

Generative Adversarial Networks Siyu



Today's Content

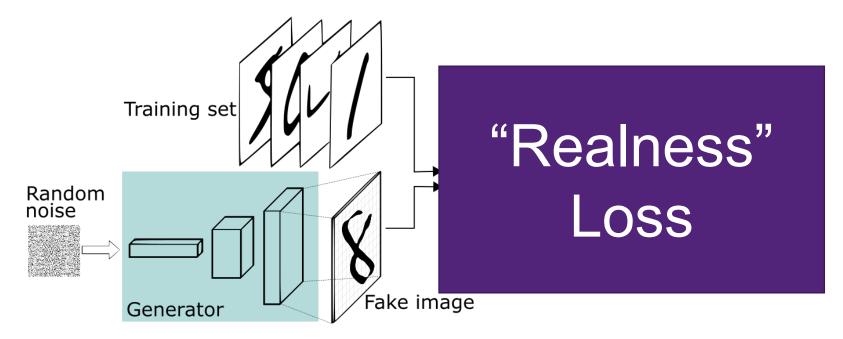
Theory of GANs

TensorFlow Implementation



Generating Data

- Generating data had been historically difficult and was thought to be impossible in many cases.
- How do we define realness?
- Naïve loss functions like MSE cannot quantify realness.

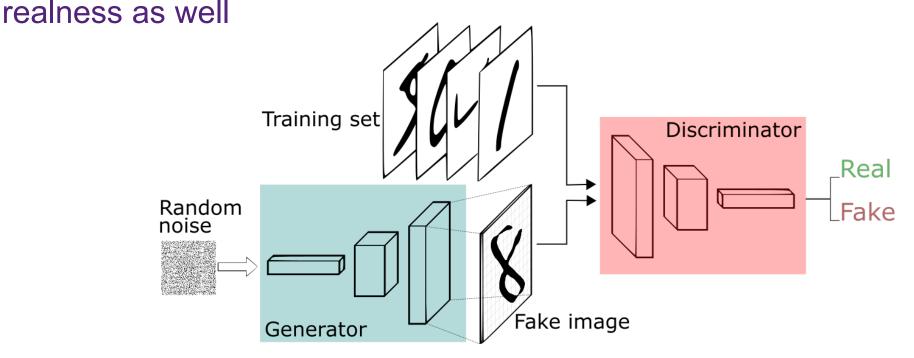




Generative Adversarial Networks (GANs)

- A framework for generating data, can be supervised or unsupervised.
- Involved at least two models: a generator and a discriminator.

Neural nets can be trained to classify things, they can be trained to assess



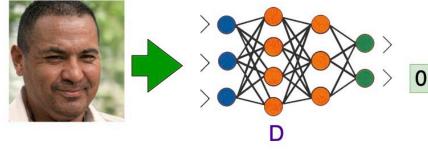


Generative Adversarial Networks – Training Step

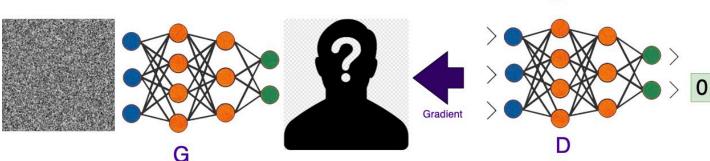
Step 1 – Training the **Discriminator** on a fake sample



Step 2 – Training the **Discriminator** on a real sample



Step 3 – Optimise the **Generator** to make the **Discriminator** predict "real"





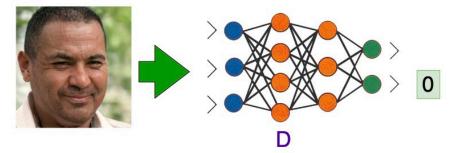
Generative Adversarial Networks – Training Step

Step 1

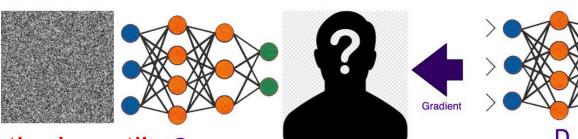
$$\theta_D \leftarrow \theta_D - \alpha \frac{\partial}{\partial \theta_D} \mathcal{L}_{CE}(1, D(fake))$$



