

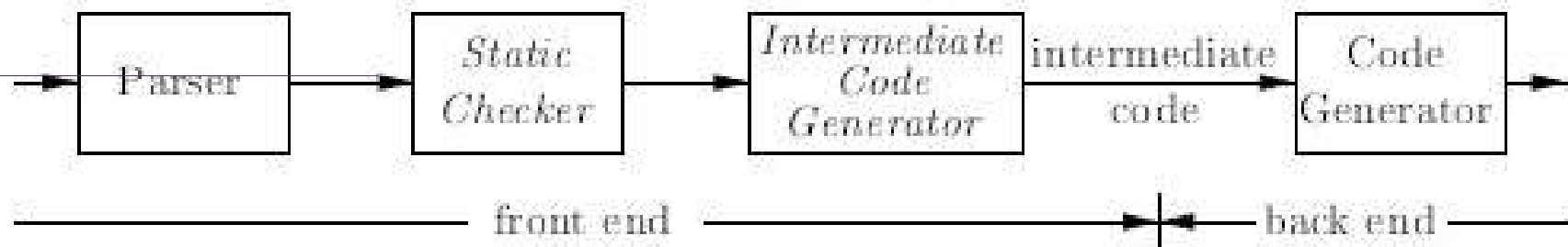
Intermediate Code Generation

UNIT 4

By
Dr. Sini Anna Alex

Logical structure of a compiler front end

In an analysis-synthesis model of a compiler, the front end analyzes a source program and creates an intermediate representation, from which the back end generates target code.



Logical structure of a compiler front end

Where parsing, static checking, and intermediate-code generation are done sequentially; some of these can be combined and folded into parsing.

Static checking includes type checking, which ensures that operators are applied to compatible operands. For example, static checking assures that a break-statement in C is enclosed within a loop or switch-statement.

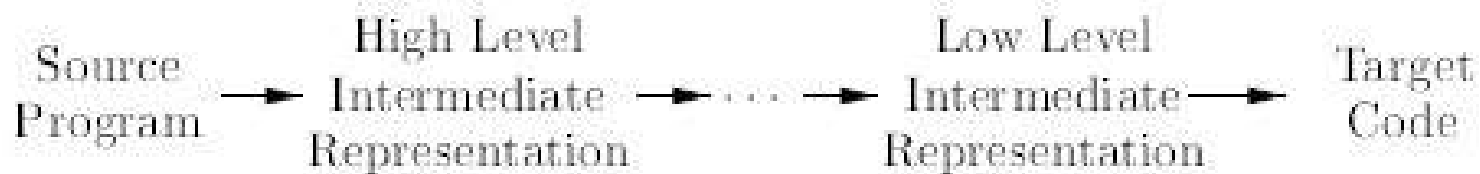
Compiler might use a sequence of intermediate representations

The term **three-address code** comes from instructions of the general form

= y op z with three addresses: two for the operands y and z and one for the result x.

In the process of translating a program in a given source language into code for a given target machine, a compiler may construct a sequence of intermediate representations.

Low-level representation is suitable for machine-dependent tasks like register allocation and instruction selection. High Level representation a tree like structure.



variants of Syntax Trees - DAG

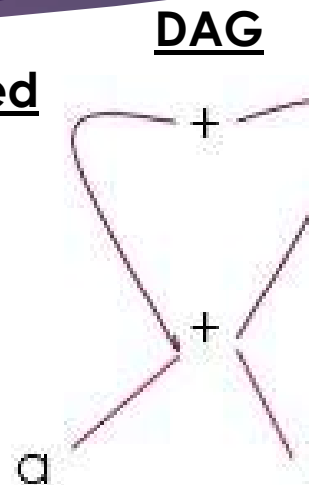
A directed acyclic graph (hereafter called a DAG) for an expression identifies the common subexpressions (subexpressions that occur more than once) of the expression. Nodes in a syntax tree represent constructs in the source program; the children of a node represent the immediate components of a construct.

Directed Acyclic Graphs for Expressions

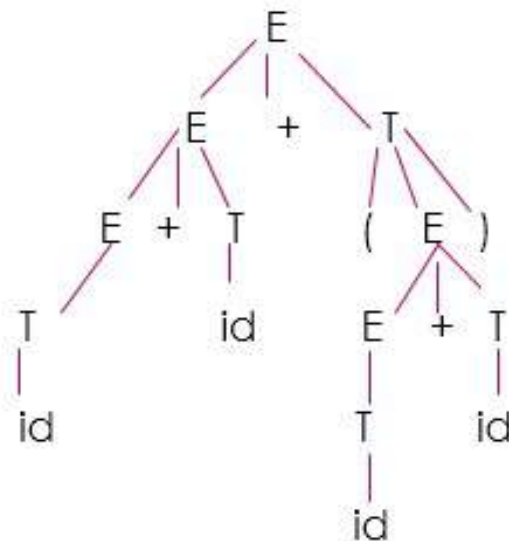
Like the syntax tree for an expression, a DAG has leaves corresponding to atomic operands and interior nodes corresponding to operators.

100

Input string to be represented
a + b + (a + b)



string to be represented
b + (a + b)



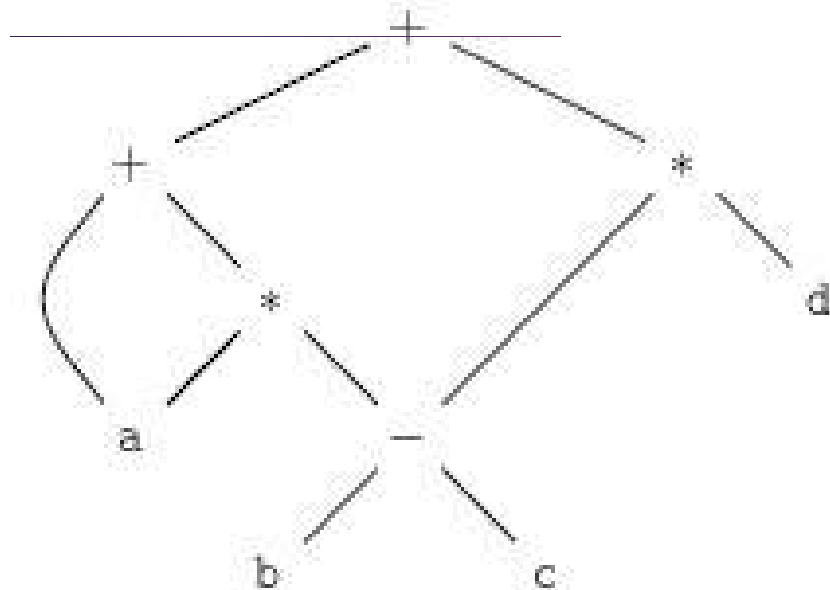
Steps for constructing the D

- 1) p1= Leaf(id, entry-a)
- 2) p2 = Leaf(id, entry-b)
- 3) p3= Node('+',p1,p2)
- 4) p4=Leaf(id, entry-a) = p1
- 5) p5=Leaf(id, entry-b) = p2
- 6) p6=Node('+',p1,p2) = p3
- 7) p7= Node('+',p3,p3)

