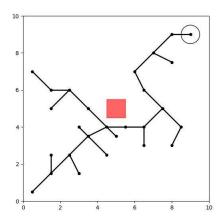
### **PROBLEM 1:**

The RRT parameters were defined as follow in the code for p1.py

```
n = 30
epsilon = 1.5
init_robot_cell = (0,0)
goal_pos = (9,9)
goal_rad = 0.5
```

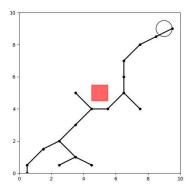
## **RUNTIME DATA over 20 iterations**

avg\_runtime = 0.01066575050354004 variance\_runtime = 4.589042697429441e-05



# FIGURE of RRT path after 20 iterations

avg\_runtime = 0.010732150077819825 s variance\_runtime = 4.798674891138657e-05 s

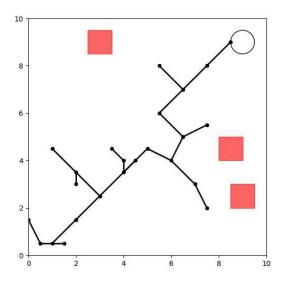


## **PROBLEM 1B**

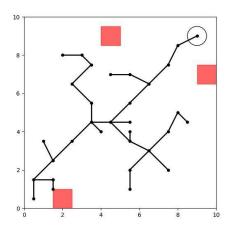
### 3 obstacles

```
n = 40
epsilon = 1.5
init_robot_cell = (0,0)
goal_pos = (9,9)
goal_rad = 0.5
```

avg\_runtime = 0.013198959827423095 variance\_runtime = 6.365980571753258e-05



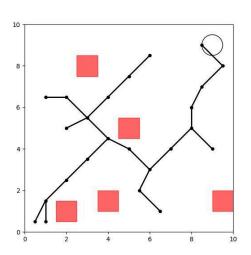
avg\_runtime = 0.012833058834075928 variance\_runtime = 4.005124290604032e-05

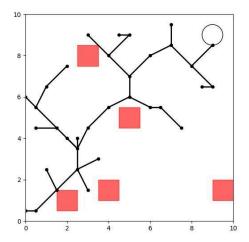


## 5 obstacles:

```
n = 50
epsilon = 1.5
init_robot_cell = (0,0)
goal_pos = (9,9)
goal_rad = 0.5
```

avg\_runtime = 0.01432269811630249 variance\_runtime = 2.734092635361513e-05

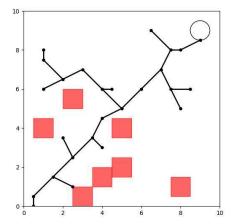


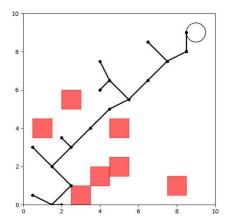


## 8 obstacles

## Same parameters as previous

avg\_runtime = 0.013382542133331298 variance\_runtime = 4.9708170957866345e-05





**OBSERVATIONS:** As the number of obstacles increases, generally the avg\_runtime over 20 iterations decreases. This makes sense since the RRT algorithm has fewer potential paths to

explore. To accelerate RRT one can bias towards the goal so it doesn't waste time exploring paths that are far away from the goal. In addition, the grid density could be decreased if possible.

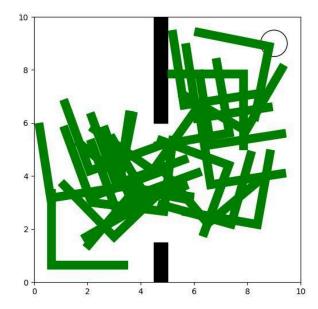
#### **PROBLEM 2**

#### Parameters:

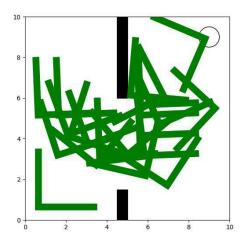
```
epsilon = 4.0
theta_step = 20
init_robot_cell = (0,0)
init_robot_pos = (0.5,0.5)
init_theta = 0
init_corners = tuple(rotate_from_init_config(init_robot_pos,init_theta))
init_robot_state = (init_robot_pos, init_theta, init_corners)
goal_pos = (9,9)
goal_rad = 0.5
(80 executions of RRT)
```