Step 2
$$\theta_D \leftarrow \theta_D - \alpha \frac{\partial}{\partial \theta_D} \mathcal{L}_{CE}(0, D(real))$$



Step 3
$$\theta_G \leftarrow \theta_G - \alpha \frac{\partial}{\partial \theta_G} \mathcal{L}_{CE}(0, D(G(noise)))$$



The models are trained alternatively until equilibrium



Training Using Model.fit()

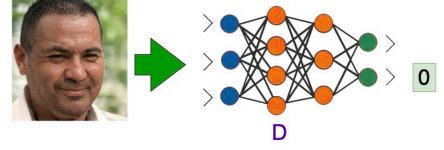
Step 1

$$\theta_D \leftarrow \theta_D - \alpha \frac{\partial}{\partial \theta_D} \mathcal{L}_{CE}(1, D(fake))$$
d.train_on_batch(fake, [1, 1, 1 ...])



Step 2
$$\theta_D \leftarrow \theta_D - \alpha \frac{\partial}{\partial \theta_D} \mathcal{L}_{CE}(0, D(real))$$
d.train_on_batch(real, [0, 0, 0 ...]))





Step 3

$$\theta_G \leftarrow \theta_G - \alpha \frac{\partial}{\partial \theta_G} \mathcal{L}_{CE}(0, D(G(noise)))$$

gd.train_on_batch(noise, [0, 0, 0 ...]))

The models are trained alternatively until equilibrium



Training Using Model.fit()

Step 1

$$\theta_D \leftarrow \theta_D - \alpha \frac{\partial}{\partial \theta_D} \mathcal{L}_{CE}(1, D(fake))$$

d.train_on_batch(fake, 1)

Step 2

$$\theta_D \leftarrow \theta_D - \alpha \frac{\partial}{\partial \theta_D} \mathcal{L}_{CE}(0, P)$$

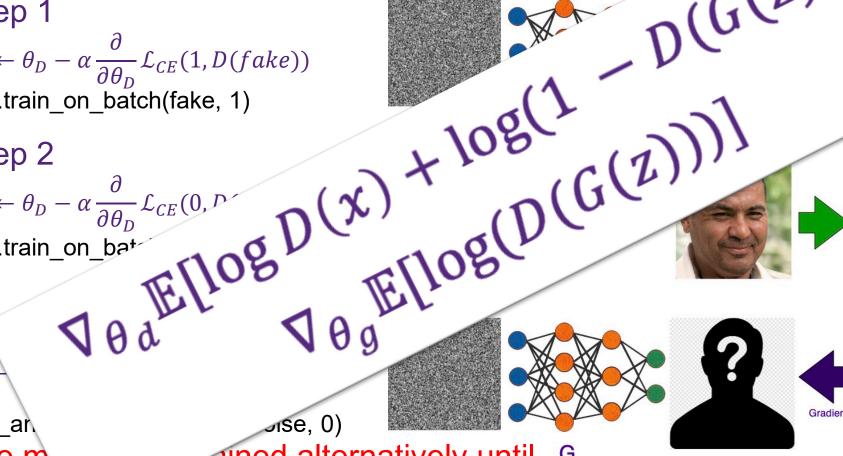
$$d.train_on_ba^{\dagger}$$

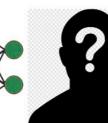
g_ar

The m equilib

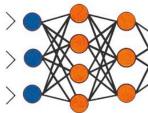


ained alternatively until











Generative Adversarial Networks – Implementation

We had to convert the real loss function to a supervised learning problem

$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$
$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$



Cross Entropy Losses for model.fit(x, y)

GAN losses can be very complex. For example, the StarGAN v2 loss:

$$\mathcal{L}_{adv} = \mathbb{E}_{\mathbf{x},y} \left[\log D_{y}(\mathbf{x}) \right] + \\ \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}} \left[\log \left(1 - D_{\widetilde{y}}(G(\mathbf{x},\widetilde{\mathbf{s}})) \right) \right], \\ \mathcal{L}_{sty} = \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}} \left[||\widetilde{\mathbf{s}} - E_{\widetilde{y}}(G(\mathbf{x},\widetilde{\mathbf{s}}))||_{1} \right]. \\ \mathcal{L}_{ds} = \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}_{1},\mathbf{z}_{2}} \left[||G(\mathbf{x},\widetilde{\mathbf{s}}_{1}) - G(\mathbf{x},\widetilde{\mathbf{s}}_{2})||_{1} \right], \\ \mathcal{L}_{cyc} = \mathbb{E}_{\mathbf{x},y,\widetilde{y},\mathbf{z}} \left[||\mathbf{x} - G(G(\mathbf{x},\widetilde{\mathbf{s}}),\hat{\mathbf{s}})||_{1} \right],$$