Construct DAG for the expression

$$+a*(b-c)+ (b-c)*d$$

DAG



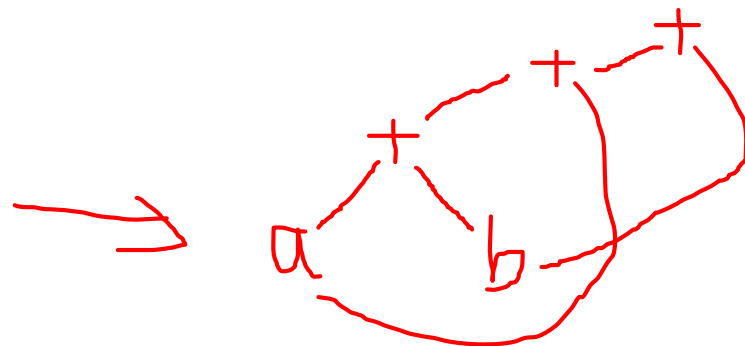
Steps for constructing the DAG

- 1) $p_1 = \text{Leaf}(\text{id}, \text{entry-}a)$
- 2) $p_2 = \text{Leaf}(\text{id}, \text{entry-}a) = p_1$
- 3) $p_3 = \text{Leaf}(\text{id}, \text{entry-}b)$
- 4) $p_4 = \text{Leaf}(\text{id}, \text{entry-}c)$
- 5) $p_5 = \text{Node}('-', p_3, p_4)$
- 6) $p_6 = \text{Node}('*', p_1, p_5)$
- 7) $p_7 = \text{Node}('+', p_1, p_6)$
- 8) $p_8 = \text{Leaf}(\text{id}, \text{entry-}b) = p_3$
- 9) $p_9 = \text{Leaf}(\text{id}, \text{entry-}c) = p_4$
- 10) $p_{10} = \text{Node}('-', p_3, p_4) = p_5$
- 11) $p_{11} = \text{Leaf}(\text{id}, \text{entry-}d)$
- 12) $p_{12} = \text{Node}('*', p_5, p_{11})$
- 13) $p_{13} = \text{Node}('+', p_7, p_{12})$

Construct the DAG for the expression
(assuming + associates from the left)

ab+	a+	b+
-----	----	----

$a + b + a + b$



$a + a + (a + a + a + (a + a + a + a))$



aa+	aa+	a+	aa+	a+	a+	+	+
-----	-----	----	-----	----	----	---	---

$((x + y) - ((x + y) * (x - y))) + ((x + y) * (x - y))$

Tutorial Questions

► 1. $A \rightarrow L M \{ L.i = f(A.s); M.i = f(L.s); A.s = f(M.s); \}$

► 2. $A \rightarrow Q R \{ R.i = f(A.i); Q.i = f(R.i); A.s = f(Q.s); \}$

► Is the above definitions S-Attributed or L-attributed?

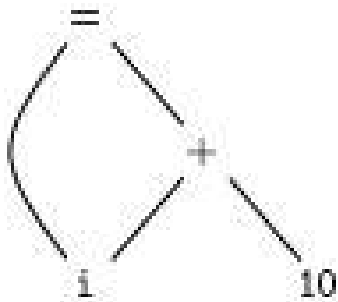
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Value Number Method for Constructing DAG's

- Nodes of Syntax Tree or DAG – stored in an array of records.
- Each row represents- one record(one node)
- Nodes of a DAG for $i=i+10$



(a) DAG

1	id	i	→ to entry for i
2	num	10	
3	+	1	2
4	=	1	3
5	...		

(b) Array.

Algorithm: The value-number method for constructing the nodes of a DAG.

INPUT: Label op , node l , and node r .

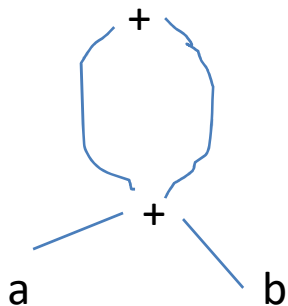
OUTPUT: The value number of a node in the array with signature $\langle op, l, r \rangle$.

METHOD: Search the array for a node M with label op , left child l , and right child r . If there is such a node, return the value number of M . If not, create in the array a new node N with label op , left child l , and right child r , and return its value number.

Construct three address code and VNM for the given DAG

$a+b+(a+b)$

DAG



Three Address Code

$t1 = a + b$
 $t2 = t1 + t1$

Value Number Method (VNM)

1	id		Entry for a
2	id		Entry for b
3	+	1	2
4	+	3	3

Three Address Code

- In three-address code, there is at most one operator on the right side of an instruction.
- source-language expression like $x+y*z$ might be translated into the sequence of three-address instructions

$$t1 = y * z$$

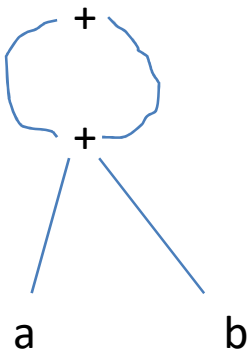
$$t2 = x + t1$$

where $t1$ and $t2$ are compiler-generated temporary names.

Three Address Code From DAG and From Syntax Tree

- $a+b+(a+b)$

DAG

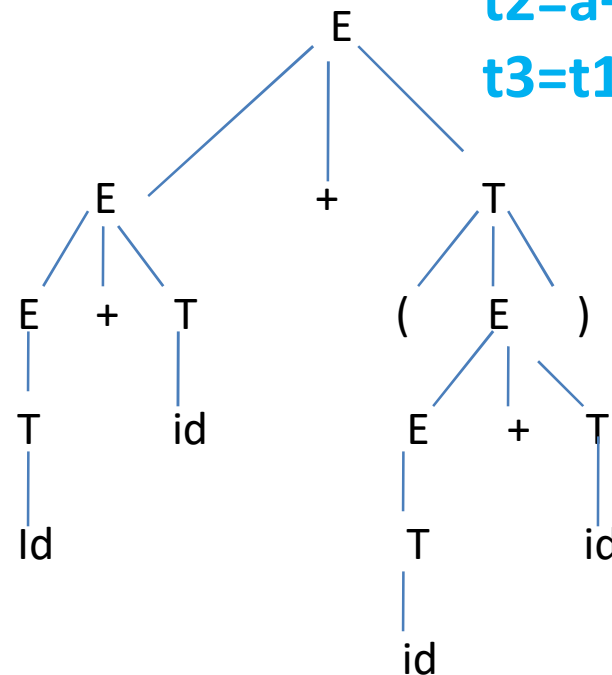


Three Address Code

$t1 = a + b$

$t2 = t1 + t1$

Syntax Tree



Three Address Code

$t1 = a + b$

$t2 = a + b$

$t3 = t1 + t2$

Addresses and Instructions

- Three-address code is built from two concepts: addresses and instructions.

An address can be one of the following:

- Name
- Constant
- A compiler-generated temporary

Common three-address instruction forms

- 1. Assignment instructions of the form $x = y \text{ op } z$, where op is a binary arithmetic or logical operation, and x , y , and z are addresses.
- 2. Assignments of the form $x = \text{op } y$, where op is a unary operation. Essential unary operations include unary minus, logical negation, and conversion operators, for example, convert an integer to a floating-point number.
- 3. Copy instructions of the form $x = y$, where x is assigned the value of y .

Common three-address instruction forms contd..

