

Functions:

An equation — x, y
Function notation — $x, f(x)$

Two variables

$$y = 21x + 4$$

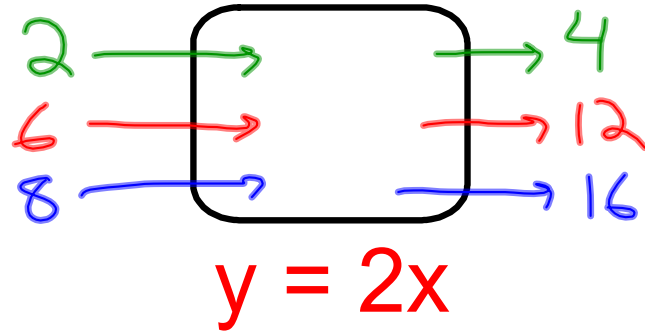
Equation form

$$f(x) = 21x + 4$$

If you give a function an
"x" value, it will always
give you the same "y"

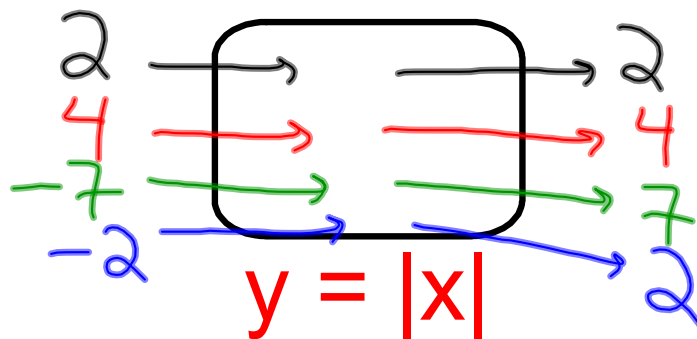
What makes an
equation a function?

Functions are mathematical machines:

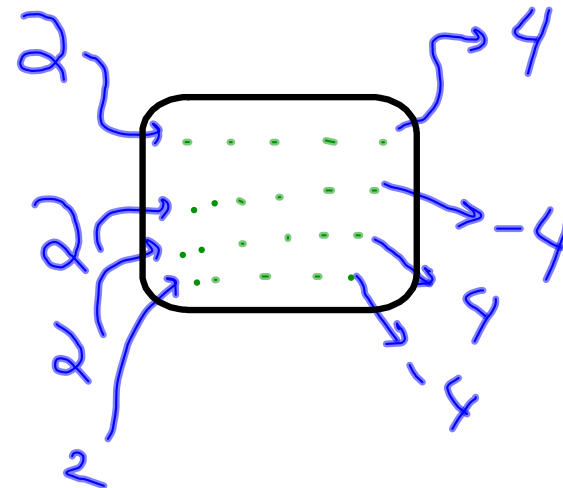


input
(x)

output
(y)



Is this a function?



a function has an input of 7
and an output of 12.

give me an example of
a function that would do this

$$y = x + 5$$
$$f(x) = x + 5$$

$$f(x) = 2x - 2$$

$$f(x) = 3x - 9$$

$$f(x) = 12$$

Some functions have a limited # of x values (inputs) that will work.

The list of possible x-values is called the "domain".

$$y = x + 2 \quad (1, 5, 10, 20, 50, 100) \text{ Restricted by definition}$$

$$y = \frac{7}{x} \quad (x \neq 0) \quad \text{Restricted by function}$$

$$y = x + 1 \quad \text{No restriction}$$

The possible output values of a function are called the range.

$$y = |x| \text{ range: ?}$$

x domain	y range
1	1
2	2
0	0
-2	2
-15	15

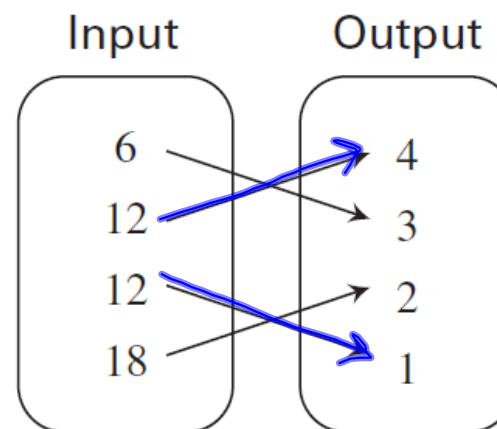
We can show functions as a table

range: $y \geq 0$

Input	Output
1	15
3	20
5	15
7	20

Function!

Not a Function



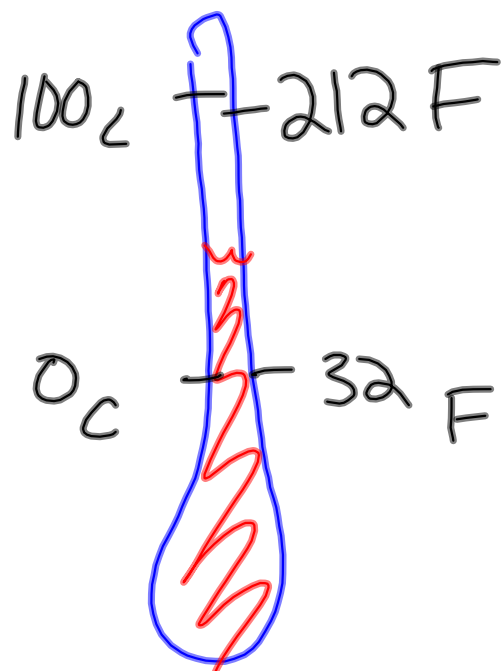
Shoe Sizes The table shows men's shoe sizes in the United States and Australia. Write a rule for the Australian size as a function of the United States' size.

