

DroMOOC

Sensor fusion and state estimation

Basic Level

Motivations for sensor fusion

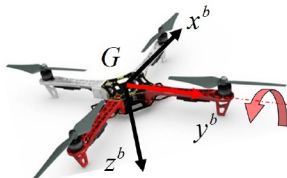
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Motivations for sensor fusion

- Basics on sensors and measurements
- Example of quadrotor pitch angle estimation
 - ▶ from measurements by a single sensor
 - ▶ from combination of measurements by several sensors

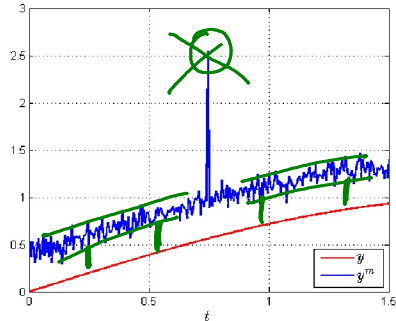


Sensors and measurements

- Simple sensor model:

$$\underline{y^m(k)} = \underline{s.y(k)} + \underline{n(k)} + \underline{b}$$

- ▶ k : discrete-time index such that $t = k.T_s$ with sampling period T_s
- ▶ s : scale factor
- ▶ $n(k)$: measurement noise
- ▶ b : bias



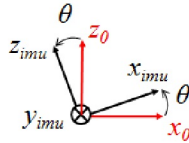
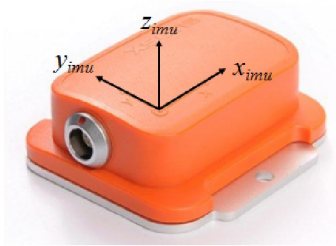
Sensor fusion

Improve estimation process by combining measurements from different (types of) sensors

- compensate for drawbacks of some sensors by advantages of some others
 - ▶ noise/bias
 - ▶ accuracy/frequency
- improve robustness
 - ▶ wrt loss of sensors
 - ▶ wrt perturbations (environment)

A simple example

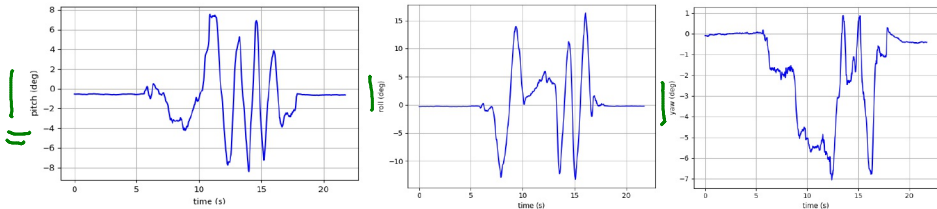
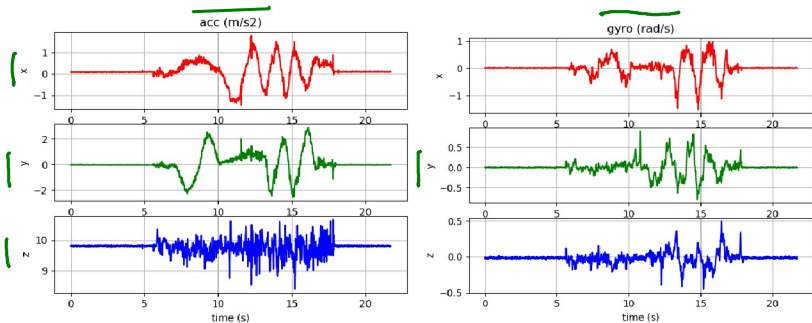
- Estimation of quadrotor pitch angle from IMU measurements (3 axis accelerometer and rate gyro)



- Assumptions: (quasi-stationary flight)
 - ▶ Small angles and low accelerations
 - ▶ Accelerometer can be used as inclinometer

A simple example

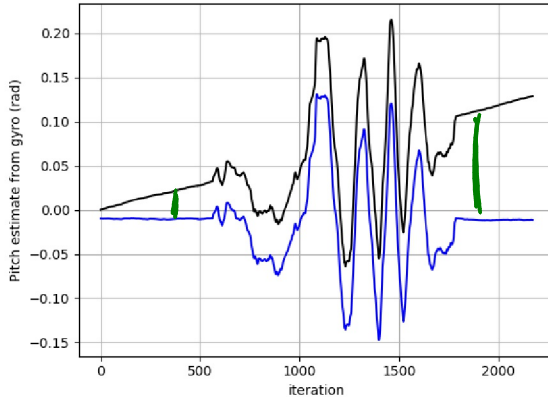
- Measurements and reference



A simple example (cont'd)

- Estimation of quadrotor pitch angle from rate gyro measurements only

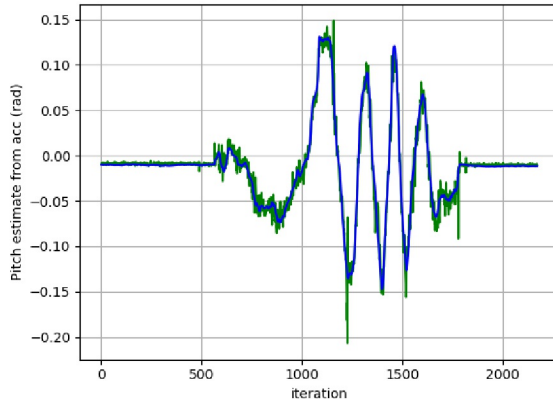
$$\frac{d}{dt} \theta_{Gyr}^m(t) = \underline{GYR_y^m(t)} = \Delta \cdot \underline{\omega_y(t)} + \underline{m(t)} + \underline{b}$$



A simple example (cont'd)

- Estimation of quadrotor pitch angle from accelerometer measurements only

$$\theta_{Acc}^m = \arctan \left(\frac{-ACC_x^m}{\sqrt{(ACC_y^m)^2 + (ACC_z^m)^2}} \right)$$



A simple example (cont'd)

- Estimation of quadrotor pitch angle by fusing measurements from rate gyro and accelerometer (using a Kalman Filter)
- Bias of rate-gyro is simultaneously estimated

