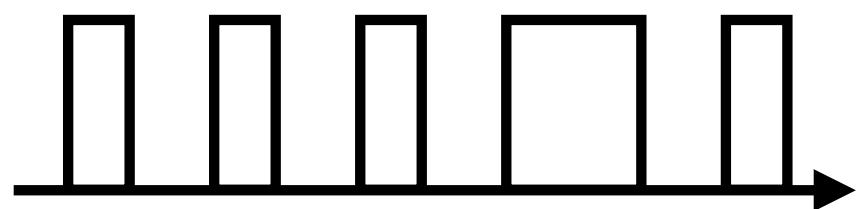
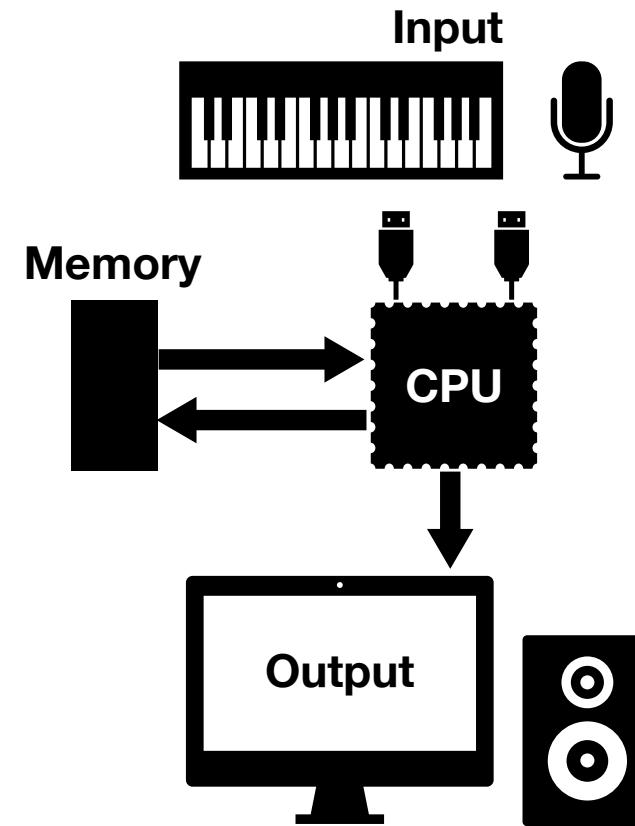
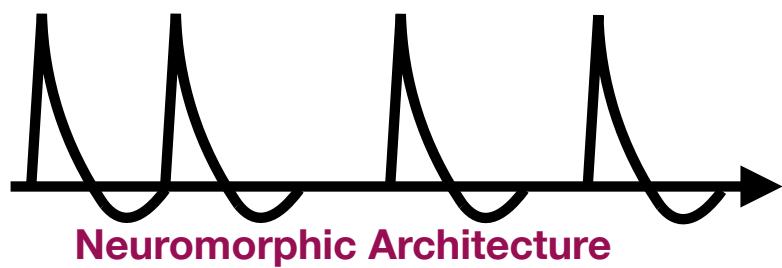


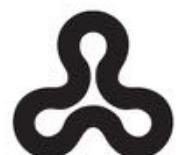
# Three Perspectives on Neuromorphic Computing



Algorithm  
Designer



**NOEL**



---

# Can Programming Be Liberated from the von Neumann Style? A Functional Style and Its Algebra of Programs

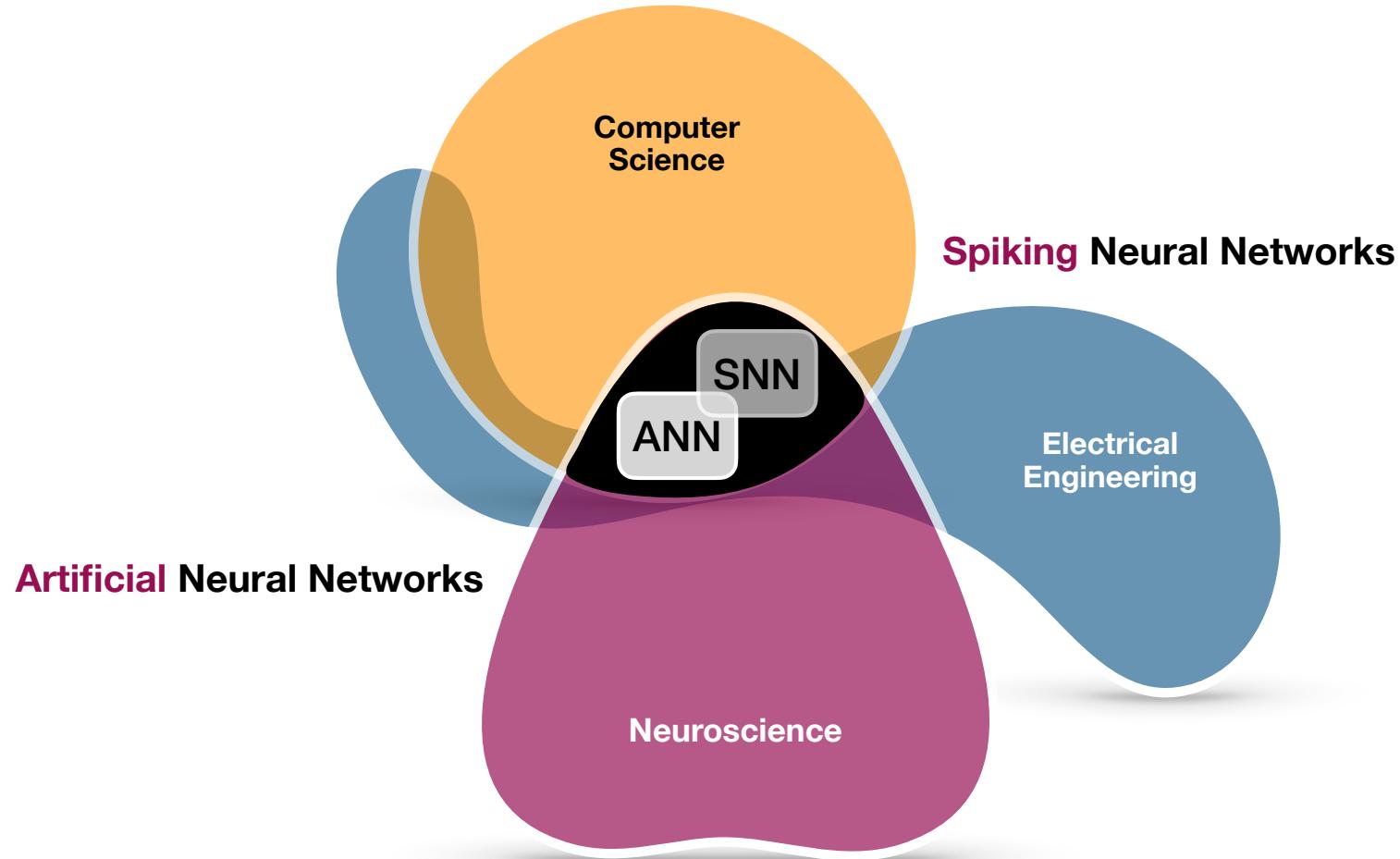
John Backus

IBM Research Laboratory, San Jose



“It is an **intellectual bottleneck** that has kept us tied to **word-at-a-time thinking** instead of encouraging us to think in terms of the **larger conceptual units**”

# Neuromorphic Engineering



# **Neural Engineering Framework**

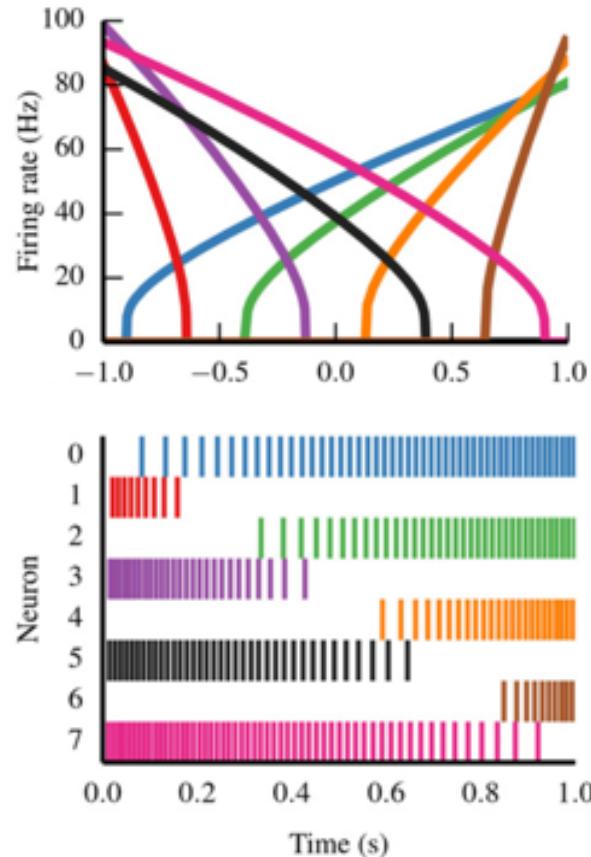
## Computing with Spiking Neural Networks



# Neural Engineering Framework

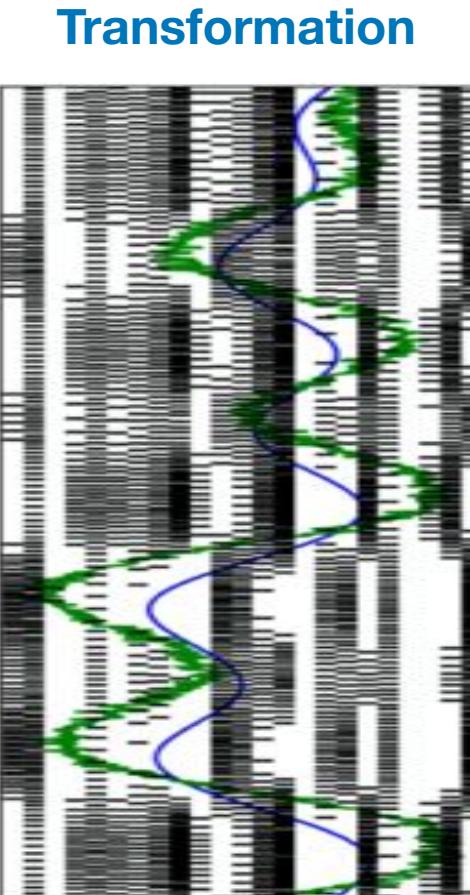
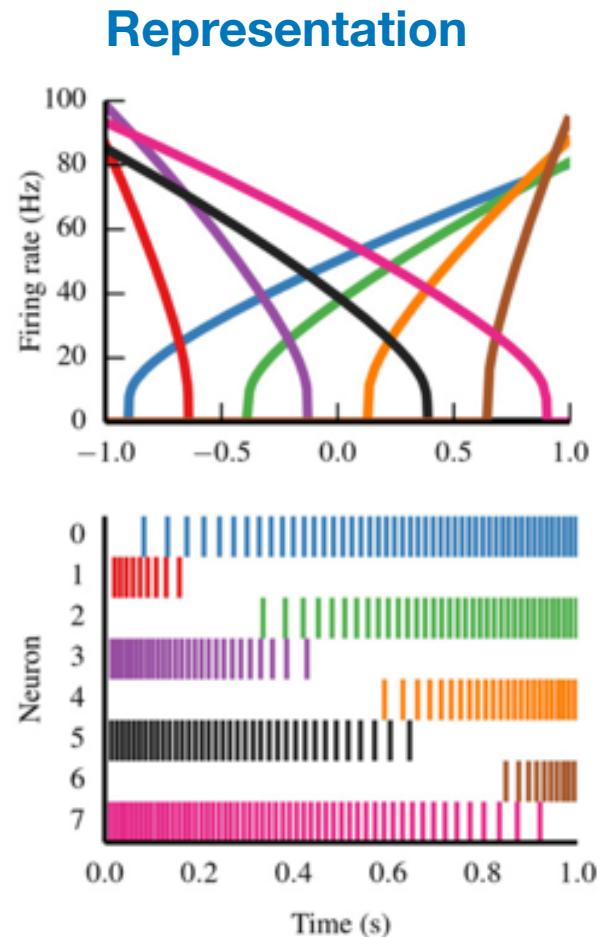
## Computing with Spiking Neural Networks

### Representation



# Neural Engineering Framework

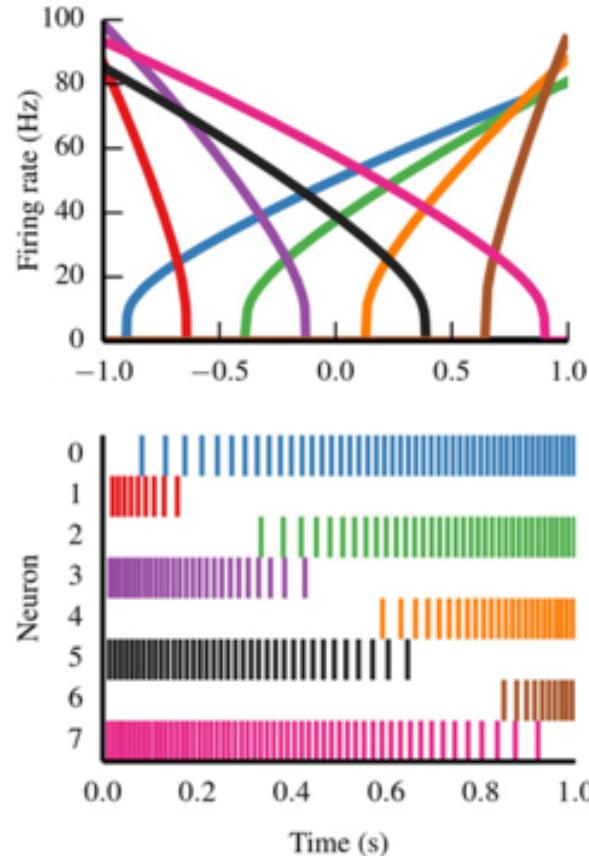
## Computing with Spiking Neural Networks



