

# Engineering Adaptive Software Systems: Review

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# Final exam

- **All materials presented in class**
  - Including some papers ( those marked “all read”)
  - All on-line lecture notes covered in class
- **Study sample final questions**
- **Study test 1 questions**
  - Maybe several questions similar to the test
- **Study “Your turn” and “quiz” questions from lectures**
- **Key questions discussed in class with your peers**

## Format

- **Quantitative skill tasks**
- **Multiple choice**
- **Essay questions**
  - Argue convincingly, Define terms

# Topics

- **Motivation**
- **IoT**
- **CBS**
- **Autonomic computing**
- **DevOPs**
- **MAPE-K** (review the use cases in Assignment 1, 2, Test)
- **ACRA**
- **Maturity levels**
- **Cloud, Big Data, Containers** ( as presented in class and tutorials)
- **PID**
- **Queuing models** (open, close)
- **Control Theory Models**
- **Model Based Adaptation**
  - Model tuning and estimators
  - MIAC, MRAC
  - MPC
- **Policies**

# Interesting Potential Final Exam Questions

- **Describe the motivation for Autonomic Systems**
- **What is ACRA?**
- **Give an example of adaptive loop for a domain of your choice**
- **Detail the monitoring, analysis, planning, execution for**
  - a self - healing example (MS Word crash)
  - Self-optimization of cost in cloud for an application
  - Etc..
- **Contrast DevOps, IoT and Autonomic computing in terms of Adaptive components**

# PID controllers

- You have a software system and you monitor the response time,  $y$ , each second,  $T$ . The software system is controlled each second as well, through an input  $u$ . The input  $u$  comes from a PID controller, using the typical negative feedback scheme. We also know, empirically, that, the response time depends on the input with this relation  $y(t) = y(t-1) + K \cdot u(t)$ , where  $t$  is time and  $t=1,2,3,\dots$ ;  $K$  is a constant and  $K=0.5$ ;  $u$  is the input.
- The goal of the feedback loop is to maintain the response time to a set value,  $y_r$ , of 10 seconds.
- At time  $t=0$ , the measured response time is 15 seconds and  $e(0)=1$ . Assume the PID controller has  $K_p(\text{proportional})=0.2$ ;  $k_i=0.1$ ;  $k_d=0$ . Assume also that the metrics (including the response time) stay constant between samples, e.g. the measured values you use at  $t=1$  are the measured values at  $t=0$ ;
- What is the value of  $u$  and  $y$  at  $t=2$ ,  $t=3$ ? Use 2 decimals..

# Queuing Models

An e-commerce application has 2 main functions: Browse(B), and Search(S) and is deployed on a 3 tier architecture consisting of a Web Server(WS), Application Server(AS) and Database Server(DS).

One Browse request will spend 2 ms, 3ms and 4ms at WS, AS, and DS respectively;

One Search request will spend 1 ms, 1.5 ms and 2ms at WS, AS, and DS respectively;

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Consider you have an open queuing model that describes the system and the arrival rates are: Browse with 0.1 requests/ms and Search with 0.1 requests/ms.

1. What is the response time of Browse and Search?
2. Considering a feedback loop with a Controller that computes the number of servers at runtime, what number of DS servers will give a response time of ? seconds ( round up to the closest integer).

# Control Theoretic Models

You have a software system and you monitor the response time,  $y$ , each second,  $T$ . The software system is controlled each second as well, through an input  $u$ . The input  $u$  comes from a Controller  $C$ , using the typical negative feedback scheme. We also know, empirically, that, the response time depends on the input with these relations

$$x(t+1) = x(t) + 0.2 \cdot u(t)$$

$$y(t) = x(t)$$

where  $t$  is time and  $t=0,1,2,3,\dots$ ;

Is the system observable? Prove it

Is the system controllable? Prove it

Assume at  $t=0$ ,  $x(0)=3$  and the desired value of  $y$  is 4; What  $u$  should the controller generate such that  $y$  achieves the desired value at  $t=1$ ?