Multiple Linear Regression Testing On Fish Weight

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Background / Data Source

- Research Question: predictive MLR model to study how length measurements affect fish weight
- My Kaggle, 7 species in fish market sales, 159 x 7
- Fish weight explains fishery health and proper management

Variables

Species: (categorical) bream, parkki, perch, pike, roach, smelt, whitefish

Response



Removed 0-weight fish in row 41

Explanatory



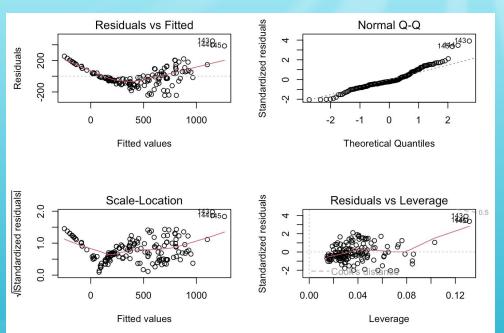


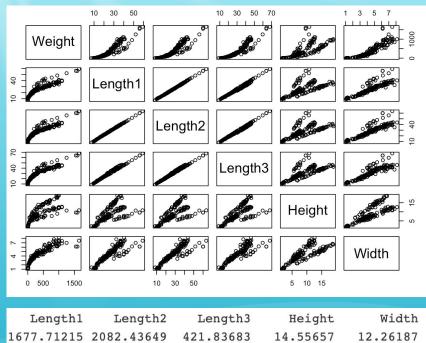
🀠 Length3: Cross (cm)

🐠 Height: (cm)

Width: Diagonal (cm)

Linear Regression





Weight(hat) = -496.802 + 63.969Length1 - 9.109Length2 - 28.119Length3 + 27.926Height + 23.412Width

Power Transformation, Variable Selection

- **M** Multiple $R^2 = 0.9947$; Adjusted $R^2 = 0.9945$
 - 3 All possible subsets remove Length1
 - 7 Partial F-test for stepwise remove Length3

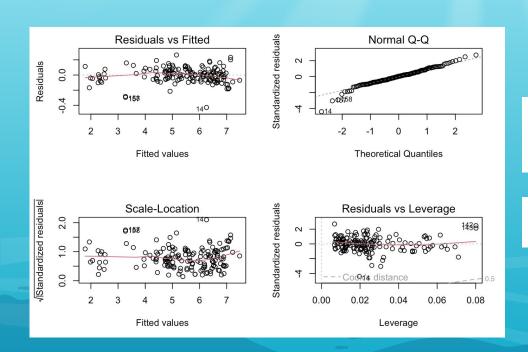
Models with these variables were selected for each method; note that logs have been taken for each variable:

- Forward stepwise AIC: Length2, Length3, Height, Width
- Forward stepwise BIC: Length2, Length3, Height, Width
- Backward stepwise AIC: Length2, Height, Width
- Backward stepwise BIC: Length2, Height, Width

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\label{eq:weight} \begin{split} \log(\texttt{Weight}) &= -1.942 \, + \, 0.401 log(\texttt{Length1}) \, + \, 1.596 log(\texttt{Length2}) \, - \, 0.513 log(\texttt{Length3}) \\ &+ \, 0.68 log(\texttt{Height}) \, + \, 0.845 log(\texttt{Width}) \end{split}
```

Final Model

log(Weight) = -2.01 + 1.498log(Length2) + 0.612log(Height) + 0.902log(Width)



tLength2 tHeight tWidth 7.666024 5.507957 14.023230

Multiple $R^2 = 0.9946$; Adjusted $R^2 = 0.9945$

Conclusion

- Studies support log transformation to predict fish weight based on length measurements
- Limitations: Lack data on certain fish species, ignored Species column
- Future Improvements: fit individual models for each species with different predictors