

Modelling Disc Winds From X-ray Binaries

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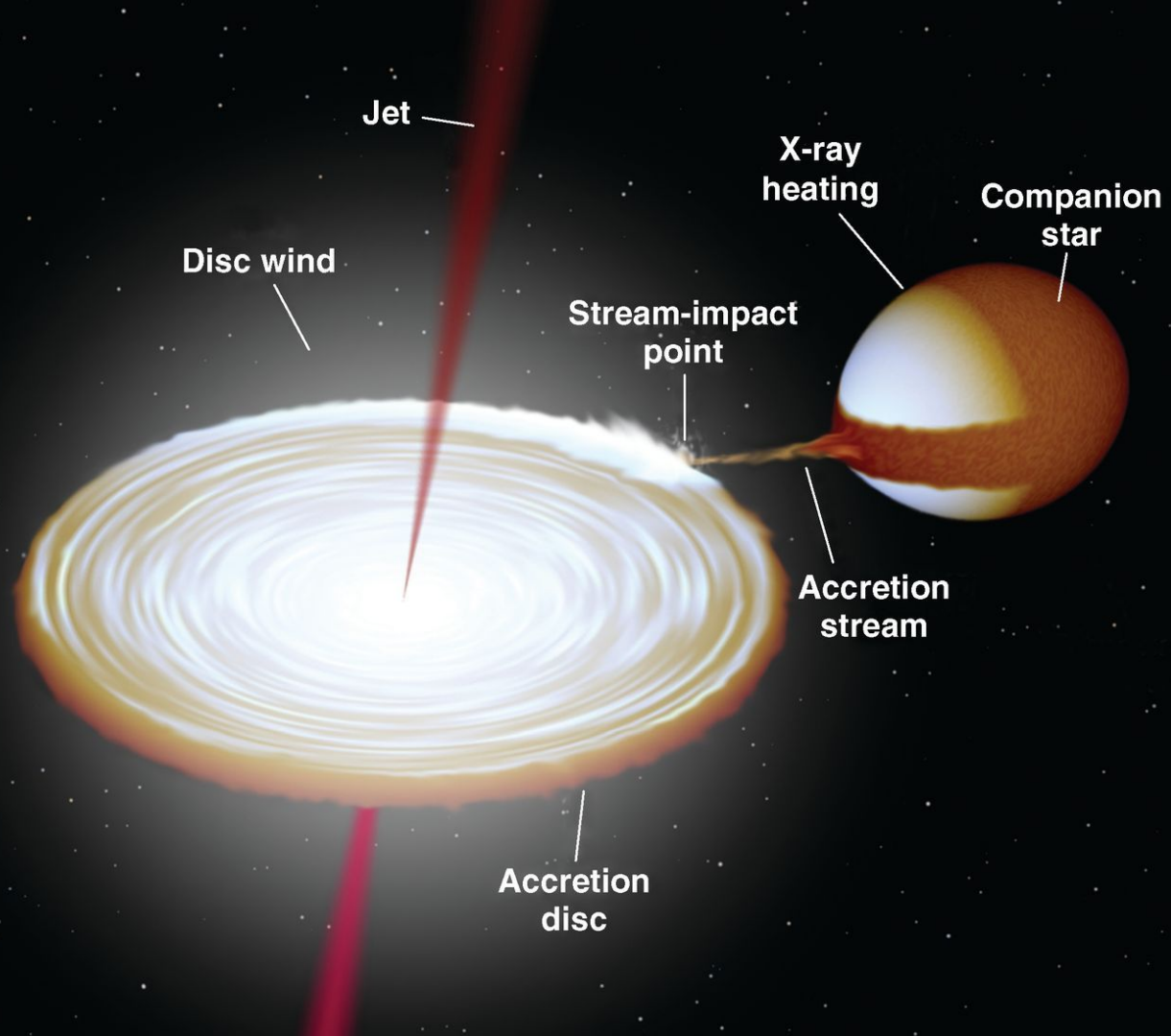
With thanks to the PYTHON collaborators

Introduction

- X-Ray Binaries -> Disc Winds -> P-Cygni Profiles.
- Simulation using the Monte Carlo radiative transfer code: PYTHON (not that one).
- Parameter file parameter space -> variable parameter space -> optical spectrum.
- Novel method for variable parameter space estimation using a Monte Carlo string minimisation method.

X-Ray Binaries

- Black hole accreting from companion star.
- Forms an accretion disc.
- Will only accrete if the volume of the companion star is sufficiently large for matter to be transferred to the other object.



Disc Winds

- Accretion discs eject material due to thermal and/or magnetic processes.
- Disc winds carry away material (and angular momentum when magnetically driven).
- Identified by P-Cygni profiles in spectra.

