Name: "'Bosheng Zhang"' SID: "'s4500483"'

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2 Langton's ant is a two-dimensional universal Turing machine with a
      very simple set of rules
3 but complex emergent behavior.
4 In simplest term, it's just a cellular automaton like Conway's Game
       of Life.
5 The ant moves in the grid(cells) following very simple rules.
_{\rm 6} The ant has certain orientation in the cell: up, down, left, right
       which is used for turning the direction of the ant.
8 IMPROVEMENT ON DIFFERENT COLORS
9 The ant might go back to the square 1, and the square shouldn't
      change from 1 -> 0,
it should change from 1 -> 2, as same as 2 -> 3... and so on.
Each number should represent a different colour.
13
14 import numpy as np
15 import random
17 WHITE = 0
18 BLACK = 1
20 # LR: Langton's ant has the name "RL" in this naming scheme.
21 SIMPLEST = {
      0: (1, 'R'),
1: (0, 'L'),
23
24 }
25
26 # RLR: Grows chaotically. It is not known whether this ant ever
      produces a highway.
27 CHAOTIC = {
      0: (1, 'R'),
       1: (2, 'L'),
29
       2: (0, 'R')
30
31 }
32 # LLRR: Grows symmetrically.
33 SYMMETRIC = {
      0: (1, 'L'),
34
      1: (2, 'L'),
2: (3, 'R'),
3: (0, 'R')
35
36
37
38 }
39 # LRRRRRLLR: Fills space in a square around itself.
40 SQUARE = {
      0: (1, 'L'),
1: (2, 'R'),
2: (3, 'R'),
41
42
43
       3: (4, 'R'),
44
       4: (5, 'R'),
45
      5: (6, 'R'),
6: (7, 'L'),
46
47
7: (8, 'L'),
```

```
49 8: (0, 'R')
50 }
# LLRRRLRLRLR: Creates a convoluted highway.
52 CONVOLUTED_HIGHWAY = {
       0: (1, 'L'),
1: (2, 'L'),
2: (3, 'R'),
53
54
55
        3: (4, 'R'),
56
        4: (5, 'R'),
57
       5: (6, 'L'),
6: (7, 'R'),
7: (8, 'L'),
58
59
60
        8: (9, 'R'),
61
        9: (10, 'L'),
62
        10: (11, 'L'),
11: (0, 'R'),
63
64
65 }
66 # RRLLLRLLRRR: Creates a filled triangle shape that grows and
        moves.
67 FILLED_TRIANGLE = {
        0: (1, 'R'),
1: (2, 'R'),
68
69
70
        2: (3, 'L'),
       3: (4, 'L'),
4: (5, 'L'),
5: (6, 'R'),
71
72
73
        6: (7, 'L'),
74
        7: (8, 'L'),
75
        8: (9, 'L'),
76
        9: (10, 'R'),
77
       10: (11, 'R'),
11: (0, 'R'),
78
79
80 }
81 # direction index set
82 DIRECTIONS = {
        'U': (0, 1),
83
        'D': (0, -1),
84
        'L': (-1, 0),
        'R': (1, 0)
86
87 }
88 # here we initial the direction as up->right->down->left, which is
       clockwise
89 directions = 'URDL'
90
91
92 class LangtonAnt:
93
        Object for computing langton's ant cellular automation
94
95
        def __init__(self, N, ant_position, rules):
96
             self.grid = np.zeros((N, N), np.uint)
97
             self.rules = rules
98
99
             self.ant_position = ant_position
             self.ant_direction = random.choice(directions)
100
101
             print(self.ant_direction)
103
   def get_states(self):
```

```
"""Returns the current states of the cells"""
104
105
           return self.grid
106
       def get_current_position(self):
107
             ""Returns the ant current position"""
108
           return self.grid[self.ant_position]
109
110
       def set_current_position(self, num):
111
            """set ant current position base on input num"""
112
113
           self.grid[self.ant_position] = num
114
       def rotate(self, direc):
115
             ""rotate the ant dependents on the direc: L->90 clockwise;
116
        R->90 anti-clockwise"""
           # At a white square, turn 90
                                           clockwise
           if direc == 'R':
118
               index = 1
119
           # At a black square, turn 90 counter-clockwise
120
121
           if direc == 'L':
                index = -1
            self.ant_direction = directions[(directions.find(self.
123
       ant_direction) + index) % len(directions)]
124
125
       def move(self):
           # move forward one unit
126
127
           index = DIRECTIONS[self.ant_direction]
           self.ant_position = (
128
                self.ant_position[0] + index[0],
129
                self.ant_position[1] + index[1]
130
131
132
       def update(self):
133
            """update one epoch"""
134
           current_position = self.get_current_position()
135
           # locate current position and read from input transition
136
       table
           transition = self.rules[current_position]
137
138
           \mbox{\tt\#} get next position index and direction: L OR R
           new_position, direc = transition
139
140
           # flip the color of the square
141
           self.set_current_position(new_position)
142
143
           self.rotate(direc=direc)
           self.move()
144
145
146
147 #
149 N = 256
150
n = int(input("choose the ruleset of ant: (0 - 5)"))
152 ruleset = {
      0: SIMPLEST,
153
       1: CHAOTIC.
154
2: SYMMETRIC,
```

```
3: SQUARE,
157
       4: CONVOLUTED_HIGHWAY,
       5: FILLED_TRIANGLE
158
159 }[n]
160
# create the langton ant object
ant = LangtonAnt(N, ant_position=(int(N / 2), int(N / 2)), rules=
      ruleset)
163 cells = ant.get_states() # initial state
164
165 #
166 # plot cells
import matplotlib.pyplot as plt
168 import matplotlib.animation as animation
169
170 fig = plt.figure()
171
172 plt.gray()
173
img = plt.imshow(cells, animated=True, cmap='tab20c', vmin=0, vmax
       =(len(ruleset) - 1))
175
176
177 def animate(i):
       """perform animation step"""
178
       global ant
179
180
       ant.update()
181
182
       cells_updated = ant.get_states()
183
       img.set_array(cells_updated)
184
185
       return img,
186
187
188
189 interval = 0.1 # ms
190
# animate 24 frames with interval between them calling animate
      function at each frame
192 ani = animation.FuncAnimation(fig, animate, frames=24, interval=
       interval, blit=True, repeat=True)
193
194 plt.show()
```