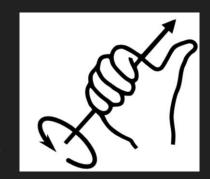
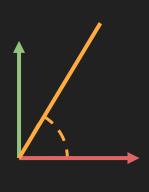
Fundamentals of Computer Graphics and Image Processing

Computer Graphics - Exercise #02

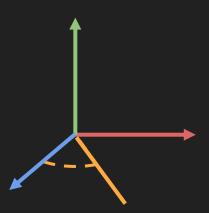
Right-handed coordinate system



All rotational transformations are performed using right-hand rule



2D rotation (around Z axis)



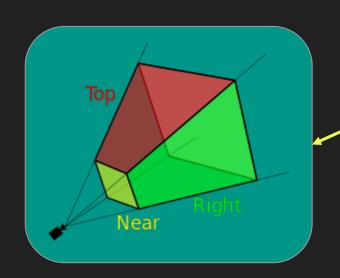
3D rotation around Y axis

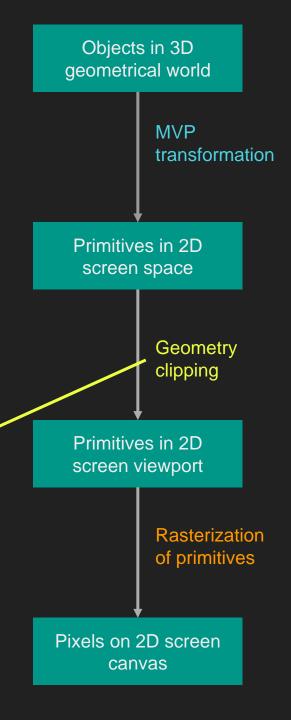
Rendering Pipeline

Process of getting 3D models to screen pixels

Each step takes processing power (data filtering)

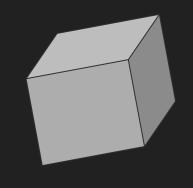
At each step, there can be additional actions performed

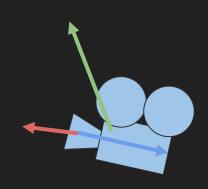




Projection

How are primitives from camera coordinate system transformed to screen?





Local Coordinates

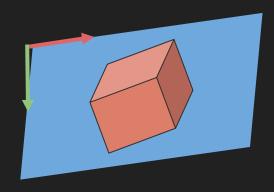
Model Matrix Global Coordinates View Matrix Camera Coordinates Projection Matrix

Screen Coordinates

Projection

How are primitives from camera coordinate system transformed to screen?

3D geometry space is transformed to 2D screen space.



Local Coordinates Model Global Coordinates View Matrix Coordinates Projection Screen Coordinates Coordinates

Projection

Perspective

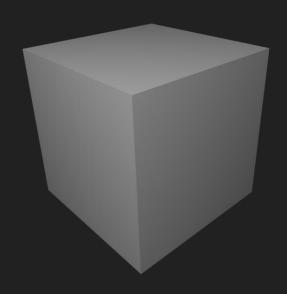
Distant objects appear smaller. Eye-like projection, looks natural for human observers.

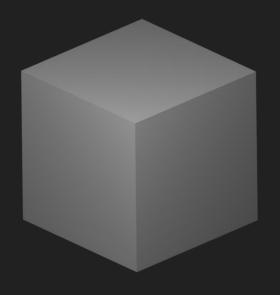
Orthographic

Parallel lines stay parallel, distant objects keep their size. Good for examining geometry.

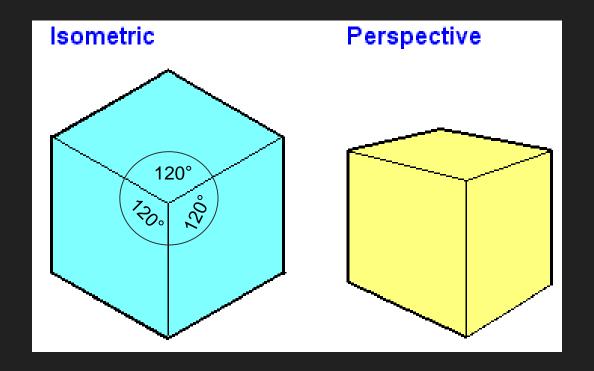
Isometric

Special case of orthographic projection, where world axes X,Y,Z hold 120° in screen space.





Isometric Projection



Orthographic Projection

Geometry primitive in camera coordinate system = Z-axis vector and view direction are collinear

Ignoring Z coordinate performs an orthographic projection

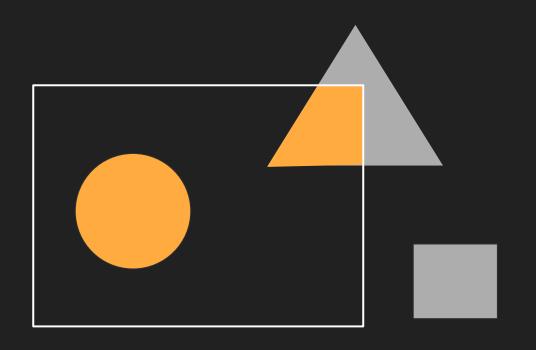
Then, we map the coordinates onto range (-1,1) => Normalized screen space

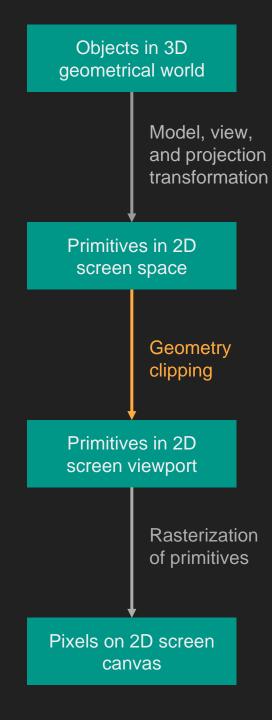
1	0	0	0	
0	1	0	0	
0	0	0	0	
0	0	0	1	
	0	0 1 0 0	0 1 0 0 0 0	0 1 0 0 0 0 0 0

Orthographic projection matrix

Clipping

Determines parts of geometry which are truly visible, therefore should be rendered





Cohen-Sutherland Line Clipping Algorithm

Works only with rectangular clip regions (viewports)

1) Create binary code for both ending points of a line (b1, b2) using comparison to 4 sides of clip region $(x_{min}, y_{min}, x_{max}, y_{max})$

$$y > y_{max} \mid y < y_{min} \mid x > x_{max} \mid x < x_{min}$$

2) Compare both codes using binary operations

 Get a point which binary code is not equal to 0 and correct it by finding intersection with clip region sides.

Take a new/corrected point and continue from point 1