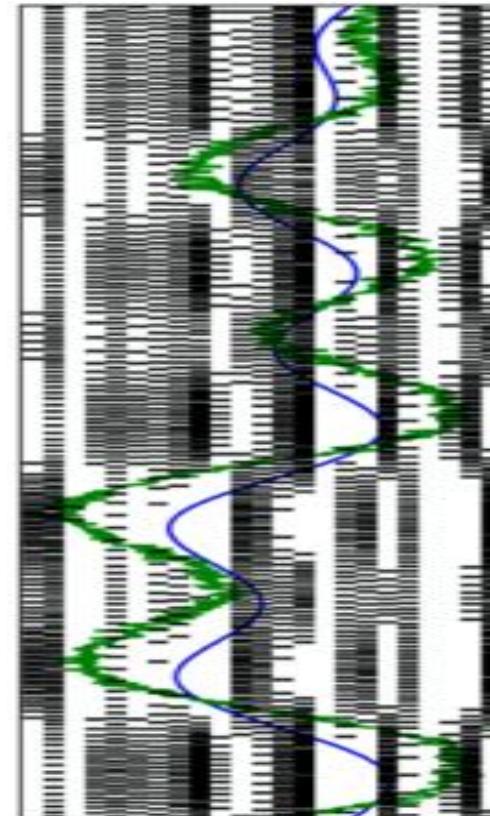
# Neural Engineering Framework

## Computing with Spiking Neural Networks

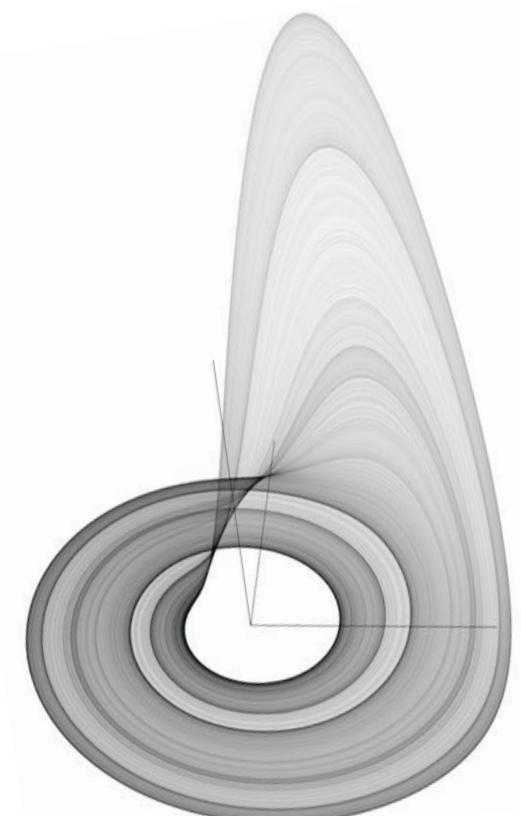
Representation



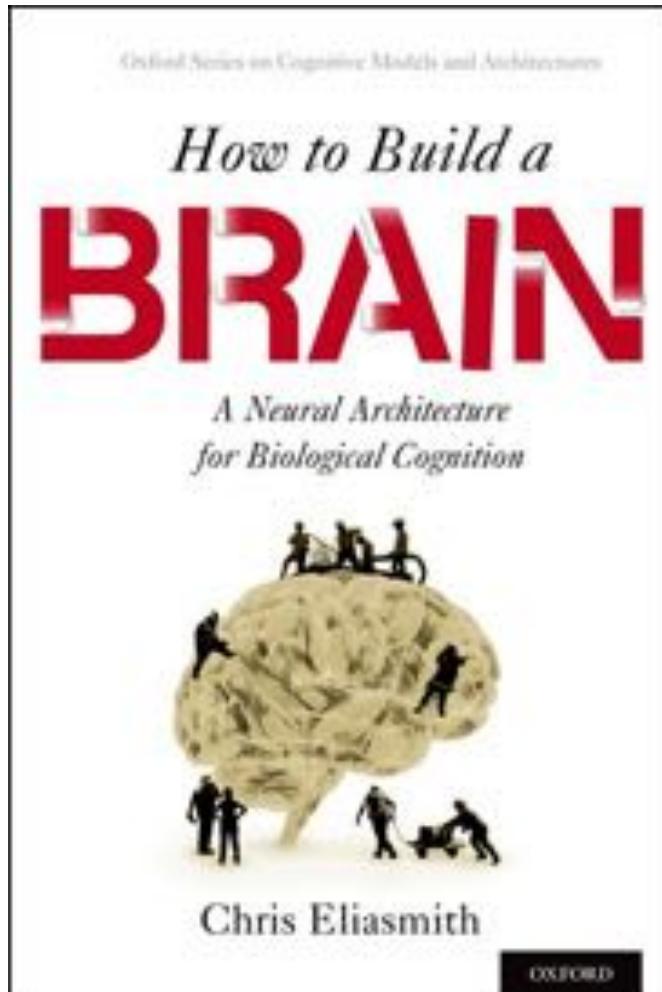
Transformation



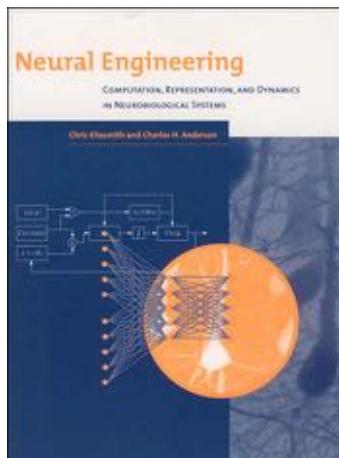
Dynamics



## The Neural Engineering Framework (NEF)



**Throwing out** most of the cortex's complicated **anatomy** and **physiology**. Identified a **minimal set of neuronal properties** - linear exponentially decaying **synaptic responses** and heterogeneous nonlinear **somatic responses** - sufficiently powerful to **approximate** any linear or nonlinear **dynamical** system.



# SPOT By Boston Dynamics



# Main Characteristic

Control System / Feedback Loops





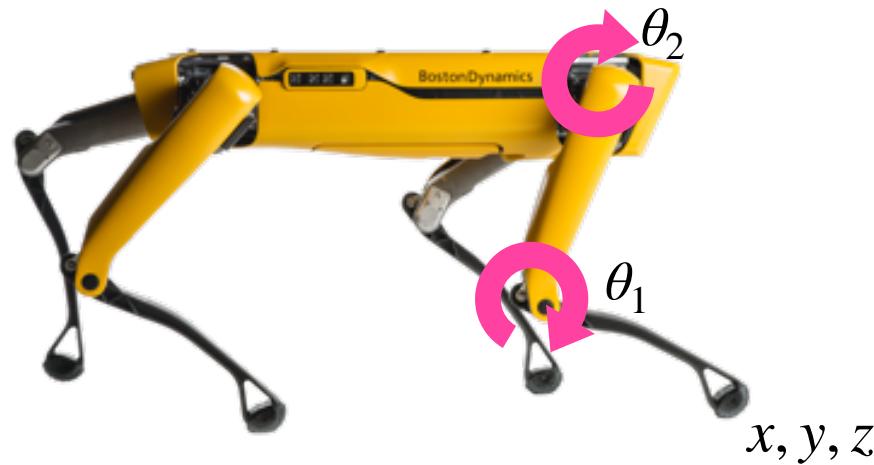
**NOEL**



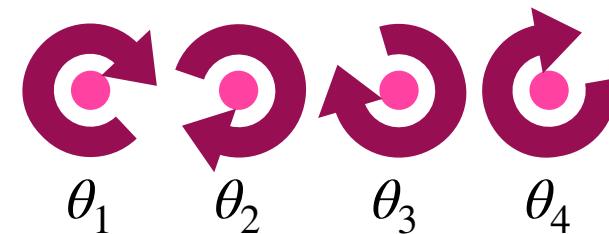
# Robotics Fundamentals

## Forward Transformations

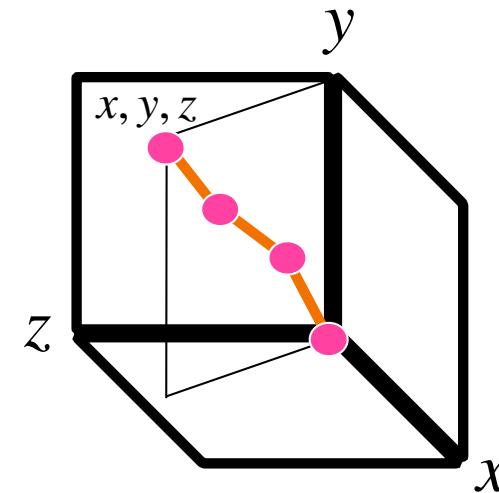
Robotic arm/leg



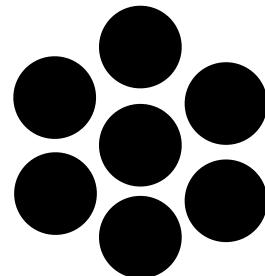
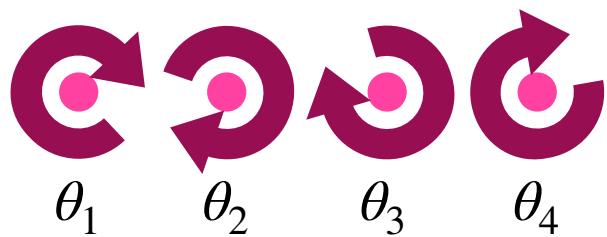
Joint-angle space



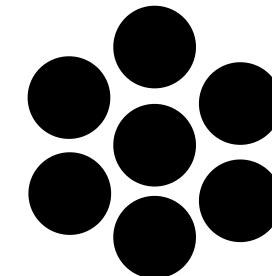
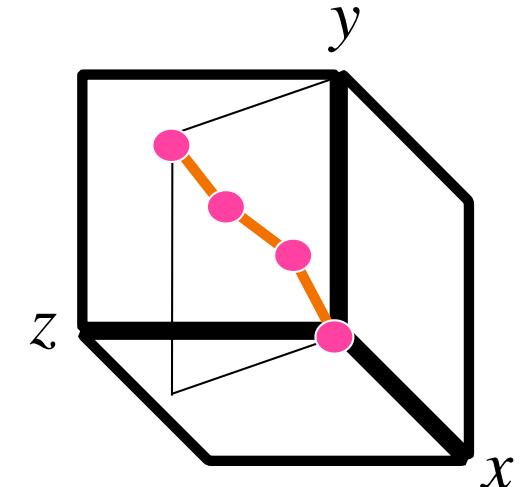
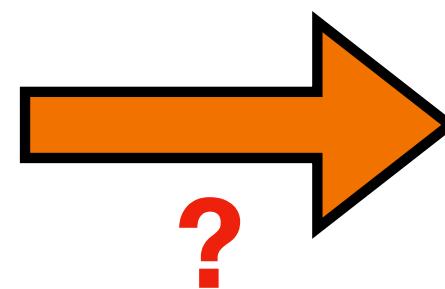
Operational (task) space



# Neuromorphic Robotic Control with Spiking Neural Networks



Neuron  
Ensemble



Neuron  
Ensemble

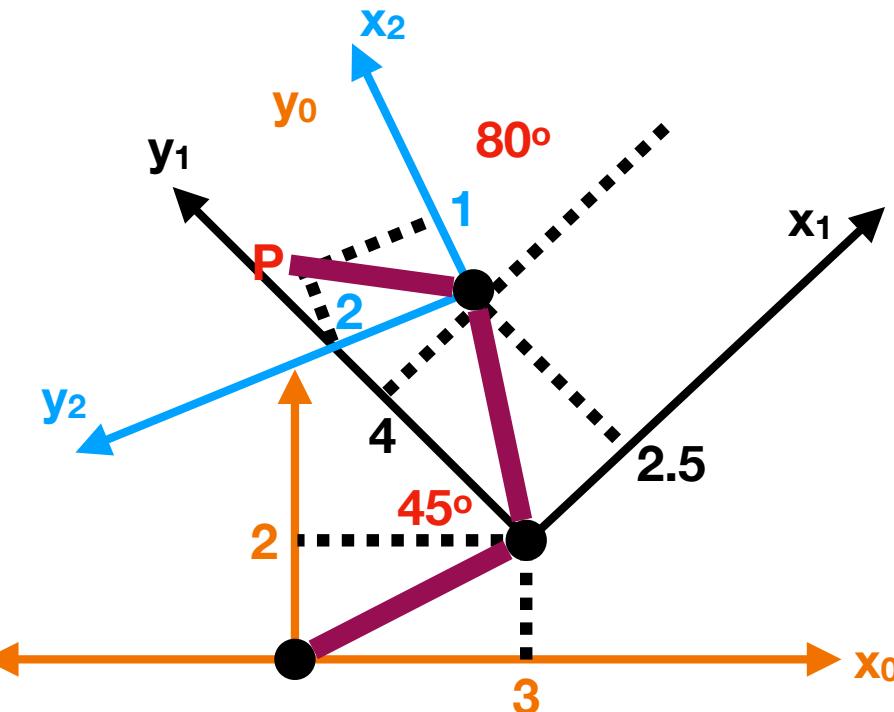


# Robotics Fundamentals

## Forward Transformations



Yuval Zaidel



$${}^2_1 T = \begin{pmatrix} \cos(80) & -\sin(80) & 2.5 \\ \sin(80) & \cos(80) & 4 \\ 0 & 0 & 1 \end{pmatrix} \quad {}^1_0 T = \begin{pmatrix} \cos(45) & -\sin(45) & d_3 \\ \sin(45) & \cos(45) & d_2 \\ 0 & 0 & 1 \end{pmatrix}$$

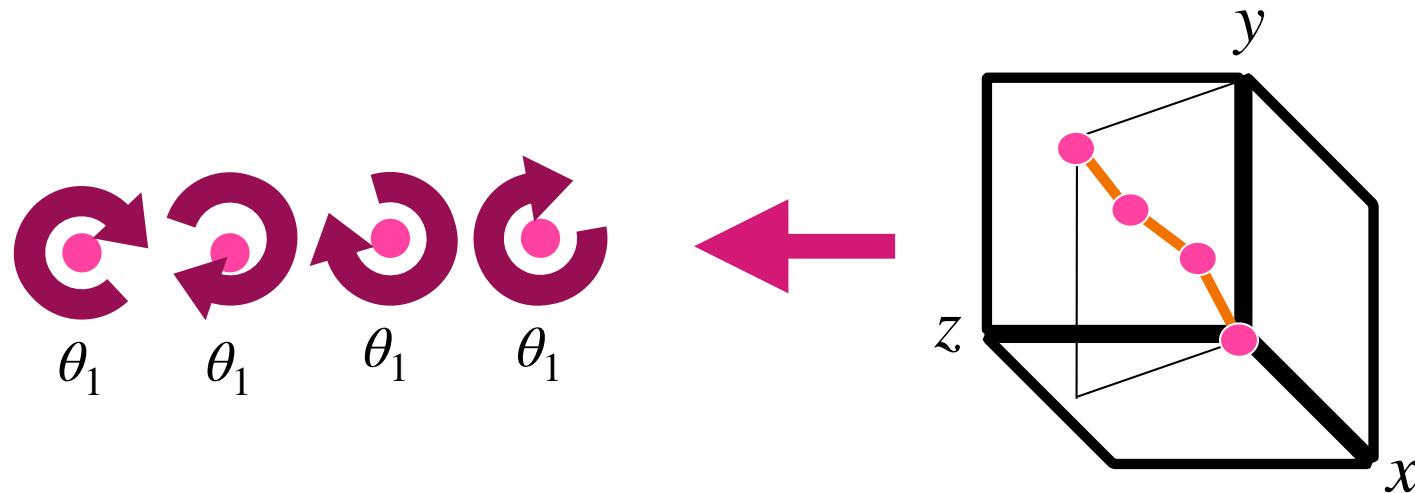
$$P_0 = {}^1_0 T {}^2_1 T \cdot p_2 = {}^2_0 T \cdot p_2 = \begin{pmatrix} \cos(45) & -\sin(45) & d_3 \\ \sin(45) & \cos(45) & d_2 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \cos(80) & -\sin(80) & 2.5 \\ \sin(80) & \cos(80) & 4 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} 1 \\ 2 \\ 1 \end{pmatrix} = \begin{pmatrix} -0.273 \\ 6.268 \\ 1 \end{pmatrix}$$

# Robotics Fundamentals

## Inverse Kinematics

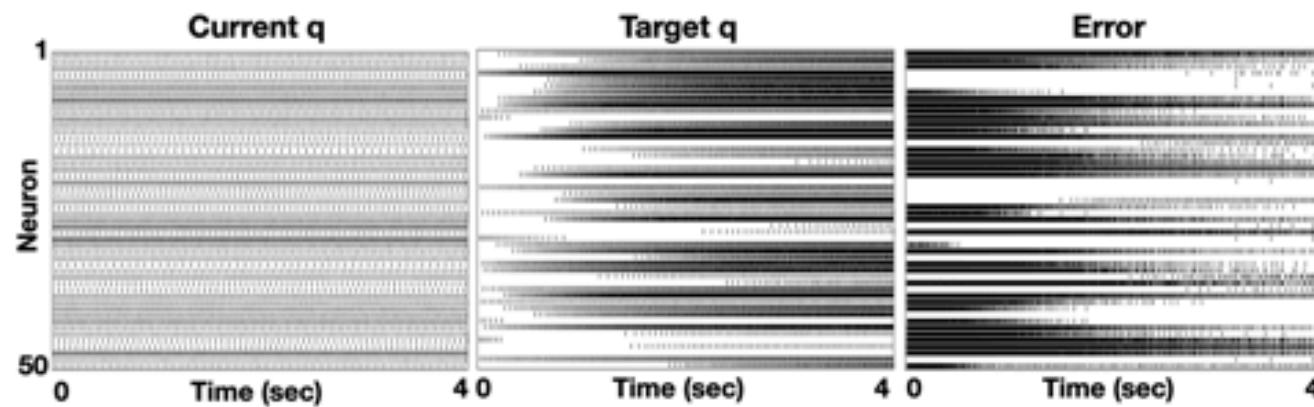
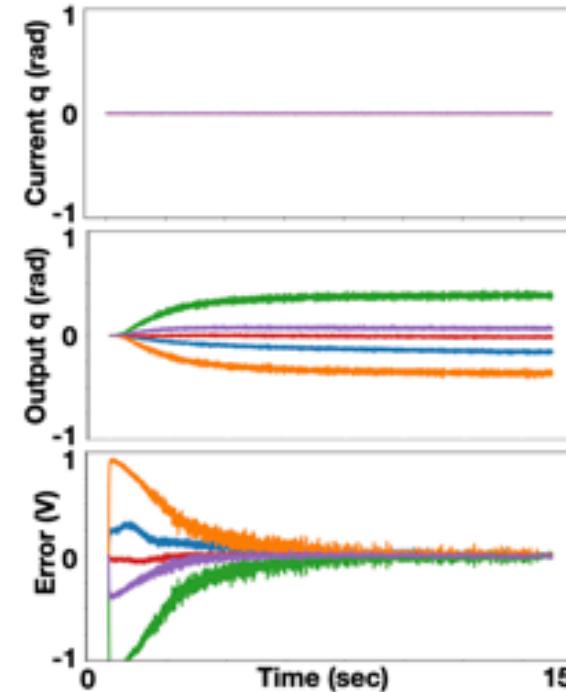
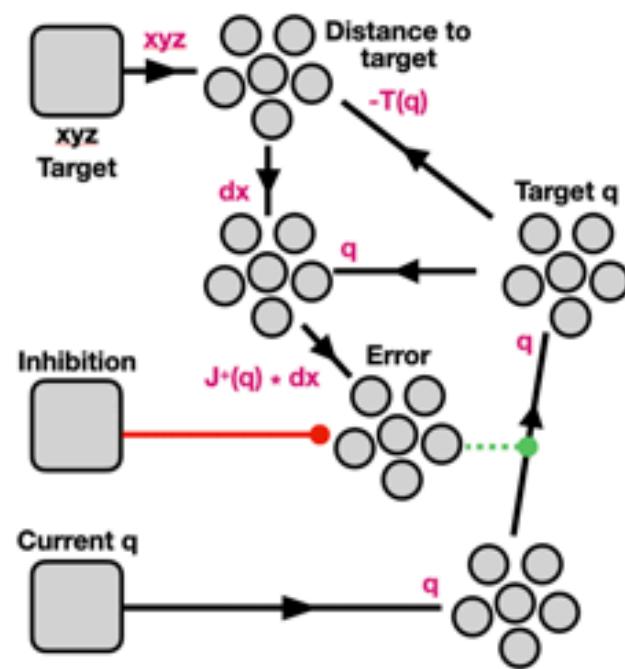


