

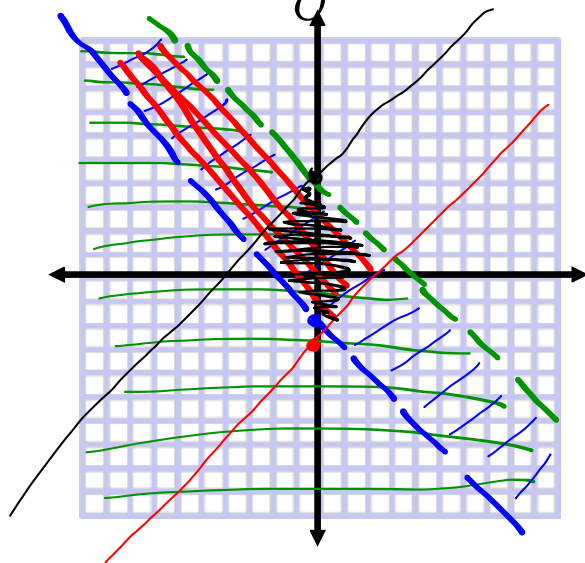
## Homework Review - 7.6

$$x + y < 4 \rightarrow y < -x + 4$$

$$x + y > -2 \rightarrow y > -x - 2$$

$$x - y \leq 3 \rightarrow -y \leq -x + 3 \rightarrow y \geq x - 3$$

$$x - y \geq -4 \rightarrow -y \geq -x - 4 \rightarrow y \leq x + 4$$



## Chapter 7 Test Review

- 7.1: Solve linear systems - graphing
- 7.2: Solve linear systems - substitution
- 7.3 & 7.4: Solve lin. sys. - elimination (addition/  
subtraction)
- 7.5: "Special types" / Categories  
(one, no, many solution)
- 7.6: Systems of linear inequalities

**Umbrella Sales** The table shows the number of automatic and manual opening umbrellas sold at a shop in 2000 and 2005. Use a linear model to represent the sales of each type of umbrella. Let  $t = 0$  correspond to 2000. Sketch the graphs and estimate when the number of automatic umbrellas sold equaled the number of manual umbrellas sold.

Year	2000	2005
<u>Automatic</u>	15	25
<u>Manual</u>	25	15

SOLVE THE  
LINEAR SYSTEM  
BY GRAPHING

(#, years)

(20, 2.5)

2002  
2002-3

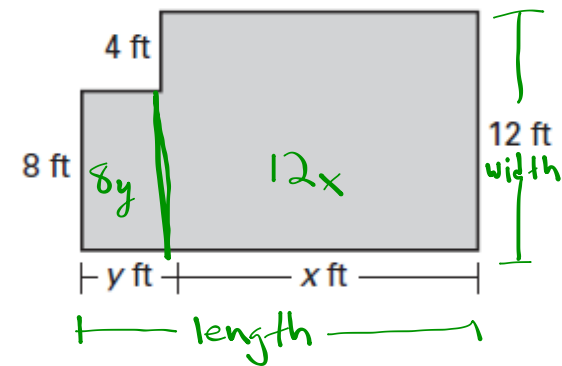


**Room Dimensions** The area of the room shown is 224 square feet. The perimeter of the room is 64 feet. Find  $x$  and  $y$ . (Use the substitution method)

$$a = l \times w$$

$$224 = 8y + 12x$$

$$(x, y)$$



$$64 = x + y + 12 + x + 4 + y + 8$$

$$64 = 2x + 2y + 24$$

$$56 = 2y + 3x$$

$$20 = x + y$$

$$x = -y + 20$$

$$56 = 2y + 3(-y + 20)$$

$$56 = 2y + -3y + 60$$

$$-4 = -y$$

$$y = 4$$

$$20 = x + 4$$

$$x = 16$$

$$(16, 4)$$

**Car Rental** A car rental company charges a daily rental fee plus a per mile fee over 150 miles. Two different people rent the same style of car for the same number of days. The total bill for one person's rental is \$207.50 for a 5-day rental and 180 miles. The total bill for the other person's rental is \$212.50 for a 5-day rental and 200 miles. (Use addition/subtraction)

- a. Write a linear system that you can use to find the daily rental fee and the per mile fee over 150 miles. *Explain* how you got your linear system.
- b. What is the daily rental fee? What is the fee per mile over 150 miles?