- 4. An unconditional jump **goto L**. The three-address instruction with label L is the next to be executed.
- 5. Conditional jumps of the form **if x goto L** and **ifFalse x goto L**.
- 6. Conditional jumps such as **if x relop y goto L**, which apply a relational operator (<, ==, >=, etc.) to x and y, and execute the instruction with label L next if x stands in relation relop to y.

Common three-address instruction forms

contd..

7. Procedure calls and returns are implemented using the following instructions: param x for parameters;
call p,n and y = call p,n for procedure and function calls, respectively;
return y, where y, representing a returned value, is optional.

p(x1,x2;..., xn)

param x1
param x2
...
param xn
call p,n

Where n= no of arguments

8. Indexed copy instructions of the form $x=y[i]$ and $x[i]=y$.
9. Address and pointer assignments of the form $x=\&y$, $x=^*y$, and $^*x=y$. The instruction $x=\&y$ sets the r-value of x to be the location (l-value) of y.

Three Address Code Translation

1. $a = b[i] + c[j]$

2. $a[i] = b * c + b * d$

3. $x = f(y + 1) + 2$

Three address Translation of Control Statements

- Consider the statement
do $i = i + 1$; while ($a[i] < v$);
- Two possible translations of this statement are

```
L:  t1 = i + 1  
    i = t1  
    t2 = i * 8  
    t3 = a [ t2 ]  
    if t3 < v goto L
```

(a) Symbolic labels.

```
100: t1 = i + 1  
101: i = t1  
102: t2 = i * 8  
103: t3 = a [ t2 ]  
104: if t3 < v goto 100
```

(b) Position numbers.

The description of three-address instructions

- Three address instructions can be implemented as objects or as records with fields for the operator and the operands. Three such representations are called quadruples, triples, and indirect triples.
- Quadruples- A quadruple (or just quad) has four fields: op, arg1, arg2, and result.
- The op field contains an internal code for the operator.
- For instance, the three-address instruction $x = y + z$ is represented by placing + in op, y in arg1, z in arg2, and x in result.

Quadruple Representation

The following are some exceptions to this rule:

- 1. Instructions with unary operators like $x = \text{minus } y$ or $x = y$ do not use arg2. For a copy statement like $x = y$, op is =, while for most other operations, the assignment operator is implied.
- 2. Operators like param use neither arg2 nor result.
- 3. Conditional and unconditional jumps put the target label in result.

Quadruple representation of

$$a = b * -c + b * -c$$

```
t1 = minus c
t2 = b * t1
t3 = minus c
t4 = b * t3
t5 = t2 + t4
a = t5
```

Three-address code

	<i>op</i>	<i>arg₁</i>	<i>arg₂</i>	<i>result</i>
0	minus	c		t ₁
1	*	b	t ₁	t ₂
2	minus	c		t ₃
3	*	b	t ₃	t ₄
4	+	t ₂	t ₄	t ₅
5	=	t ₅		a
	...			

Quadruples

Triples

A triple has only three fields, which we call *op*, *arg1*, and *arg2*. With triples, the result of an operation is referred to by its position, so moving an instruction may require us to change all references to that result.

```
t1 = minus c
t2 = b * t1
t3 = minus c
t4 = b * t3
t5 = t2 + t4
a = t5
```

Three-address code

Triple Representation of $a = b*-c + b*-c$

	<i>op</i>	<i>arg₁</i>	<i>arg₂</i>
0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)
	...		

Triples

Indirect Triples

Indirect triples consist of a listing of pointers to triples, rather than a listing of triples themselves. With indirect triples, an optimizing compiler can move an instruction by reordering the instruction list, without a directing the triples themselves

instruction

35	(0)
36	(1)
37	(2)
38	(3)
39	(4)
40	(5)
	...

op *arg₁* *arg₂*

0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)
		...	

Indirect triples representation of three-address code

THANK YOU

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Quadruple representation of

$$a = b * -c + b * -c$$

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t5 = t2 + t4
a = t5
```

Three-address code

	<i>op</i>	<i>arg₁</i>	<i>arg₂</i>	<i>result</i>
0	minus	c		t ₁
1	*	b	t ₁	t ₂
2	minus	c		t ₃
3	*	b	t ₃	t ₄
4	+	t ₂	t ₄	t ₅
5	=	t ₅		a
	...			

Quadruples

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t4 = b * t3
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```

Three-address code

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	<i>op</i>	<i>arg₁</i>	<i>arg₂</i>
0	minus	c	
1	*	b	(0)
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4	+	(1)	(3)
5	=	a	(4)
	...		

Triples

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instruction

35	(0)
36	(1)
37	(2)
38	(3)
39	(4)
40	(5)
	...

op *arg₁* *arg₂*

0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)
		...	

Indirect triples representation of three-address code

Static Single Assignment Form(SSA)

- Intermediate Representation that facilitates certain code optimizations.
- Intermediate program in three-address code and SSA

```
p = a + b
q = p - c
p = q * d
p = e - p
q = p + q
```

(a) Three-address code.

```
p1 = a + b
q1 = p1 - c
p2 = q1 * d
p3 = e - p2
q2 = p3 + q1
```

(b) Static single-assignment form.

ϕ -function

- The same variable may be defined in two different control-flow paths in a program.

```
if ( flag ) x = -1; else x = 1;  
y = x * a;
```

- has two control-flow paths in which the variable x gets defined.