Yuval Zaidel



**Math is more complicated  
Need to optimise (multiple ways to achieve one goal)**

# Inverse Kinematics



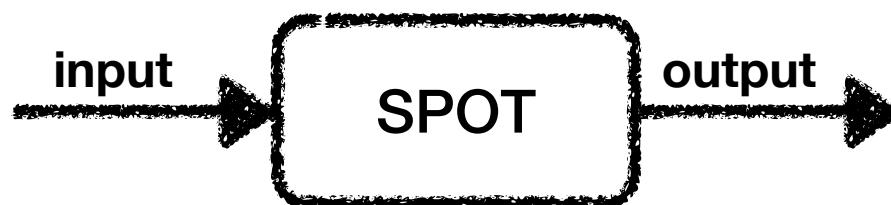
Yuval Zaidel

## Main Characteristic

Control System / Feedback Loops

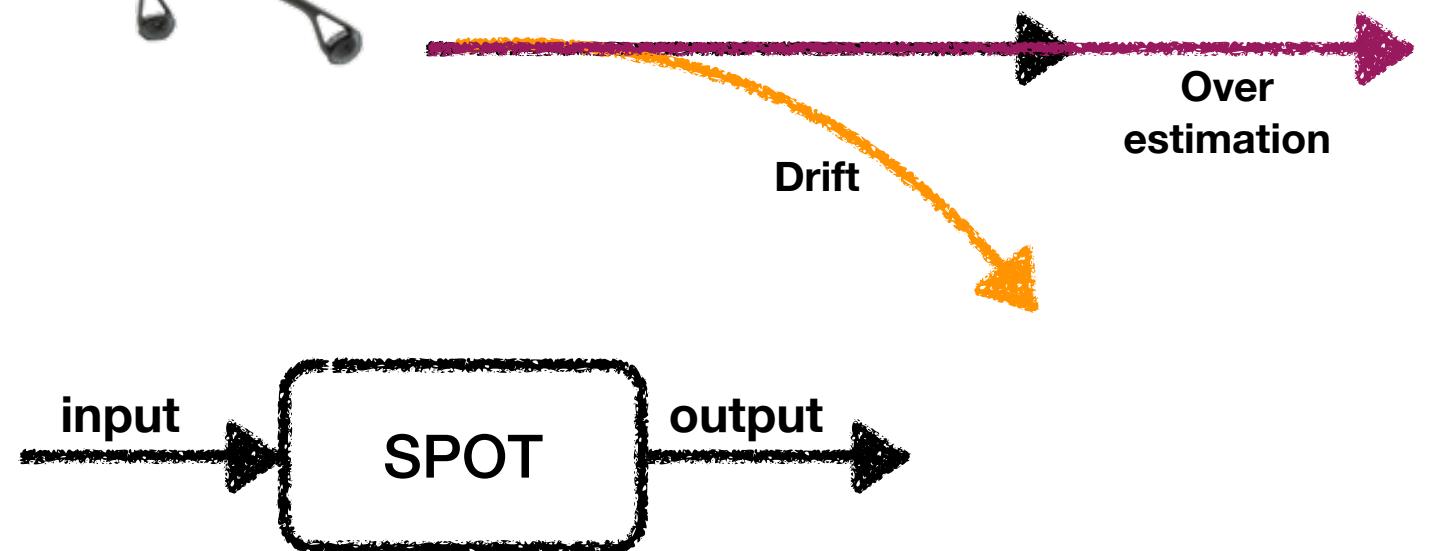


Calculate time based on movement velocity and distance from goal



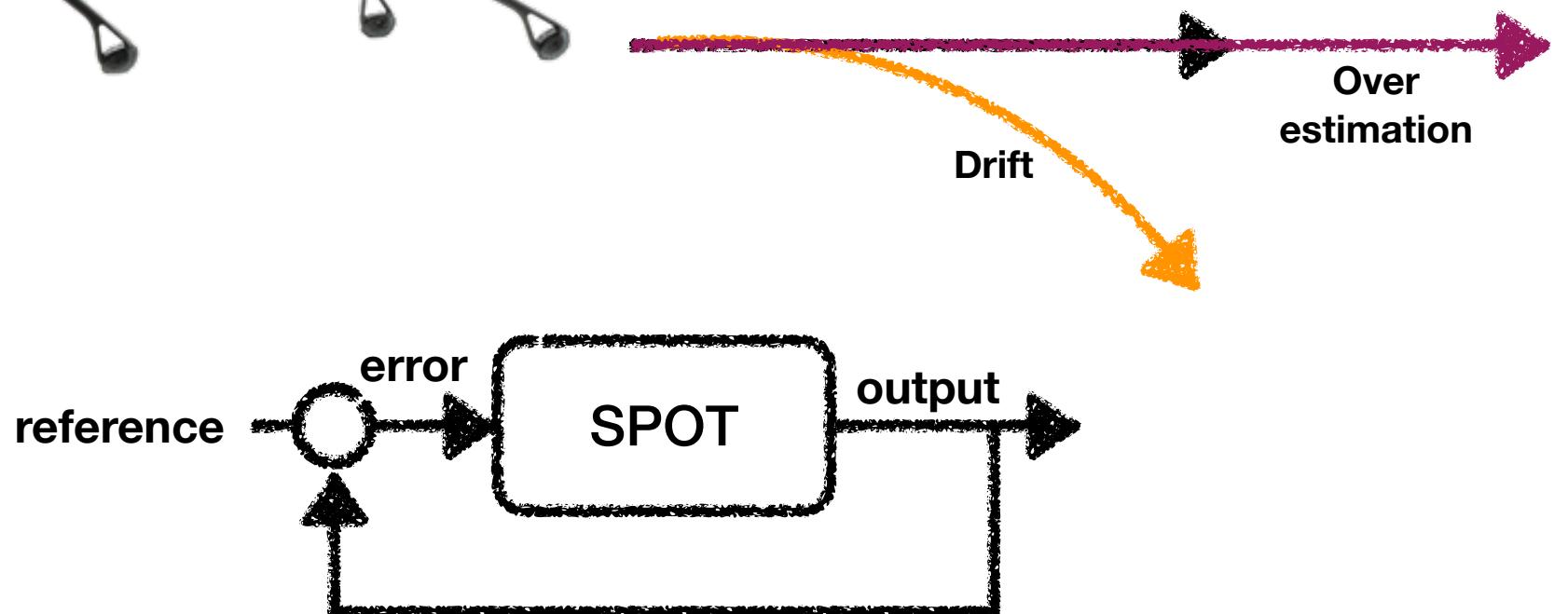
# Main Characteristic

## Control System / Feedback Loops



# Main Characteristic

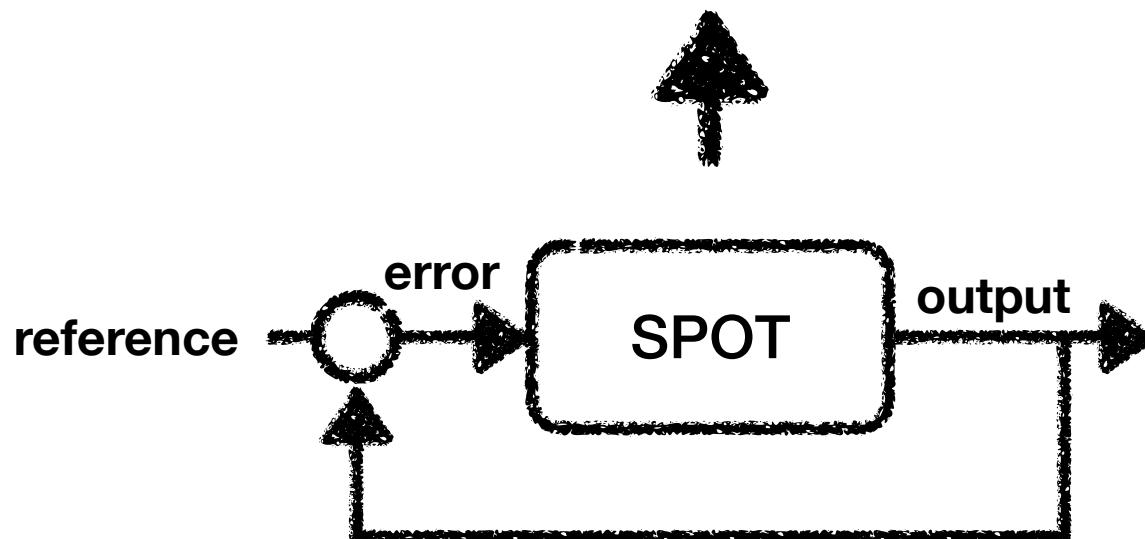
## Control System / Feedback Loops



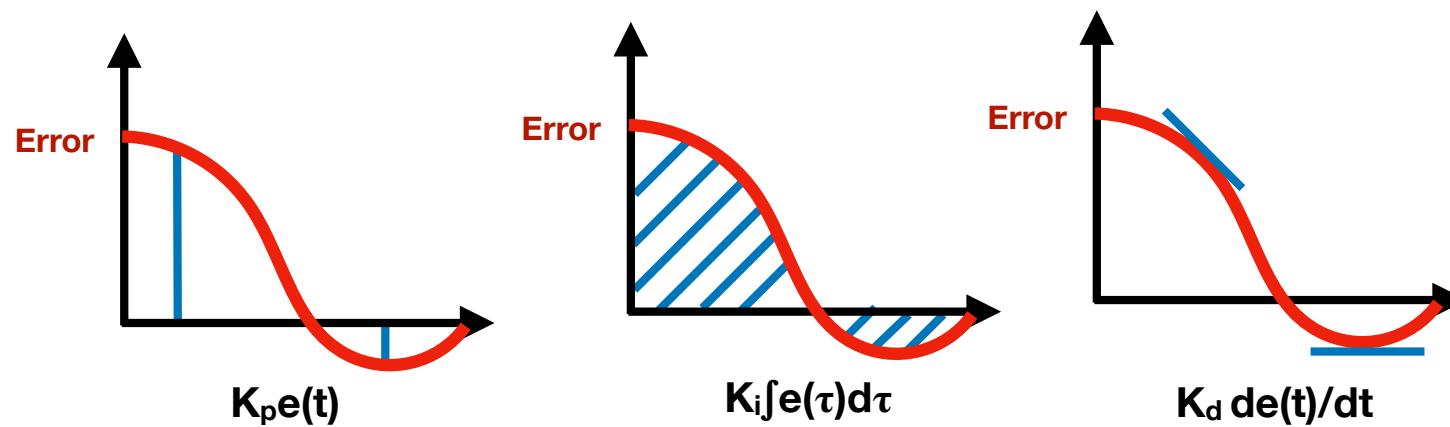
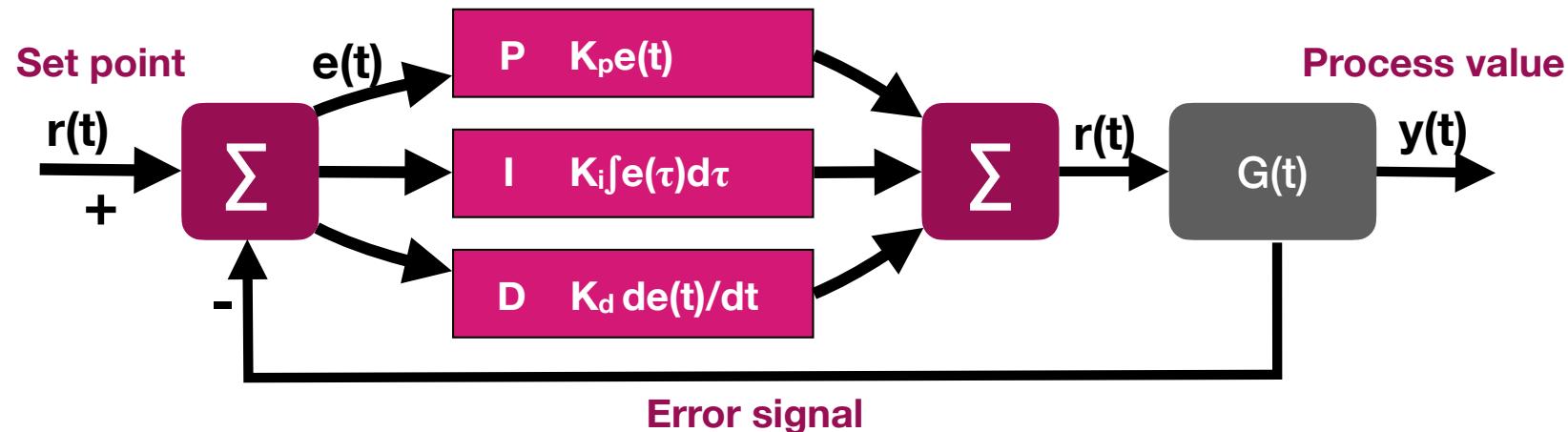
## Main Characteristic

Control System / Feedback Loops

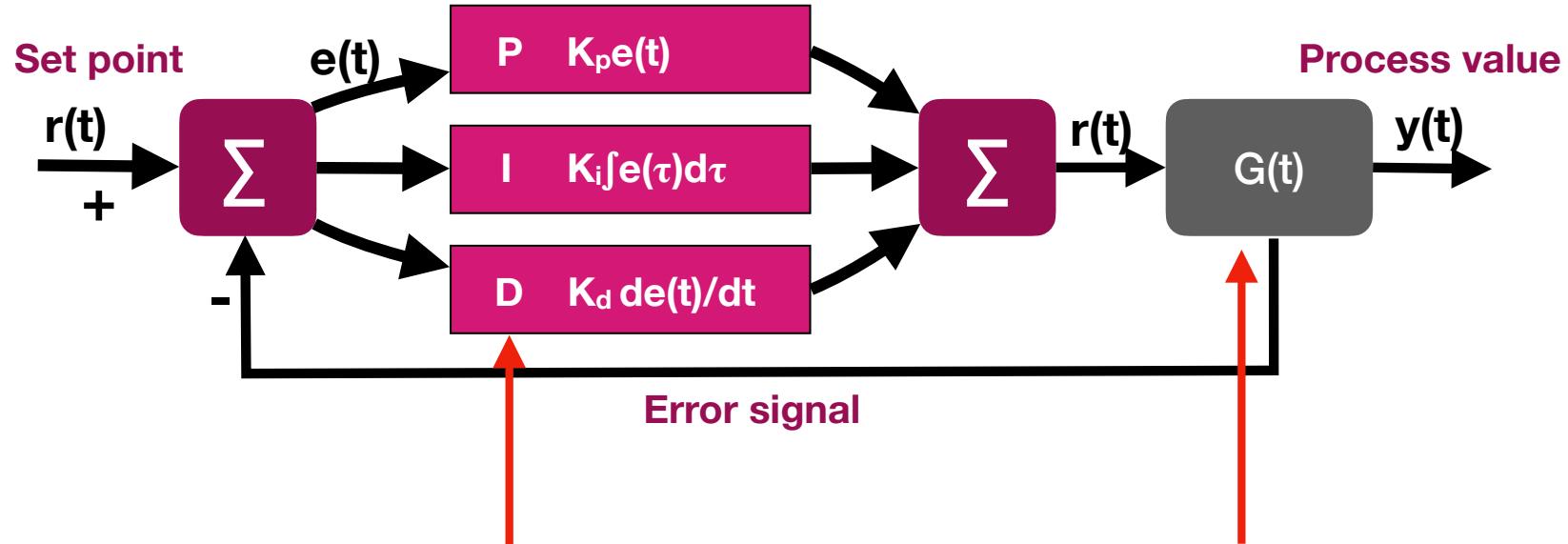
Integration of **sensing** and  
**computation**



