

Table of Notation

<i>Notation</i>	<i>Meaning</i>
a, A	Action
A	Set of actions
c	Constraint
C, \mathcal{C}	Set of constraints
$\delta(u, m, \sigma)$	Task network produced from u by decomposing it with the method m under the substitution σ
$\delta(w, u, m, \sigma)$	Task network produced from w by decomposing u with the method m under the substitution σ
$\text{effects}(o)$	Effects of an operator or action
$\text{effects}^+(o)$	Positive effects of an operator or action
$\text{effects}^-(o)$	Negative effects of an operator or action
\mathcal{F}	Set of <i>tqes</i> (temporally qualified expressions) or temporal constraints
g	Goal formula
g^+, g^-	Sets of positive and negative literals in g
$\gamma(s, a)$	Progression, i.e., the state or set of states produced by applying a to s
$\gamma^{-1}(s, a)$	Regression
$\Gamma(s)$	Set of all immediate successors of s
$\hat{\Gamma}(s)$	Transitive closure of $\Gamma(s)$
$\Gamma^{-1}(g)$	Set of all states whose immediate successors satisfy g
$\hat{\Gamma}^{-1}(g)$	Transitive closure of $\Gamma^{-1}(g)$
h	Heuristic function, history
m, M	HTN method, set of methods
$\text{name}(o)$	Name of an operator or action
$\text{network}(m)$	Network of subtasks of a method m
o, O	Operator, set of operators
$P = (O, s_0, g)$	Statement of a classical planning problem
$P_a(s' s)$	Probability of s' if a is executed in s
\mathcal{P}	Planning problem
$\mathcal{P} = (\Sigma, s_0, S_g)$	Set-theoretic or classical planning problem
$\Phi = (\mathcal{F}, \mathcal{C})$	Chronicle or temporal database
π, Π	Plan, set of plans

(continued)

<i>Notation</i>	<i>Meaning</i>
$\text{precond}(o)$	Preconditions of an operator or action
$\text{precond}^+(o)$	Positive preconditions of an operator or action
$\text{precond}^-(o)$	Negative preconditions of an operator or action
s, S	State, set of states
s_0, S_0	Initial state, set of initial states
S_g	Set of goal states
σ	Substitution
$\Sigma = (S, A, \gamma)$	State-transition system, set-theoretic planning domain, or classical planning domain
$\text{subtasks}(m)$	Subtasks of a method m
t_u	Task associated with a task node u
τ	Decomposition tree
$\theta(e/\mathcal{F})$	Set of enabling conditions
u	Task node
w	Task network
$.$	Concatenation, e.g., $e.E$ or $E.e$ or $E.E'$, where e is an expression and E, E' are sequences
\bullet	Composition of two relations, e.g., $r_1 \bullet r_2$
(a_1, a_2, \dots, a_k)	k -tuple (where k is fixed)
$\langle a_1, a_2, \dots, a_n \rangle$	Sequence (where n may vary)