

The Public Goods Game (PGG)

- Goods can be of 4 types:

	<i>Excludable</i>	<i>Non-excludable</i>
Rival	Private good (clothing, food)	Common property (Pool) Resource (fishing stocks, potential buyers)
Non-rival	Club good (streaming music, online movies)	Public good (global climate, rules of calculus)

- ‘Public goods’ are non-excludable and non-rival.
 - *Non-excludable*: hard to stop people from accessing it.
 - *Non-rival*: one person's use doesn't reduce availability for others.
- Classic example: a lighthouse.
- Also: clean air, knowledge, global climate, etc.

Public Goods & Coordination Failures

- Non-excludability means it is very hard to make profits by producing a public good.
- As a result, no one has an incentive to provide them.
- *Underprovision* without institutional intervention.
- *Coordination failure* due to (positive) *externality*.

The Public Goods Game (PGG)

- n players
- each starts with endowment z
- player i 's contribution to common pot: e^i
- player i keeps for herself : $z - e^i$
- public good returns = sum of contributions $(\sum_i e^j)$ * rate of return (M)
- $0 < M < 1$.
- *Own payoff = Endowment – Contribution + Public good returns*
- $u^i = z - e^i + M (\sum_i e^j)$

Your turn:

- Write the payoff matrix of the public good game with:
 - 2 players ($n=2$)
 - Initial endowment $z=10$
 - Rate of return $M=0.8$
 - 2 possible choices: $e^i = 10$ or $e^i = 0$.
- Then find the Nash equilibrium

		Player 2	
		$e^2 = 10$	$e^2 = 0$
Player 1	$e^1 = 10$? , ?	? , ?
	$e^1 = 0$? , ?	? , ?

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		Player 2	
		$e^2 = 10$	$e^2 = 0$
Player 1	$e^1 = 10$	16, 16	8, 18
	$e^1 = 0$	18, 8	10, 10

Player 1

$e^1 = 10$

$e^1 = 0$

Player 2

$e^2 = 10$

$e^2 = 0$

	$e^2 = 10$	$e^2 = 0$
$e^1 = 10$	16, 16	8, <u>18</u>
$e^1 = 0$	<u>18</u> , 8	<u>10</u> , <u>10</u>

Under self-interest,
the (inefficient) Nash
Equilibrium is both
contributing 0.

A Prisoners' Dilemma.

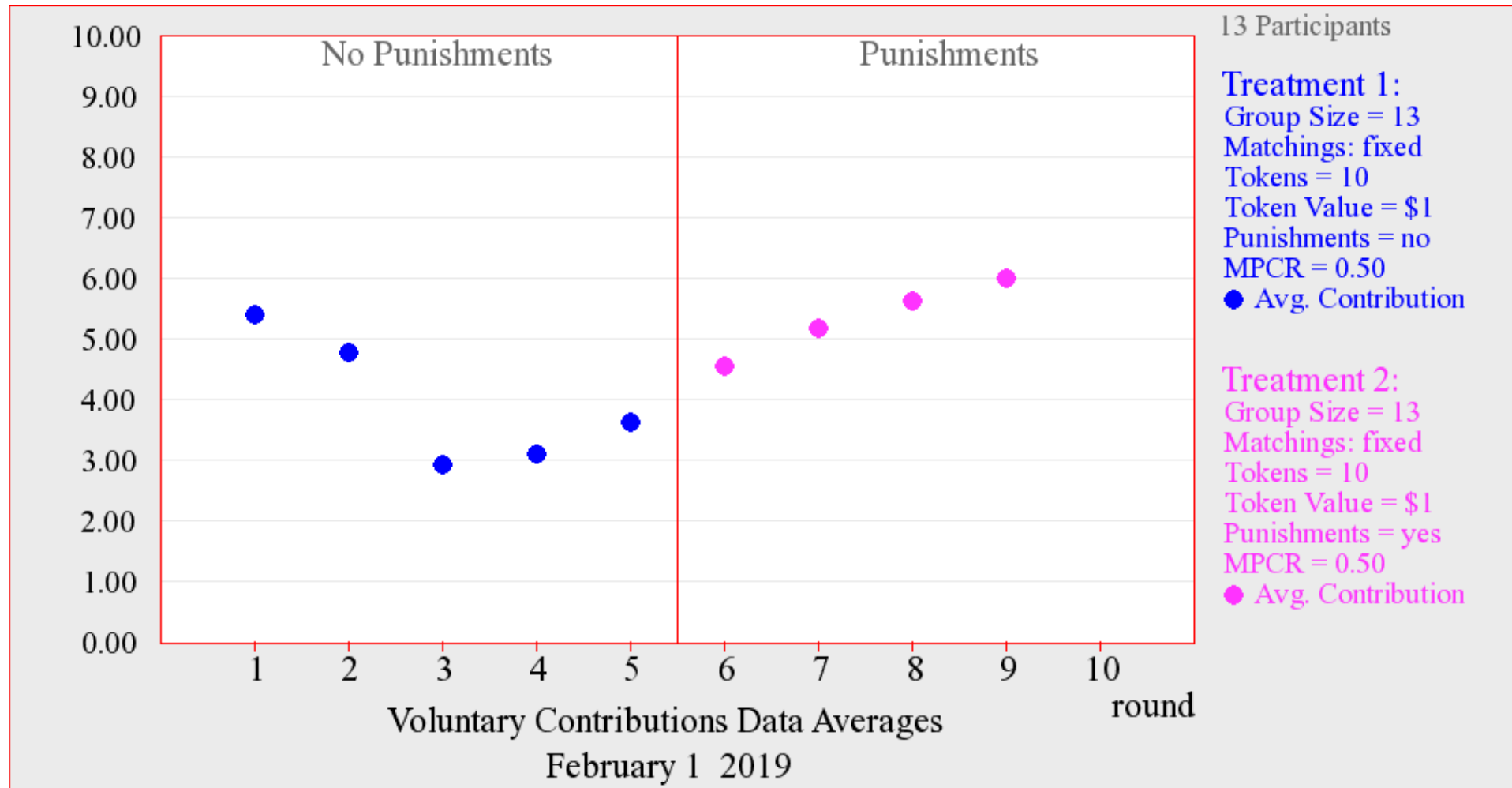
Public Goods Game (PGG)

- Self-interest Nash Equilibrium predicts zero contributions;
 - For each \$ you contribute, you get $\$M < 1$ back;
- Lab experiments with the PGG:
 - One-shot-game: contributions around $\frac{1}{2}$
 - Repeated game: contributions start high, then decline towards zero;
- How to explain the decline in contributions?
 - Self-interest + learning?
 - Reciprocity?

The Public Goods Game with punishment

- A Public Goods Game, BUT after each round
 - contributions are made public;
 - each player can punish some other (reduce their payoff).
 - but need to pay a cost to 'punish'.
- Empirical results from PGG w/ punishment:
 - non-cooperators get punished.
 - contributions remain high throughout all rounds.
 - proof of *reciprocity* .
 - reciprocators can keep cooperating with each other while punishing the non-cooperators.

Students from a previous class playing the public good game in a seminar:



You playing the game in the seminar today in groups of 4
(The graph shows average contributions across all groups in each round)