# A Proportional–Integral–Derivative (PID) Controller

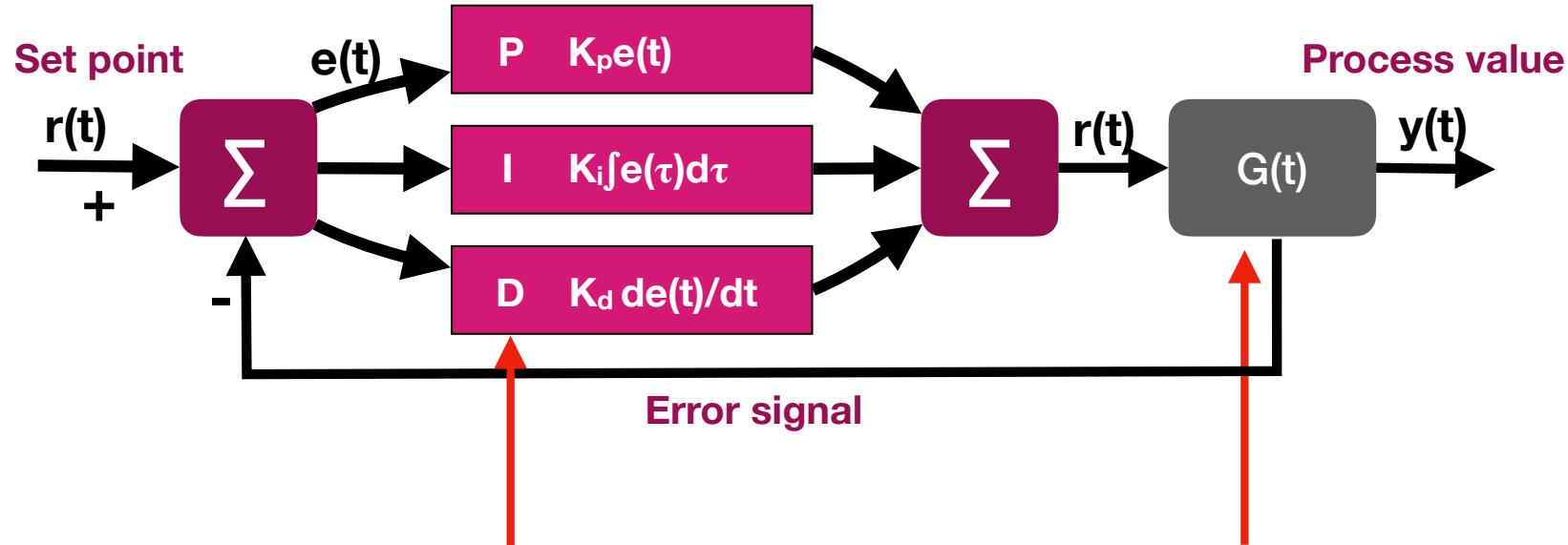


# A Proportional–Integral–Derivative (PID) Controller



**One specific operating condition:** ideal for industrial robotics  
What about supporting **several** conditions?

# A Proportional–Integral–Derivative (PID) Controller



**One specific operating condition:** ideal for industrial robotics

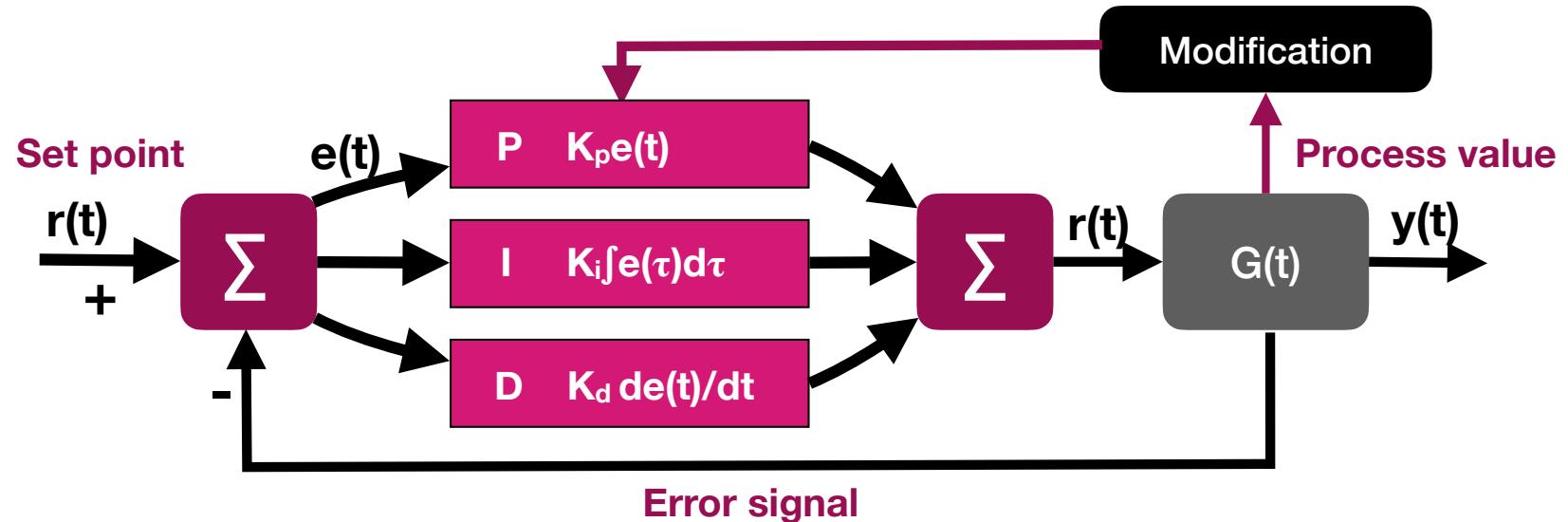
What about supporting **several** conditions?

Design nonlinear controller  
Hard, sometimes impossible

Build linear robust controller  
Drop in performance

**PID**  
Limit operation  
Robust / Adaptive control

# A Proportional–Integral–Derivative (PID) Controller



**Robust (e.g. LPV)**

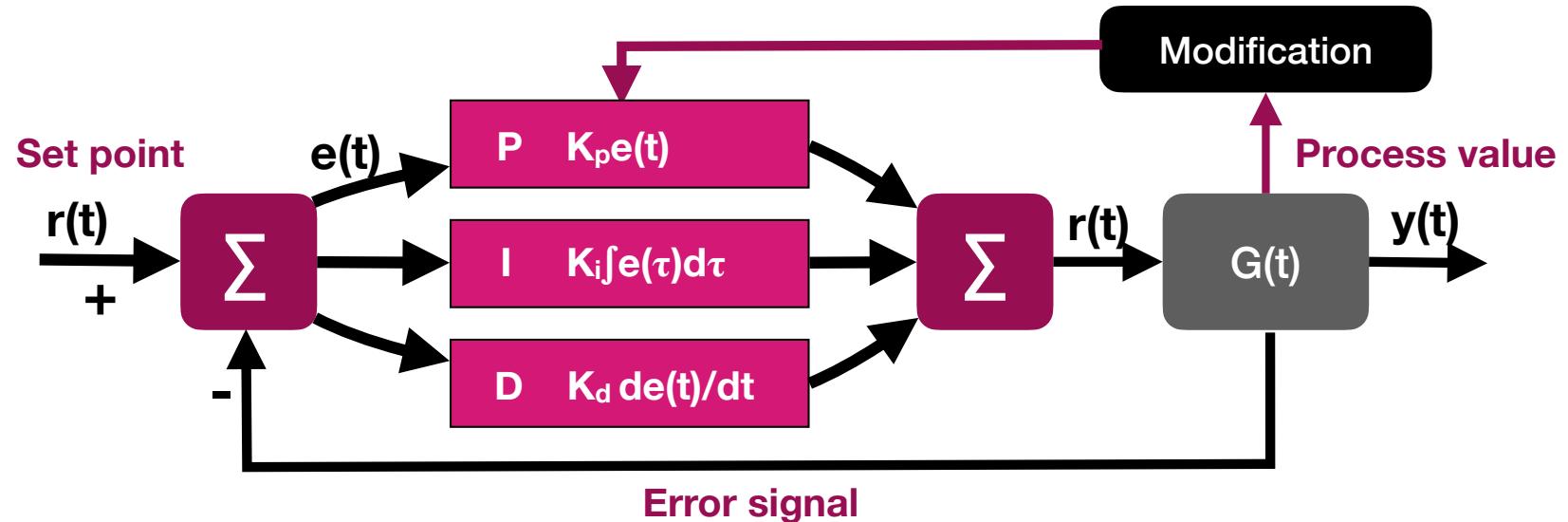
**Priori knowledge and not efficient**

Highly dimensional parameter space

Memory-performance tradeoff

Smooth transitioning

# A Proportional–Integral–Derivative (PID) Controller



Robust (e.g. LPV)



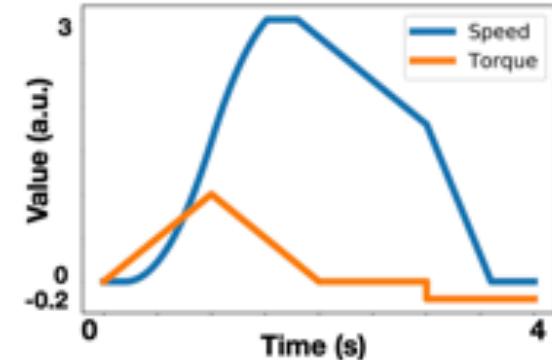
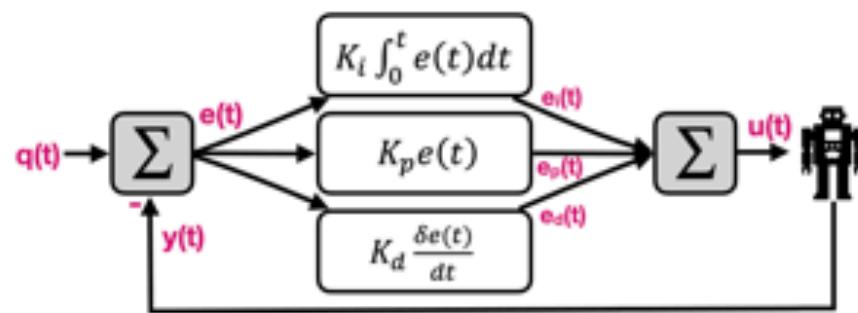
Adaptive PID control

Priori knowledge and not efficient

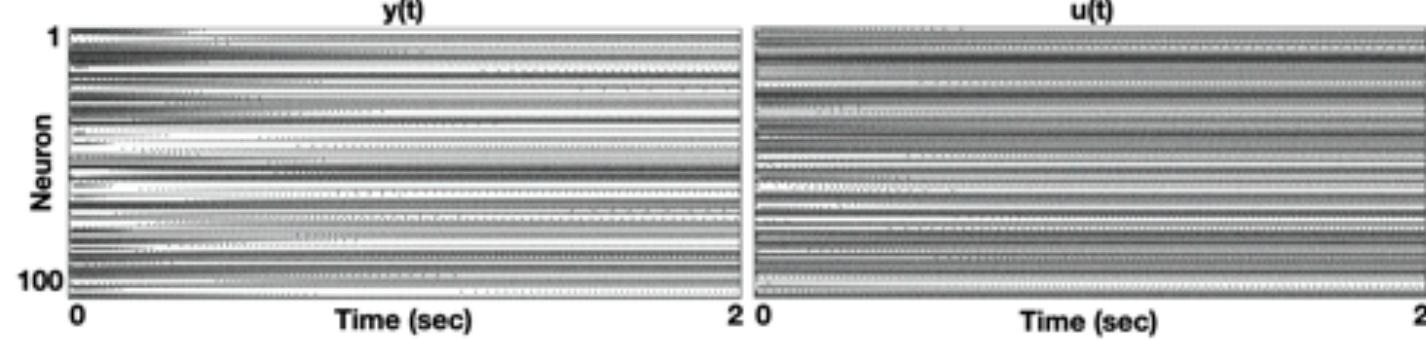
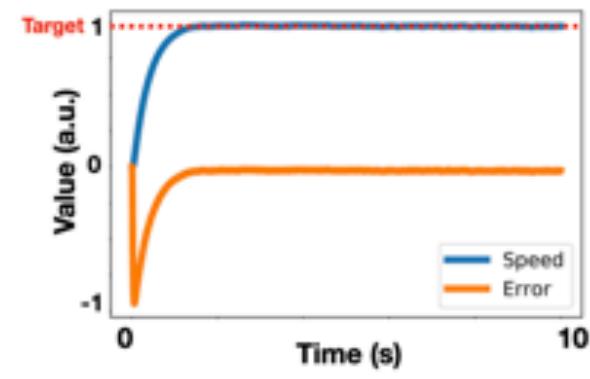
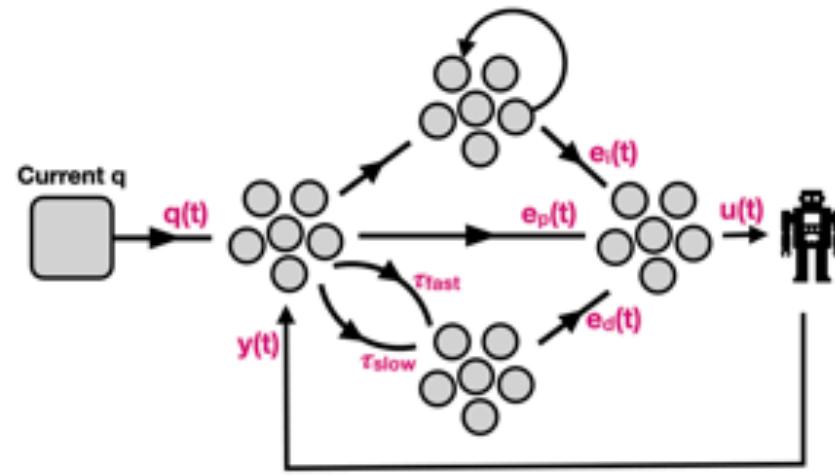
Highly dimensional parameter space

Memory-performance tradeoff

Smooth transitioning

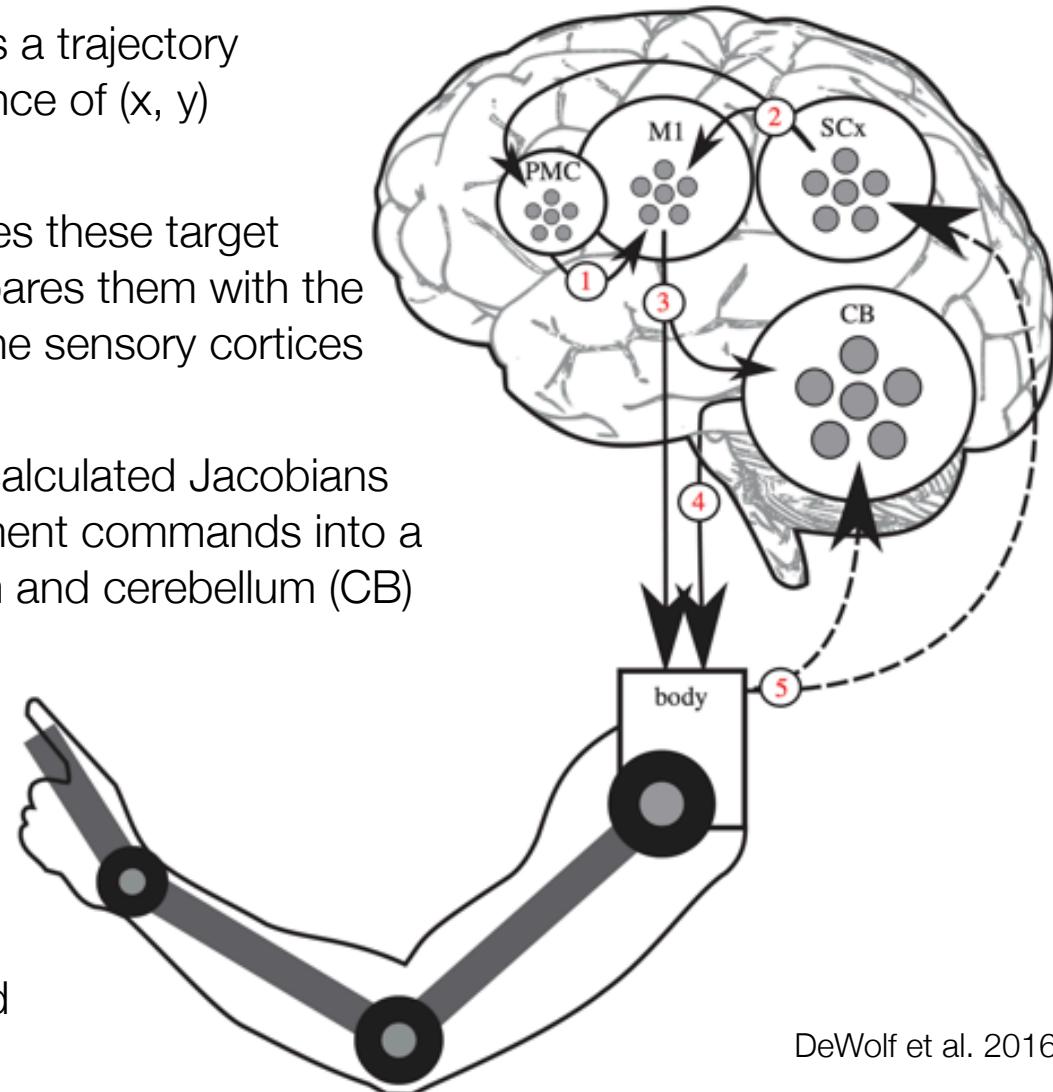


  
Albert Shalumov



# Adaptive Control

- The premotor cortex (PMC) generates a trajectory for the system to follow with a sequence of (x, y) coordinates.
- The primary motor cortex (M1) receives these target positions (1) from the PMC and compares them with the current system state, received from the sensory cortices (SCx), through (2).
- M1 combines this signal with locally calculated Jacobians to transform the desired hand movement commands into a low-level signal that is sent to the arm and cerebellum (CB) along (3).
- The CB projects an adaptive signal to the body along (4) that compensates for velocity and movement errors. **Visual and proprioceptive feedback** projects from the body along (5) to the CB and SCx.