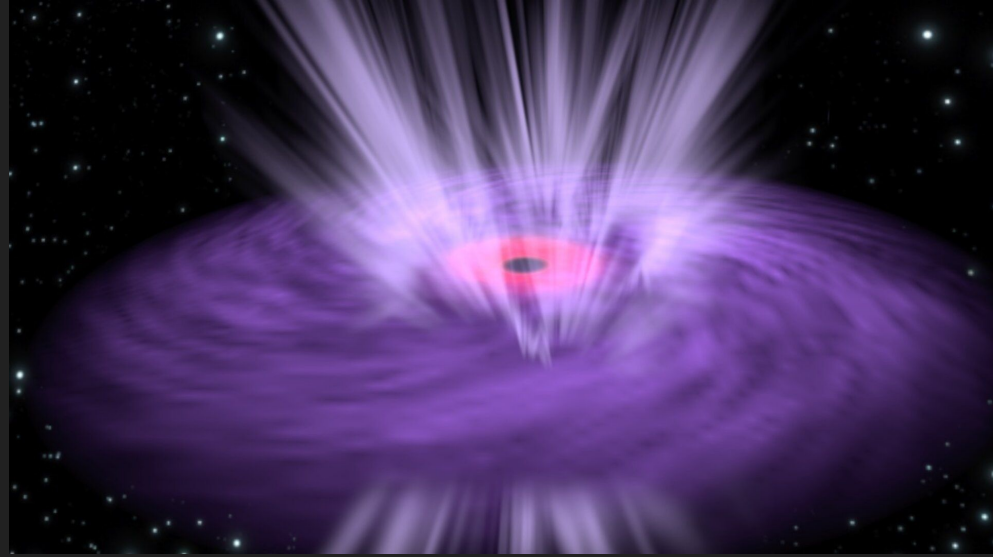
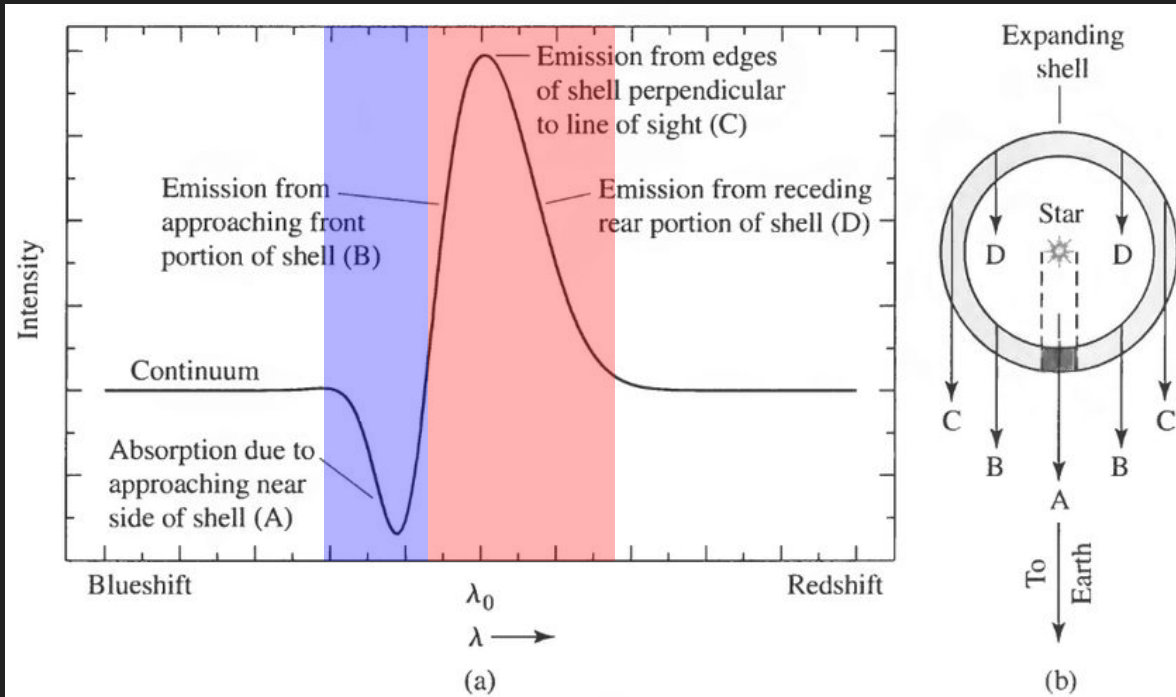


Image source: European Space Agency

P-Cygni Profiles

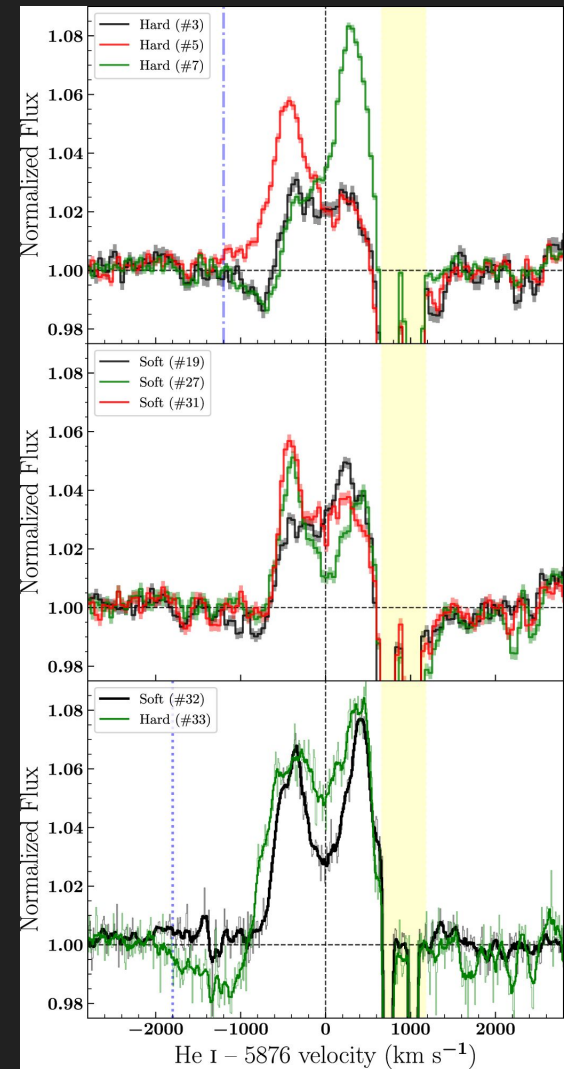
- Emission due to deexcitation and line emission.
- Blueshifted absorption.
- Have been seen in data for XRBs in the optical region, but not in simulations.



