Machine Learning Report

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Exercise 2

Model

For this exercise we used a Batch Gradient Descent approach in contrast to the Stochastic Gradient Descent from last time. The resulting parameters were:

$$\alpha = 0.05$$
 $\theta_{\text{bias}} = 7.7618$
 $\theta_1 = -1.0793$
 $\theta_2 = 3.1896$

The model is therefore defined by the function

$$f(x) = g(7.7618 - 1.0793x_1 + 3.1896x_2)$$

where g(z) is the sigmoid function.

Graph

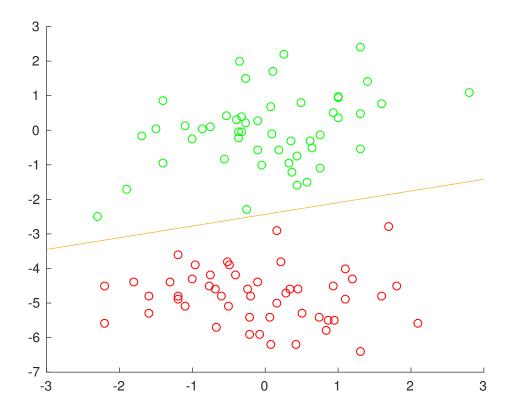


Figure 1: The plotted decision boundary with separately colored data points.

Code

readData.m

```
data = dlmread('data.txt', '-');
alpha = 0.05;
theta = logisticRegression(data, alpha);
positive = data(find(data(:,3) == 1),:);
negative = data(find(data(:,3) == 0),:);
figure
scatter(positive(:,1), positive(:,2), [], 'green'); hold on;
scatter(negative(:,1), negative(:,2), [], 'red'); hold on;
display (theta);
fplot(@(x) -1*(theta(1) + theta(2)*x)/theta(3), [-3 3]); hold off;
logisticRegression.m
function theta = logisticRegression(data, alpha)
    theta = rand([3,1]) * 0.02 - 0.01;
    [rows, columns] = size(data);
    vec = ones([rows, 1]);
    x_{mat} = [vec data(:,1:2)];
    y = data(:,3);
    threshold = 0.1;
    errorDecrease = 1;
    iteration = 0;
    errors = [];
    while(errorDecrease / alpha > threshold)
        % compute matrix product of X and Theta
        % After that we can compute the result of the logistic function
        intermediate = x_mat * theta;
        h = logsig(intermediate); \% logsig is the sigmoid function
        \mathbf{diff} = (y - h);
        error = diff; * diff;
        update = alpha * diff' * x_mat;
        theta = theta + update';
        if iteration > 0
            errorDecrease = ((errors(end) - error)/errors(end));
        iteration = iteration + 1;
        errors = [errors error];
    end
    display (['Converged_after_' num2str(iteration) '_iterations.'])
```

 \mathbf{end}