2INC0 - Operating Systems





Interconnected Resource-aware Intelligent Systems



Where innovation starts

Course Overview



- Introduction to operating systems (lecture 1)
- Processes, threads and scheduling (lectures 2+3)
- Concurrency and synchronization
 - atomicity and interference (lecture 4)
 - actions synchronization (lecture 5)
 - condition synchronization (lecture 6)
 - deadlock (lecture 7)
- File systems (lecture 8)
- Memory management (lectures
- Input/output (lecture 11)

- Several solution to synchronize the execution of tasks and prevent unwanted traces
 - Mutual exclusion
 - Action synchronization (using semaphores)
 - Condition variables
 - Monitors
- How to analyze, avoid, detect, recover from deadlocks



Agenda



- Reminder
- Analysis of deadlocks
- Dealing with deadlocks



Deadlocks definitions



Blocked

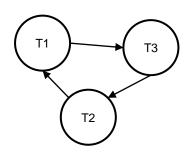
• A task is blocked if it is **waiting** on a blocking **synchronization action** (with another task, I/O device or other external component)

Deadlock

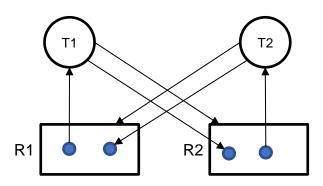
When a subset of tasks is blocked indefinitely and cannot make progress anymore

Deadlocked set

- A set of task D is deadlocked if
 - all tasks in D are blocked or terminated (normally or abnormally),
 - there is at least one non-terminated task in D, and
 - for each non-terminated task T in D, any task that might unblock T is also in D.



Wait-for graph



Dependency graph



Resource types

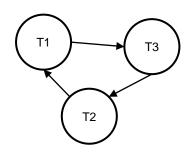


Consumable resources

- resources is taken away upon use (→ number of resources varies)
 - Typical producer / consumer problems
 - **examples**: sensor data, characters typed using a keyboard, blocks of data received from the network, ...

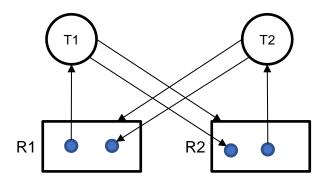
Reusable resources

- resources are given back after use (→ number of resources is fixed)
 - Typically, readers/writers type of problems or mutual exclusion (critical section)
 - examples: processor, memory blocks, shared variables, buffer spaces, ...



Wait-for graph

Analysis of consumable resources and condition variables



Dependency graph

Analysis of reusable resources and actions synchronization



Agenda



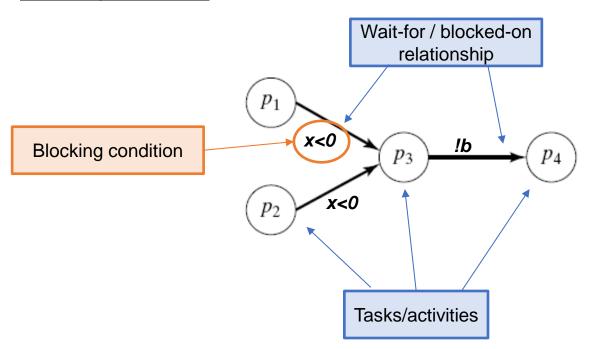
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Wait-for graph



- Used to analyze consumable resources and condition synchronizations
- An edge p1 → p3 means that p3 is blocked and p1 may unblock p3 by <u>falsifying the</u> <u>blocking condition</u>



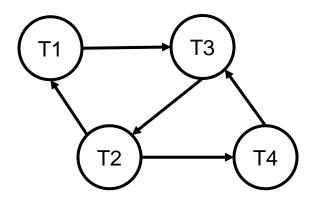
Represents a single specific state in which the system may be

The wait-for graph represents a deadlock state if and only if

- there is a cycle in the graph and
- no task outside any cycle can unblock a task in the cycle





