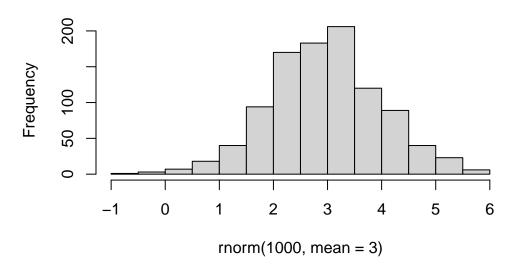
Today we will explore unsupervised machine learning methods starting with clustering and dimensionality reduction.

Clustering

To start let's make up some data to cluster where we know where the answer should be. The rnorm() function will help us here.

```
hist(rnorm(1000, mean =3))
```

Histogram of rnorm(1000, mean = 3)



Return 30 numbers centered on -3

```
tmp <- c(rnorm(30, mean = -3),
    rnorm(30, mean = 3))

x <- cbind(x=tmp, y=rev(tmp))
x</pre>
```

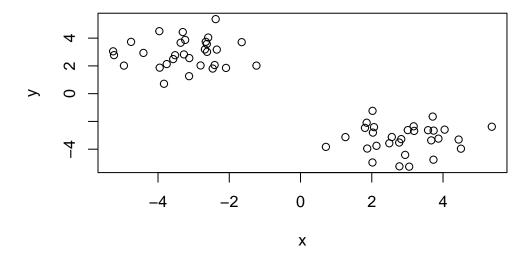
```
[1,] -2.683475
                 3.189489
 [2,] -2.660153
                 3.736660
 [3,] -3.238233
                 3.871496
 [4,] -4.409570
                 2.936600
 [5,] -3.963441
                 4.503101
 [6,] -1.650940
                 3.710640
 [7,] -2.591772
                 4.045050
 [8,] -2.630009
                 3.579289
 [9,] -3.127606
                 1.260266
[10,] -2.410940
                 2.062552
                 1.808942
[11,] -2.464849
[12,] -3.832732
                 0.712291
[13,] -3.573822 2.491835
```

- [14,] -3.272801 2.827120
- [15,] -2.381712 5.369405
- [16,] -3.755557 2.131509
- [17,] -4.956717 2.019494
- [18,] -4.756244 3.730713
- [19,] -2.091610 1.856106
- [20,] -2.624047 3.011278
- [21,] -5.235291 2.776038
- [22,] -3.521074 2.769807
- [23,] -5.259724 3.050421
- [24,] -3.122004 2.562397
- [25,] -3.364407 3.668796
- [26,] -2.805149 2.031767
- [27,] -1.237527 2.021295
- [28,] -3.304680 4.438301
- [29,] -2.350221 3.176262
- [30,] -3.952945 1.872615
- [31,] 1.872615 -3.952945
- [32,] 3.176262 -2.350221
- [33,] 4.438301 -3.304680
- [34,] 2.021295 -1.237527
- [35,] 2.031767 -2.805149
- [36,] 3.668796 -3.364407
- [37,] 2.562397 -3.122004
- [38,] 3.050421 -5.259724
- [39,] 2.769807 -3.521074
- [40,]2.776038 -5.235291
- [41,]3.011278 -2.624047
- [42,]1.856106 -2.091610
- [43,]3.730713 -4.756244
- [44,]2.019494 -4.956717
- [45,]2.131509 -3.755557
- [46,] 5.369405 -2.381712
- [47,] 2.827120 -3.272801
- 2.491835 -3.573822 [48,]
- [49,] 0.712291 -3.832732
- [50,] 1.808942 -2.464849
- [51,] 2.062552 -2.410940
- [52,] 1.260266 -3.127606
- [53,] 3.579289 -2.630009
- [54,] 4.045050 -2.591772
- [55,] 3.710640 -1.650940
- [56,] 4.503101 -3.963441

```
[57,] 2.936600 -4.409570
[58,] 3.871496 -3.238233
[59,] 3.736660 -2.660153
[60,] 3.189489 -2.683475
```

Make a plot of x

plot(x)



K-means

The main function in "base R" for K-means clustering is called kmeans():

```
km <- kmeans(x, centers=2)
km</pre>
```

K-means clustering with 2 clusters of sizes 30, 30

Cluster means:

2 -3.240975 2.907385

Clustering vector:

Within cluster sum of squares by cluster:

[1] 60.5436 60.5436

(between_SS / total_SS = 90.4 %)

Available components:

[1] "cluster" "centers" "totss" "withinss" "tot.withinss"

[6] "betweenss" "size" "iter" "ifault"

The kmeans() function return a "list" with 9 components. You can see the named components of any list with the attributes() function.

attributes(km)