Motivation and Aims

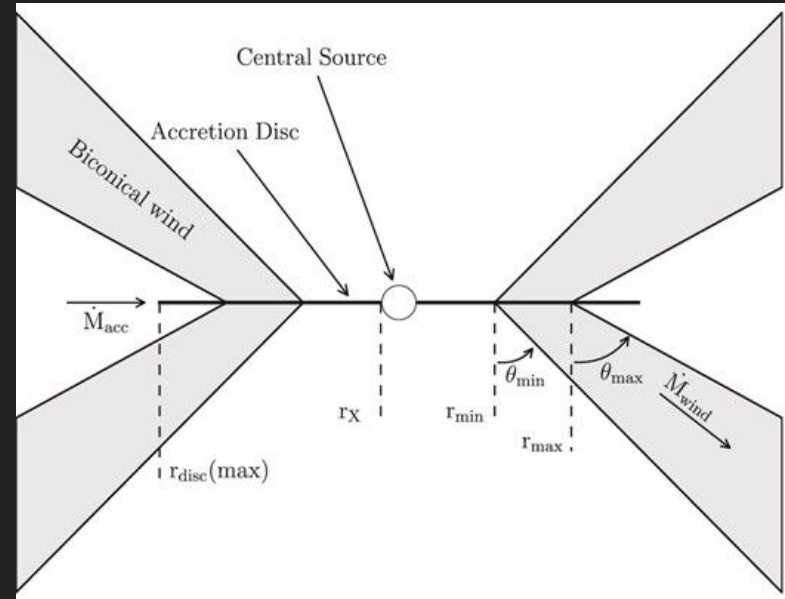
- Simulate P-Cygni profiles as seen in observations of MAXI J1820 in the hard state.
- Explore the parameter file parameter space to find the region where P-Cygni profiles are possible (and physically feasible).

Image source: T. Muñoz-Darias et al. 2019 ApJL 879 L4



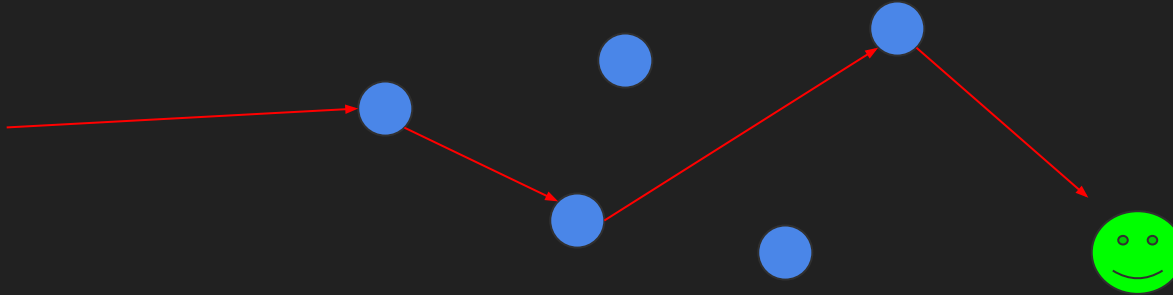
Geometry Setup.

- Set the sources of the photons, e.g. accretion disc, central source.
- Create a grid based on a coordinate system that takes advantage of the symmetry of the system, i.e., logarithmic cylindrical.
- Set initial matter distributions, velocities, temperatures etc.



Radiative transfer procedure.

- Simulate many photons travelling through the system.
- Probability that it interacts with free or bound electrons and is scattered or absorbed.
- Photons eventually reach observer and contribute to a spectrum.



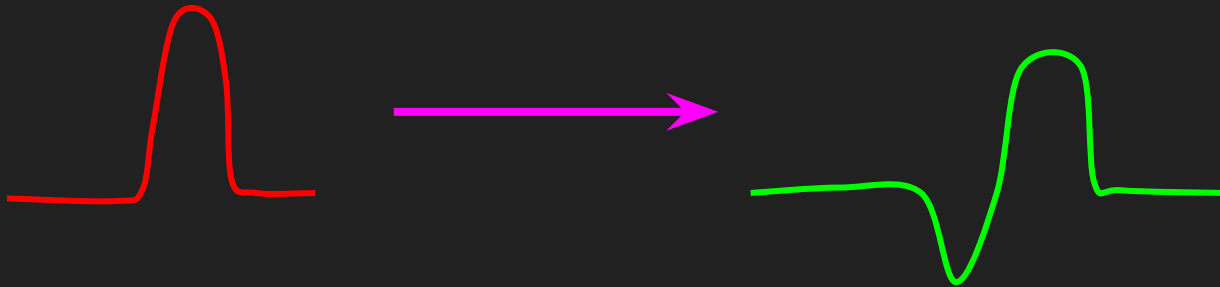
$$\frac{dI_\nu}{ds} = -\alpha_\nu I_\nu + j_\nu$$

α_ν is the absorption coefficient and j_ν is the emission coefficient.

Rybicki, G.B. et al. 1991. Radiative processes in astrophysics.