U.S. size	5	6	7	8	9	10
Australian size	3	4	5	6	7	8

$$\text{U.S. size} = x$$

$$\text{Aus. size} = f(x)$$

$$f(x) = x - 2$$



$$F = \frac{9}{5}C + 32$$

$F - 32$	C
$32 - 32$	0
$212 - 32$ 180	100

$$\frac{180}{100} = \frac{9}{5}$$

$$F = \frac{9}{5}C + 32$$

$$-32 \quad -32$$

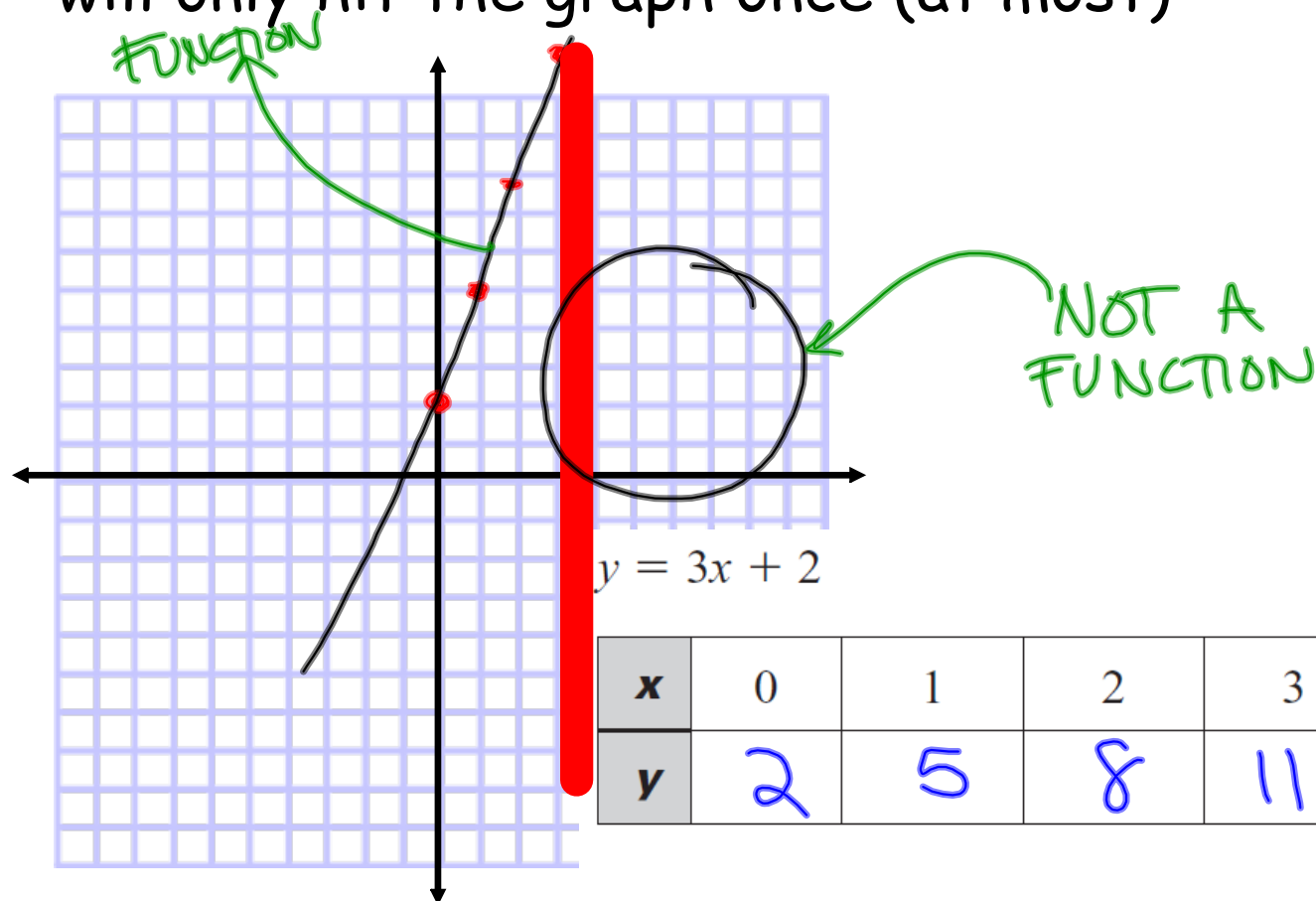
$$\frac{5}{9} \cdot F - 32 = \frac{9}{5}C \cdot \frac{5}{9}$$