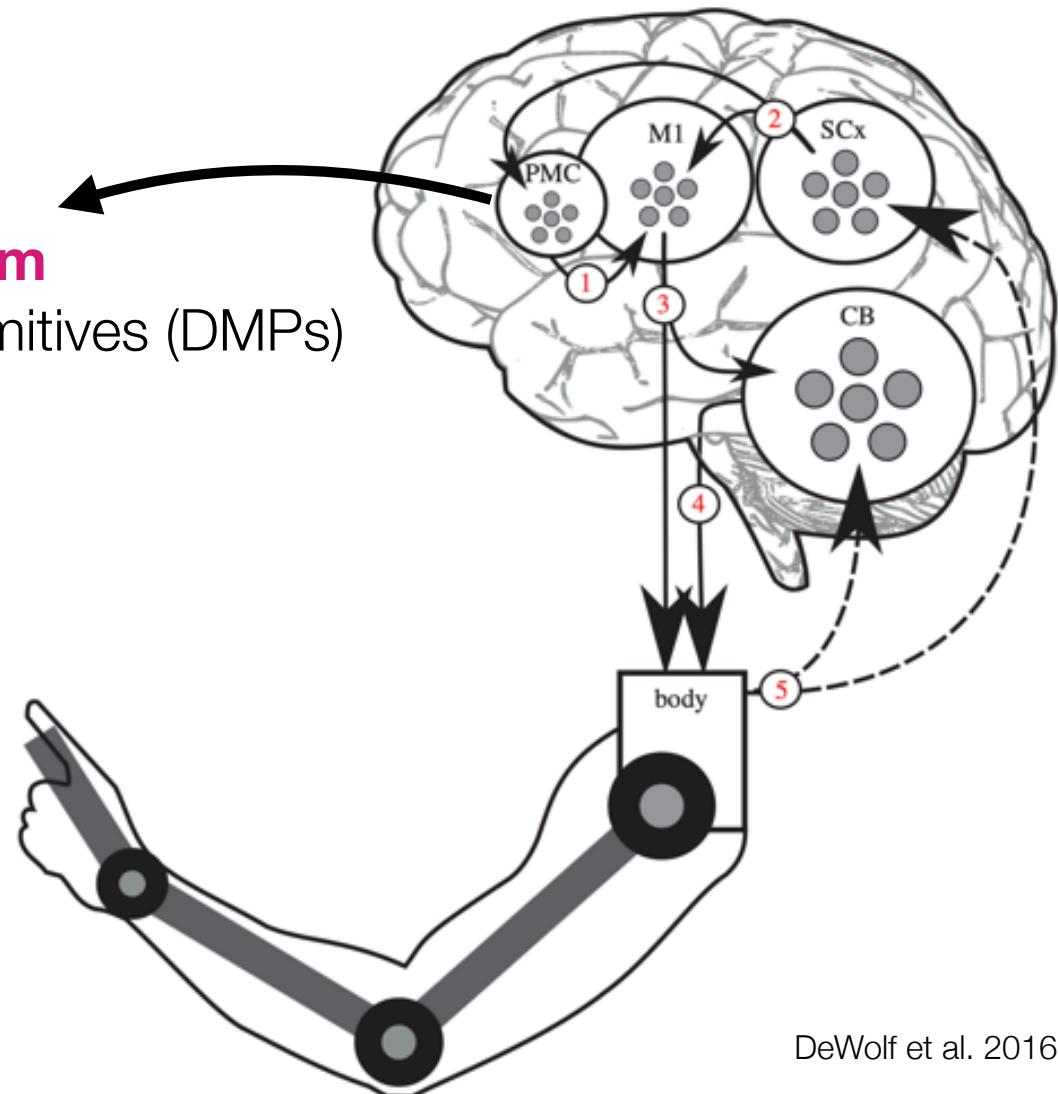


DeWolf et al. 2016

# Adaptive Control

**PMC:**  
**Trajectory generation system**

Using Dynamic Movement Primitives (DMPs)



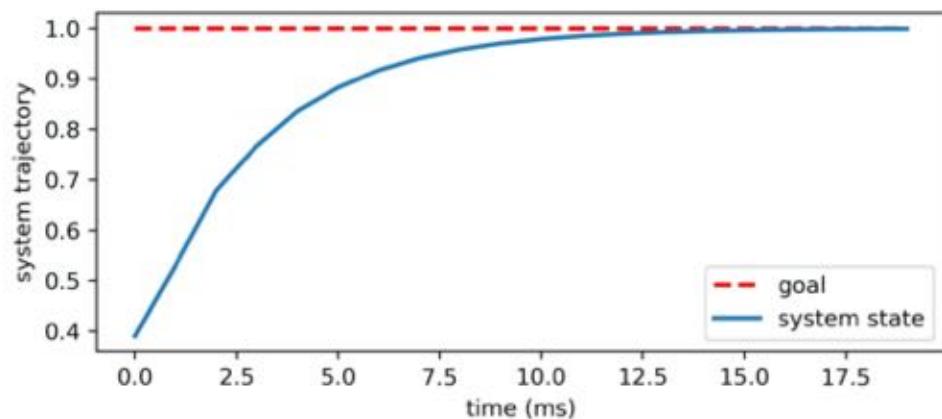
DeWolf et al. 2016

# Dynamic movement primitives (DMPs)

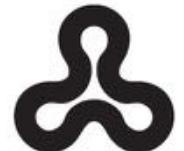
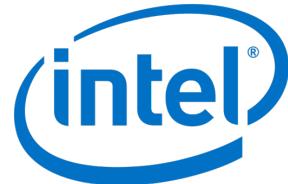
## Discret DMP

$$\ddot{y} = \alpha_y(\beta_y(g - y) - \dot{y})$$

Gain terms      Goal      System state  
—————  
PD controller



**N**oEL accenture



# Dynamic movement primitives (DMPs)

## Discret DMP

$$\ddot{y} = \alpha_y (\beta_y (g - y) - \dot{y}) + f$$

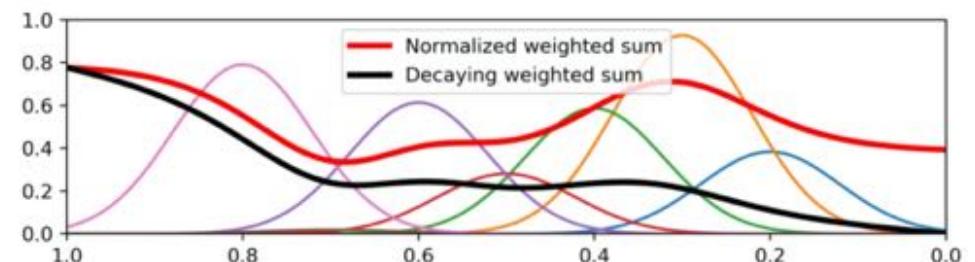
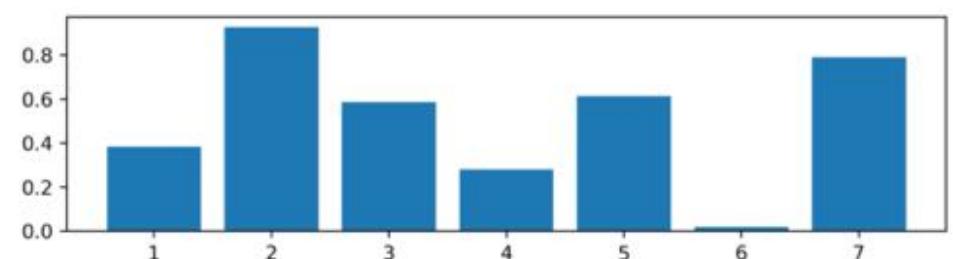
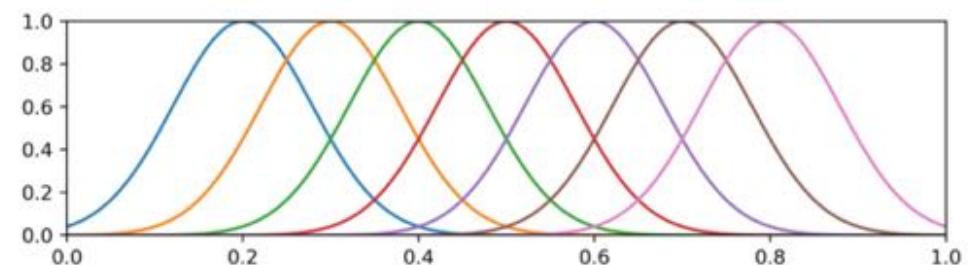
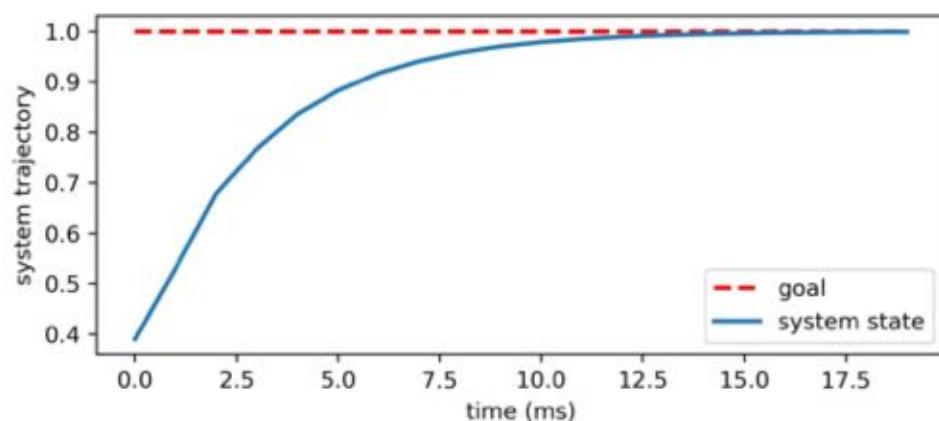
Gain terms      Goal      System state      Modifying Force  
 PD controller      Non-linear term

$$f(x, g) = \frac{\sum_{i=1}^N \Psi_i \cdot w_i}{\sum_{i=1}^N \Psi_i} \cdot x(g - y)$$

Canonical system  
Decaying from 1 to 0

$$\Psi_i = \exp(-h_i \cdot (x - c_i)^2)$$

Gaussian centered at  $c_i$  with  $h_i$  variance



# Dynamic movement primitives (DMPs)

## Discret DMP

$$\sum_t \Psi_i(t) (f_d(t) - w_i(x(t)(g - y)))^2$$

←

$$f_d = \ddot{y}_d - \alpha_y (\beta_y(g - y) - \dot{y})$$

Desired force to trace  
desired trajectory  $y_d$

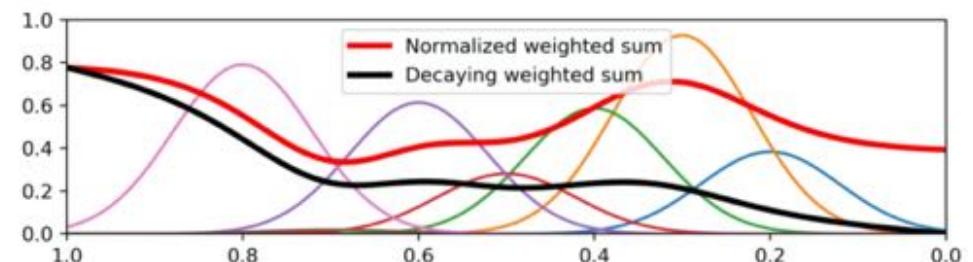
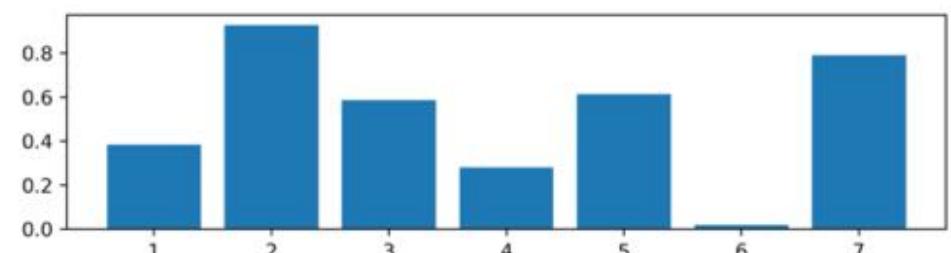
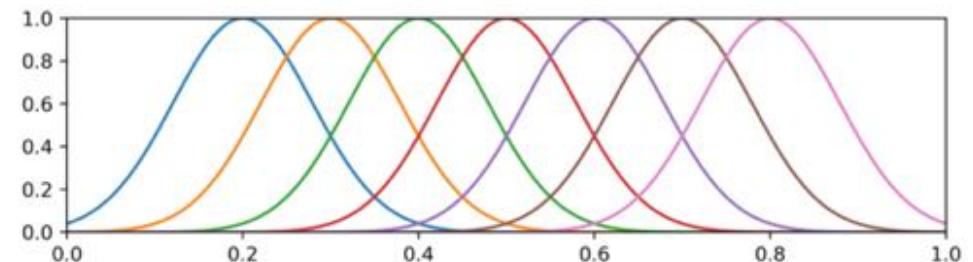
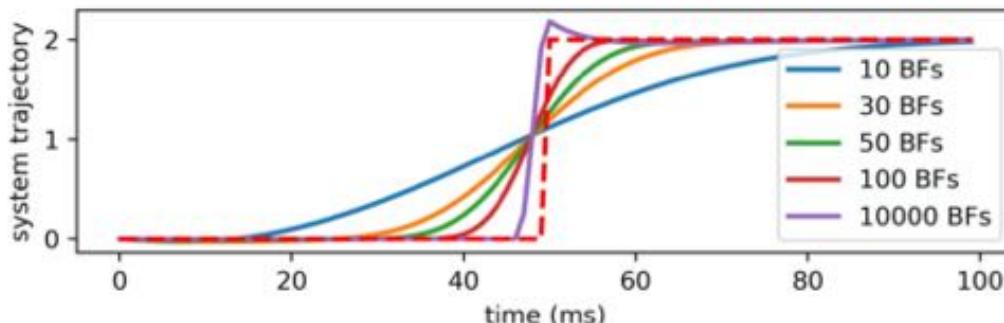
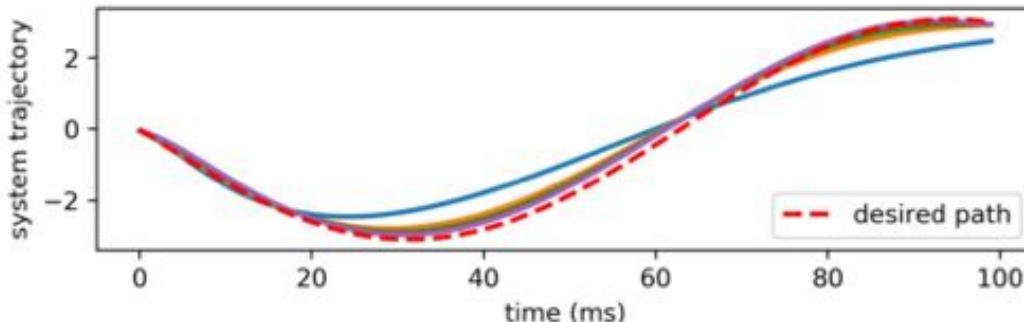
Canonical system  
Decaying from 1 to 0

$$f(x, g) = \frac{\sum_{i=1}^N \Psi_i \cdot w_i}{\sum_{i=1}^N \Psi_i} \cdot x(g - y)$$