Method

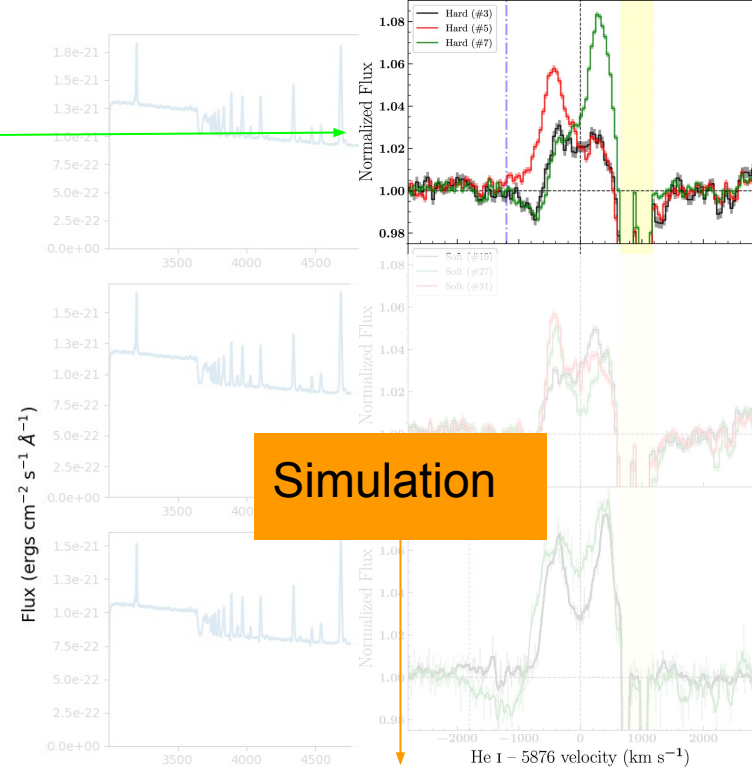
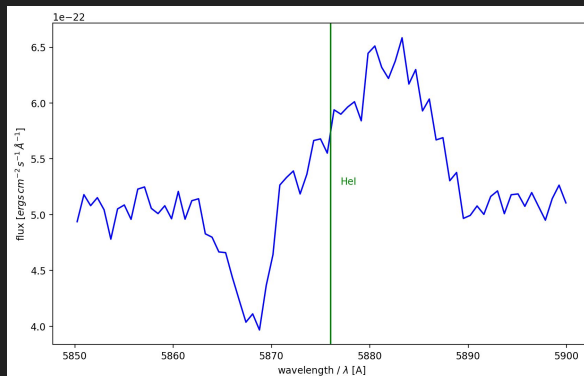
- Vary variables to find conditions of the system that produce P-Cygni profiles.
- Varying: mass loss rate, filling factor, acceleration length and acceleration exponent.
- Try to identify features in the variable parameter space that lead to P-Cygni profiles.



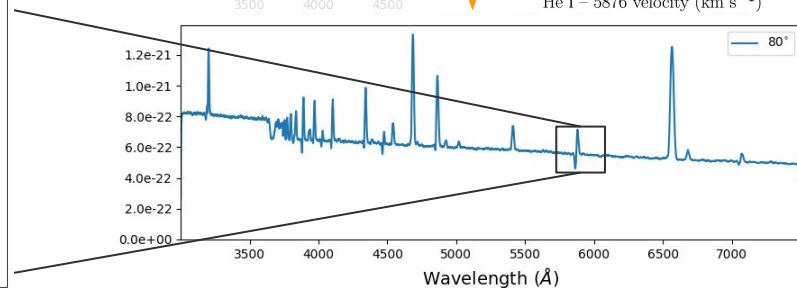
Results

Data

- Found P-Cygni profiles.
- But required extreme conditions.
 - Very clumpy.
 - Very high mass loss rate.
 - Slowly accelerating.
- So needs very out-of-equilibrium conditions.

