) X= {(x:,y:)...(xn,y)} X; ER y; E {0, B} 0 t R 0 (0) = 1 tea L(y/x;m) = y/log(o-(~x;))+ (1-y;) log(o-(~x;)) make any to or the same to simplify things X DEDEN EDX 5 (a) = 1+ea $= \frac{e^{-\alpha} + (1 - 1)}{e^{-\alpha} + 1} = \frac{e^{-\alpha} + 1}{e^{-\alpha} + 1} = \frac{1}{e^{-\alpha} + 1}$ · (0-(-0) = 00000 let a=wTX; L(3:1x:1,1)=2:100(0(0))+(1-2:)100(001-0(0)) 2 - D5 ga, Dn Oriving r(2:1x:n) = 2:100(5)+(1-2:)100(1-5)

L(9:1xi,w) = 9:10g(Z) + (1-9:) log(1-2:)

(3) Find
$$\frac{\partial L}{\partial z_i}$$
 $\frac{\partial L}{\partial z_i} = \frac{\partial i}{\partial z_i} + \frac{(1-y_i)}{(1-z_i)}$
 $\frac{\partial L}{\partial z_i} = \frac{\partial i}{\partial z_i} + \frac{\partial L}{\partial z_i}$
 $\frac{\partial L}{\partial z_i} = \frac{\partial L}{\partial z_i} + \frac{\partial L}{\partial z_i}$
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 $a_i = wX_i$

(5) First Da; = X; (power rule/constant dossor)

(6) Put in together (Tayl)
01(0:1xim)=0102: dai
02:00:00

= \(\frac{2}{2}; \lambda = \lambda; \lambda \cdot \tau \cdot \tau

Dr = (2: -5:) .x:

=(V;- o(wTx;)). X;

DL(21/2)10)

Du? = (2:-2(~,×:)) X:?

 $\frac{\partial}{\partial w}(|w_{1}(w_{1}x_{1}+b)) = -y_{1}x_{1}$ $\frac{\partial}{\partial w}(|w_{2}(w_{1}x_{1}+b)) = -y_{1}x_{1}$ f(w) = 511 m/2 + (\frac{2}{5} mox(0, 1-9; (\nt x; tb)) $\frac{\partial^{2}}{\partial w} = w + (.\frac{2}{[i-y,(w^{T}x;tb)^{70}].-y;x;})$ TEIL O IF X forlige

Where [X] = { 1 ; F X true $\frac{\partial f(n)}{\partial v_{i}} = w_{i} + c \underbrace{\sum_{i=1}^{n} (v_{i} \times v_{i})}_{i=1} = w_{i} + c \underbrace{\sum_$