

Lab 9 χ^2

Senie et al. (1981) investigated the relationship between age and frequency of breast self-examination in a sample of women (Senie, R. T., Rosen, P. P., Lesser, M. L., and Kinne, D. W. Breast self-examinations and medical examination relating to breast cancer stage. *American Journal of Public Health*, **71**, 583-590.)

A summary of the results is presented in the following table:

Age	Monthly	Occasionally	Never
under 45	91	90	51
45 – 59	150	200	155
60 and over	109	198	172

The data have already been tabled for us in most textbook problems. We just have to get the data into an R data object. There are several ways to do this...

```
> row1 = c(91,90,51) # or col1 = c(91,150,109)
> row2 = c(150,200,155) # and col2 = c(90,200,198)
> row3 = c(109,198,172) # and col3 = c(51,155,172)
> data.table = rbind(row1,row2,row3) # and data.table = cbind(col1,col2,col3)
data.table
  [,1] [,2] [,3]
row1  91  90  51
row2 150 200 155
row3 109 198 172
> chisq.test(data.table)
```

Pearson's Chi-squared test

```
data: data.table
X-squared = 25.086, df = 4, p-value = 4.835e-05
```

Capt Jim takes a random sample of students enrolled in Statistics 2228 at UNH. He finds the following: there are 25 freshman in the sample, 32 sophomores, 18 juniors, and 20 seniors. Test the null hypothesis that freshman, sophomores, juniors, and seniors are equally represented among students signed up for Stat 2228. This is a goodness of fit test with equal expected frequencies. The "p" vector does not need to be specified, since equal frequencies is the default...

```
> chisq.test(c(25,32,18,20))
```

Chi-squared test for given probabilities

```
data: c(25, 32, 18, 20)
X-squared = 4.9158, df = 3, p-value = 0.1781
```

You could also have begun by assigning the observed frequencies to a vector, and then have used the vector name as "x"...

```
> ofs <- c(25,32,18,20)
> chisq.test(ofs)
```

Chi-squared test for given probabilities

```
data: ofs
X-squared = 4.9158, df = 3, p-value = 0.1781
```

Either way, the null hypothesis cannot be rejected at $\alpha = 0.05$.

1. **Sexual harassment in middle and high schools.** A nationally representative survey of students in grades 7 to 12 asked about the experience of these students with respect to sexual harassment.¹¹ One question asked how many times the student had witnessed sexual harassment in school. Here are the data categorized by gender:

Gender	Times witnessed		
	Never	Once	More than once
Girls	140	192	671
Boys	106	125	732

- State H_0 and H_a
- Use R to find the test statistic, χ^2 . What is the p-value of the test statistic?
- Is there a relationship between gender and harassment?

2. **Sexual harassment online or in person.** In the study described above, the students were also asked whether or not they were harassed in person and whether or not they were harassed online. Here are the data for the girls:

Harassed in person	Harassed online	
	Yes	No
Yes	321	200
No	40	441

- State H_0 and H_a .
 - Using R analyze these data for examining a relationship between two categorical variables in a 2×2 table. State your conclusion.
3. **Is there a random distribution of trees?** In [Example 6.1 \(page 352\)](#) we examined data concerning the longleaf pine trees in the Wade Tract and concluded that the distribution of trees in the tract was not random. Here is another way to examine the same question. First, we divide the tract into four equal parts, or quadrants, in the east–west direction. Call the four parts Q_1 to Q_4 . Then we take a random sample of 100 trees and count the number of trees in each quadrant. Here are the data:

Quadrant	Q_1	Q_2	Q_3	Q_4
Count	18	22	39	21

- If the trees are randomly distributed, we expect to find 25 trees in each quadrant. Why? Explain your answer.
- We do not really expect to get *exactly* 25 trees in each quadrant. Why? Explain your answer.
- Using R, perform the goodness-of-fit test for these data to determine if these trees are randomly scattered. Write a short report giving the details of your analysis and your conclusion.