Generative Adversarial Networks — lementation

We had to convert the real loss function

$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$
$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$

model.fit(X, Y): inple, the StarGAN v2 loss: GAN losses can be va

$$\mathcal{L}_{adv} = \mathbb{E}_{\mathbf{x},y} \left[\log \mathbf{A} \right]$$

$$\mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}} \left[\log \left(\mathbf{A} \right) \left(\mathbf{x}, \widetilde{\mathbf{s}} \right) \right) \right],$$

$$\mathcal{L}_{sty} = \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}} \left[||\widetilde{\mathbf{s}} - E_{\widetilde{y}}(G(\mathbf{x}, \widetilde{\mathbf{s}}))||_{1} \right].$$

$$\mathcal{L}_{ds} = \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}_{1},\mathbf{z}_{2}} \left[||G(\mathbf{x}, \widetilde{\mathbf{s}}_{1}) - G(\mathbf{x}, \widetilde{\mathbf{s}}_{2})||_{1} \right],$$

$$\mathcal{L}_{cyc} = \mathbb{E}_{\mathbf{x},y,\widetilde{y},\mathbf{z}} \left[||\mathbf{x} - G(G(\mathbf{x}, \widetilde{\mathbf{s}}), \hat{\mathbf{s}})||_{1} \right],$$

$$\min_{G,F,E} \max_{D} \quad \mathcal{L}_{adv} + \lambda_{sty} \mathcal{L}_{sty} \\ - \lambda_{ds} \mathcal{L}_{ds} + \lambda_{cyc} \mathcal{L}_{cyc},$$

d learning problem



Generative Adversarial Networks – Implementation

model.fit(x, y)?

- model.fit is good for supervised learning
- model.fit is a convenience API, it does not reflect the nature of deep learning
- It is hard to define the input (x) and target (y) for complex loss functions



Gradient Tape

- Use tf.GradientTape() to train keras models.
- Update models based on optimisation objectives rather than input (x) and labels (y).
- Many GAN problems have no clearly-defined labels.

$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$
$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$

Example GAN loss function

This is exactly how pytorch works



```
for i in range(conf['ITERATIONS']):
   z = tf.random.normal(shape=[batch_size, latent_dim]])
   x = get_img_batch()
   x /= 255
   # q and d are tf.keras models
   with tf.GradientTape() as tape:
       d_loss_real = real_loss(d, x) -
       d_loss_fake = fake_loss(g, d, z)
       d_loss = d_loss_real + d_loss_fake
   grads = tape.gradient(d_loss, d.trainable_variables)
   d_opt.apply_gradients(zip(grads, d.trainable_variables))
    # train generator
   with tf.GradientTape() as tape:
       g_loss = gen_loss(g, d, z)
   grads = tape.gradient(g_loss, g.trainable_variables)
   g_opt.apply_gradients(zip(grads, g.trainable_variables))
   # print log
   print("STEP=%05d, d_loss=%.5f, g_loss=%.5f" % (
            np.mean(d_loss.numpy()),
           np.mean(g_loss.numpy())
```

$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$
Real Loss

$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$



```
for i in range(conf['ITERATIONS']):
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   x /= 255
   # q and d are tf.keras models
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            np.mean(d_loss.numpy()),
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```

$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$
Fake Loss

$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$



```
for i in range(conf['ITERATIONS']):
   z = tf.random.normal(shape=[batch_size, latent_dim]])
   x = get_img_batch()
   x /= 255
   # q and d are tf.keras models
   with tf.GradientTape() as tape:
       d_loss_real = real_loss(d, x)
       d loss fake = fake_loss(g, d, z)
       d_loss = d_loss_real + d_loss_fake
   grads = tape.gradient(d_loss, d.trainable_variables) 
   d_opt.apply_gradients(zip(grads, d.trainable_variables))
    # train generator
   with tf.GradientTape() as tape:
       g_loss = gen_loss(g, d, z)
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            np.mean(d_loss.numpy()),
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```

```
\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]
```