```
if ( flag ) x1 = -1; else x2 = 1;  
x3 =  $\phi(x_1, x_2)$ ;
```

- Here, $\phi(x_1, x_2)$ has the value x_1 if the control flow passes through the true part of the conditional and the value x_2 if the control flow passes through the false part.

Types and Declarations

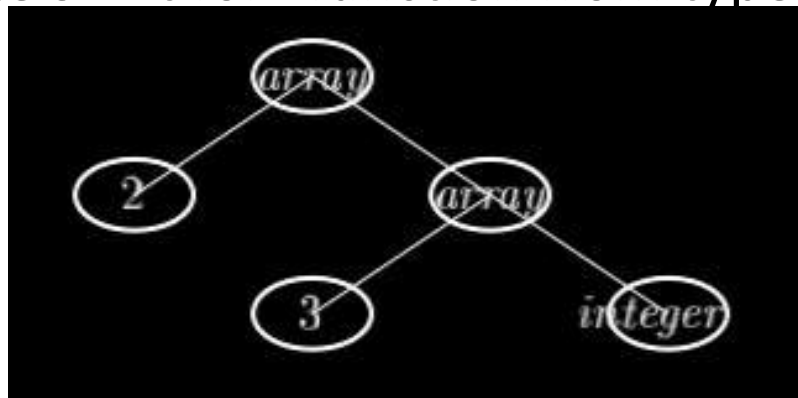
- The applications of types can be grouped under checking and translation:
- **Type checking:** uses logical rules to reason about the behavior of a program at run time.
 - For example, the && operator in Java expects its two operands to be booleans; the result is also of type boolean.
- **Translation Applications:** From the type of a name, a compiler can determine the storage that will be needed for that name at run time.
 - For example, Type information is also needed to calculate the address denoted by an array reference, to insert explicit type conversions.

Type Expressions

- Types have structure, which represent using type expressions:
 - a type expression is either a basic type or is by applying an operator called a type constructor to a type expression.
 - The array type `int[2][3]` can be read as “array of 2 arrays of 3 integers each” and written as a type expression `array(2,array(3,integer))`. The operator `array` takes two parameters, a number and a type.

Definition of type expressions

- A basic type is a type expression
- A type name is a type expression.
- A type expression can be formed by applying the array type constructor to a number and a type expression.
- A record is a data structure with named fields. A type expression can be formed by applying the record type constructor to the field names and their types.
- A type expression can be formed by using the type constructor \rightarrow for function types. We write $s \rightarrow t$ for “function from type s to type t .”



Type expression for `int[2][3]`

Type Equivalence

- When are two type expressions equivalent?
 - Many type-checking rules have the form, “if two type expressions are equal then return a certain type else error.”
- When type expressions are represented by graphs, two types are structurally equivalent if and only if one of the following conditions is true:
 - They are the same basic type.
 - They are formed by applying the same constructor to structurally equivalent types.
 - One is a type name that denotes the other.
- The first two conditions in the above definition lead to name equivalence of type expressions. Name-equivalent expressions are assigned the same value number.

CFG for valid Declarations in C Language

$$\begin{aligned} D &\rightarrow T \text{ id } ; D \mid \epsilon \\ T &\rightarrow B C \mid \text{record } \{ D \} \\ B &\rightarrow \text{int} \mid \text{float} \\ C &\rightarrow \epsilon \mid [\text{num}] C \end{aligned}$$

* record -> can be a struct or union

Storage Layout for local names

- From the type of a name, we can determine the amount of storage that will be needed for the name at run time.
 - Eg: integer means 4 bytes of storage, int A[10].
- At compile time, we can use these amounts to assign each name a relative address.
 - A[2] array reference can be accessed by base address(A)+2*4.
- The type and relative address are saved in the symbol-table entry for the name.
 - Symbol Table gets added with the additional specifications.
 - A is an identifier with type array(10,int)

Computing types and their widths

Syntax-directed translation of array types

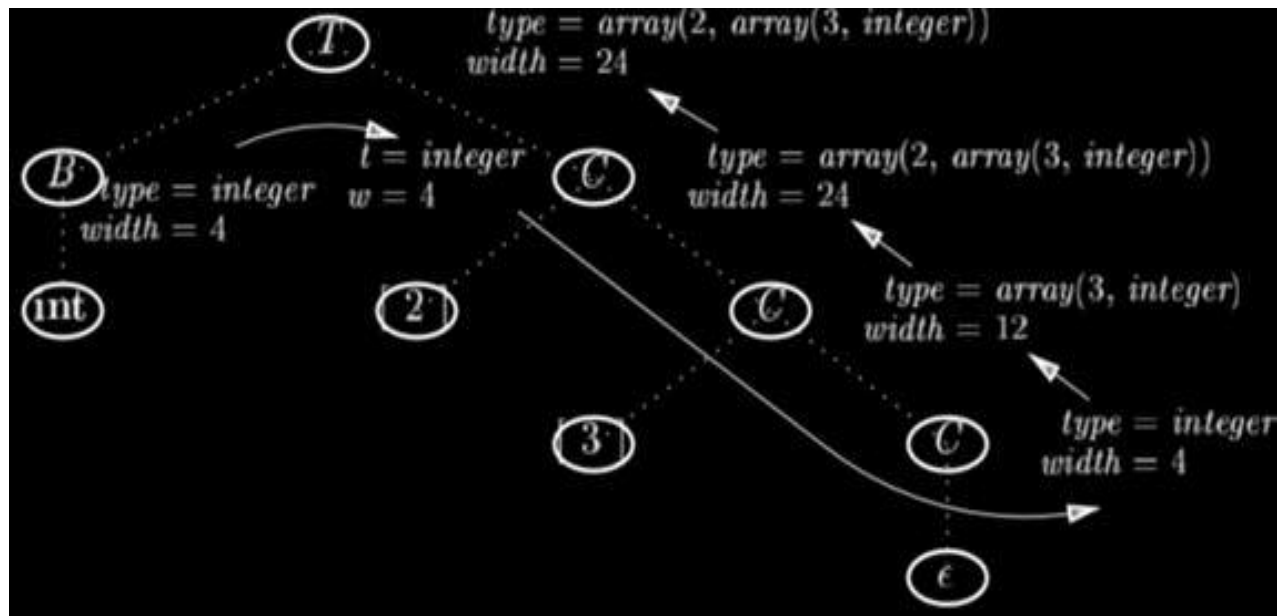
$T \rightarrow B$	$\{ t = B.type; w = B.width; \}$
$\quad C$	$\{ T.type = C.type; T.width = C.width; \}$
$B \rightarrow \text{int}$	$\{ B.type = \text{integer}; B.width = 4; \}$
$B \rightarrow \text{float}$	$\{ B.type = \text{float}; B.width = 8; \}$
$C \rightarrow \epsilon$	$\{ C.type = t; C.width = w; \}$
$C \rightarrow [\text{num}] C_1$	$\{ C.type = \text{array}(\text{num.value}, C_1.type);$ $\quad C.width = \text{num.value} \times C_1.width; \}$

The width of a type is the number of storage units needed for objects of that type.

A basic type, such as a character, integer, or float, requires an integral number of bytes.

SDT uses synthesized attributes type and width for each nonterminal and two variables t and w to pass type and width information.

In syntax-directed translation, t and w would be inherited attributes for C .



Sequences of Declarations

- Languages such as C and Java allow all the declarations in a single procedure to be processed as a group.
- Therefore, we can use a variable, say offset, to keep track of the next available relative address.
- For eg: We have a declaration in C as given below

```
int a;  
struct{int b; float x;}p;
```

Total Storage allocation should be $4 + (4+8) = 16$ bytes.
(For int – 4 bytes , float – 8 bytes)

Computing the relative addresses of declared names

```

$$P \rightarrow \{ \text{offset} = 0; \}$$

$$D \rightarrow T \text{ id}; \quad \{ \text{top.put}(\text{id.lexeme}, T.\text{type}, \text{offset}); \\ \text{offset} = \text{offset} + T.\text{width}; \}$$

$$D \rightarrow \epsilon$$

```

$D \rightarrow T \text{ id}; D_1$ creates a symbol table entry by executing `top.put(id.lexeme, T.type, offset)`. Here `top` denotes the current symbol table.