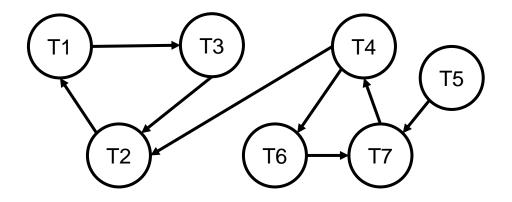


Is it in a deadlock state?

yes



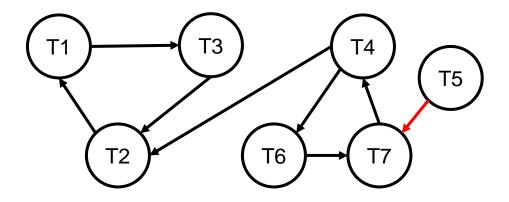




Is it in a deadlock state?



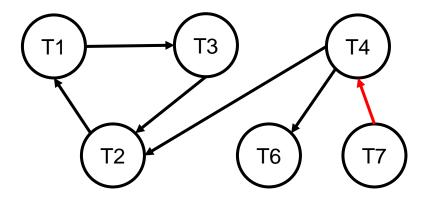




Is it in a deadlock state?



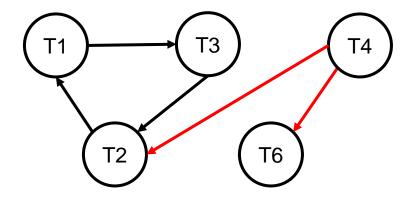




Is it in a deadlock state?



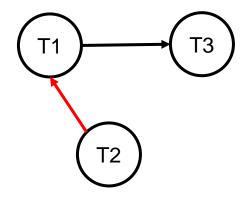




Is it in a deadlock state?



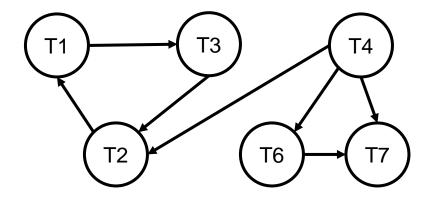




Is it in a deadlock state?



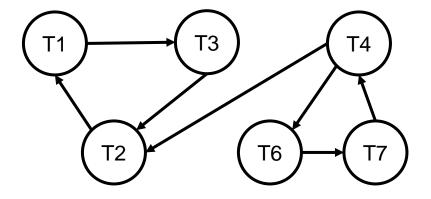




Is it in a deadlock state?







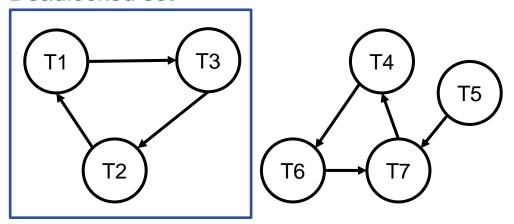
Is it in a deadlock state?

yes





Deadlocked set



Is it in a deadlock state?

Yes



How to use a wait-for graph to prove the absence of deadlocks?



- Use a proof by contradiction
 - 1. Assume one task T is blocked on a certain action
 - Add T to the graph
 - 2. Check which other task(s) can unblock T and under which condition
 - Add each task T' that can unblock T to the graph
 - create an edge from T' to T labeled with the blocking condition it may unblock
 - 3. Check whether each task *T'* can possibly be blocked on an action
 - If yes, repeat from 1 with T'
 - 4. Once the whole graph is built check if we are in a deadlock state (i.e., there is an unbreakable cycle)
 - If no, we reached a contradiction
 - If yes, we are in a potential deadlock and we should build a trace showing how we reached that state