$$\Psi_i = \exp(-h_i \cdot (x - c_i)^2)$$

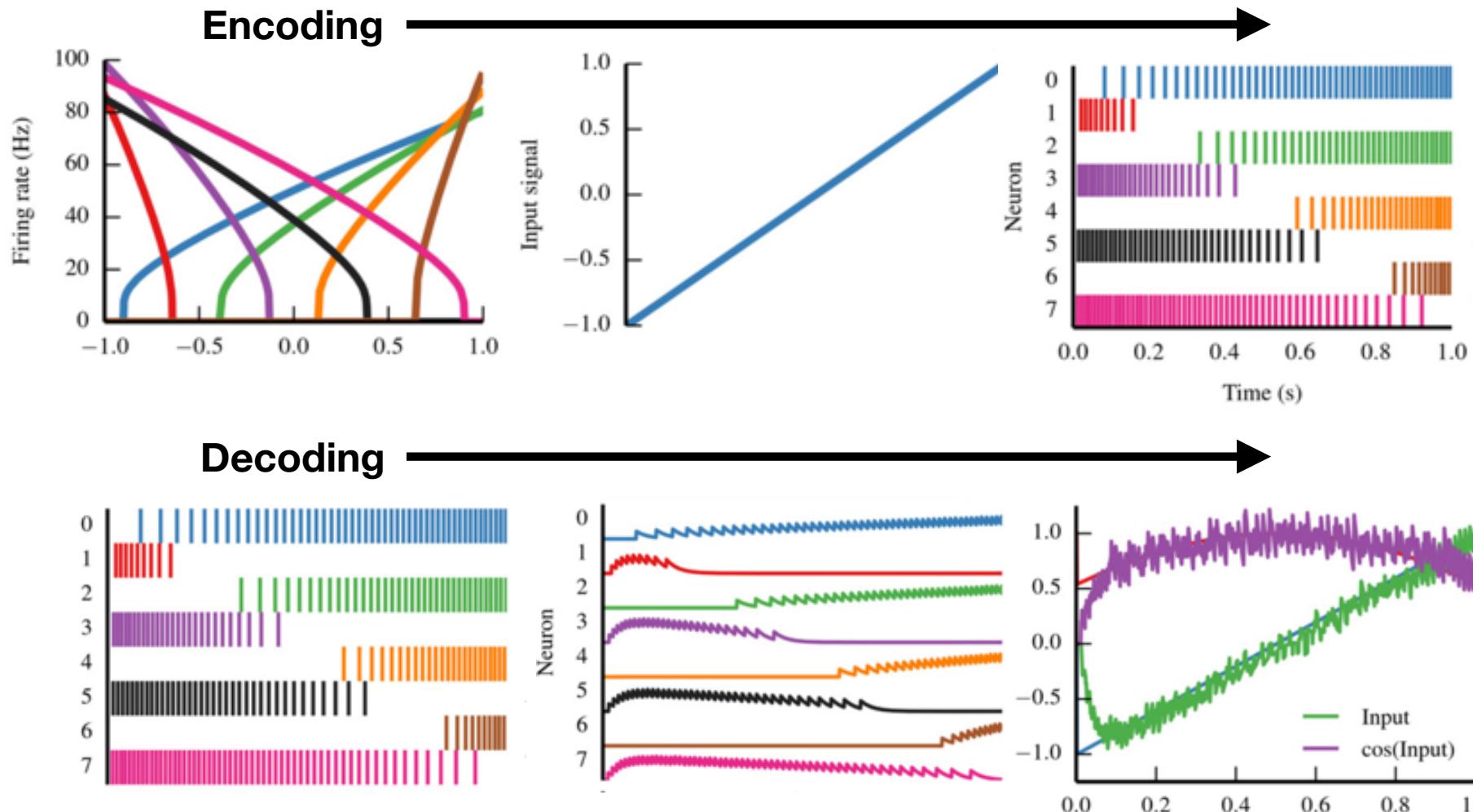
Gaussian centered at  $c_i$  with  $h_i$  variance

## Optimizing for a desired path



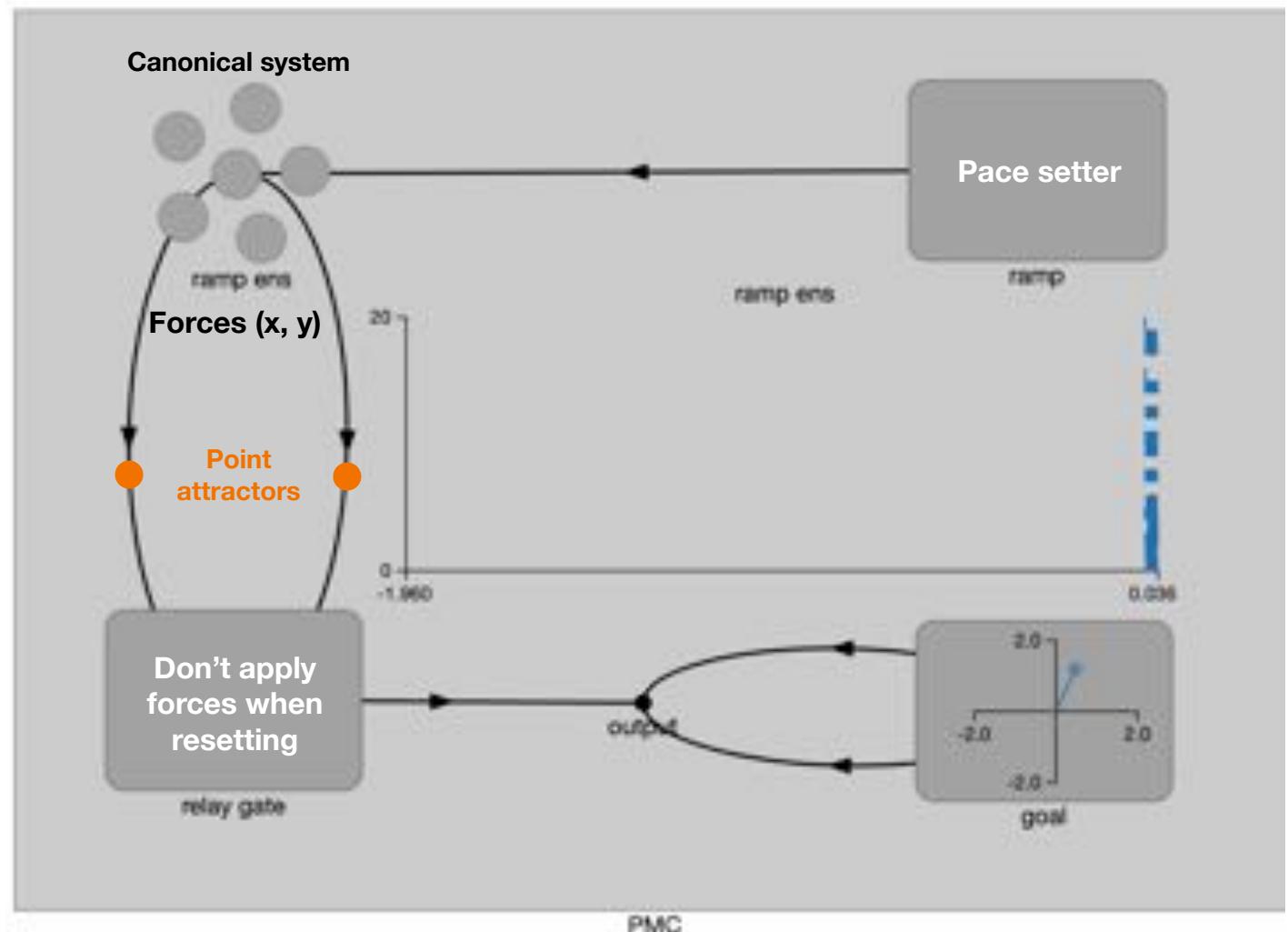
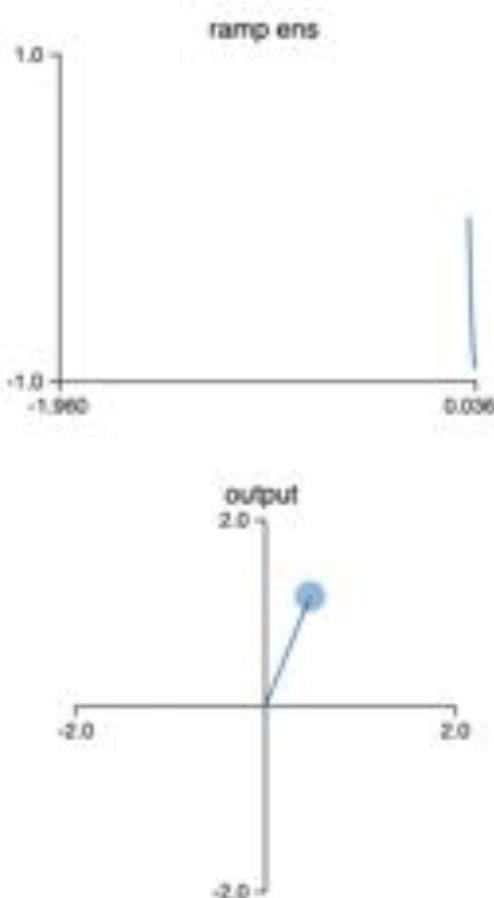
# Dynamic movement primitives (DMPs)

In the Neural Engineering Framework



# Dynamic movement primitives (DMPs)

## In Spiking Neurons



# Operation Space Control

$$u = -J \cdot f_x$$

Control in joint space

Force in operational space

$$f_x = M_x \cdot \ddot{x}$$

Acceleration to force

$$\ddot{x} = k_p(x - x_t) + k_v(\dot{x} - \dot{x}_t)$$

Zero velocity @ target

PD controller for acceleration

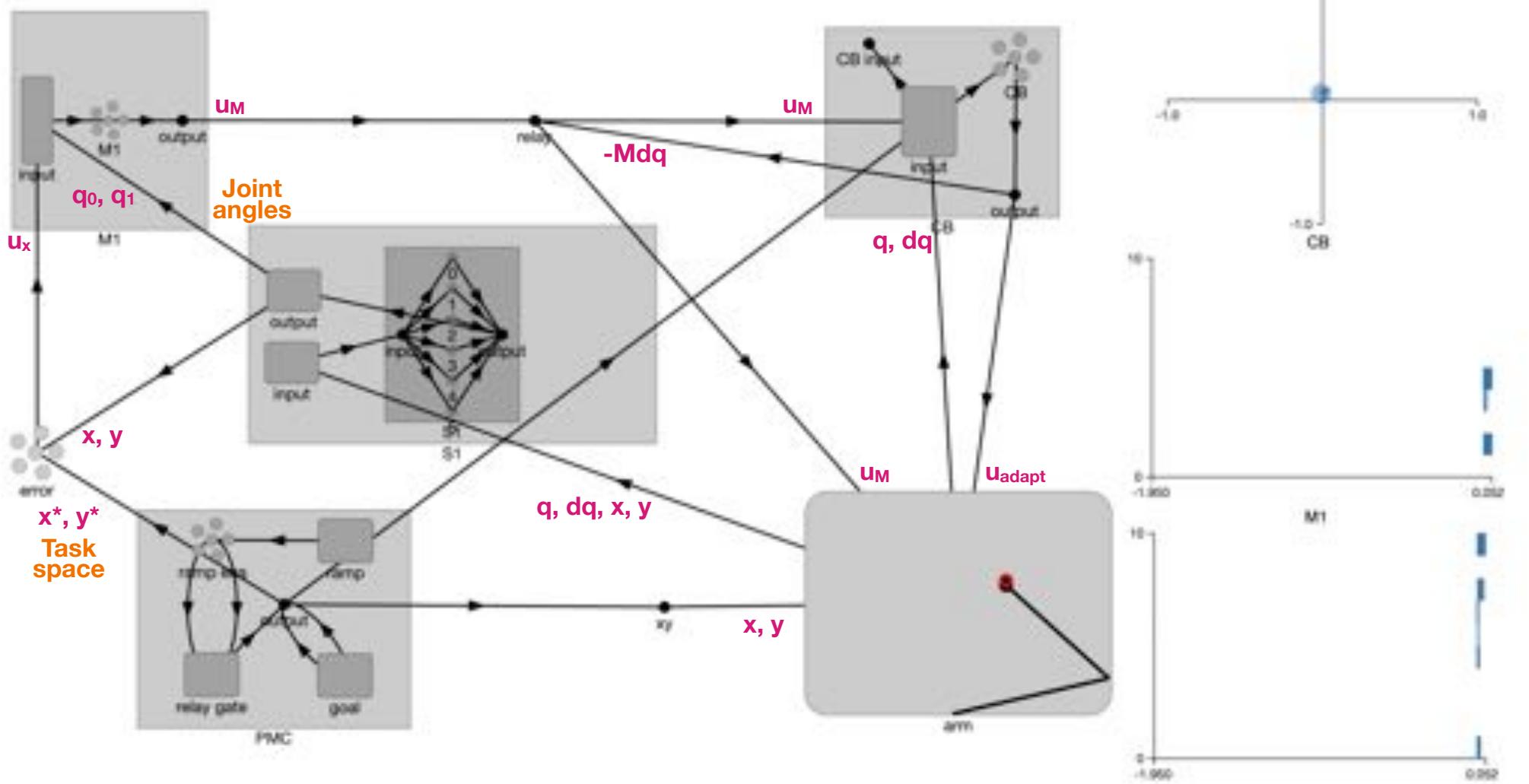
$$u = -J \cdot M_x \cdot K_p(x - x_t) - M \cdot K_v \cdot \dot{x} - u_{bias}$$

Already in joint space

External perturbation

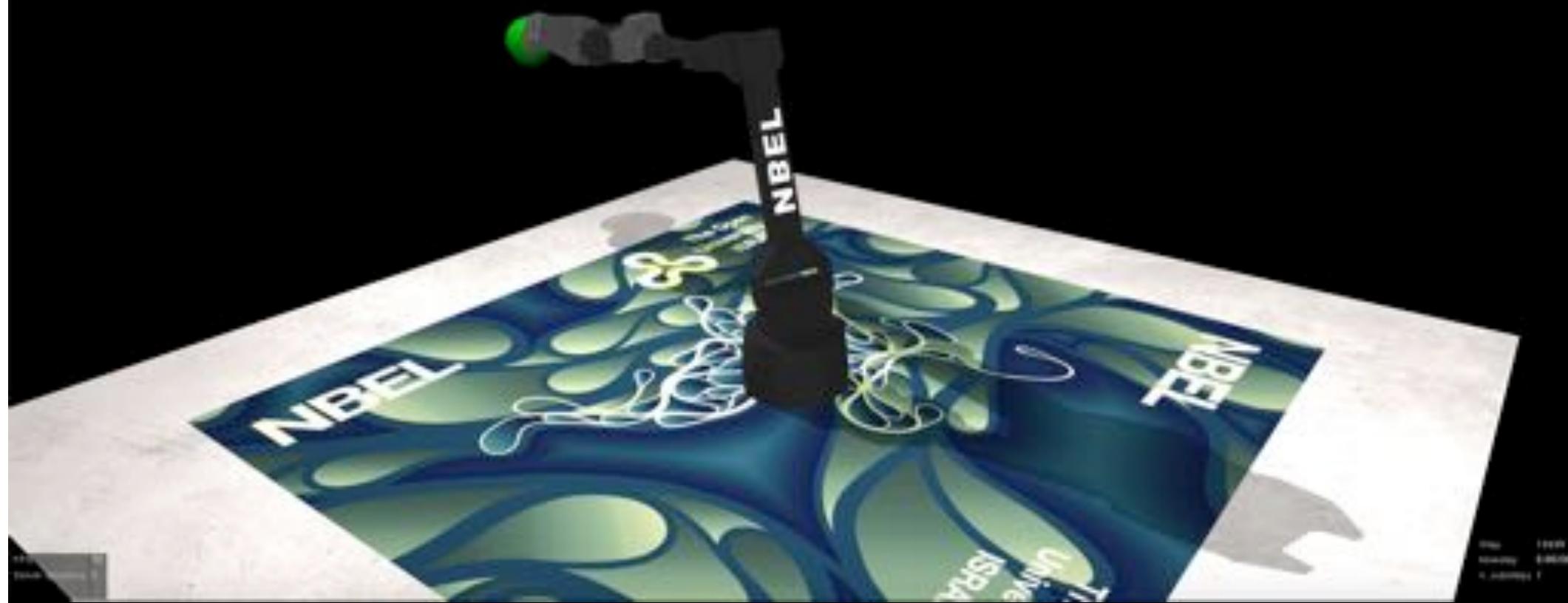
# Dynamic movement primitives (DMPs)