```

$$P \rightarrow \{ \text{offset} = 0; \} D$$

```

Handling of field names in records

A record type has the form `record(t)`, where `record` is the type constructor, and `t` is a symbol table object that holds information about the fields of this record type

```

$$T \rightarrow \text{record} \{ \{ \text{Env.push}(\text{top}); \text{top} = \text{new Env}(); \\ \text{Stack.push}(\text{offset}); \text{offset} = 0; \} \}$$

$$D \{ \{ \text{ } \} \} \quad \{ T.\text{type} = \text{record}(\text{top}); T.\text{width} = \text{offset}; \\ \text{top} = \text{Env.pop}(); \text{offset} = \text{Stack.pop}(); \}$$

```

Class `Env` implements symbol tables. The call `Env.push(top)` pushes the current symbol table denoted by `top` onto a stack. Variable `top` is then set to a new symbol table. Similarly, `offset` is pushed onto a stack called `Stack`.

Compute the type and relative address for the Declaration statement given below

float x;

record { float a; float b;} p;

Use the given Grammar for computation:

$$\begin{array}{lcl} D & \rightarrow & T \text{ id} ; D \mid \epsilon \\ T & \rightarrow & B C \mid \text{record } \{ D \} \\ B & \rightarrow & \text{int} \mid \text{float} \\ C & \rightarrow & \epsilon \mid [\text{num}] C \end{array}$$

THANK YOU

Intermediate Code Generation

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Subject: Compiler Design

Q 12. Consider the following intermediate program in three address code

$p = a - b$

$q = p * c$

$p = u * v$

$q = p + q$

Which one of the following corresponds to a static single assignment form of the above code ?

(a) $p_1 = a - b$
 $q_1 = p_1 * c$
 $p_1 = u * v$
 $q_1 = p_1 + q_1$

(b) $p_3 = a - b$
 $q_4 = p_3 * c$
 $p_4 = u * v$
 $q_5 = p_4 + q_4$

(c) $p_1 = a - b$
 $q_1 = p_1 * c$
 $p_3 = u * v$
 $q_2 = p_4 + q_3$

(d) $p_1 = a - b$
 $q_1 = p * c$
 $p_2 = u * v$
 $q_2 = p + q$

What is the triple representation of
 $x[i]=y$
(Assume x is an integer array)

Three address Code:

$t1=i*4$

$x[t1]=y$

<u>Triple</u>			
	op	arg1	arg2
0	*	i	4
1	[]=	t1	y

Computing type and their widths

```
int [5][5]
```



type expression

array(s, array(s, int))

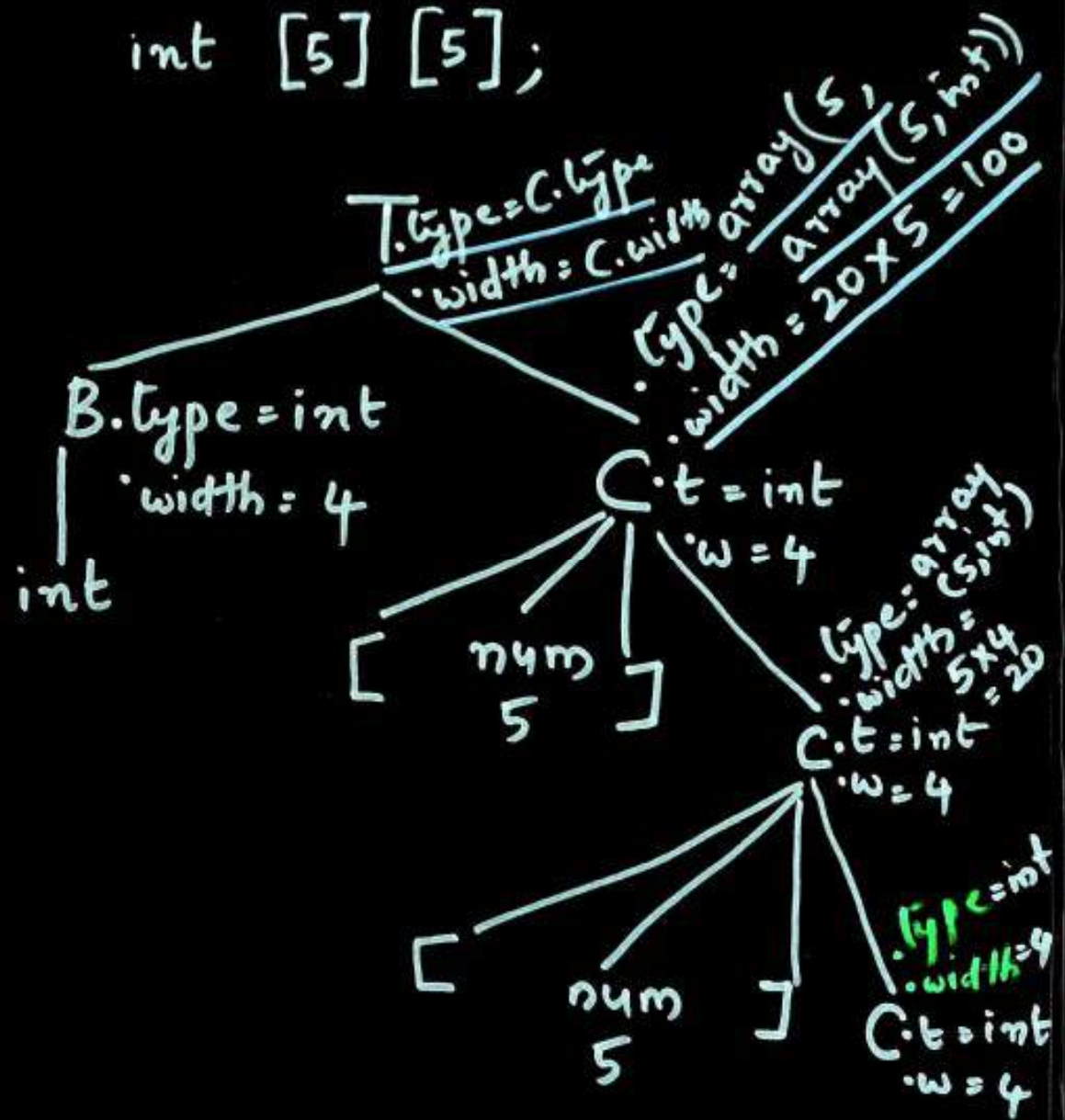
Total storage units

$$= 5 \times 5 \times 4$$

(width of integer)

$$= 100$$

```
int [5][5];
```



(Compute type and relative address

```
int x;  
record { int a;  
        float b;
```

4 p.

$P \rightarrow \{ \text{offset} = 0; \}$ D