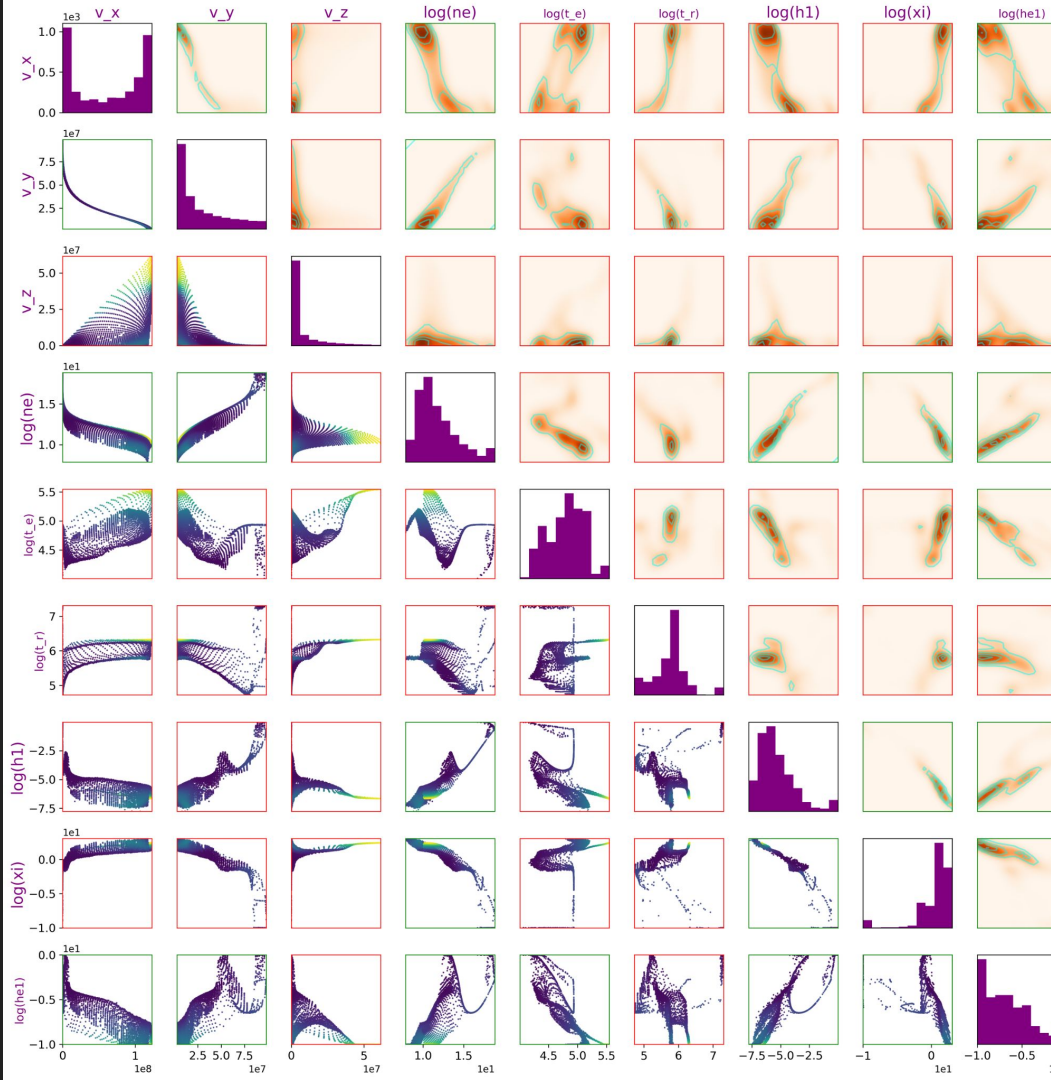


Simulation



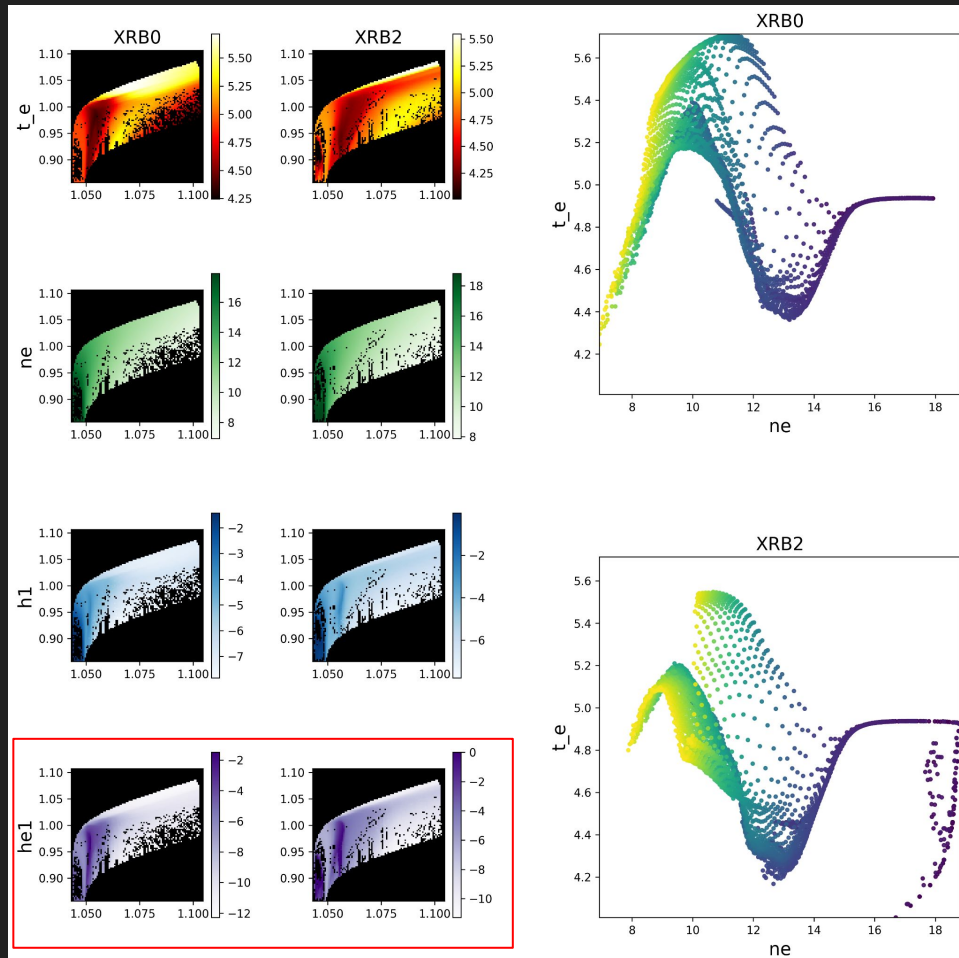
Variable Parameter Space

- Non-linear structure.
- Some identifiable features.
- Difficult to develop intuition about the system.