## In Spiking Neurons



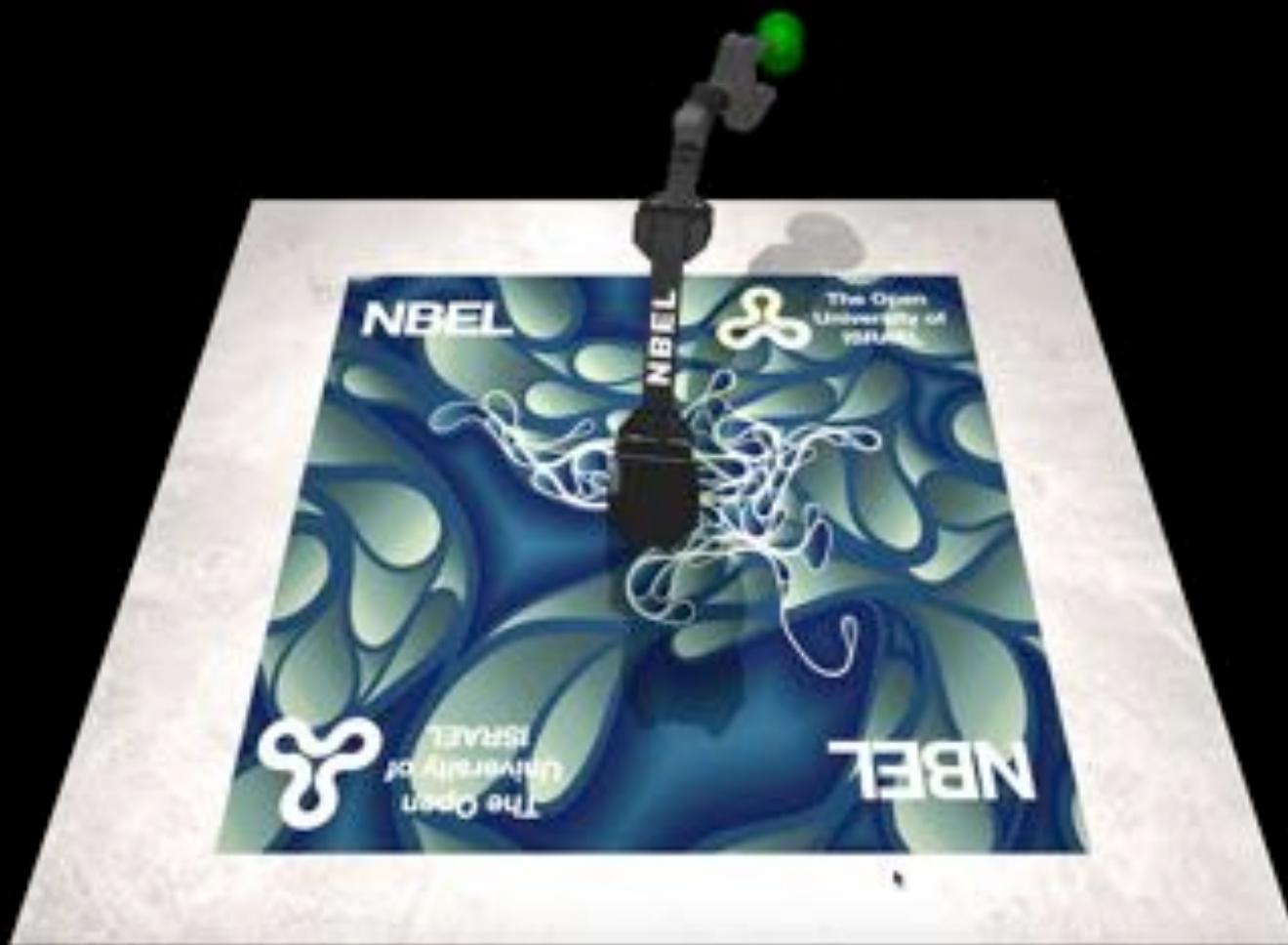
# In Simulation No External Force

Run speed - < 100	10 sec
Run speed every frame	0 sec
Double current frame - 2	[Def] current @ -1
(Elapsed) frame	0 sec
Elapsed (avg) frame	0 sec
F1 (parent)	0 sec
Frames (M) (max index)	0 sec
Imp	(Same)
Indirect association (no max)	[Right Assoc]
Indirects	
Initial v(just init)	
Jump(just move)	
Later (jumps)	
Logon prompt (no context)	No
Logon	False



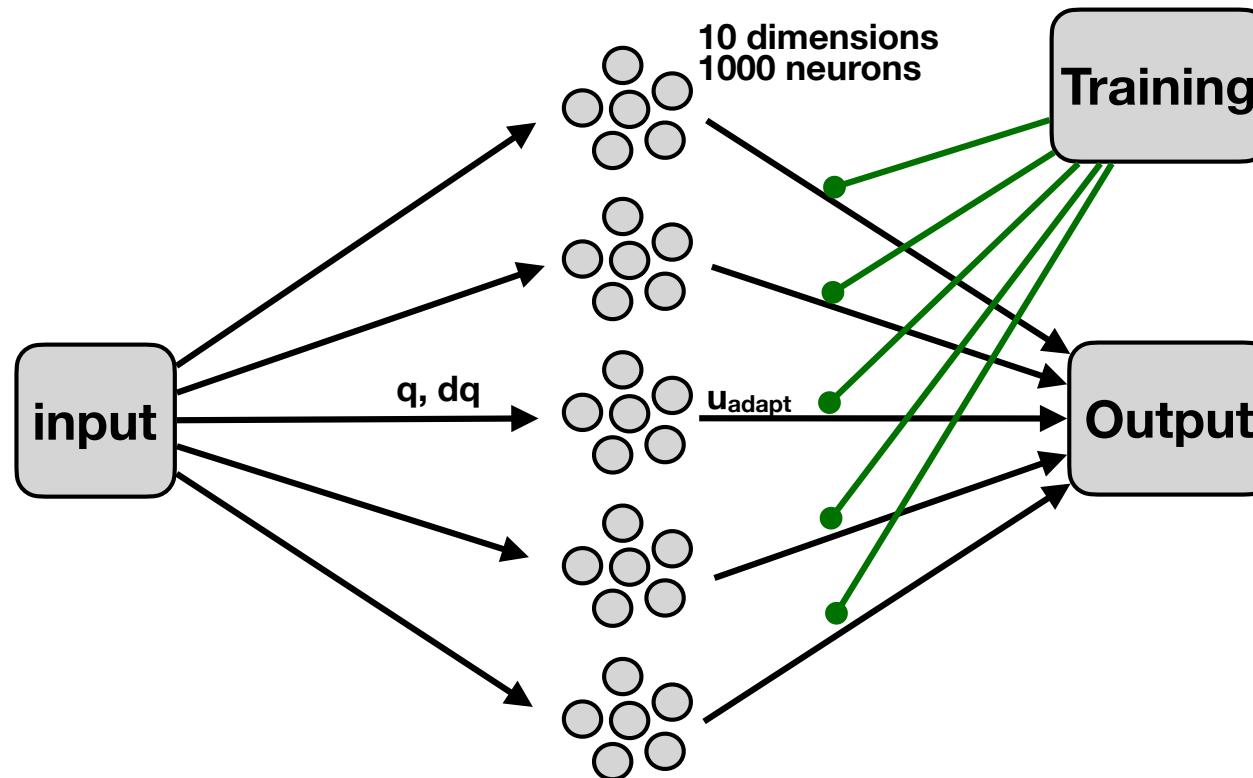
# In Simulation With External Force

But speed = 1000 cm/sec	(3.3 sec, P/1000)
Receptor recovery time	0s
Detector saturation (threshold) = 2	(Total) latency @ ~100
Optimal receiver	On
Recovering receiver	On
P/1000 (per second)	Off
Depth (0.01sec window)	On
Time	(Same)
Advancer/reverser: up one sec [right arrow]	[right arrow]
Reverse: down one sec	
Deep/flat receiver	
Low/High	
Foggy/precipitous country	Not
Cloudiness	False



## On-line Learning

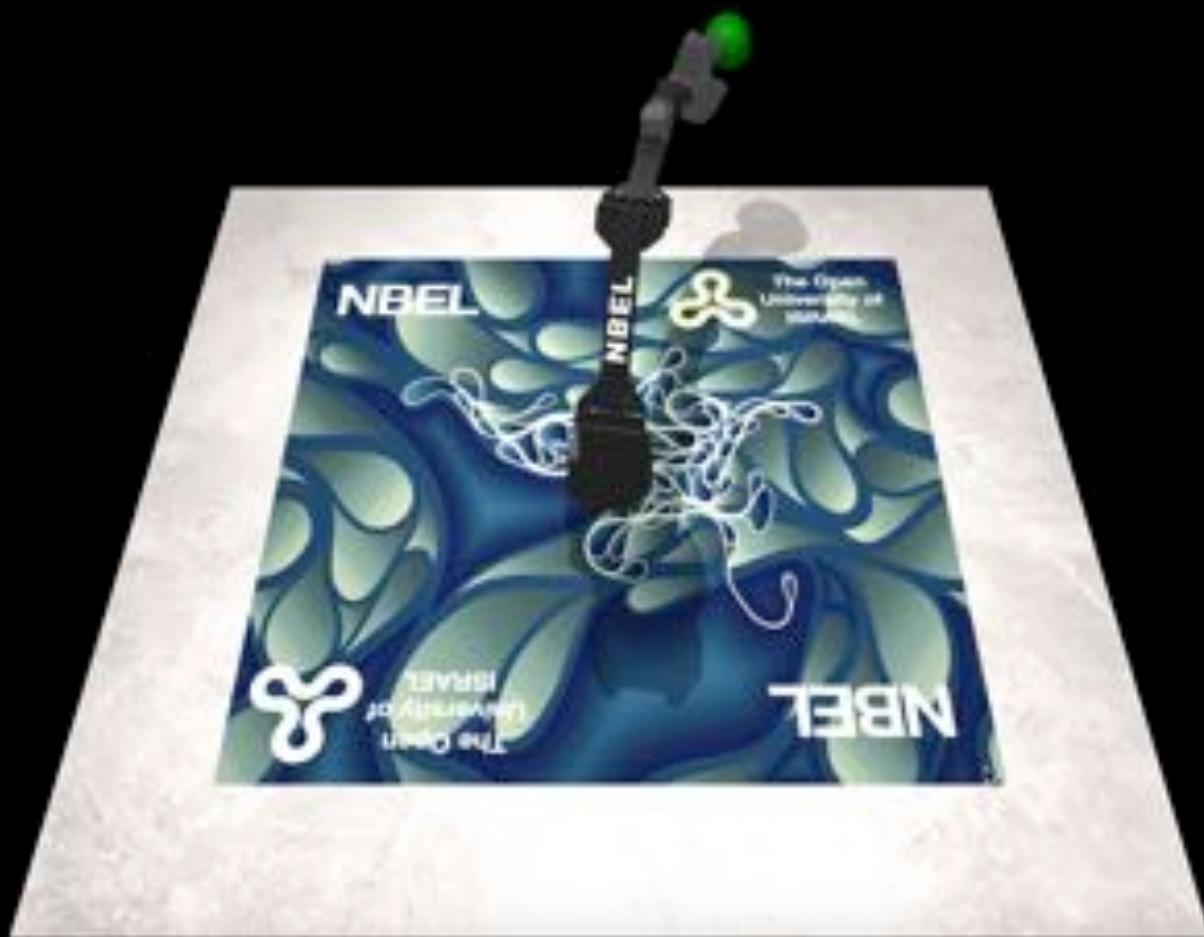
Adaptive control is held neuromorphically



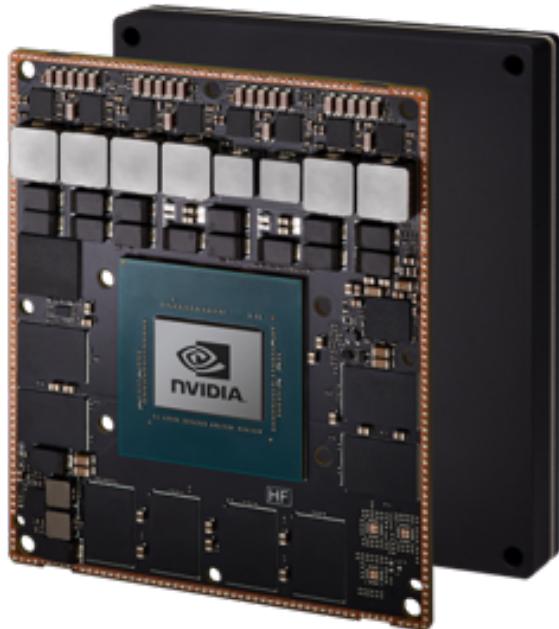
Representing values in 10 dimensions is not trivial. Tuning curves has to be (very) carefully defined. Values should be scaled experimentally.

# In Simulation With External Force and Adaptation

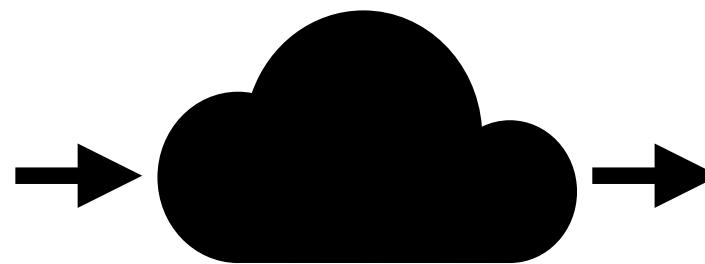
```
Run speed = 1000 is over time: 0.0ms [1frame]
Recycle every frame: On
Solve gravity (force) = 0.0 [0.0ms] forces 0.0 ~ -0.0
Collision forces: On
Friction/dry forces: On
TJ (penalty): 0.0
Rigid collision forces: On
Time: 0.0000000000 [0.000000]
Projectiles: None
Resort to openGL: None
Implicit forces: None
Joint types: None
Trigger progress counts: 0.0
Adaptation: False
```



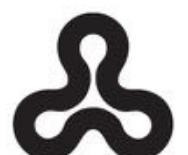
# Controllers



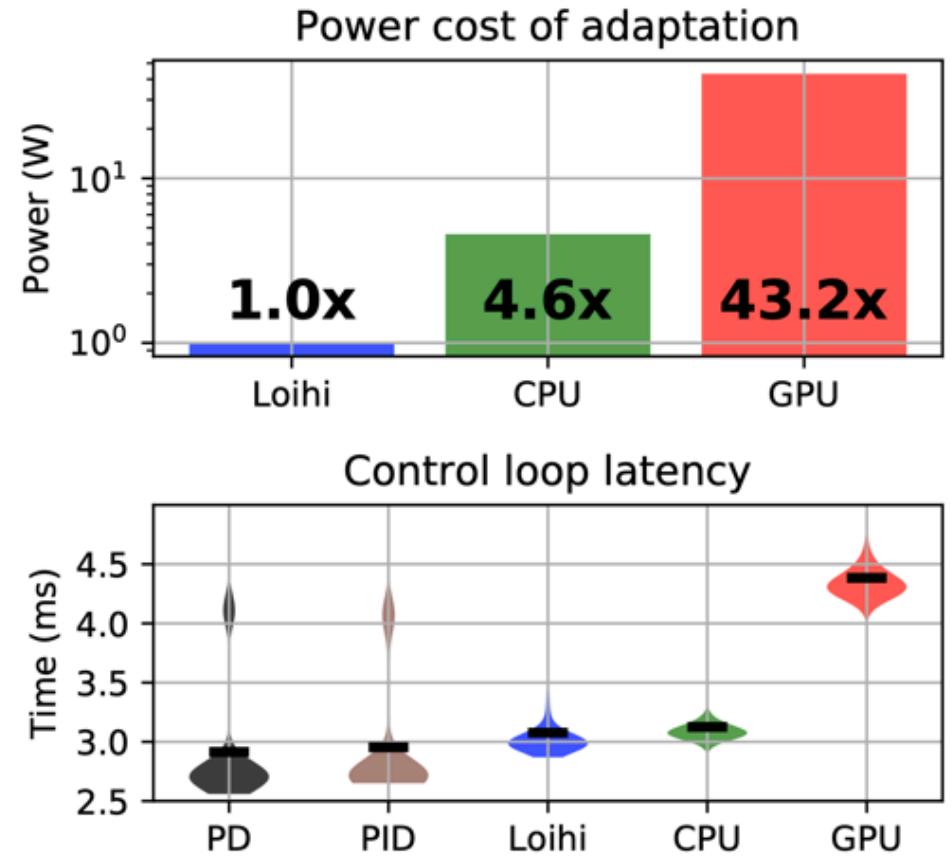
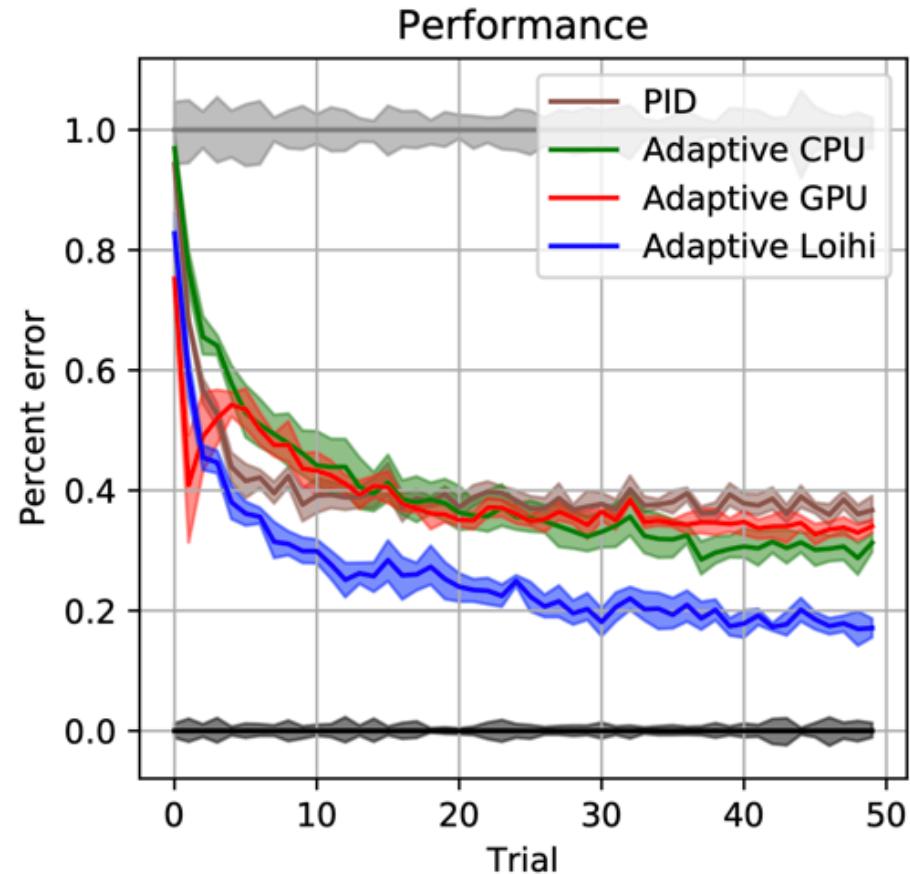
**NVIDIA Xavier**  
Running Simulated  
Spiking Neural Network