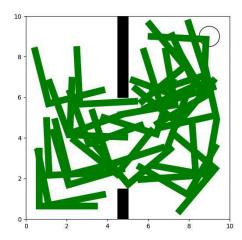
## Sample configuration paths and runtimes

avg\_runtime = 0.3261533784866333 s variance\_runtime = 3.984019593087456 s



avg\_runtime = 0.6083495736122131 variance\_runtime = 9.76821592990797





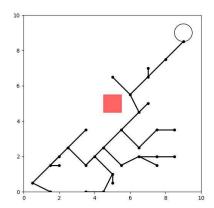
## **PROBLEM 3**

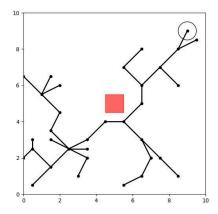
```
n = 40
epsilon = 1.5
r_star = 4.0
init_robot_cell = (0,0)
goal_pos = (9,9)
goal_rad = 0.5
```

## 20 iterations

## 1 obstacle:

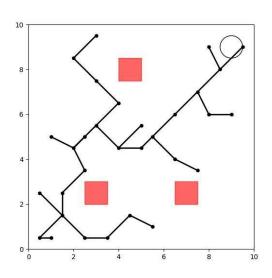
avg\_runtime = 0.016522789001464845 variance\_runtime = 3.297695595377044e-05 Average Path Length: 12.839383340488254

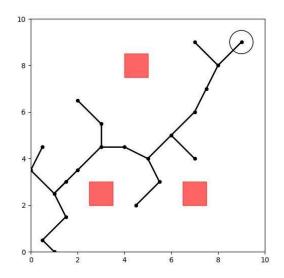




## 3 obstacles:

Same parameters as above avg\_runtime = 0.014844584465026855 variance\_runtime = 1.747485638929902e-05 Average Path Length: 14.526452922967

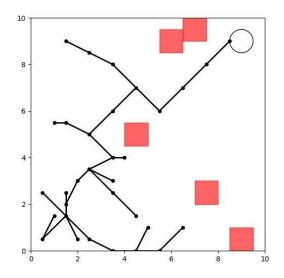


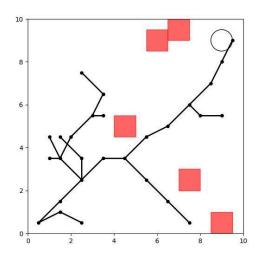


# **5 OBSTACLES**

Same parameters

Average Path Length: 15.090216591004431 avg\_runtime = 0.014636055628458659 variance\_runtime = 3.598577291060123e-05

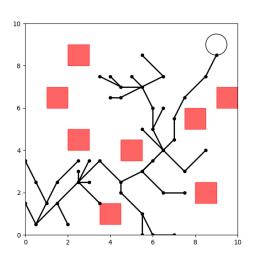


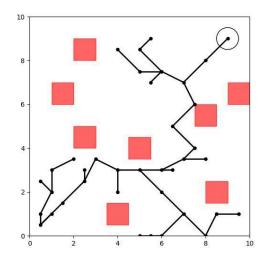


## 8 OBSTACLES:

```
n = 70
epsilon = 1.5
r_star = 4.0
init_robot_cell = (0,0)
goal_pos = (9,9)
goal_rad = 0.5
```

Average Path Length: 14.552282360937452 avg\_runtime = 0.025932757059733073 variance\_runtime = 5.1439673706718376e-05





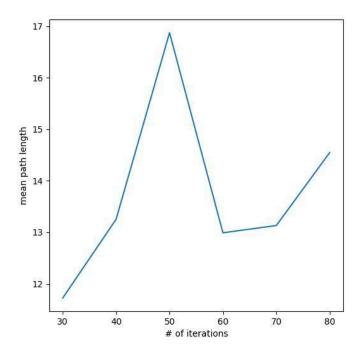


Figure showing relationship between average path length and number of iterations

## **OBSERVATIONS:**

For lower iterations values, the average path length increases. This makes sense since the tree is less developed and creates suboptimal paths without rewiring the tree so much. As the number of iterations increases further, the average path length generally decreases which makes sense. The tree is no rewiring and finding more efficient connections.