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Project 1 – Report

I. Sorting implement explanation

Bubble Sort: I followed this pseudocode from the lecture :

```
public static void bubbleSort(int[] a) {  
    for (int i = 0; i < a.length; i++) {  
        for (int j = 1; j < a.length - i; j++) {  
            // swap adjacent out-of-order elements  
            if (a[j-1] > a[j]) {  
                swap(a, j-1, j);  
            }  
        }  
    }  
}
```

Insertion Sort: I followed this pseudocode from the lecture :

```
public static void insertionSort(int[] a) {  
    for (int i = 1; i < a.length; i++) {  
        int temp = a[i];  
        // slide elements down to make room for a[i]  
        int j = i;  
        while (j > 0 && a[j - 1] > temp) {  
            a[j] = a[j - 1];  
            j--;  
        }  
        a[j] = temp;  
    }  
}
```

}

Spin-the-bottle Sort: I followed this pseudocode from the lecture

while A is not sorted **do**

for $i = 1$ to n **do**

 Choose s uniformly and independently at random from $\{1, 2, \dots, i - 1, i + 1, \dots, n\}$.

if $(i < s$ **and** $A[i] > A[s])$ **or** $(i > s$ **and** $A[i] < A[s])$ **then**

 Swap $A[i]$ and $A[s]$.

To get uniformly and indepently number, I use use mt19937 for random generation of the numbers in the algorithm .

Shell sort: I followed this pseudocode from the lecture

```
public static void shellSort(int[] a) {
```

```
  for (int gap = a.length / 2; gap > 0; gap /= 2) {
```

```
    for (int i = gap; i < a.length; i++) {
```

```
      // slide element i back by gap indexes
```

```
      // until it's "in order"
```

```
      int temp = a[i];
```

```
      int j = i;
```

```
      while (j >= gap && temp < a[j - gap]) {
```

```
        a[j] = a[j - gap];
```

```
        j -= gap;
```

```
      }
```

```
      a[j] = temp;
```

```
    }
```

```
  }
```

```
}
```

To create 2 gap sequences for testing, I use different formula for calculate sequences. These methods are shown in Wikipedia with BigO is $O^{(4/3)}$