Build a wait-for graph for **every** action that may block a task



Exercise



```
T_1 = |[
while (true) {
P(m);
x := x+y;
sigall(c);
V(m);
}
```

```
T_2 = |[
while (true) {
P(m);
x := a;
sigall(c);
V(m);
}
```

```
T_4 = |[
T_3 = |[
  while (true) {
                                  while (true) {
                                      P(m);
      P(m);
                                      while (!b) {
      while (x<0) {
                                        wait(m,d);
                       Blocked
       wait(m,c);
                                     b := false;
     x := x-1;
     b := true;
                                     V(m);
     signal(d);
                               ][
      V(m);
```

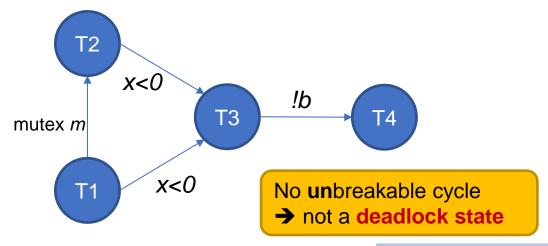
Can we possibly be in a deadlock state when T4 is blocked on *wait(m,d);?* Build the wait-for graph.

Assume there is only one instance of each task.





```
T_1 = |[
                                T_2 = |[
                                                                                             T_4 = |[
                                                             T_3 = |[
      while (true) {
                                   while (true) {
                                                                                               while (true) {
                                                                while (true) {
                        Blocked I
           P(m);
                                       P(m);
May
                                                                                                   P(m);
                                                                    P(m);
unblock
          X := X+Y;
                                       x := a;
                                                                                                   while (!b) {
                                                                    while (x<0) {
           sigall(c);
                           May
                                       sigall(c);
T3
                                                                                                    wait(m,d);
                                                     Blocked
                                                                     wait(m,c);
                                                                                     Blocked
           V(m);
                           unblock
                                       V(m);
                           T3 if }
                                                                                                  b := false;
                                                                   x := x-1;
                           a>0 ||
                                                                                                  V(m);
                                                                   b := true;
                                                                   signal(d);
                                           May unblock T4
                                                                                            ][
                                                                   V(m);
```





Must do the same for every blocking action to prove that the program cannot deadlock

Agenda



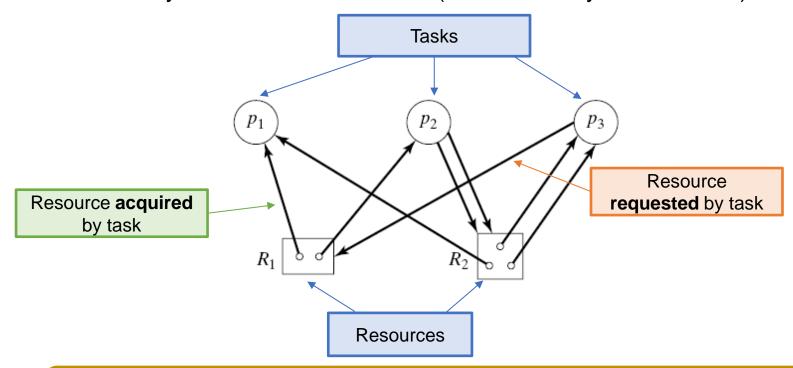
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Dependency graph



Used to analyze reusable resources (and actions synchronization)



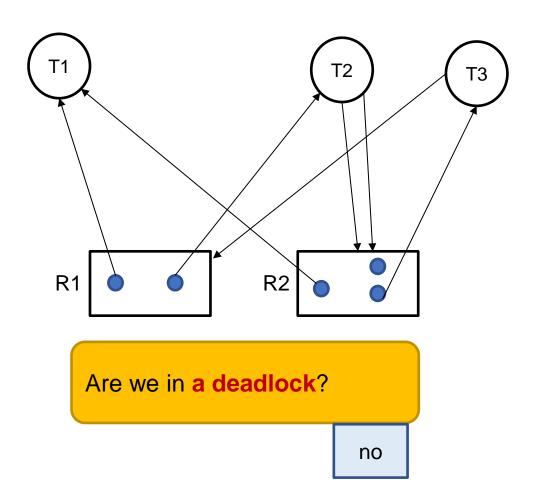
A task is blocked if it has an outgoing edge that is not directly removable, i.e., for which the requested resource(s) are not free