```
D → T id; { top.put(
    id.lexeme, T.type, offset);
    offset = offset + T.width; }
```

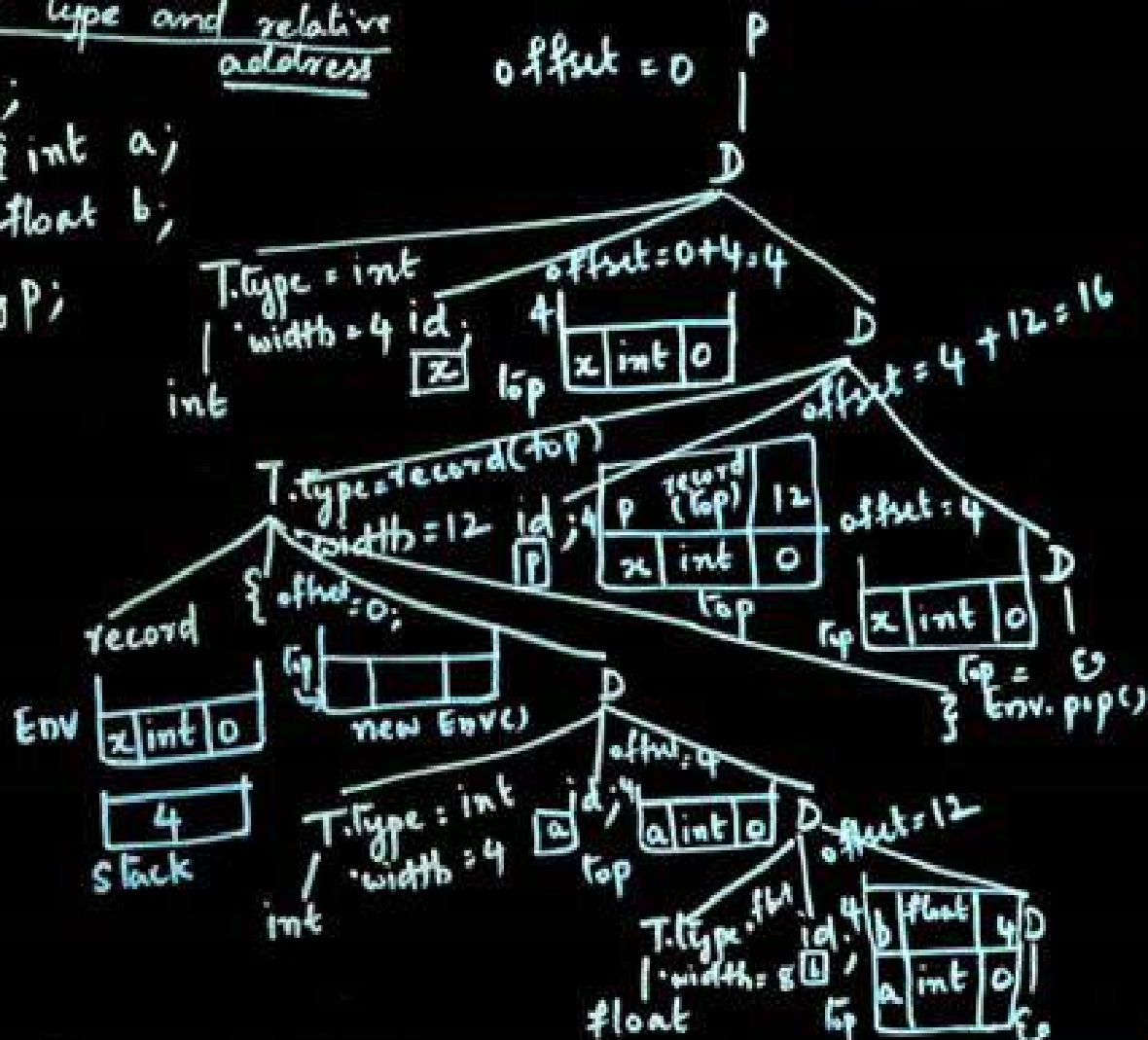
D.

$$D \rightarrow \epsilon$$

$T \rightarrow \text{record } \{ \} \{ \text{Env. push (top);}$

```
top = new Env();
Stack.push(offset);
offset = 0; }
```

```
D'3 { T.type = record(top);  
      T.width = offset;  
      top = Env.pop();  
      offset = Stack.pop(); }
```



$$a = b[i] + c[j]$$

3AC

$$t_1 = i \times 4$$

$$t_2 = b[t_1]$$

$$t_3 = j \times 4$$

$$t_4 = c[t_3]$$

$$t_5 = t_2 + t_4$$

$$a = t_5$$

Quadruple Representation

	op	arg1	arg2	result
0	*	i	4	t ₁
1	= []	b	t ₁	t ₂
2	*	j	4	t ₃
3	= []	c	t ₃	t ₄
4	+	t ₂	t ₄	t ₅
5	=	t ₅		a

$$2. a[i] = b * c + b * d$$

3AC

$$t_1 = i * 4$$

$$t_2 = b * c$$

$$t_3 = b * d$$

$$t_4 = t_2 + t_3$$

$$a[t_1] = t_4$$

$$t^* a[t_1] = t_4$$

$$\boxed{op :- [] =}$$

$$x = f(y+1) + 2$$

3AC

$$t_1 = y+1$$

param t_1

$$t_2 = \text{call } f, 1$$

// return t_2 (optional)

$$t_3 = t_2 + 2$$

$$x = t_3$$

Quadruple Representation

	op	arg1	arg2	result
0	+	y	1	t_1
1	param	t_1		
2	call	f	1	t_2
3	+	t_2	2	t_3
4	=	t_3		x

Intermediate Code Generation

Unit 4

Sini Anna Alex

Computing types and their widths

Syntax-directed translation of array types

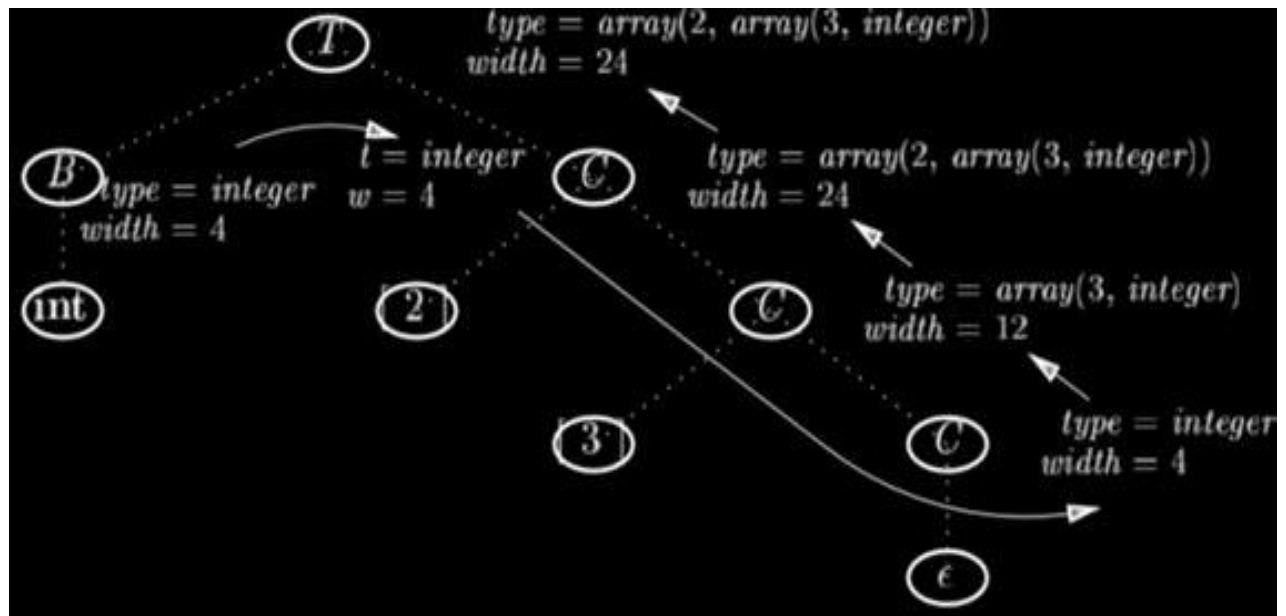
$T \rightarrow B$	$\{ t = B.type; w = B.width; \}$
$\quad C$	$\{ T.type = C.type; T.width = C.width; \}$
$B \rightarrow \text{int}$	$\{ B.type = \text{integer}; B.width = 4; \}$
$B \rightarrow \text{float}$	$\{ B.type = \text{float}; B.width = 8; \}$
$C \rightarrow \epsilon$	$\{ C.type = t; C.width = w; \}$
$C \rightarrow [\text{num}] C_1$	$\{ C.type = \text{array}(\text{num.value}, C_1.type);$ $\quad C.width = \text{num.value} \times C_1.width; \}$

The width of a type is the number of storage units needed for objects of that type.

A basic type, such as a character, integer, or float, requires an integral number of bytes.

SDT uses synthesized attributes type and width for each nonterminal and two variables t and w to pass type and width information.

In syntax-directed translation, t and w would be inherited attributes for C .



Sequences of Declarations

- Languages such as C and Java allow all the declarations in a single procedure to be processed as a group.
- Therefore, we can use a variable, say offset, to keep track of the next available relative address.
- For eg: We have a declaration in C as given below

