



Topical Meeting

Machine Learning

Overview:

Simulating Stochastic Processes with Quantum Devices

Part I

May 11th, 2022

Daniel Fink



About Me



- B.Sc. + M.Sc. Simulation Technology
- Since high school interested in *Machine Learning*
- Since university interested in Quantum Computing
- Ph.D. → Quantum Machine Learning



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- Since high school interested in *Machine Learning*
- Since university interested in Quantum Computing
- Ph.D. → Quantum Machine Learning
- My focus: holism and real-world scenarios
- Application: simulation of stochastic processes



Agenda



- Today:
 - Simulation of stochastic processes
 - Why quantum computing is relevant here



Agenda



- Today:
 - Simulation of stochastic processes
 - Why quantum computing is relevant here
- Next time:
 - What is the connection to machine learning?

Simulating Stochastic Processes



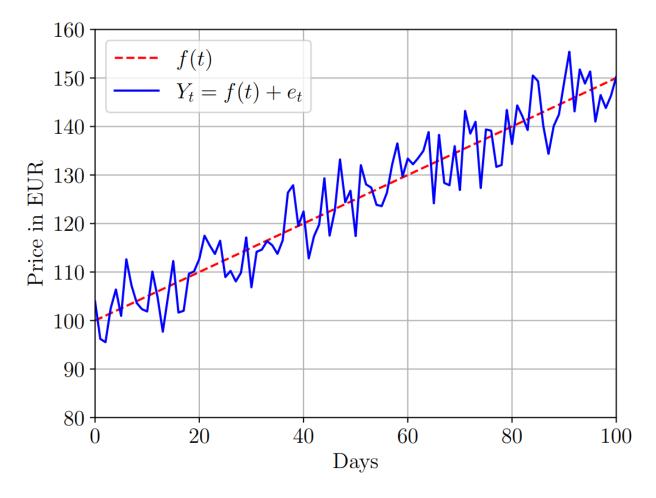


Assume linear trend f(t)

Add some noise e_t

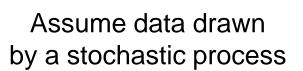
 $\rightarrow e_t$ is a stochastic process

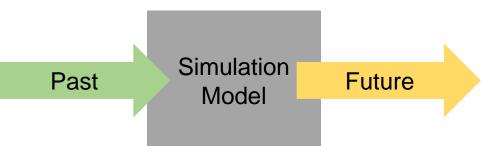
Stock Price Trend



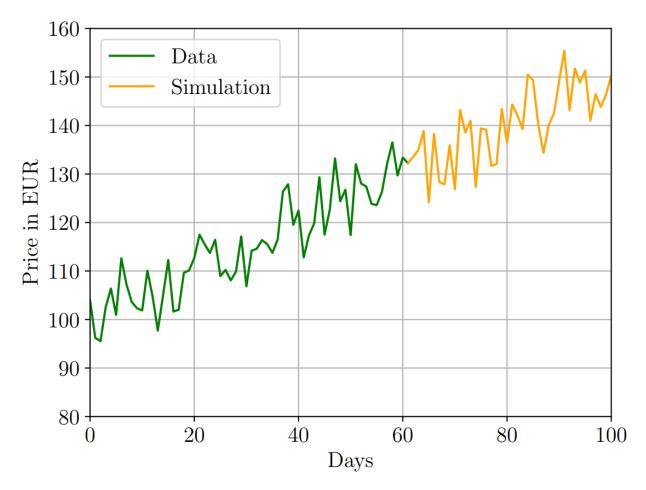








Stock Price Trend







An easy example: flipping a coin



0

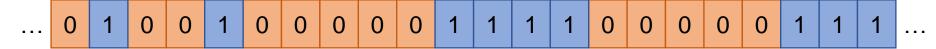


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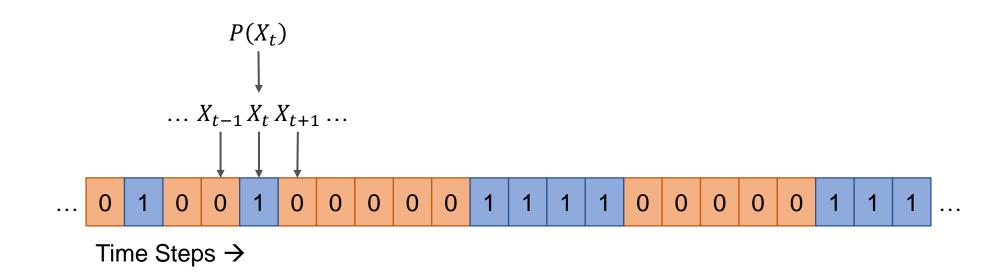