I. $gap[i] = 4^{(i+1)} + 3 \cdot 2^i$

II. $gap[i] = 8 \cdot 2^i - 6 \cdot 2^{((i+1)/2)} + 1$

Annealing sort: I followed this pseudocode from the lecture

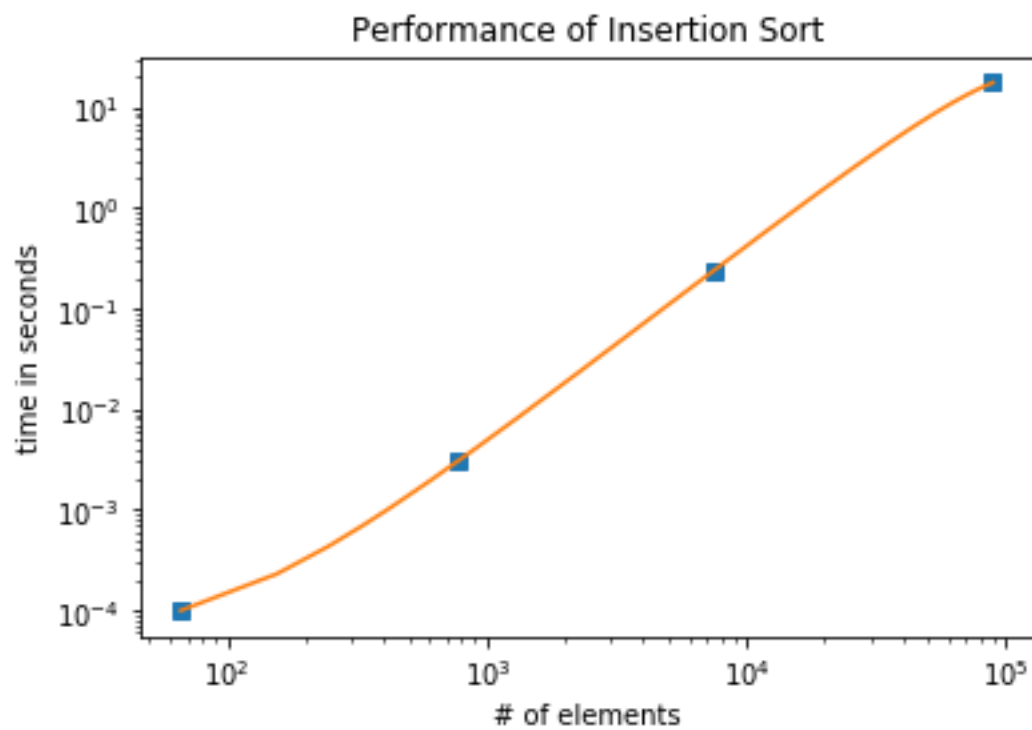
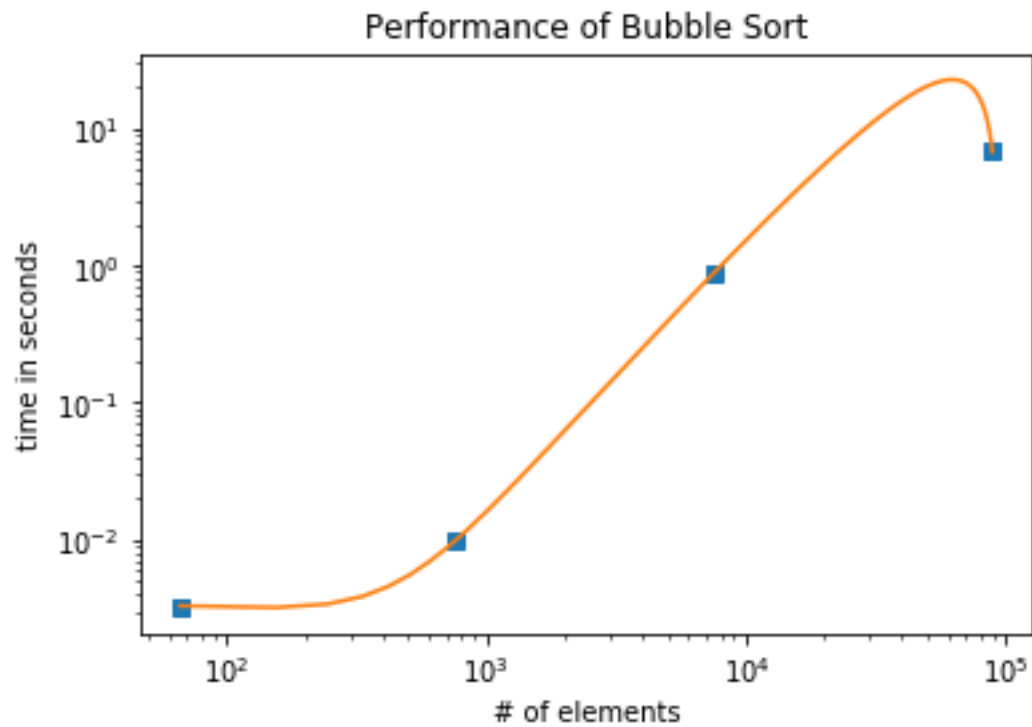
```
for  $j = 1$  to  $t$  do
  for  $i = 1$  to  $n - 1$  do
    for  $k = 1$  to  $r_j$  do
      Let  $s$  be a random integer in the range  $[i + 1, \min\{n, i + T_j\}]$ .
      if  $A[i] > A[s]$  then
        Swap  $A[i]$  and  $A[s]$ 
    for  $i = n$  downto  $2$  do
      for  $k = 1$  to  $r_j$  do
        Let  $s$  be a random integer in the range  $[\max\{1, i - T_j\}, i - 1]$ .
        if  $A[s] > A[i]$  then
          Swap  $A[i]$  and  $A[s]$ 
```