```
int a;  
struct{int b; float x;}p;
```

Total Storage allocation should be $4 + (4+8) = 16$ bytes.
(For int – 4 bytes , float – 8 bytes)

Computing the relative addresses of declared names

```

$$P \rightarrow \{ \text{offset} = 0; \}$$

$$D \rightarrow T \text{ id}; \quad \{ \text{top.put}(\text{id.lexeme}, T.\text{type}, \text{offset}); \\ \text{offset} = \text{offset} + T.\text{width}; \}$$

$$D \rightarrow \epsilon$$

```

$D \rightarrow T \text{ id}; D_1$ creates a symbol table entry by executing $\text{top.put}(\text{id.lexeme}, T.\text{type}, \text{offset})$. Here top denotes the current symbol table.

```

$$P \rightarrow \{ \text{offset} = 0; \} D$$

```

Handling of field names in records

A record type has the form $\text{record}(t)$, where record is the type constructor, and t is a symbol table object that holds information about the fields of this record type

```

$$T \rightarrow \text{record '}' \{ \text{Env.push}(\text{top}); \text{top} = \text{new Env}(); \\ \text{Stack.push}(\text{offset}); \text{offset} = 0; \}$$

$$D \text{ '}' \{ T.\text{type} = \text{record}(\text{top}); T.\text{width} = \text{offset}; \\ \text{top} = \text{Env.pop}(); \text{offset} = \text{Stack.pop}(); \}$$

```

Class `Env` implements symbol tables. The call `Env.push(top)` pushes the current symbol table denoted by `top` onto a stack. Variable `top` is then set to a new symbol table. Similarly, `offset` is pushed onto a stack called `Stack`.

Compute the type and relative address for the Declaration statement given below

int x;

record { int a; float b; } p;

Use the given Grammar for computation:

$$\begin{array}{lcl} D & \rightarrow & T \text{ id } ; D \mid \epsilon \\ T & \rightarrow & B C \mid \text{record } '\{ ' D ' \}' \\ B & \rightarrow & \text{int} \mid \text{float} \\ C & \rightarrow & \epsilon \mid [\text{num}] C \end{array}$$

(Compute type and relative address

int x;
record { int a;
float b;
};

$P \rightarrow \{ \text{offset} = 0; \} D$

$D \rightarrow T \text{ id}; \{ \text{top.put}(\text{id.lexeme}, T.\text{type}, \text{offset});$
 $\text{offset} = \text{offset} + T.\text{width}; \}$

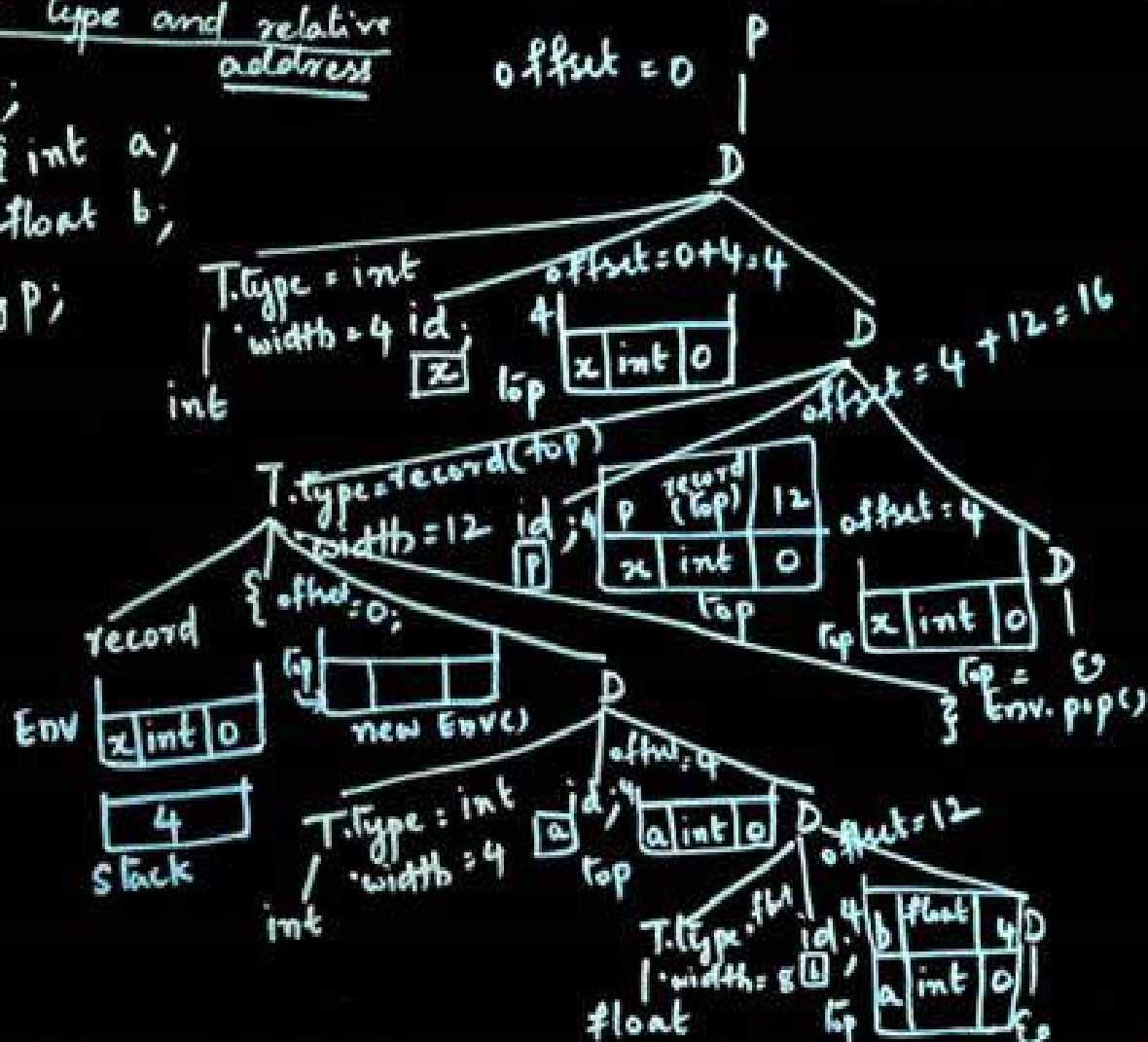
D_1

$D \rightarrow \epsilon$

$T \rightarrow \text{record } \{ \}$ { Env.push(top);

top = new Env();
Stack.push(offset);
offset = 0; }

$D \{ \}$ { T.type = record(top);
T.width = offset;
top = Env.pop();
offset = Stack.pop(); }