Reduction of dependency graph: repeatedly remove all non-blocked tasks



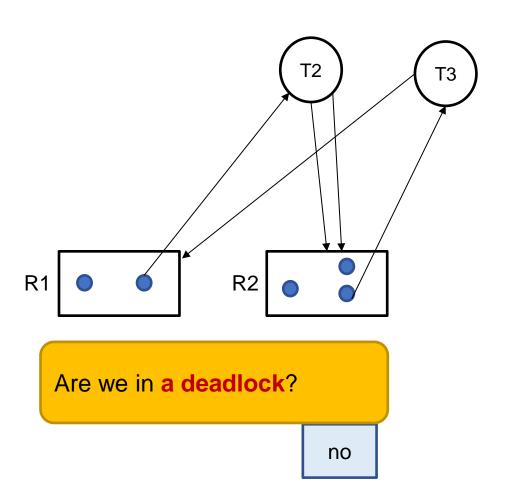
The dependency graph represents a deadlock state if the reduced graph is not empty







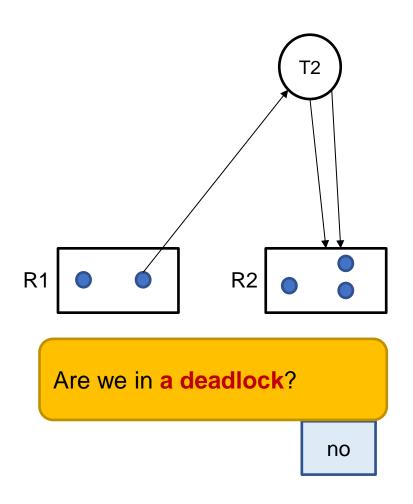
















Note: the reduction assumes that all tasks **always** eventually release all the resources they have acquired

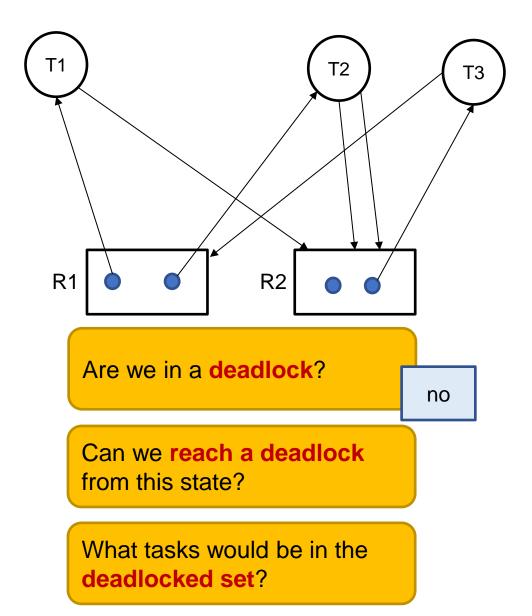


Are we in a deadlock?