Gradient w.r.t Discriminator

$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$



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for i in range(conf['ITERATIONS']):
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            np.mean(d_loss.numpy()),
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```

```
\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]
\theta_d \leftarrow \theta_d - \alpha \nabla_{\theta_d}(x, z, G, D)
Update the weights of D
```

$$\nabla_{\theta_a} \mathbb{E}[\log(D(G(z)))]$$



```
for i in range(conf['ITERATIONS']):
   z = tf.random.normal(shape=[batch_size, latent_dim]])
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   # q and d are tf.keras models
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    # train generator
   with tf.GradientTape() as tape:
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   grads = tape.gradient(g_loss, g.trainable_variables)
   g_opt.apply_gradients(zip(grads, g.trainable_variables))
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            np.mean(d_loss.numpy()),
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$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$





```
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$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$

```
\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]
Gradient w.r.t
Generator
```



```
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```

$$\nabla_{\theta_d} \mathbb{E}[\log D(x) + \log(1 - D(G(z)))]$$

$$\nabla_{\theta_g} \mathbb{E}[\log(D(G(z)))]$$

$$\theta_g \leftarrow \theta_g - \alpha \nabla_{\theta_g}(z, G, D)$$
Update the weights of G



```
with tf.GradientTape(persistent=True) as tape:
   # 1. adv loss
   st = F[yt](z)
   g_st = G([x, st])
   d_yt = D[yt](g_st)
   d_y = D[y](x)
   ld_fake = fake_loss(d_yt)
   ld_real = real_loss(-d_y)
   ld_adv = tf.reduce_mean(ld_fake + ld_real + r1_gp(x, D[y]))
   # 1. g_adv_loss
   lg_adv = tf.reduce_mean(tf.nn.softplus(-d_yt))
   # 2. style recon loss
   l_sty = l1_loss(st, E[yt](g_st)) * conf['LAMBDA_STY']
   # 3. style diversification loss
   s1 = F[yt](z1)
   s2 = F[yt](z2)
   g_st1 = G([x, s1])
   q_st2 = G([x, s2])
   l_ds = -l1_loss(g_st1, g_st2) * decay.next() # "-" sign to maximise
   # 4. cycle consistency loss
   l_{cyc} = l1_{loss}(x, G([g_{st}, E[y](x)])) * conf['LAMBDA_CYC']
    lg_tot = lg_adv + l_sty + l_cyc + l_ds
```

$$\mathcal{L}_{adv} = \mathbb{E}_{\mathbf{x},y} \left[\log D_y(\mathbf{x}) \right] + \\ \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}} \left[\log \left(1 - D_{\widetilde{y}}(G(\mathbf{x},\widetilde{\mathbf{s}})) \right) \right],$$

$$\mathcal{L}_{sty} = \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}} \left[||\widetilde{\mathbf{s}} - E_{\widetilde{y}}(G(\mathbf{x},\widetilde{\mathbf{s}}))||_1 \right].$$

$$\mathcal{L}_{ds} = \mathbb{E}_{\mathbf{x},\widetilde{y},\mathbf{z}_1,\mathbf{z}_2} \left[||G(\mathbf{x},\widetilde{\mathbf{s}}_1) - G(\mathbf{x},\widetilde{\mathbf{s}}_2)||_1 \right],$$

$$\mathcal{L}_{cyc} = \mathbb{E}_{\mathbf{x},y,\widetilde{y},\mathbf{z}} \left[||\mathbf{x} - G(G(\mathbf{x},\widetilde{\mathbf{s}}),\hat{\mathbf{s}})||_1 \right],$$

Losses are implemented as they are defined in the paper



```
def train(model, loss, opt, tape):
   grads = tape.gradient(loss, model.trainable_variables)
   opt.apply_gradients(zip(grads, model.trainable_variables))
train(D[yt], ld_adv, D_opts[yt], tape)
train(D[y], ld adv, D_opts[y], tape)
train(G, lg_tot, G_opt, tape)
train(E[yt], lg_tot, E_opts[yt], tape)
train(E[y], lg_tot, E_opts[y], tape)
train(F[yt], lg_tot, F_opts[yt], tape)
```

Updated all the models using the same loss function