$$\frac{5}{9}(F - 32) = C$$

$$C \rightarrow F$$

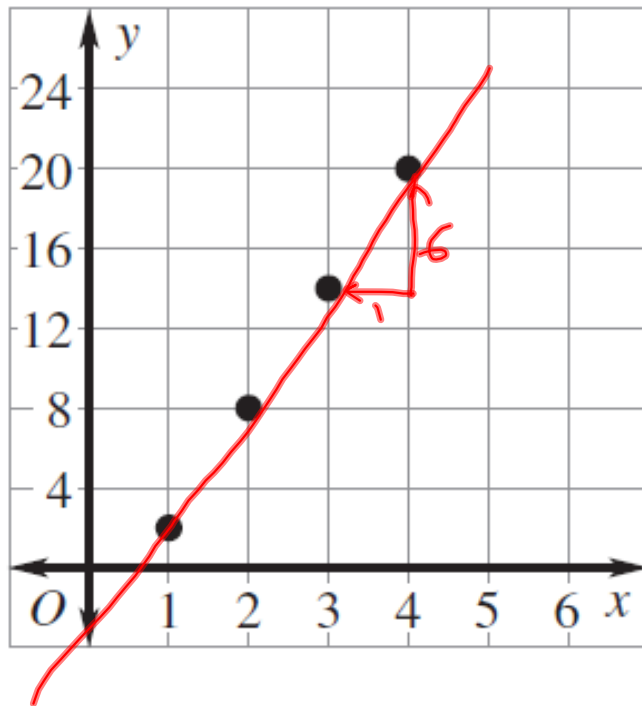
$$+32, \times \frac{9}{5}$$

true functions can be graphed on
an x-y axis - any vertical line
will only hit the graph once (at most)



$$y = \underline{6}x - \underline{4}$$

What's the rule?



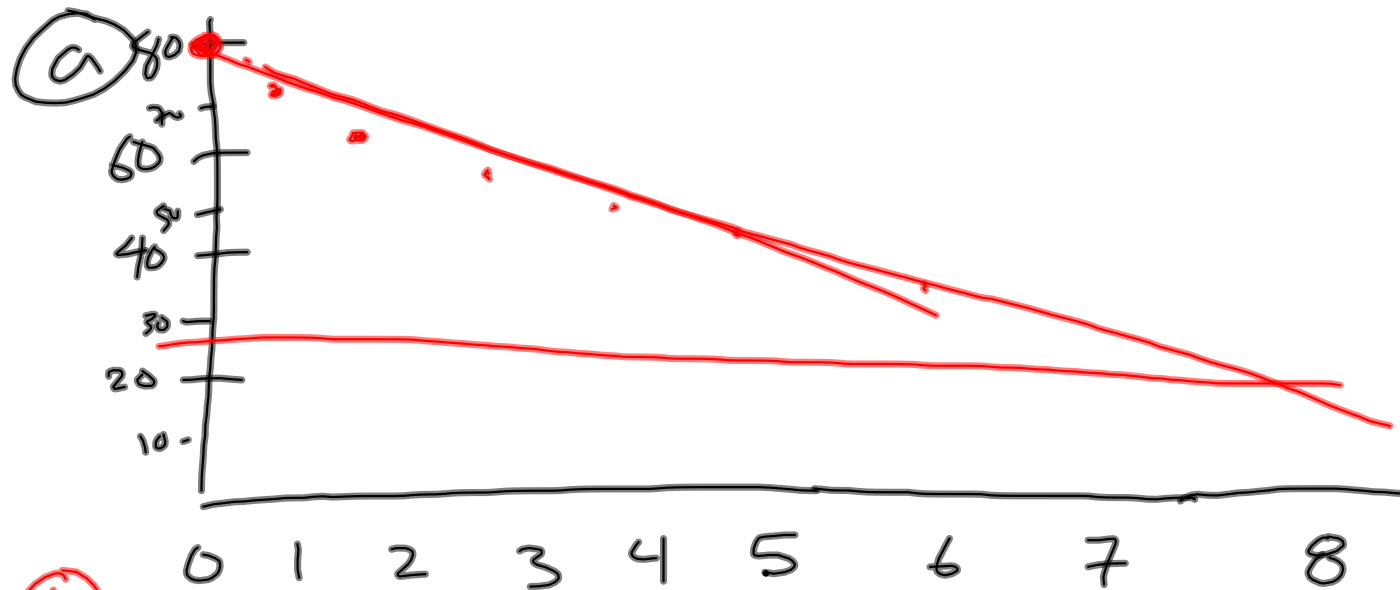
$$y = 6x$$

x	y
1	2
2	8
3	14
4	20

Metal Screws The table shows the number of threads per inch on a screw as a function of screw size.

Screw size number, x	0	1	2	3	4	5	6
Number of threads per inch, y	80	72	64	56	48	44	40

- Graph the function.
- Describe how the number of threads per inch changes as the screw size increases.
- Would it be reasonable to expect a #8 screw to have 32 threads per inch? *Explain.*



(b) As screw size goes up by 1, the thread count drops by 4 or 8

Homework:

p. 38 4-18 (even), 24

p. 46 2-8 (even), 16, 19