No, the reduced graph is empty

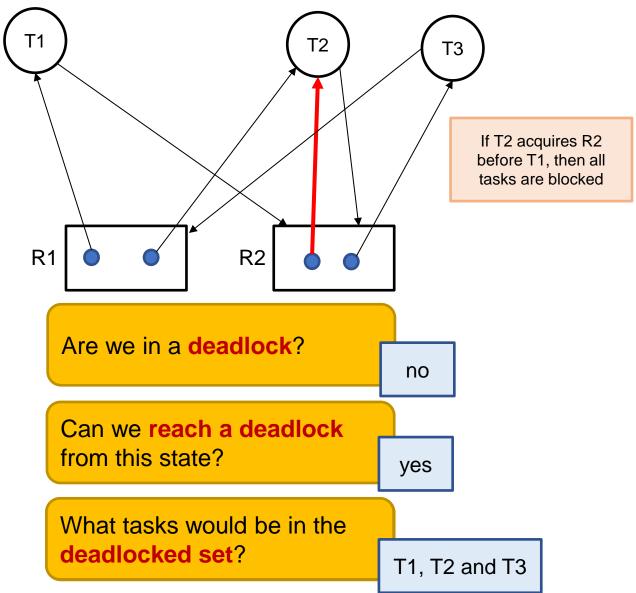














Using resource dependency graphs to show the absence of a deadlock state



- We must show there is no knot (i.e., the graphs are reducible to an empty graph) in all the dependency graphs that can be generated by allocating the resources according to the program code
- More generally, examine all the reachable states of the Finite State Machine corresponding to the request/acquisition sequences



Exercise 2



```
semaphore m1 := 1;
semaphore m2 := 1;
semaphore m3 := 1;
```

Draw the dependency graph of a reachable state in which that system is in a deadlock

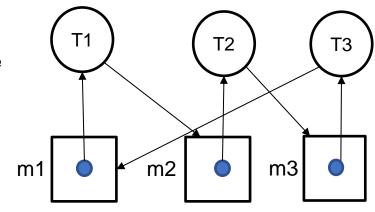


Exercise 2: solution



```
semaphore m1 := 1;
semaphore m2 := 1;
semaphore m3 := 1;
```

Simply show we can reach this state that is not reducible to an empty graph





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Dealing with deadlocks



- It is often ignored (since assumed to be rare) at design time.
- However, it may have catastrophic results if it indeed happens
 - **Examples**: control system, health device, auto-pilot, buying-selling stocks, ...

- Three active approaches to dealing with deadlocks:
 - Prevention (programmer side)
 - at design time
 - Avoidance (system side)
 - dynamicly checks to avoid entering risky states (can be expensive)
 - Detection and recovery
 - checks only whether we are in a deadlock state, and try to recover from it



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Prevention (at design time)



- Analyse your system using reduced dependency graphs and wait-for graphs at design time (i.e., provide a proof that there can never be any deadlock)
 - make the reduced dependency graphs empty by construction
 - prevent cycles in the wait-for graphs
- Use synchronization tricks (see "actions synchronization")
 - Examples:
 - no circular wait,
 - ensure terminating critical sections
 - Lock resources in a fixed order
 - Acquire "all resources at once", i.e., avoids the "wait-and-hold" greediness
 - not always possible
- Allow preemption of resources when needed
 - Examples: add timeout on how long a task can hold a resource, or allow a task to steal a
 resource from another one
 - not always possible (e.g., an I/O device may be in an inconsistent state if preempted during an I/O operation)



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Avoidance (during execution)



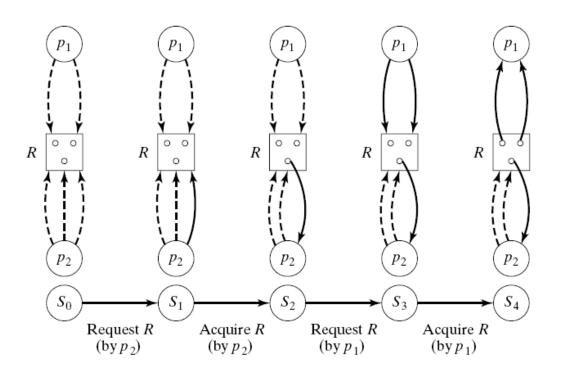
- Upon executing each potentially blocking action (e.g., P(m)):
 - check if an open execution path exists (i.e., there remains a sequence of possible actions such that we will avoid deadlocks, that is, the system remains in a "safe" state)
 - otherwise, deny or postpone the action
- How to check the existence of an open path? → the reduced max claim graph is empty (see next slide)
- Avoidance by postponing actions works well if the blocking actions refer to allocations of reusable resources and we can anticipate all possible future states
- Example of such avoidance algorithm: the banker's algorithm



