

# ECON 165, Review Section # 7

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# Plan for Today

- Cole Kehoe
- Practice

# Model Comparisons

**Eaton Gersovitz:**

**Cole Kehoe:**

# Model Comparisons

## Eaton Gersovitz:

- Government defaults on  $B_0$  at the end of period  $t = 1$  and on  $B_1$  at the end of period  $t = 2$
- $Y_1$  and  $Y_2(s)$  are the tax revenues.

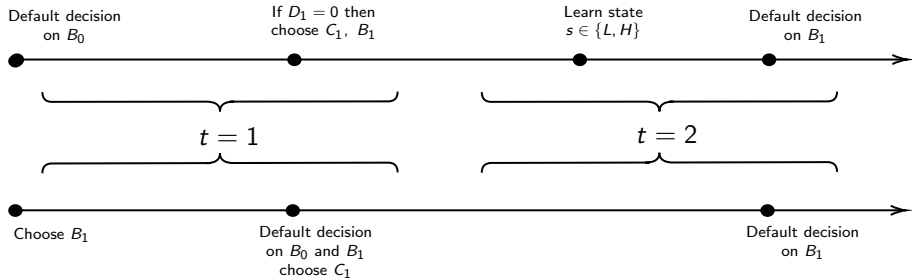
## Cole Kehoe:

- Government defaults on  $B_0$  and  $B_1$  at the period  $t = 1$  and again on  $B_1$  at the end of period  $t = 2$ .
- $Y_1 = Y_2(s) = Y$ .

# Model Comparisons

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## Cole-Kehoe: Solution pg. 1

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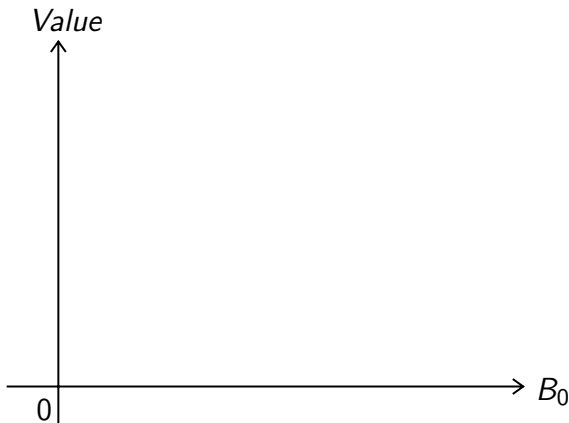
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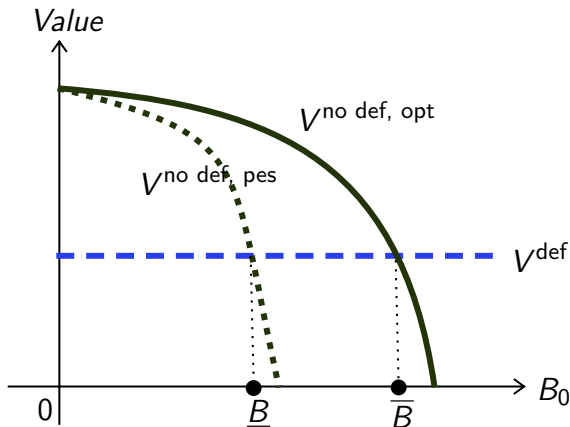
## Cole-Kehoe: Solution pg. 2

- $V^{\text{def}}$ : utility when defaults at  $t = 1$
- $V^{\text{no def} - \text{opt}}$ : utility when no default at  $t = 1$  and access to  $B_1$
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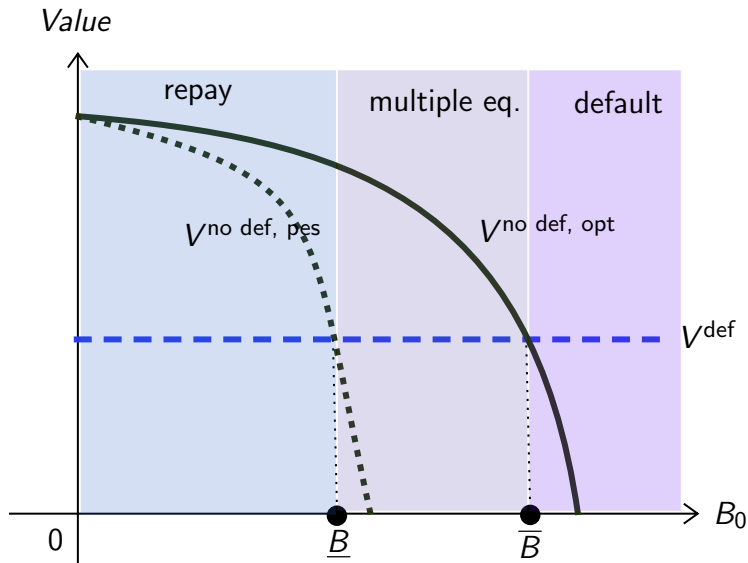