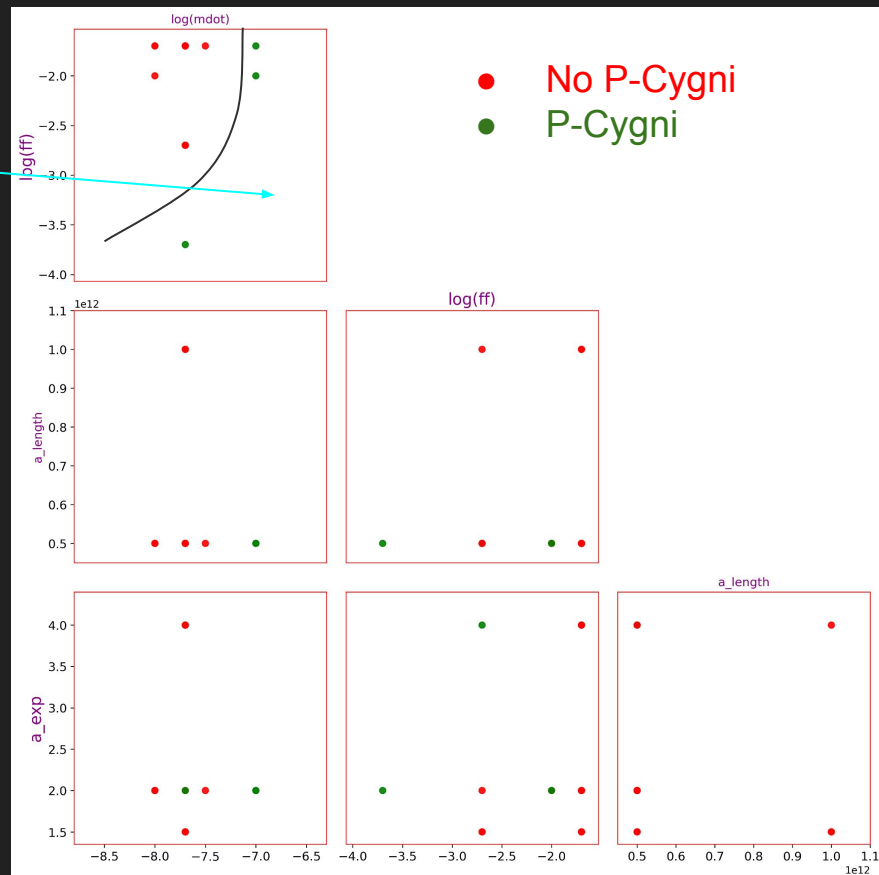
Variables in Physical Space

- XRB0: default
- XRB2: P-Cygni profile present
- Show common overall features.
- Finer structure leads to P-Cygni troughs.



Parameter File Parameter Space

- Few samples.
- Can identify part of P-Cygni region.



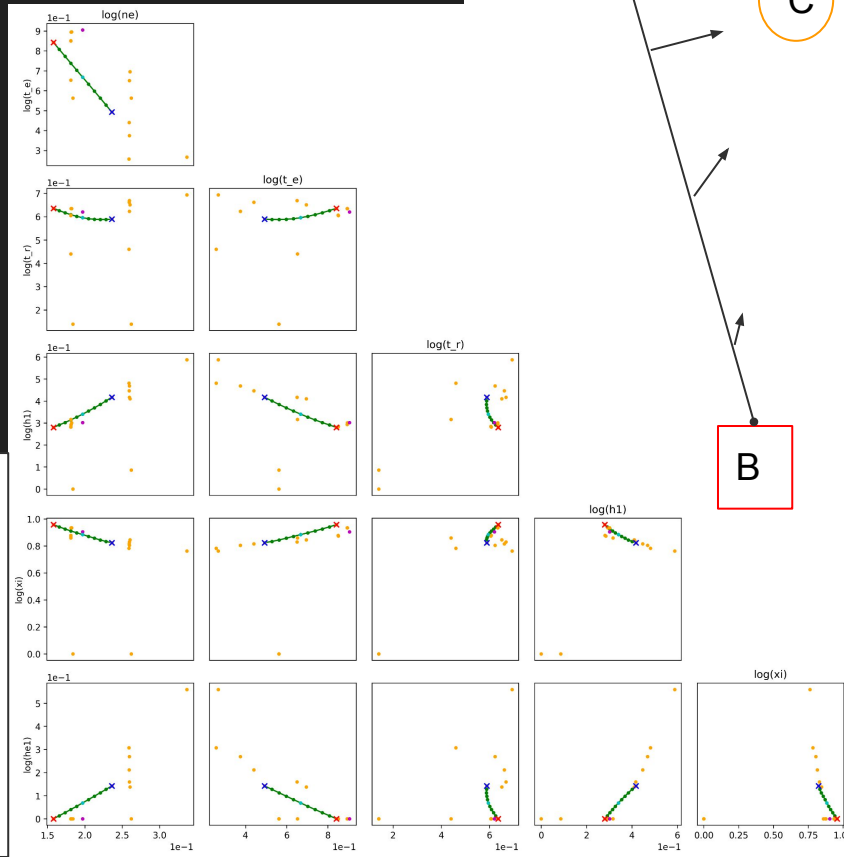
String Minimisation--a Parameter Space Emulator

String Minimisation - Theory

- Consider two points in the parameter file parameter space.
- How does the distribution of points in variable parameter space vary as you travel along a path from one to the other?

