$$f(x) = \frac{2}{x} + \ln(x).$$

- **a**. What is the function's domain?
- **b**. Does this function have any symmetry?
- **c**. Find a few choice values of *x* to evaluate the function at.
- **d**. What behaviour occurs for this function at  $\pm \infty$ ?
- **e**. Does the function have any vertical asymptotes? Where?
- **f**. Find intervals where f is increasing/decreasing and identify critical points.

- **g**. Classify each critical point as a local min/max/neither.
- **h**. Find intervals where f is concave up/concave down and identify points of inflection

 ${f i}.$  Sketch the graph of the function

$$f(x) = x\sqrt{4 - x^2}.$$

- **a**. What is the function's domain?
- **b**. Does this function have any symmetry?
- **c**. Find a few choice values of *x* to evaluate the function at.
- **d**. What behaviour occurs for this function at  $\pm \infty$ ?
- **e**. Does the function have any vertical asymptotes? Where?
- $\mathbf{f}$ . Find intervals where f is increasing/decreasing and identify critical points.

- **g**. Classify each critical point as a local min/max/neither.
- **h**. Find intervals where f is concave up/concave down and identify points of inflection

 ${f i}$ . Sketch the graph of the function

$$f(x) = \frac{x}{\sqrt{9 + x^2}}.$$

- **a**. What is the function's domain?
- **b**. Does this function have any symmetry?
- **c**. Find a few choice values of *x* to evaluate the function at.
- **d**. What behaviour occurs for this function at  $\pm \infty$ ?
- **e**. Does the function have any vertical asymptotes? Where?
- $\mathbf{f}$ . Find intervals where f is increasing/decreasing and identify critical points.

- **g**. Classify each critical point as a local min/max/neither.
- $\mathbf{h}$ . Find intervals where f is concave up/concave down and identify points of inflection

 ${f i}$ . Sketch the graph of the function

$$f(x) = xe^{-1/x}.$$

**a.** What is the function's domain?

**b**. Does this function have any symmetry?

**c**. Find a few choice values of *x* to evaluate the function at.

**d**. What behaviour occurs for this function at  $\pm \infty$ ?

**e**. Does the function have any vertical asymptotes? Where?

 $\mathbf{f}$ . Find intervals where f is increasing/decreasing and identify critical points.

- **g**. Classify each critical point as a local min/max/neither.
- **h**. Find intervals where f is concave up/concave down and identify points of inflection

i. Sketch the graph of the function