Time Steps →

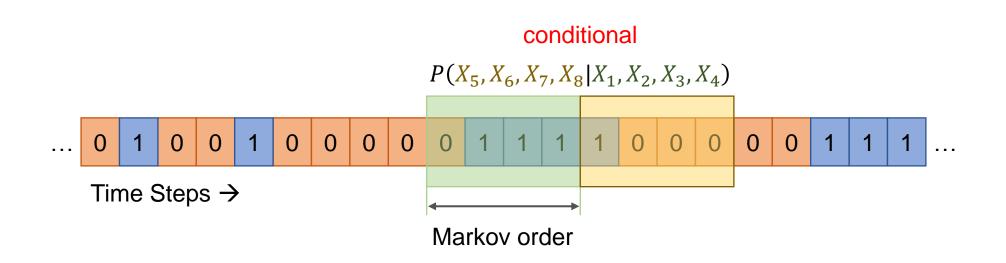








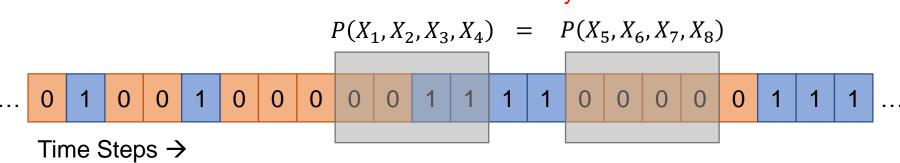






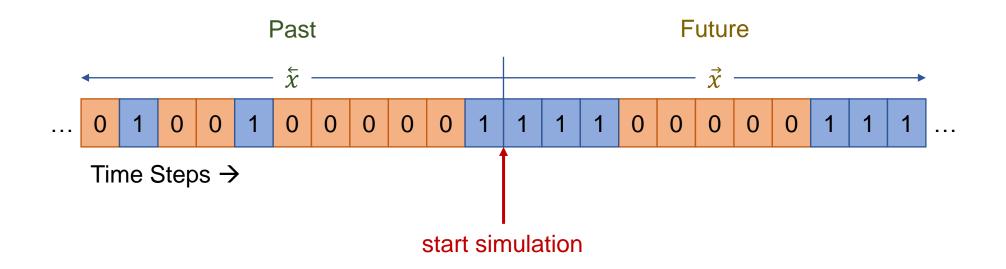


stationary



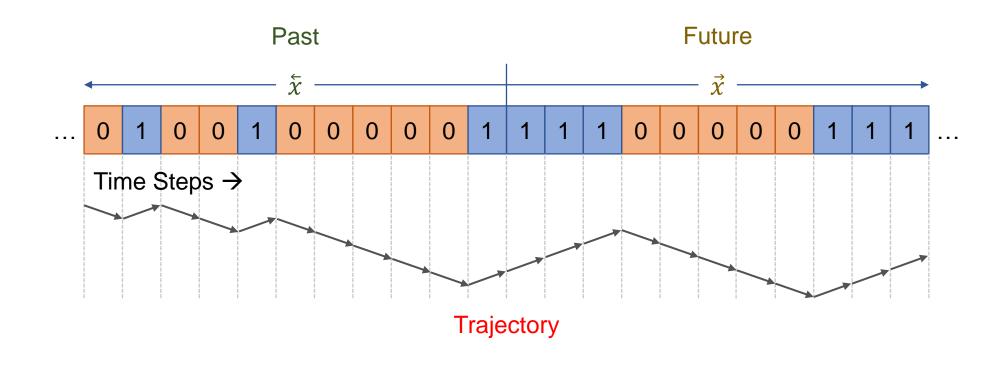








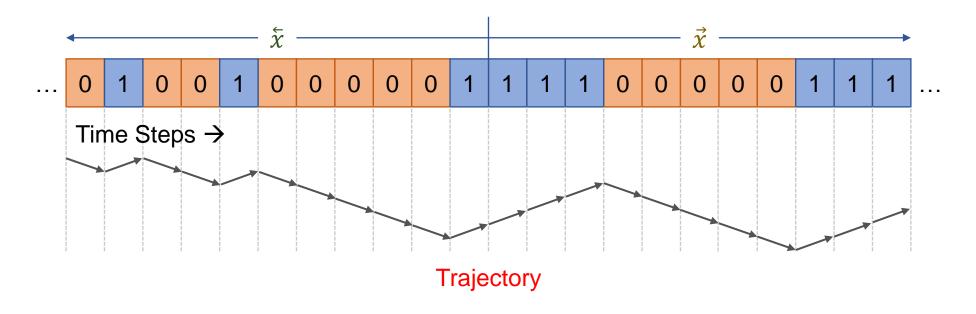








- Simulating = sampling trajectories
- Trajectory is governed by $P(\vec{X}|\vec{X})$



Why
Stochastic
Processes?





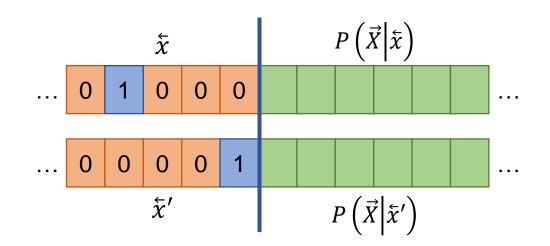


Theoretical statement: Quantum Models are "better"

→ Use less memory, can be more accurate, ...