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# Cole-Kehoe: Equilibria

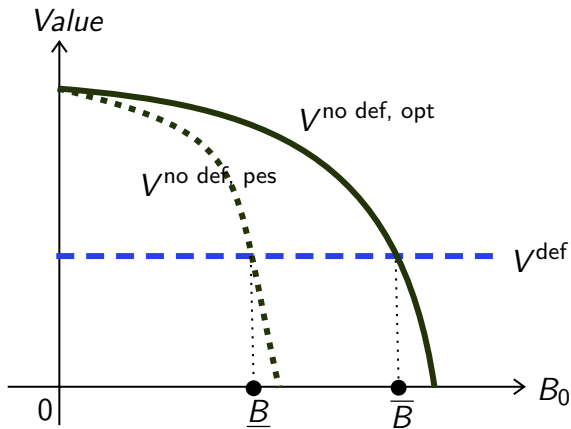


## Cole-Kehoe: Multiple Equilibria, pg. 1

- if  $B_0 < \underline{B}$ : no crisis zone
  - if  $B_0 > \overline{B}$ : default zone
  - if  $B_0 \in [\underline{B}, \overline{B}]$ : crisis zone
  - What determines which equilibrium prevails in the middle region?
- the lender's beliefs will determine the equilibrium:
- if lenders are pessimistic about repayment then govt. defaults (because it has no access to financial markets)
  - if lenders are optimistic about repayment then govt. repays (because it has access to financial markets)

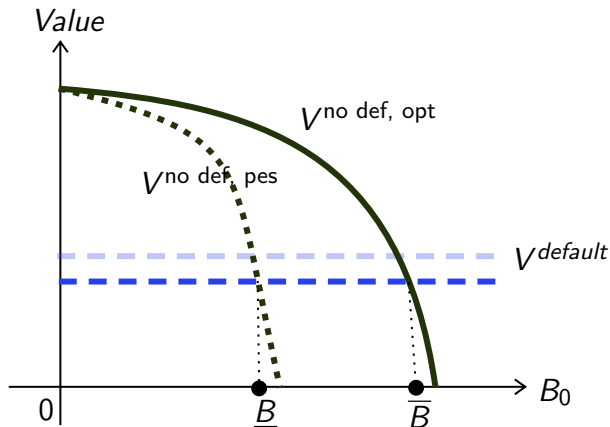
# Cole-Kehoe: Comparative Statics

- What if  $\tau$  increases? What if  $r^*$  increases?



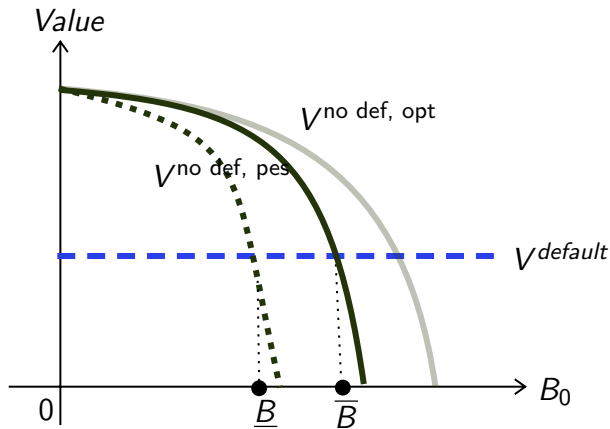
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# Cole-Kehoe: Comparative Statics

- What if  $\beta$  increases? What if  $r^*$  increases?



## Practice: Lifeline

A country has  $B_0 = 0$  and utility  $\ln(G_1) + \beta \ln(G_2)$ . Endowments are  $Y_1$  and  $Y_2(s)$  with prob.  $\pi_s$  for  $s \in \{L, H\}$ . If the government defaults it suffers a revenue cost  $\tau$  but the IMF intervenes and gives it a lifeline  $Y_{\text{free}}$ . What is the pricing schedule for  $q(B_1)$  and how does it depend on  $Y_{\text{free}}$ ?



# Speed Round

- Removing exclusion from financial markets increases the pricing schedule  $q(B)$ .
- Conditional on all else, according to the Eaton-Gersovitz model, a history of defaults will affect your chances of default tomorrow.
- Defaults are correlated across countries.