**Nahuku-32**  
Running Embedded  
Spiking Neural Network



# Adaptive Control



DeWolf et al. 2020

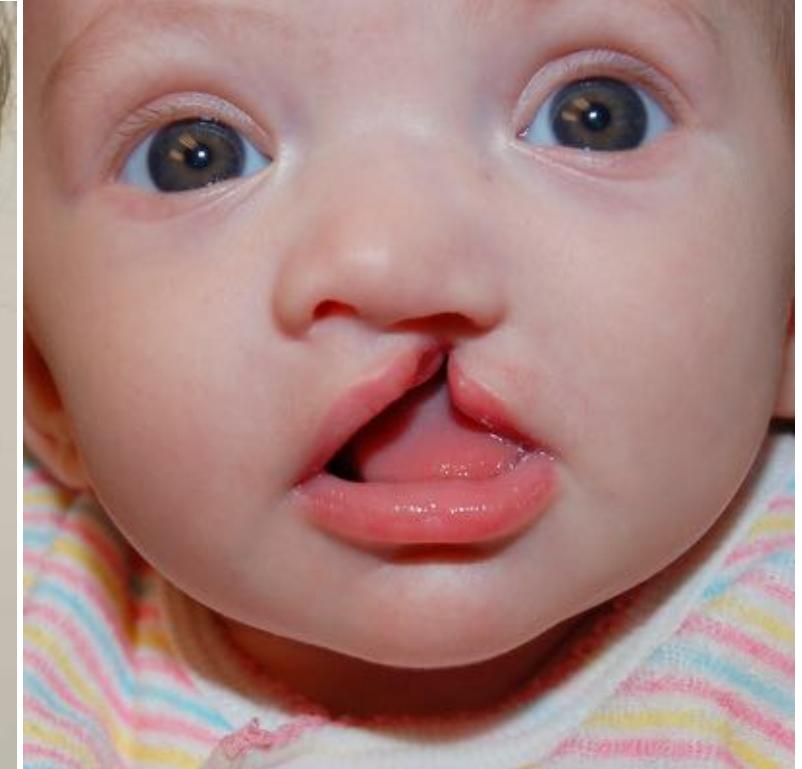
# Is it all about computing power?



# **Restoring the senses**

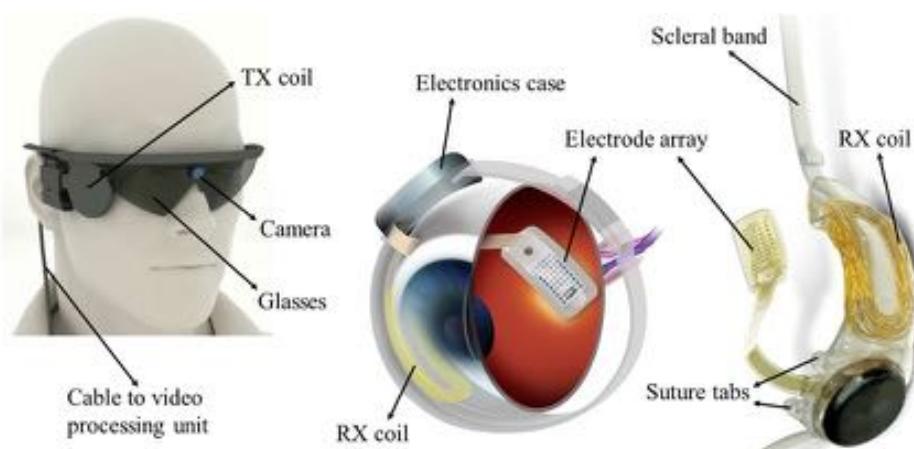
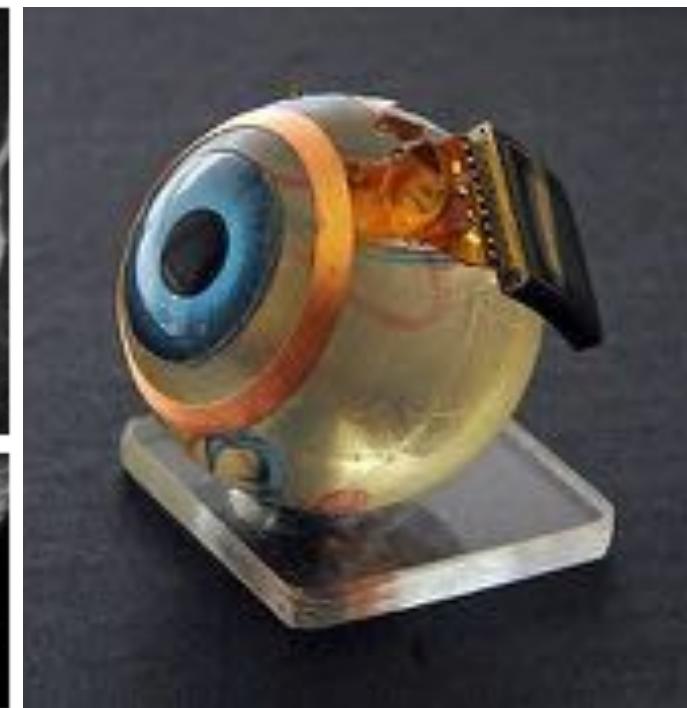
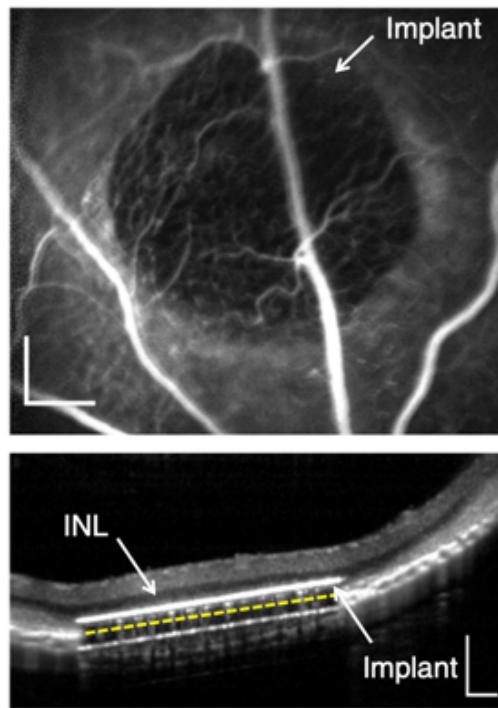
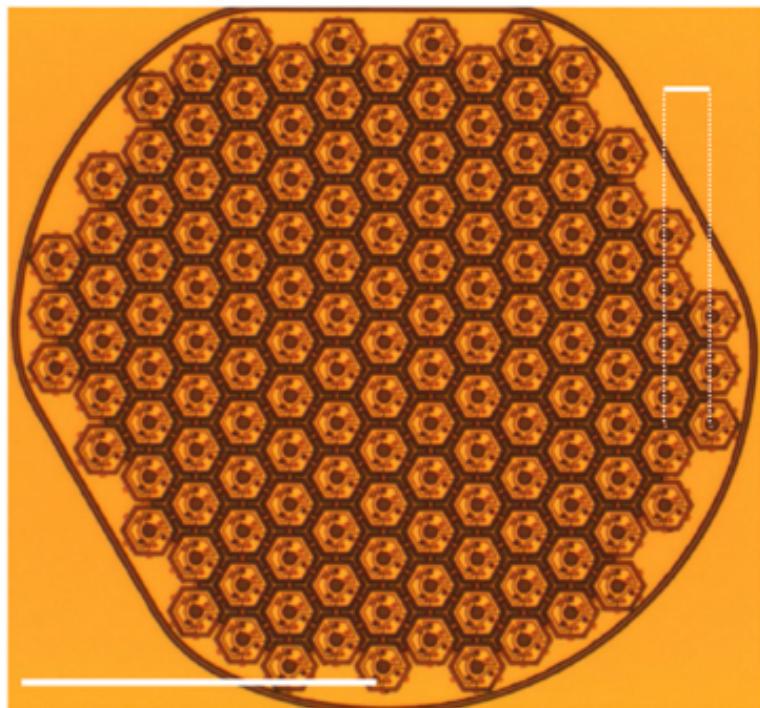


cochlear implant

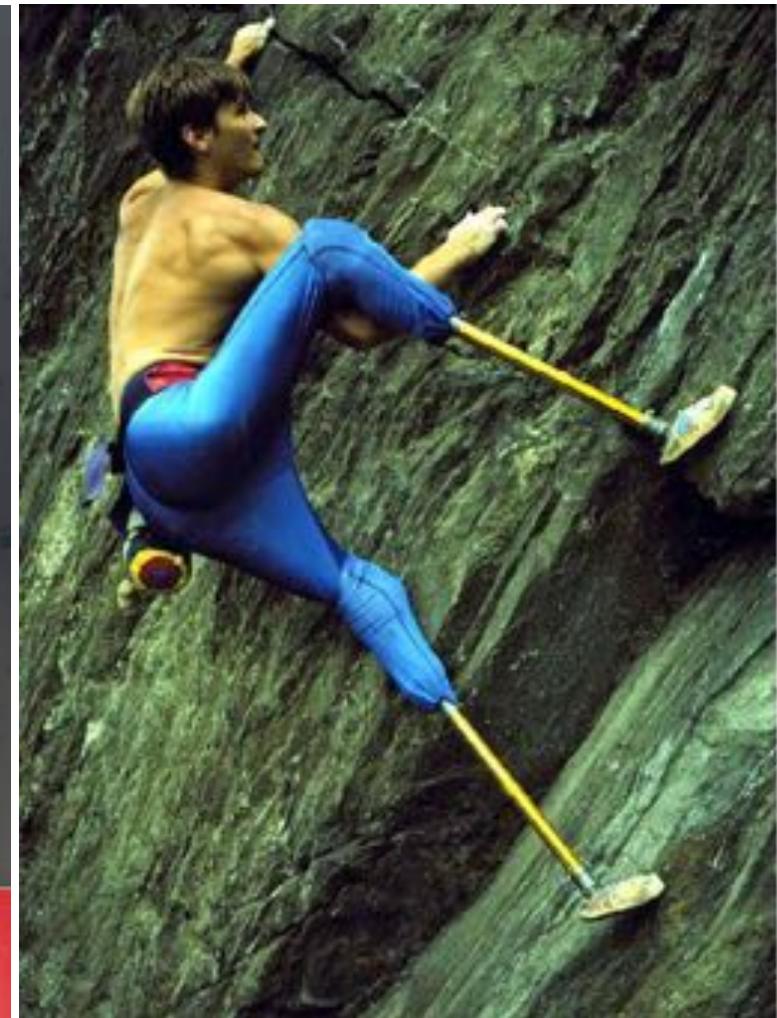
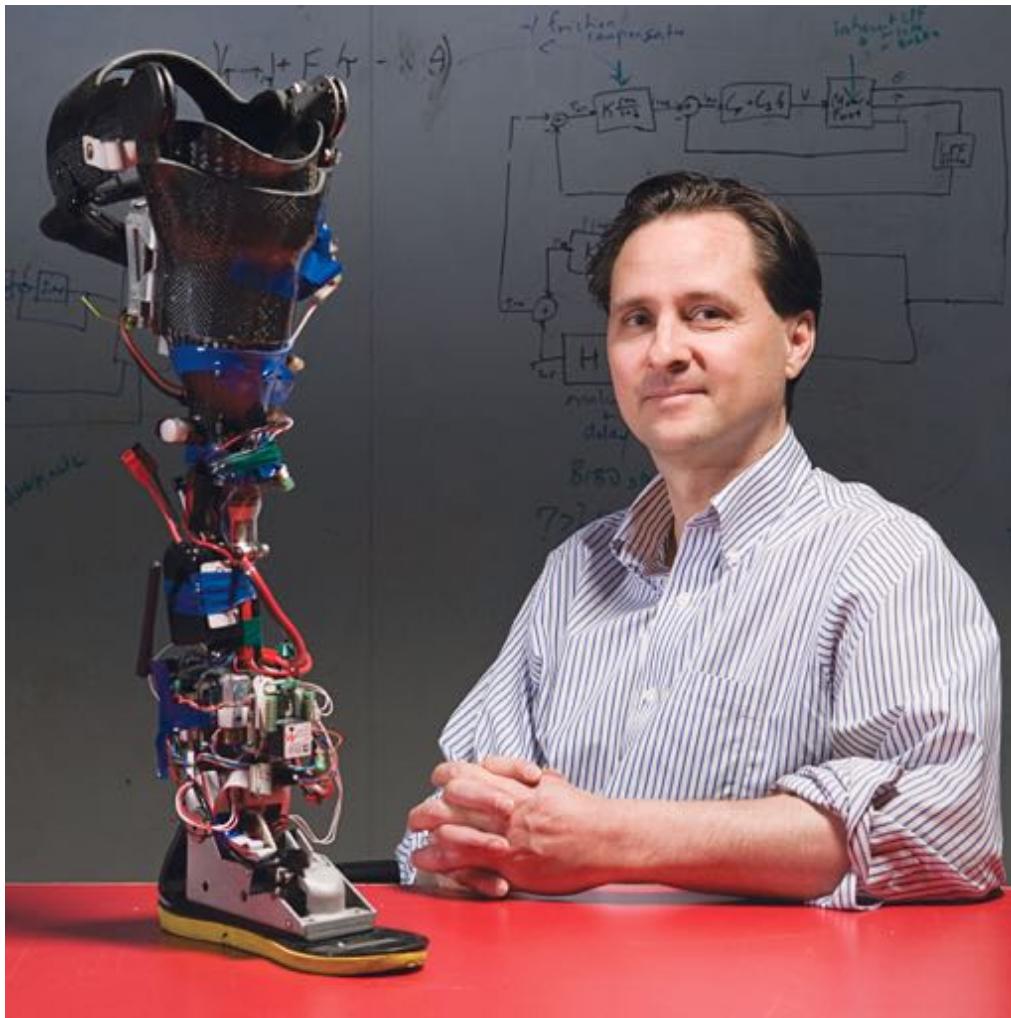


cleft palate

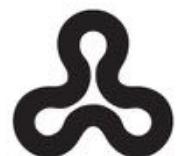
# Restoring the senses

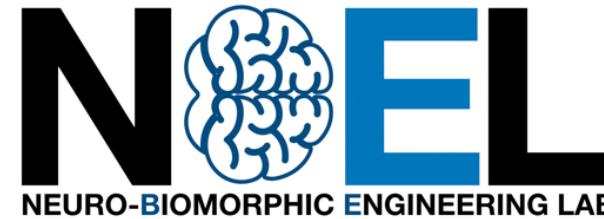


# Restoring the senses



**NOEL**





## Partners



**NVIDIA**



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