

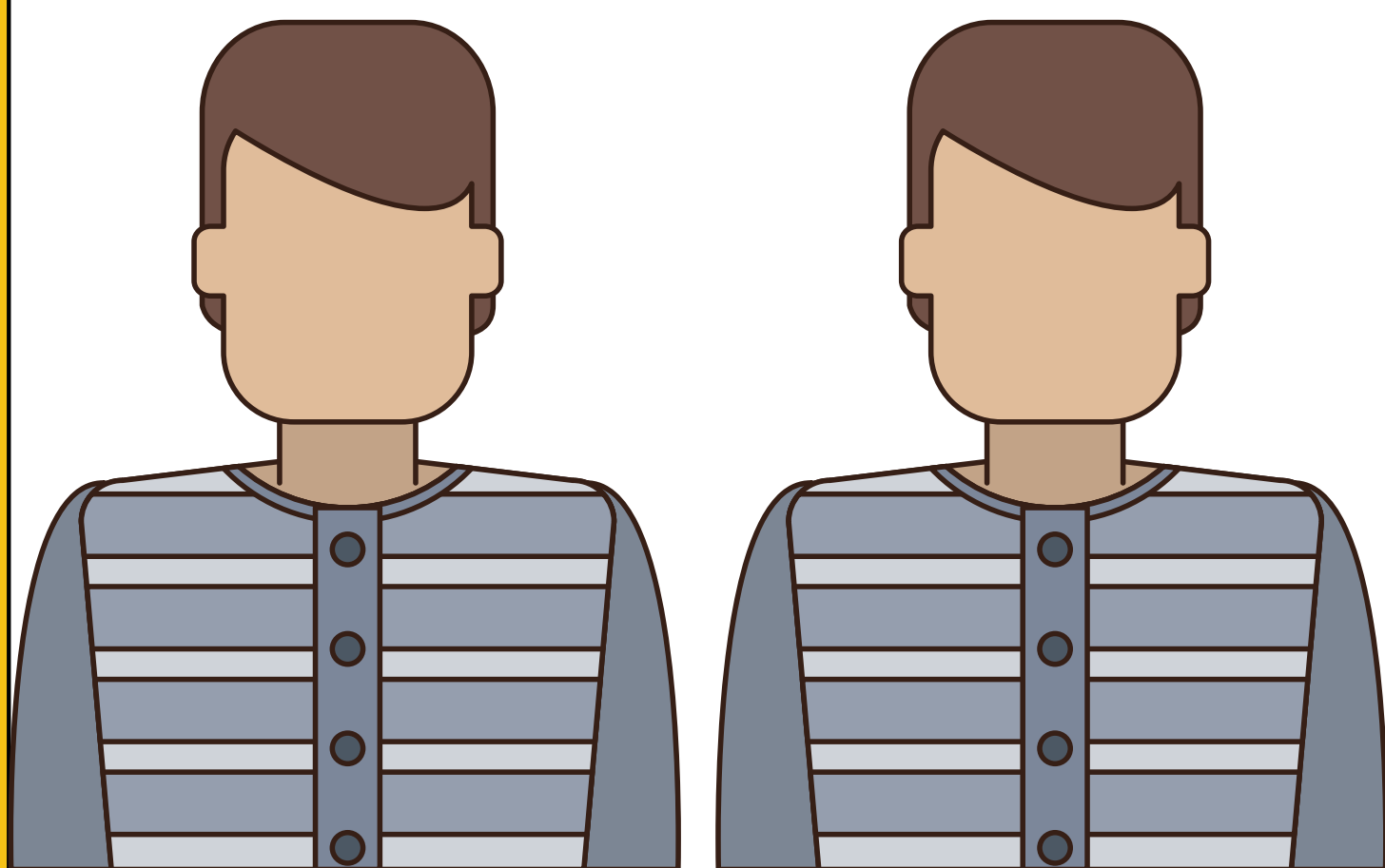
Hi! I'm Dani. I'm a Data Scientist that loves **solving problems** and **creatively communicating solutions**. One of the things I enjoy the most is brain teasers. And I think their visual representation is a great way to solve and understand them. So I hope you enjoy them too!



cartoon of girl with olive skin, brown eyes, medium light brown hair, long lashes, tiny nose, saying hi



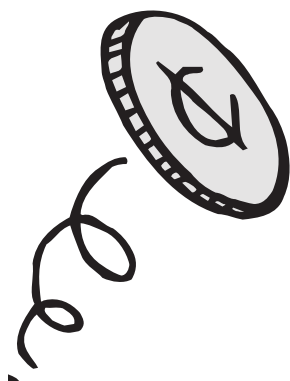
# PRISONERS RIDDLE



Two prisoners in jail live in different cells and **can't communicate in any way**.