\$names

[1] "cluster" "centers" "totss" "withinss" "tot.withinss"

[6] "betweenss" "size" "iter" "ifault"

\$class

[1] "kmeans"

Q. How many points are in each cluster?

km\$size

[1] 30 30

Q. Cluster assignment/membership vector?

km\$cluster

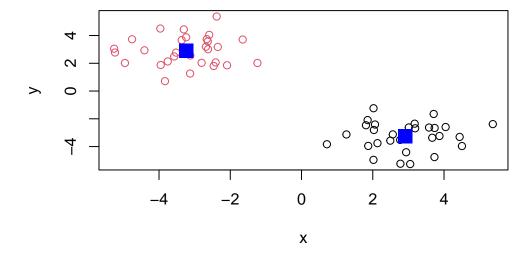
Q. Cluster centers?

km\$centers

```
x y
1 2.907385 -3.240975
2 -3.240975 2.907385
```

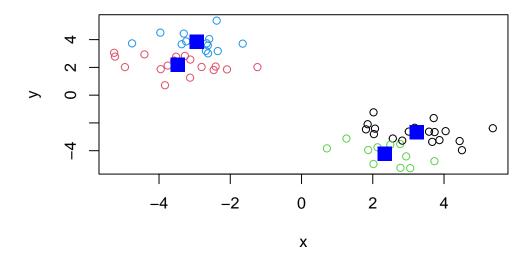
Q. Make a plot of our kmeans() results showing cluster assignment using different colors for each cluster/group of points and cluster centers.

```
plot(x, col=km$cluster)
points(km$centers,col="blue",pch=15,cex=2)
```



Q. Run kmeans() again on x and this cluster into 4 groups/clusters and plot the same result figure as above.

```
km_4 <- kmeans(x, centers=4)
plot(x, col=km_4$cluster)
points(km_4$centers,col="blue",pch=15,cex=2)</pre>
```



there doesn't exist 4 clusters, so kmeans just puts points to where it thinks it could be

key-point: K-means clustering is super popular but can be misused. One big limitation is that it can impose a clustering pattern on your data even if clear natural grouping doesn't exist - i.e. does what you tell it to do in terms of **centers**.

Hierarchical Clustering

The main function in "base" R for hierarchical clustering is called hclust()

You can't just pass our dataset as is into hclust() you must give "distance matrix" as input. We can get this from the dist() function in R.

```
d <- dist(x)
hc <-hclust(d)
hc</pre>
```

Call:
hclust(d = d)

Cluster method : complete

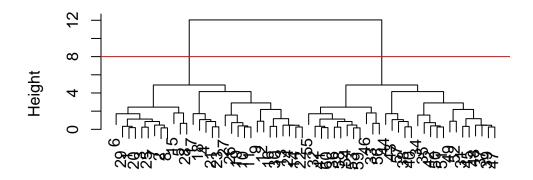
Distance : euclidean

Number of objects: 60

The results of hclust() doesn't have a useful print() method but do have a special plot() method.

```
plot(hc)
abline(h=8,col="red")
```

Cluster Dendrogram



d hclust (*, "complete")

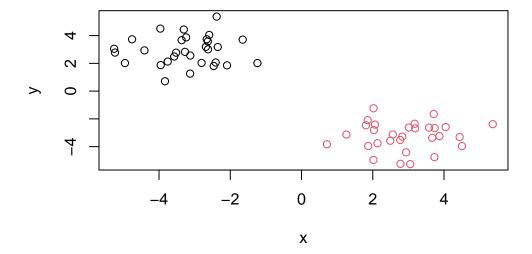
dendogram works to connect close matching regions in a hierarchical fashion, eventually c

To get our main cluster assignment (membership vector) we need to "cut" the tree at the big goal posts...

```
grps<-cutree(hc, h=8)
grps</pre>
```

table(grps)

plot(x,col=grps)



Hierarchical Clustering is distinct in that the dendrogram (tree figure) can reveal the potential grouping in your data (unlike K-means)

Principal Component Analysis (PCA)

PCA is a common and highly useful dimensionality reduction technique used in many fields - particularly bioinformatics.

Here we will analyze some data from the UK on food consumption.