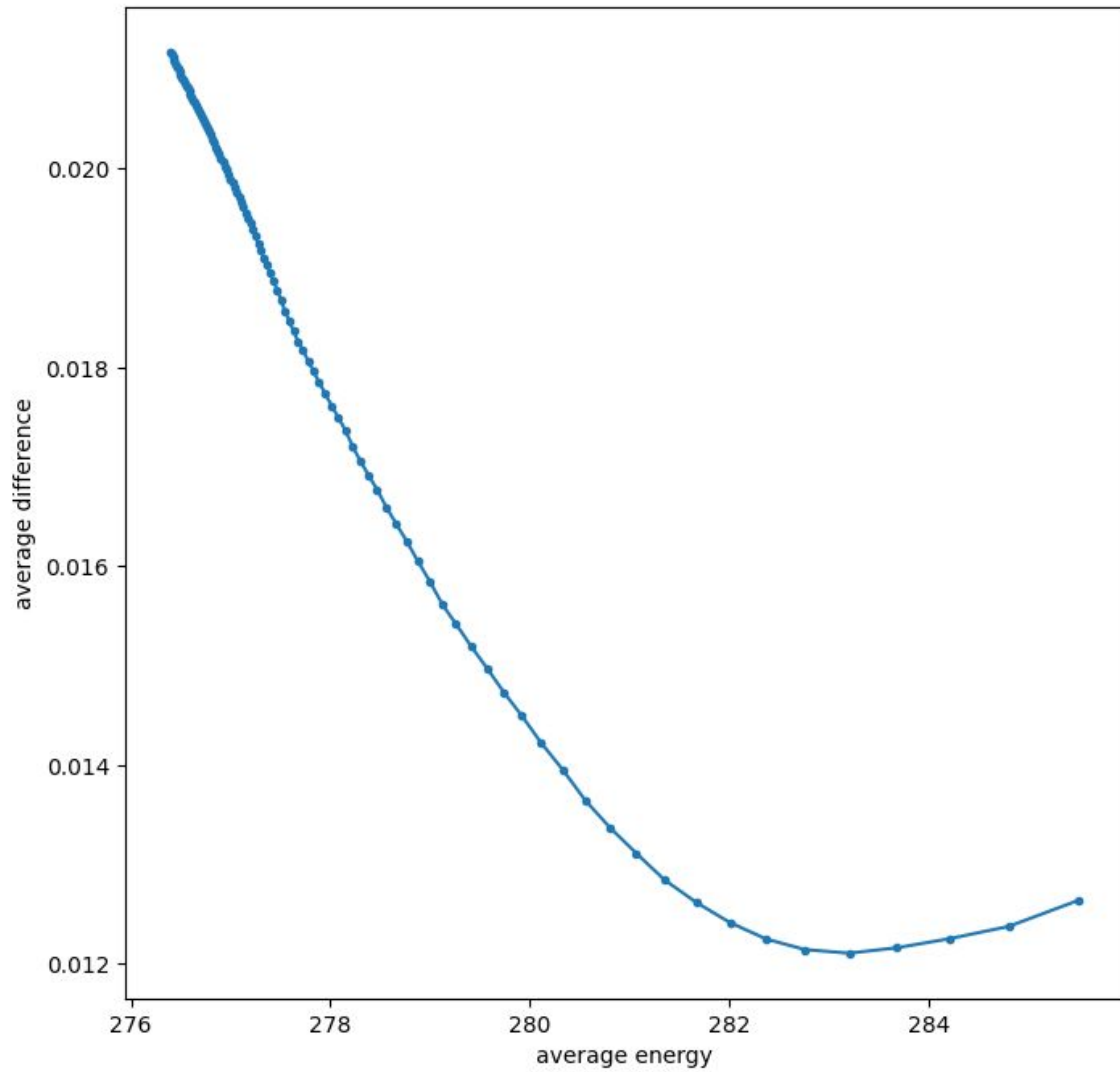
$$V = \sum_{i=0}^n \frac{\sigma(\delta_i)\sigma(r_i)}{\rho_i} + \tilde{k} \sum_{i=0}^{n-1} (|r_{i+1} - r_i| - l)^2$$

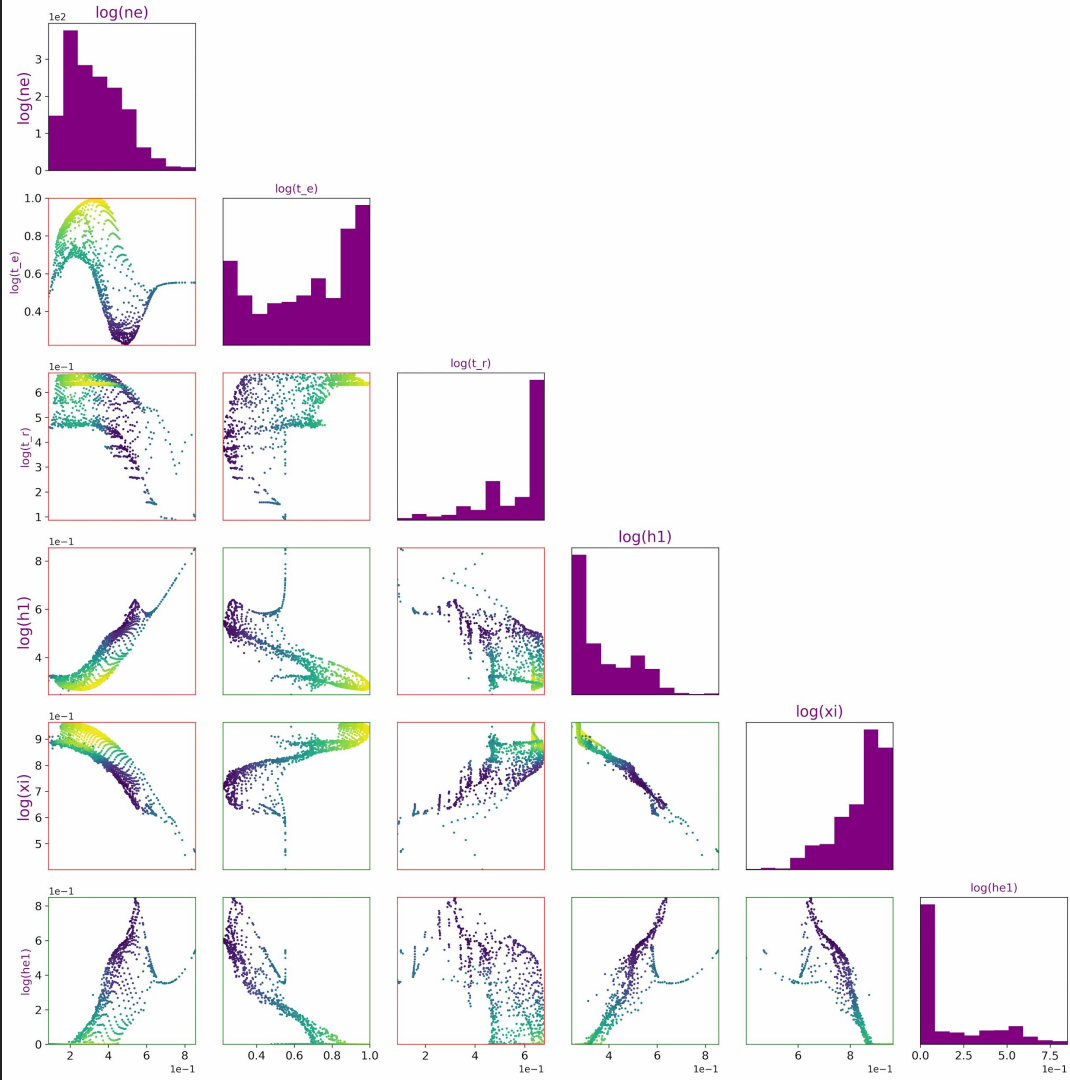
$$; \sigma(x) = \frac{2}{1 + e^{-x}} - 1 \approx \frac{x}{1 + x}; x \geq 0$$