(Maximum) claim graph



- Max. claim graph = dependency graph extended to capture potential future resource claims
- The (maximum) future resource claim is illustrated in the resource dependency graph, using dashed arrows
 - It is then called a maximum claim graph

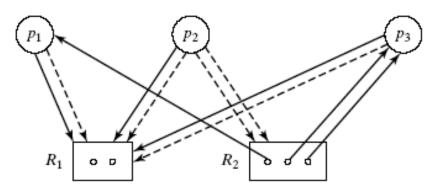




Example: avoiding deadlock

Should we allow a state transition

- p₁ acquires R₁?
- Yes because it leaves a reducible graph



(a) p_1 and p_2 require R_1

Should we allow a state transition

- p_2 acquires R_1 ?
- No because it becomes a non-reducible graph – action should be denied or postponed

 Note: while in state (a), granting p3's request is also safe



Banker's algorithm: problem description



- Given a set of N tasks, set of R resource types with
 - c[j]: number of resources of type j
 - max[i,j]: maximum number of resources of type j that may be needed by task T_i

Requirement

- synchronize requests such that each task can always acquire resources until its specified maximum
 - not satisfying this requirement may lead to a deadlock
- Assumptions: Tasks acquire resources incrementally (greedy algorithm) and release those eventually



Formalization



Inputs

Set of *N* tasks, set of *R* resource types

- c[j]: number of resources of type j
- $\max[i,j]$: maximum number of resources of type j that may be needed by task T_i

System state

represented by

- avail[j]: number of resources of type j still available
- alloc[i, j]: number of resources of type j already allocated to task T_i
- claim[i, j]: maximum number of resources of type j that **may** still be claimed by task T_i

Initial state

- avail[j] = c[j]
- alloc[i,j] = 0
- claim[i,j] = max[i,j]

Invariants

- $avail[j] = c[j] \sum_{i} alloc[i, j]$
- claim[i,j] + alloc[i,j] = max[i,j]



Formalization (cnt'd)



- A state is called *open* for that task T_i , if all the resources it may claim can be given directly to that task, i.e, $\forall j$, $claim[i,j] \leq avail[j]$
- A state is called safe for a task, if this task can be given its maximum number of resources eventually
 - possibly by giving available resources to other tasks first and then waiting until these release them again
- A state is called safe if it is safe for all tasks.

- Banker's algorithm:
 - We grant a request only if the resulting state is safe
 - note: requesting does not change state safety
 - Assumes the initial state is safe



Check state safety upon new request



- Assume the current state is safe
- Consider a new request req[i,j] on resource of type j by task T_i
- Compute the new state if the request is granted
 - avail[j] = avail[j] req[i,j];
 - alloc[i,j] = alloc[i,j] + req[i,j];
 - claim[i,j] = claim[i,j] req[i,j];

It is enough to check whether the new state is safe for task T_i

if it is, then all the resources owned by T_i will eventually be returned thus eventually reaching a state at least as safe as the current state

Remember: the new state is safe for task T_i if its claims can be satisfied directly or by completing the claims of any of other tasks

Implication:

to check the state safety for task Ti

perform a reduction of the dependency graph

Algorithm to check state safety:

Repeat:

- find an open task
- remove it, and all its claims (= graph reduction)
- until task T_i is found to be open

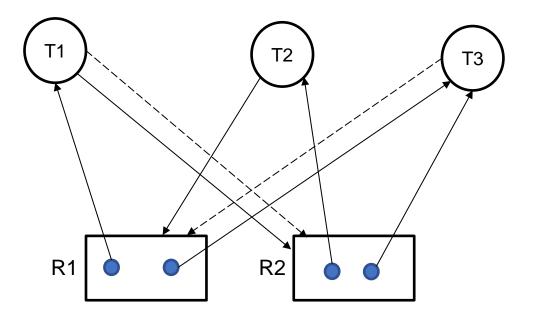


Algorithm



Exercise





Is this state safe?