Data import

```
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url)
head(x)</pre>
```

```
X England Wales Scotland N.Ireland
1
                    105
                          103
                                   103
         Cheese
                          227
2 Carcass_meat
                    245
                                   242
                                             267
3
    Other_meat
                    685 803
                                   750
                                             586
4
           Fish
                        160
                                   122
                                             93
                    147
5 Fats_and_oils
                    193
                          235
                                   184
                                             209
         Sugars
                    156
                          175
                                   147
                                             139
```

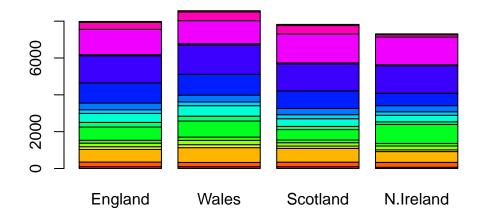
```
rownames(x)<-x[,1]
x <- x[,-1]
head(x)
```

	England	Wales	${\tt Scotland}$	N.Ireland
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

```
x <-read.csv(url,row.names=1)
head(x)</pre>
```

	England	Wales	${\tt Scotland}$	N.Ireland
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

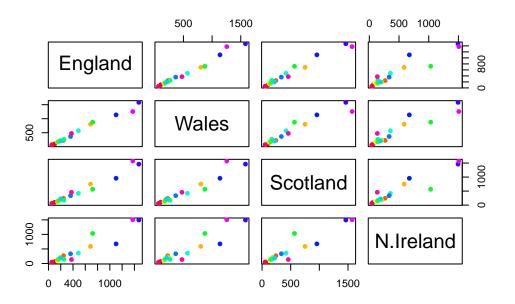
barplot(as.matrix(x),beside=F,col=rainbow(nrow(x)))



barplot just shows the distribution of each row

One conventional plot that can be useful is called a "paris" plot (plot of all pairwise combinations against each other).

```
pairs(x, col=rainbow(nrow(x)),pch=16)
```



paris plot compares the countries to each other

PCA to the rescue

The main function in base R for PCA is called prcomp()

```
pca <- prcomp(t(x))
summary(pca)</pre>
```

Importance of components:

```
        PC1
        PC2
        PC3
        PC4

        Standard deviation
        324.1502
        212.7478
        73.87622
        3.176e-14

        Proportion of Variance
        0.6744
        0.2905
        0.03503
        0.000e+00

        Cumulative Proportion
        0.6744
        0.9650
        1.00000
        1.000e+00
```

The prcomp() function returns a list object of our results with five attributes/components.

```
attributes(pca)
```

```
$names
[1] "sdev" "rotation" "center" "scale" "x"
$class
[1] "prcomp"
```

Interpreting PCA results

The two main "results" in here are pca\$x and pca\$rotation. The first of these (pca\$x) contains the scores of the data on the new PC axis – we use these to make our "PCA plot".

```
pca$x
```

```
        PC1
        PC2
        PC3
        PC4

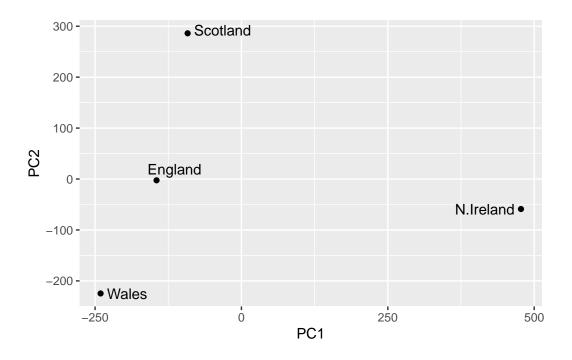
        England
        -144.99315
        -2.532999
        105.768945
        -4.894696e-14

        Wales
        -240.52915
        -224.646925
        -56.475555
        5.700024e-13

        Scotland
        -91.86934
        286.081786
        -44.415495
        -7.460785e-13

        N.Ireland
        477.39164
        -58.901862
        -4.877895
        2.321303e-13
```

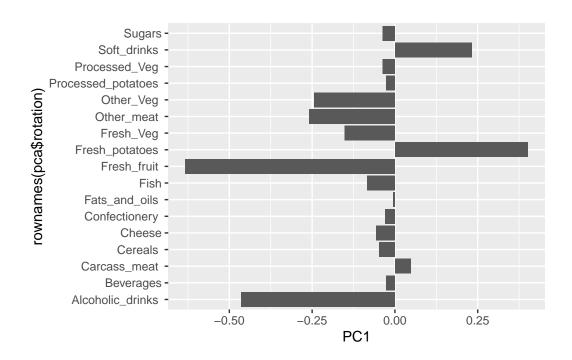
```
library(ggplot2)
library (ggrepel)
# Make a plot of pca$x with PC1 vs PC2
ggplot(pca$x) +
  aes(PC1, PC2, label=rownames(pca$x)) +
  geom_point()+
  geom_text_repel()
```



main plot

The second major result is contained in the pca\$rotation object or component. Let's plot this to see what PCA is picking up...

```
ggplot(pca$rotation)+
  aes(PC1,rownames(pca$rotation))+
  geom_col()
```



##how original variables contribute to PCA