Results

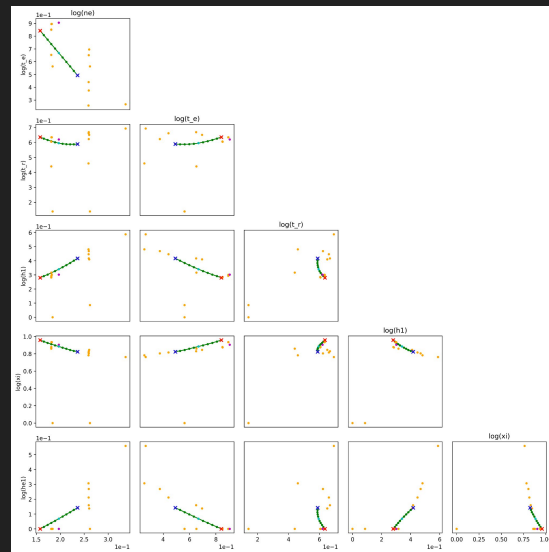
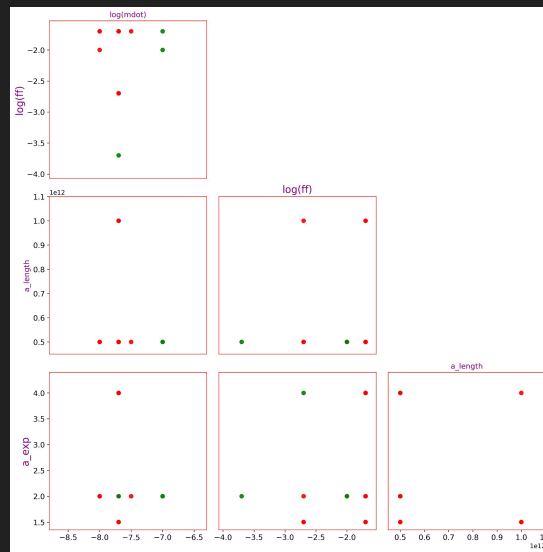
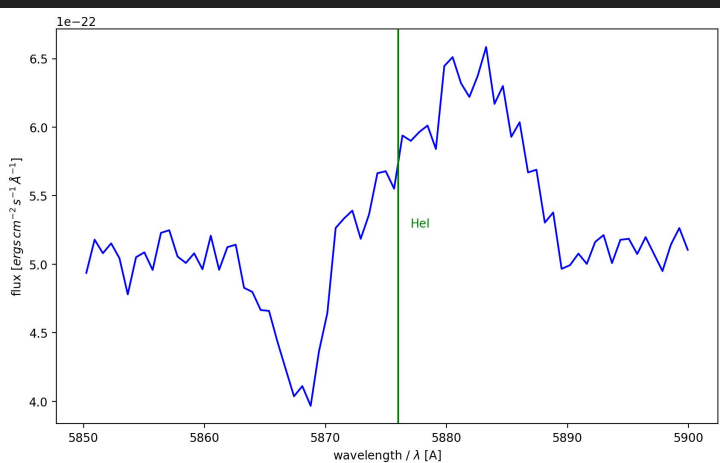
- Shows promising results--to an extent.
- Requires good tuning of the spring constant.
- Could potentially be used for parameter space searches in any field.





Conclusion

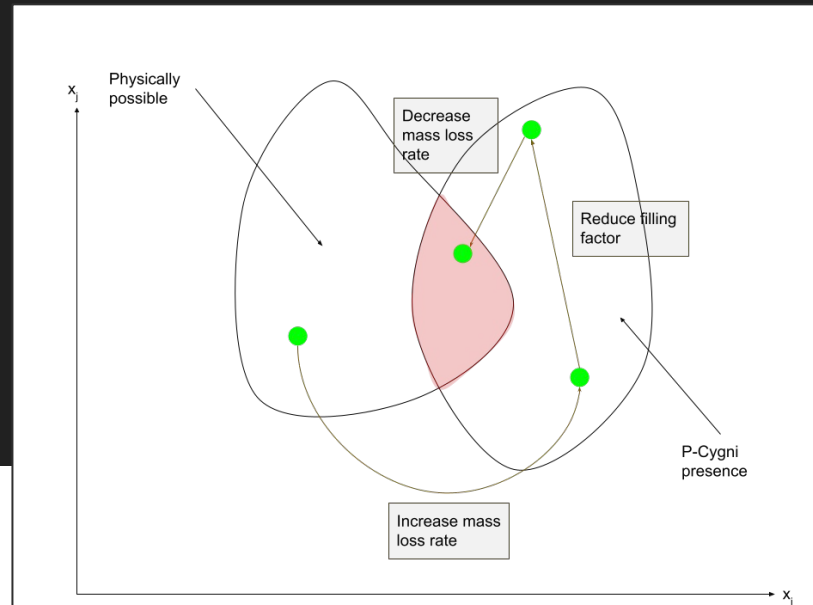
- Found P-Cygni profiles.
- Found indications that they require extreme conditions.
- Suggests that the wind heavily influences the dynamics of the disc.
- Showed that the string minimisation technique has potential to be a useful tool.



Future Work

- Continue the search for less extreme regions of parameter space that produce P-Cygni profiles.
- Adjust function of string minimisation potential.
- Determine the performance of the string method by assessing its ability to reproduce completely analytic multidimensional functions.

$$\underline{u} = f(\underline{x}) ; f : \mathbb{R}^n \rightarrow \mathbb{R}^m$$



Thank you for listening.