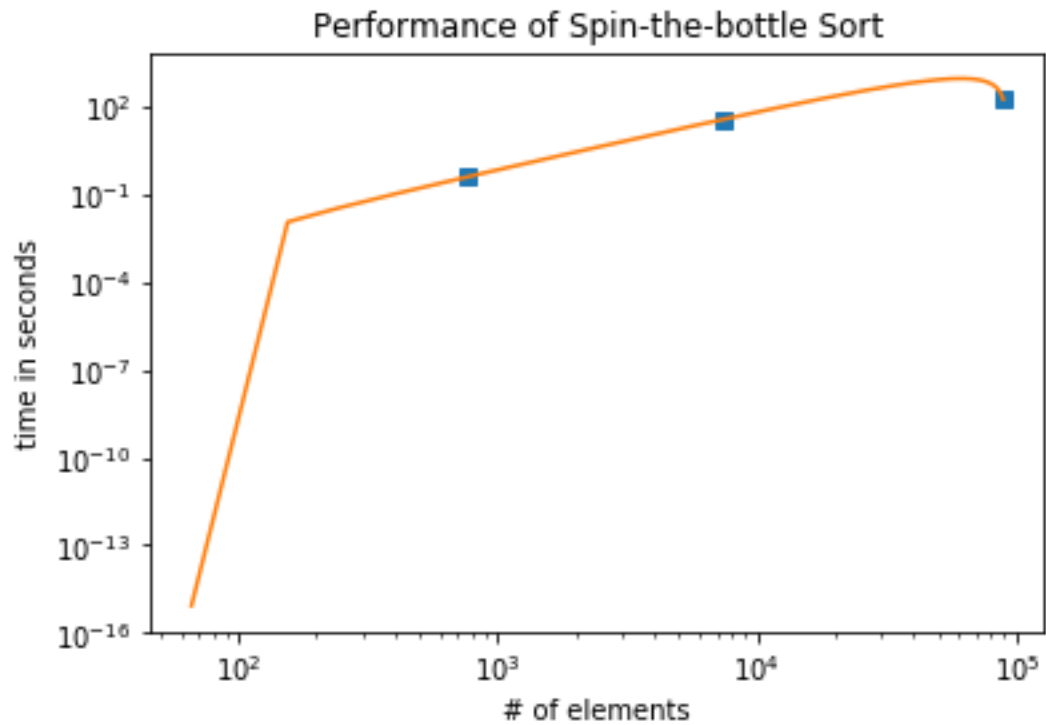
And to create different temp-rep sequence, I also use 3-phase method in the lecture but use mt19937 to get the first and last element in each phase.

Uniformly distributed and almost-sorted shuffle: I use mt19937 to randomly choose indexes to swap elements in vectors.