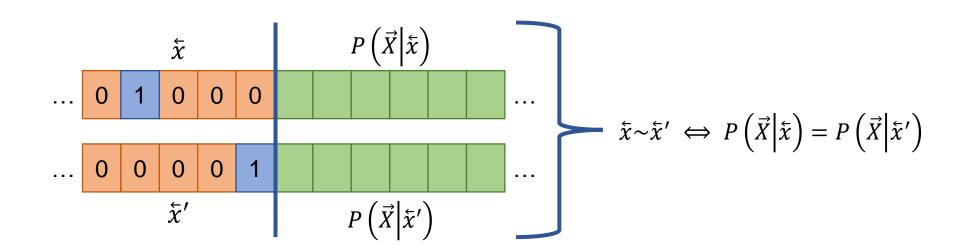






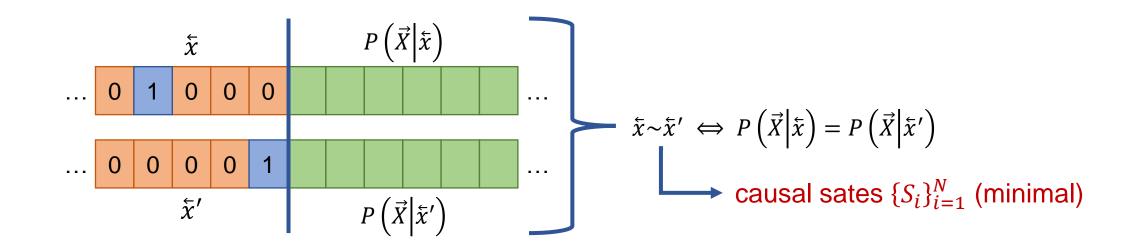








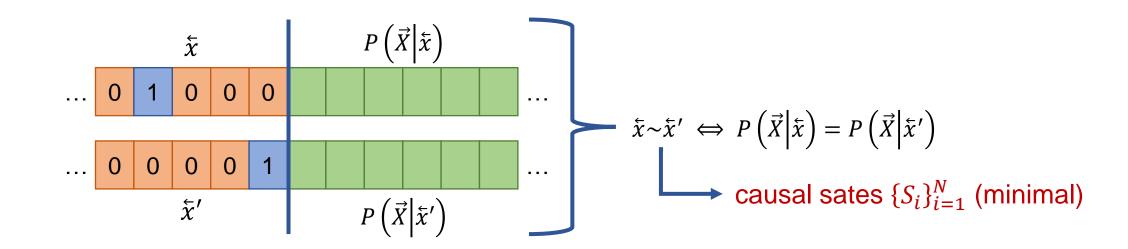




Classical Topological Complexity: $d_c = \log_2 N$







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(minimal memory requirement [in bits] to perfectly simulate a process)





Quantum Topological Complexity: d_q





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If
$$\hat{d}_a = \hat{d}_c \implies$$
 Quantum Models are more accurate

Well, nice!

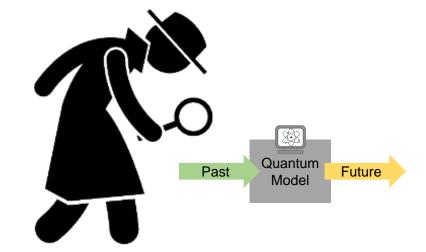
So, what's the problem?



Problem



The models are hard to find / learn



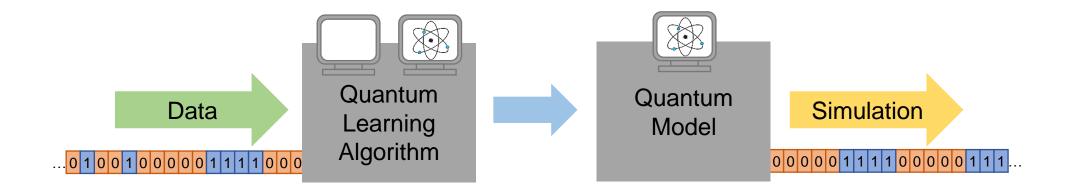


Solution



Master Thesis

Developed a quantum learning algorithm for quantum simulation models, which uses only data as input.





Limitations



- Simple stochastic processes
 - → Discrete, binary, stationary, small Markov order
- Extension not straightforward
- Quantum computer was only simulated
- The theory is not yet fully developed





Skepticism



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- Ryan Sweke, Free University of Berlin, 2020.



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Questions



- How to measure a quantum advantage?
- Do we have a practical advantage?
- Is the advantage useful?

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...



→ We need a holistic view of using quantum devices for real-world scenarios

Thanks!

A discussion is highly welcome.