The warden will start a game where he goes to **each prisoner** every night and **flips a fair coin**.

He will then ask the prisoner to **guess** what he will **flip** for the **other prisoner**. If both guess wrong, they'll be executed. If at least one is right, they live for another day!



The warden lets them make a **strategy** before the game starts.

What strategy should they decide to **live for the most number of days**?



[github.com/datasciencedani](https://github.com/datasciencedani)

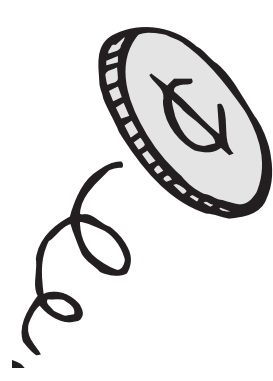


[@datasciencedani](https://twitter.com/datasciencedani)

# ANSWER PRISONERS RIDDLE

There are 4 SCENARIOS of coin flips that can happen (P for prisoner):

|             | P1 gets | P2 gets |
|-------------|---------|---------|
| SCENARIO 1: | A       | A       |
| SCENARIO 2: | A       | S       |
| SCENARIO 3: | S       | A       |
| SCENARIO 4: | S       | S       |



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To ensure they'll win in each scenario, **at least one has to guess** the other prisoner's coin correctly (one **OR** the other).

|             | P1 | P2 | They win if:               |
|-------------|----|----|----------------------------|
| SCENARIO 1: | A  | A  | (P1 says A) OR (P2 says A) |
| SCENARIO 2: | A  | S  | (P1 says S) OR (P2 says A) |
| SCENARIO 3: | S  | A  | (P1 says A) OR (P2 says S) |
| SCENARIO 4: | S  | S  | (P1 says S) OR (P2 says S) |

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But unfortunately, **they only see what they get**, not what the other prisoner gets. So, if they create a strategy, they could only rely on the information gained from their side (i.e., the coin they get)...

So, if **P1 analyzes how to win** in each scenario as if everything depended on him and **only knowing what he got**:

|             | P1 gets | They win if:                                                  |
|-------------|---------|---------------------------------------------------------------|
| SCENARIO 1: | A       | (P1 says A) → Wins by saying the <b>same</b> coin he gets     |
| SCENARIO 2: | A       | (P1 says S) → Wins by saying the <b>opposite</b> coin he gets |
| SCENARIO 3: | S       | (P1 says A) → Wins by saying the <b>opposite</b> coin he gets |
| SCENARIO 4: | S       | (P1 says S) → Wins by saying the <b>same</b> coin he gets     |

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Similarly, if everything depended of P2, as he only knows what he got:

|             | P2 gets | They win if:                                                  |
|-------------|---------|---------------------------------------------------------------|
| SCENARIO 1: | A       | (P2 says A) → Wins by saying the <b>same</b> coin he gets     |
| SCENARIO 2: | S       | (P2 says A) → Wins by saying the <b>opposite</b> coin he gets |
| SCENARIO 3: | A       | (P2 says S) → Wins by saying the <b>opposite</b> coin he gets |
| SCENARIO 4: | S       | (P2 says S) → Wins by saying the <b>same</b> coin he gets     |

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So, individually, they both win in **Scenarios 1 and 4** by guessing the **same** coin as the one they get. And they individually win in **Scenarios 2 and 3** by guessing the **opposite** coin as the one they get.

But both of them don't need to win. Only 1 of the prisoners needs to guess correctly in each scenario!

So, if one prisoner always says the **same** coin he gets, he will always win in **Scenarios 1 and 4**. And, if the other prisoner always says the **opposite** coin he gets, he will always win in **Scenarios 2 and 3**.

So in every scenario (1,2,3,4), we have **someone** that **will guess correctly**! So, **they'll live forever**. 🙌

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Visually, if **P1** always guesses the **opposite** of what he gets and **P2** always guesses the **same**:

|             | P1 gets | P2 gets | P1 guess | P2 guess |                           |
|-------------|---------|---------|----------|----------|---------------------------|
| SCENARIO 1: | A       | A       | S        | A        | → P2 guessed what P1 got! |
| SCENARIO 2: | A       | S       | S        | S        | → P1 guessed what P2 got! |
| SCENARIO 3: | S       | A       | A        | A        | → P1 guessed what P2 got! |
| SCENARIO 4: | S       | S       | A        | S        | → P2 guessed what P1 got! |

So, it doesn't matter the scenario. Someone **always guesses correctly**!

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END