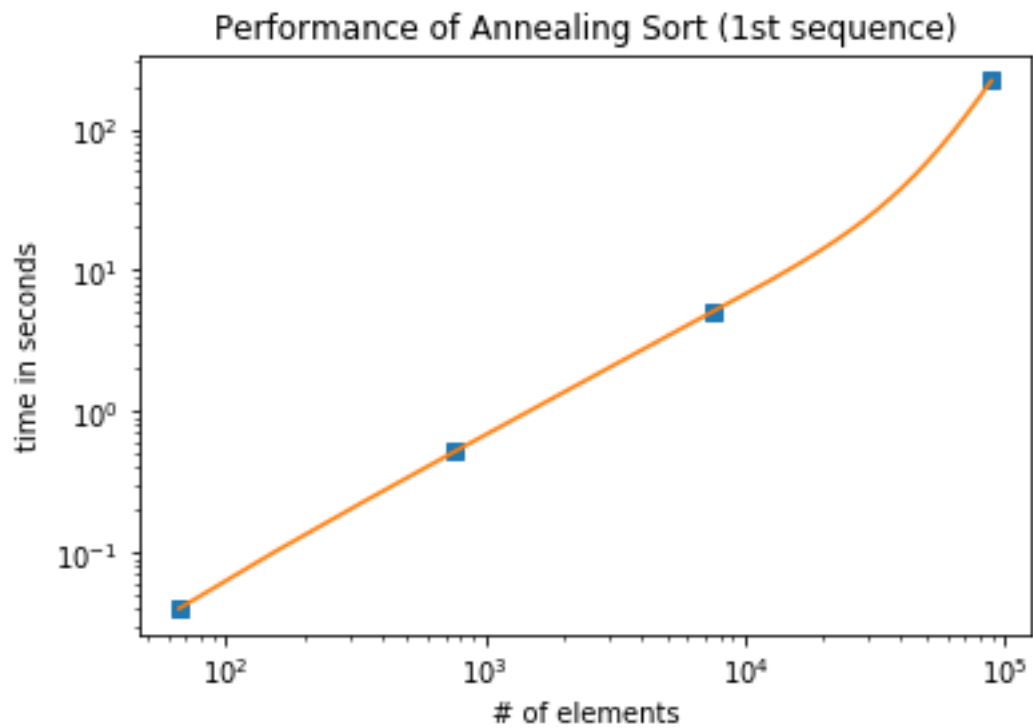
III. Sorting Algorithm Running Time Comparison

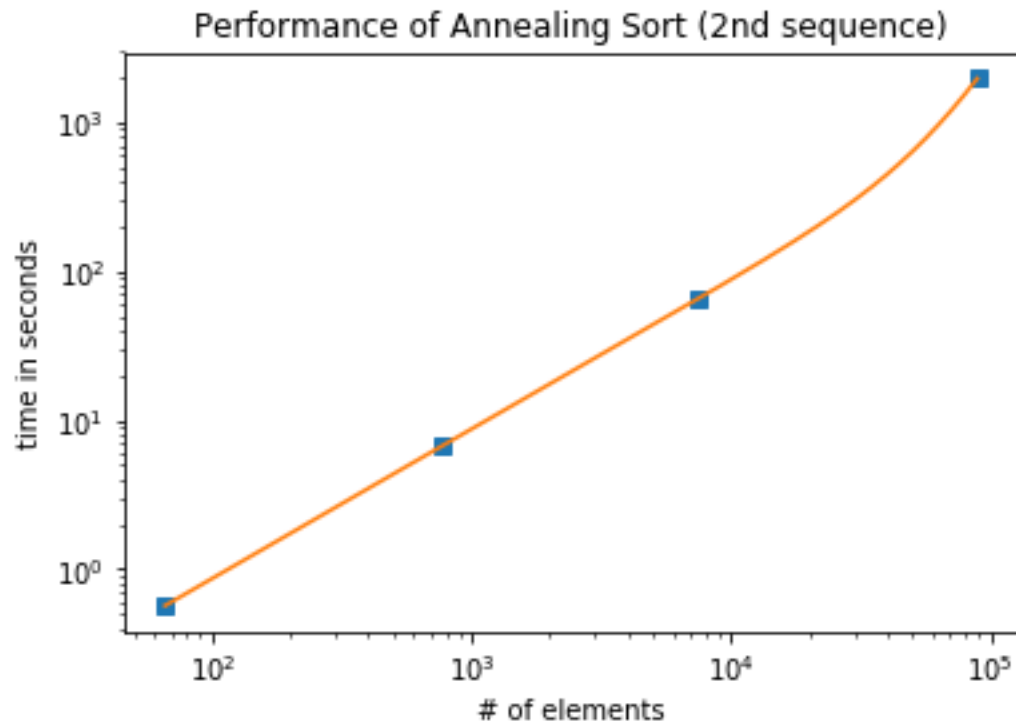
a. Uniformly distributed





For Shell Sort, since all the time is almost 0 so I cannot create a graph using log-log scale.