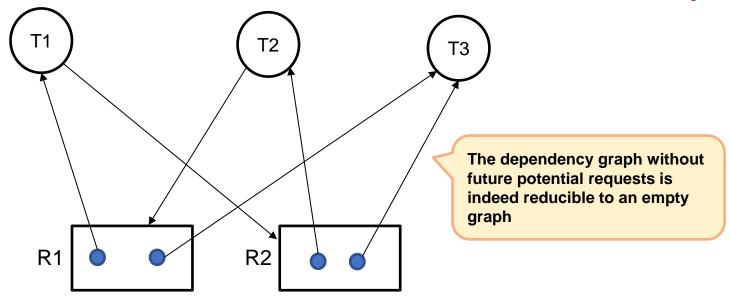
No, the reduced graph is not empty

Are we in a deadlock?



Exercise





Is this state safe?

No, the reduced graph is not empty

Are we in a deadlock?

No

Remember: you check whether you are in a deadlock by analyzing the dependency graph without accounting for future potential requests, i.e., without dashed edges



Dealing with deadlocks



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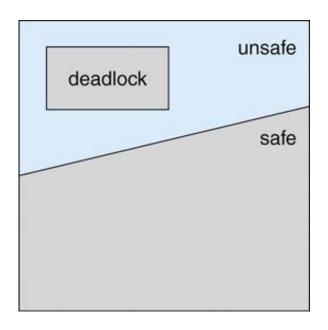


Detection (during execution)



 Invoke detection algorithm periodically to check if deadlock occurs

- You need
 - an algorithm to examine the state upon execution of a blocking action
 - an algorithm to recover from a deadlock
- Repeatedly monitoring and potentially recovering causes large overheads





Detection (during execution)



- Recovery algorithm may be executed
 - locally, inside the task that last blocked (e.g., release all its resources)
 - globally, through a recovery policy
 - **kill** tasks in the deadlock set
 - all
 - selectively, based on some criteria (e.g., priority, progress made, etc.)
 - roll back to safe state
 - works only if an alternative execution path exists
 - Requires to record the state at *checkpoints*, i.e., keep enough history information to roll back
 - preempt resources, i.e., we dealocate resources from tasks in the deadlock set (not always possible)
 - select victim based on criteria



Overview



+ possible starvation

Approach	Resource Allocation Policy	Different Schemes	Major Advantages	Major Disadvantages
Prevention	Conservative; undercommit resources	Requesting all resources at once	Works well for processes that perform a single burst of activity No preemption necessary	Inefficient Delays process initiation Future resource requirements must be known by processes
		Preemption	Convenient when applied to resources whose state can be saved and restored easily	Preempts more often than necessary
		Resource ordering	 Feasible to enforce via compile-time checks Needs no run-time computation since problem is solved in system design 	Disallows incremental resource requests
Avoidance	Midway between that of detection and prevention	Manipulate to find at least one safe path	No preemption necessary	 Future resource requirements must be known by OS Processes can be blocked for long periods
Detection	Very liberal; requested resources are granted where possible	Invoke periodically to test for deadlock	Never delays process initiation Facilitates online handling	• Inherent preemption losses

Source:

Isloor and Marsland, "The Deadlock Problem: An Overview," in Computer, vol. 13, no. 9, pp. 58-78, Sept. 1980, doi: 10.1109/MC.1980.1653786. Stallings, William, and Goutam Kumar Paul. Operating systems: internals and design principles. Vol. 9. New York: Pearson, 2012.



Summary



- We discussed how to analyze deadlocks using
 - Wait-for graphs for consumable resources
 - Dependency graphs for re-usable resources
- We discussed how to avoid deadlocks using the banker's algorithm
- Deadlock detection

- During the next lecture, Mitra Nasri will discuss file systems
- Workshop on mutex, semaphores, threads, ... on Friday
- In two weeks, we will discuss memory management and memory virtualization
- Preparation for memory management:
 - More material than usual
 start preparing earlier