**Lift Tickets** Two families go skiing on a Saturday. One family purchases two adult lift tickets and four youth lift tickets for \$166. Another family purchases four adult lift tickets and five youth lift tickets for \$263. Let  $x$  represent the cost in dollars of one adult lift ticket and let  $y$  represent the cost in dollars of one youth lift ticket.

- Write a linear system that represents this situation. ✓
- Solve the linear system to find the cost of one adult and one youth lift ticket.
- How much would it cost two adults and five youths to ski for a day?

(Use addition/subtraction)

$$\begin{array}{r} (2x + 4y = 166) \times 2 \\ 4x + 5y = 263 \\ + (-4x + 8y = -332) \end{array}$$

$$\begin{array}{r} 2x + 8y = 332 \\ 4x + 5y = 263 \\ \hline 2x + 8y = 332 \\ -4x - 5y = -263 \\ \hline 12y = 69 \end{array}$$

$$\begin{array}{r} -3y = -69 \\ \hline -3 \quad -3 \\ y = 23 \end{array} \quad (37, 23)$$

(adult, youth)

$$2x + 4(23) = 166$$

$$2x + 92 = 166$$

$$\begin{array}{r} 2x + 92 = 166 \\ -92 \quad -92 \\ \hline 2x = 74 \\ \hline x = 37 \end{array}$$

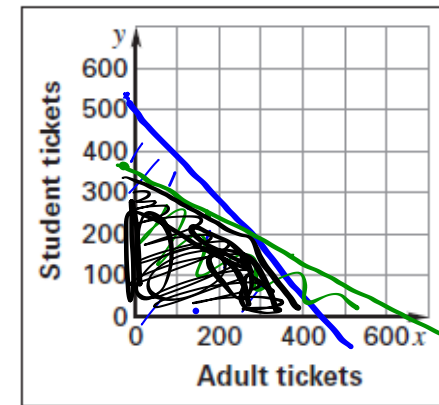
**Restaurant Sales** The table below shows the number of each of the specials that has been sold on a Friday night and a Saturday night.

Day	Number of vegetarian specials	Number of chicken specials	Total sales (dollars)
Friday	28	44	964.40
Saturday	21	33	723.30

- Let  $x$  represent the cost (in dollars) of the vegetarian special and let  $y$  represent the cost (in dollars) of the chicken special. Write a linear system that models the situation.
- Solve the linear system.
- Can you determine how much each kind of special costs? Why or why not?

**School Play** The tickets for a school play cost \$8 for adults and \$5 for students. The auditorium in which the play is being held can hold at most 525 people. The organizers of the school play must make at least \$3000 to cover the costs of the set construction, costumes, and programs.

- Write a system of linear inequalities for the number of each type of ticket sold.
- Graph the system of inequalities.
- If the organizers sell out and sell twice as many student tickets as adult tickets, can they reach their goal? *Explain* how you got your answer.



$$\begin{aligned}
 x + y &= \text{total \#} \\
 8x + 5y &= \text{total \$}
 \end{aligned}$$

$$\begin{aligned}
 y &= -x + 525 \\
 y &= -\frac{8}{5}x + 375
 \end{aligned}$$

$$\begin{array}{r}
 375 \\
 \$ \overline{) 3000} \\
 \underline{24} \phantom{00} \\
 60 \phantom{00} \\
 \underline{52} \phantom{00} \\
 40
 \end{array}$$

$$\begin{aligned}
 x + y &\leq 525 \\
 8x + 5y &\geq 3000
 \end{aligned}$$



# Homework:

## Study for test!

(Suggested: do at least three problems from each relevant section of the chapter review on pages 475-478)