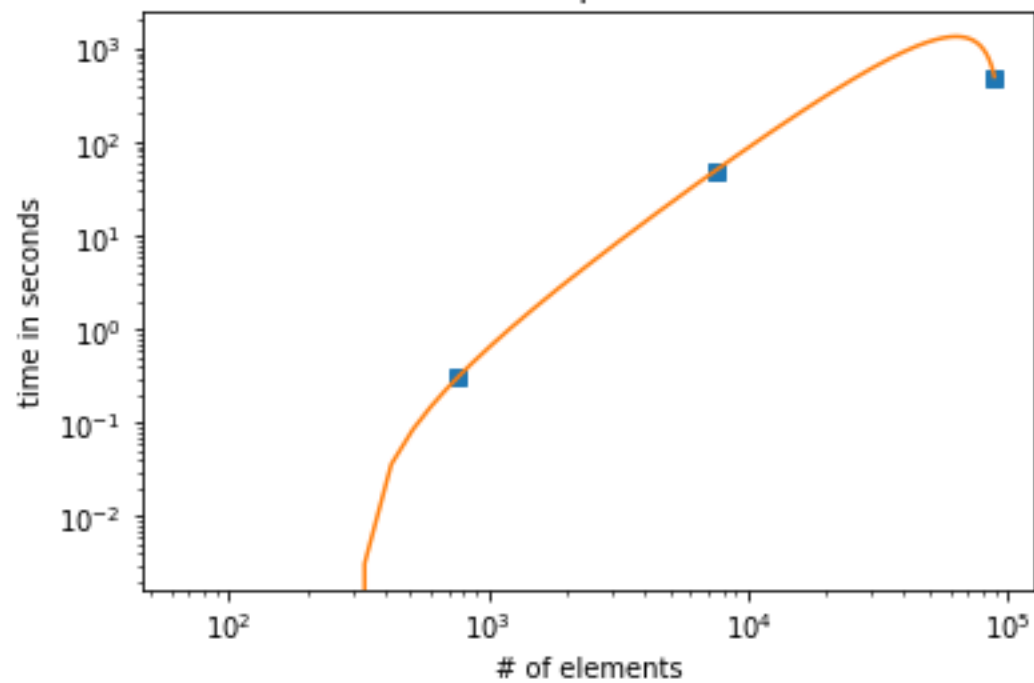




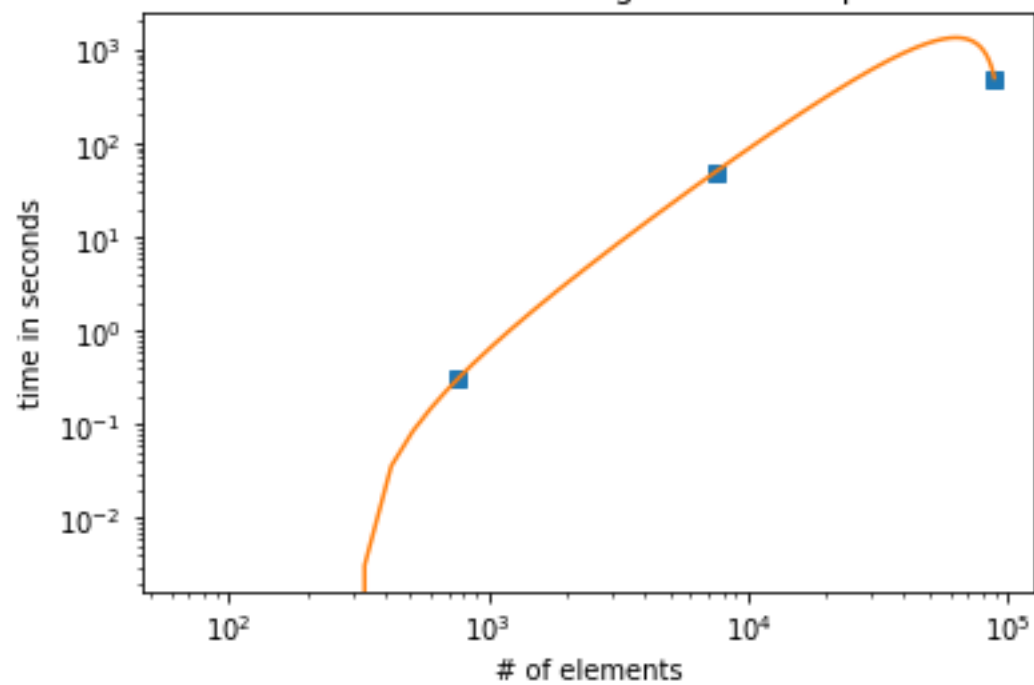
b. Almost-sorted distributed

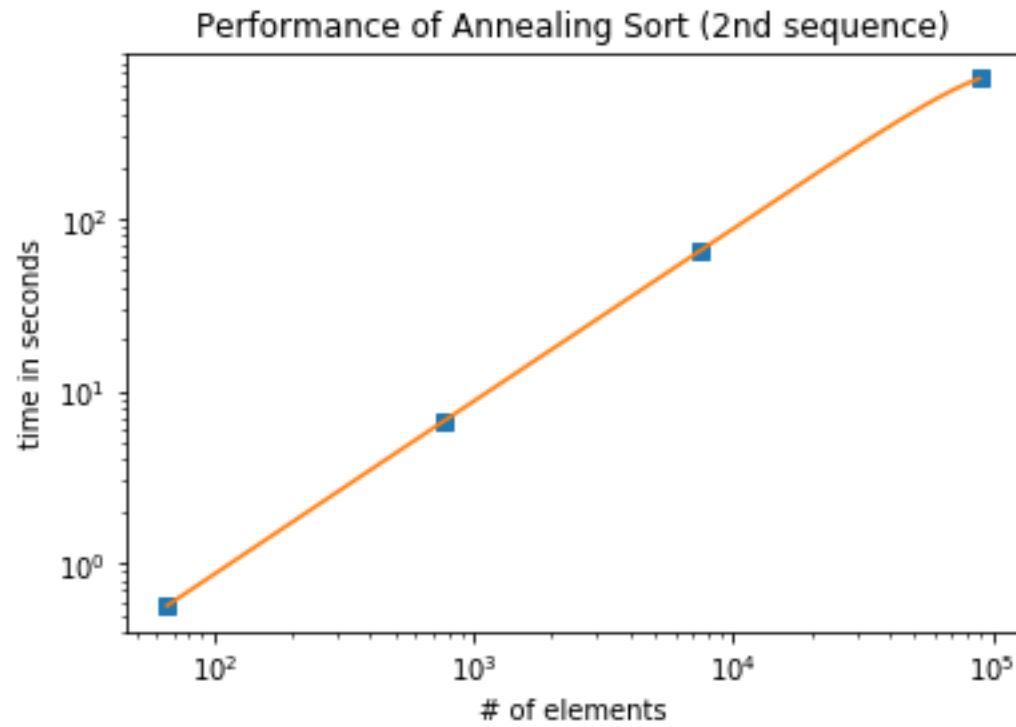
For almost-sorted distributed, bubble sort, insertion and shell sort both got almost 0 for running time

Performance of Spin-the-bottle Sort



Performance of Annealing Sort (1st sequence)





IV. Conclusion

I think shell sort is the best sorting algorithm in both distributions. Annealing sort is worst since the probability of unsorted is around 30%.