THANK YOU

Translation of Expressions

► Translation of expressions into three-address code

- An expression with more than one operator, like $a + b * c$, will translate into instructions with at most one operator per instruction.
- The compiler decides the order of operation given by three address code.
- **Three address code** is a linearized representation of a syntax tree, where the names of the temporaries correspond to the nodes.

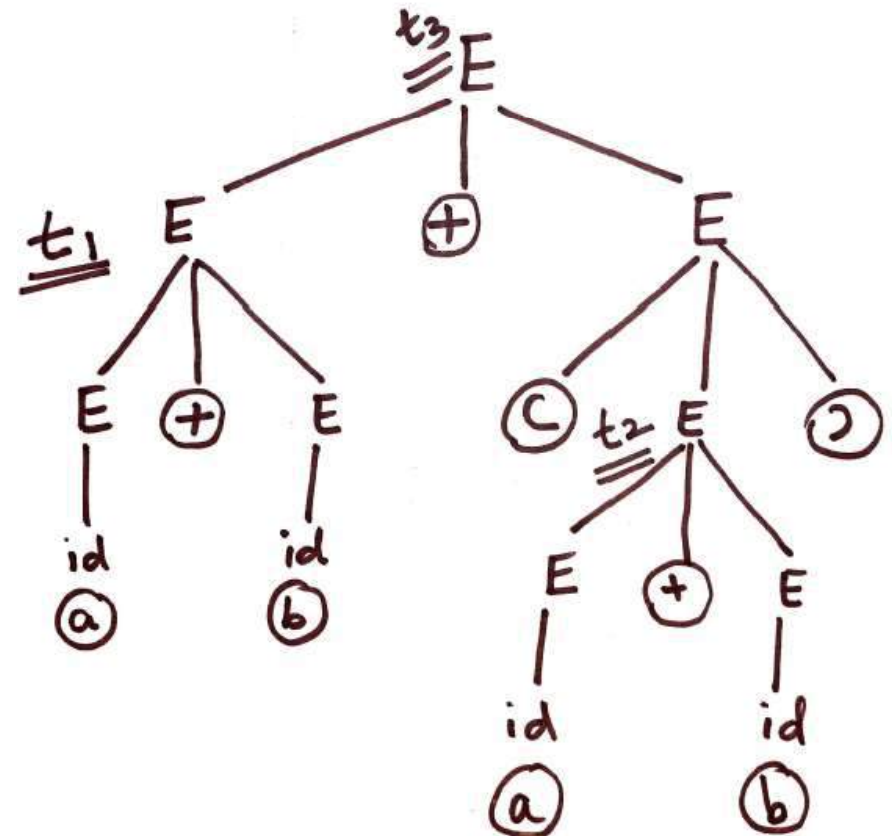
► Three Address Code for $a + b + (a + b)$

► $t1 = a + b$

► $t2 = a + b$

► $t3 = t1 + t2$

Syntax Tree



Operations within Expressions

Attributes **S.code** and **E.code** denote the three-address code for S and E, respectively.

Attribute **E.addr** denotes the address that will hold the value of E. An address can be a name, a constant, or a compiler-generated temporary.

The notation **gen($x = y + z$)** to represent the three-address instruction $x = y + z$. Expressions appearing in place of variables like x, y, and z are evaluated when passed to gen, and quoted strings like "=" are taken literally.

► In syntax-directed definitions, gen builds an instruction and returns it. In translation schemes, gen builds an instruction and incrementally emits it by putting it into the stream of generated instructions.

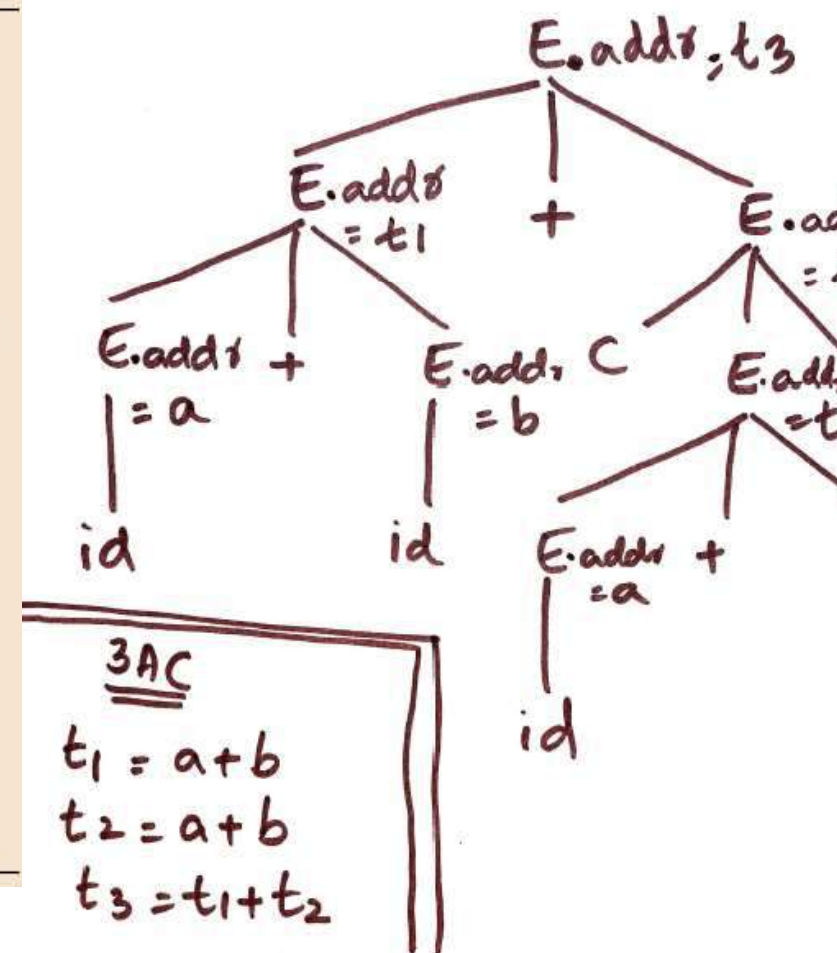
A sequence of distinct temporary names t_1, t_2, \dots is created by successively executing newTemp().

E.addr to point to the symbol-table entry for the instance of id. Let top denote the current symbol table. Function **top.get** retrieves the entry when it is applied to the string representation **id.lexeme** of the instance of id. E.code is set to the empty string.

Three-address code for expressions

PRODUCTION	SEMANTIC RULES
$\rightarrow \text{id} = E ;$	$S.\text{code} = E.\text{code} \parallel$ $\text{gen}(\text{top.get}(\text{id.lexeme}) '=' E.\text{addr})$
$\rightarrow E_1 + E_2$	$E.\text{addr} = \text{new Temp}()$ $E.\text{code} = E_1.\text{code} \parallel E_2.\text{code} \parallel$ $\text{gen}(E.\text{addr} '=' E_1.\text{addr} '+' E_2.\text{addr})$
$- E_1$	$E.\text{addr} = \text{new Temp}()$ $E.\text{code} = E_1.\text{code} \parallel$ $\text{gen}(E.\text{addr} '=' \text{'minus'} E_1.\text{addr})$
(E_1)	$E.\text{addr} = E_1.\text{addr}$ $E.\text{code} = E_1.\text{code}$
id	$E.\text{addr} = \text{top.get}(\text{id.lexeme})$ $E.\text{code} = ''$

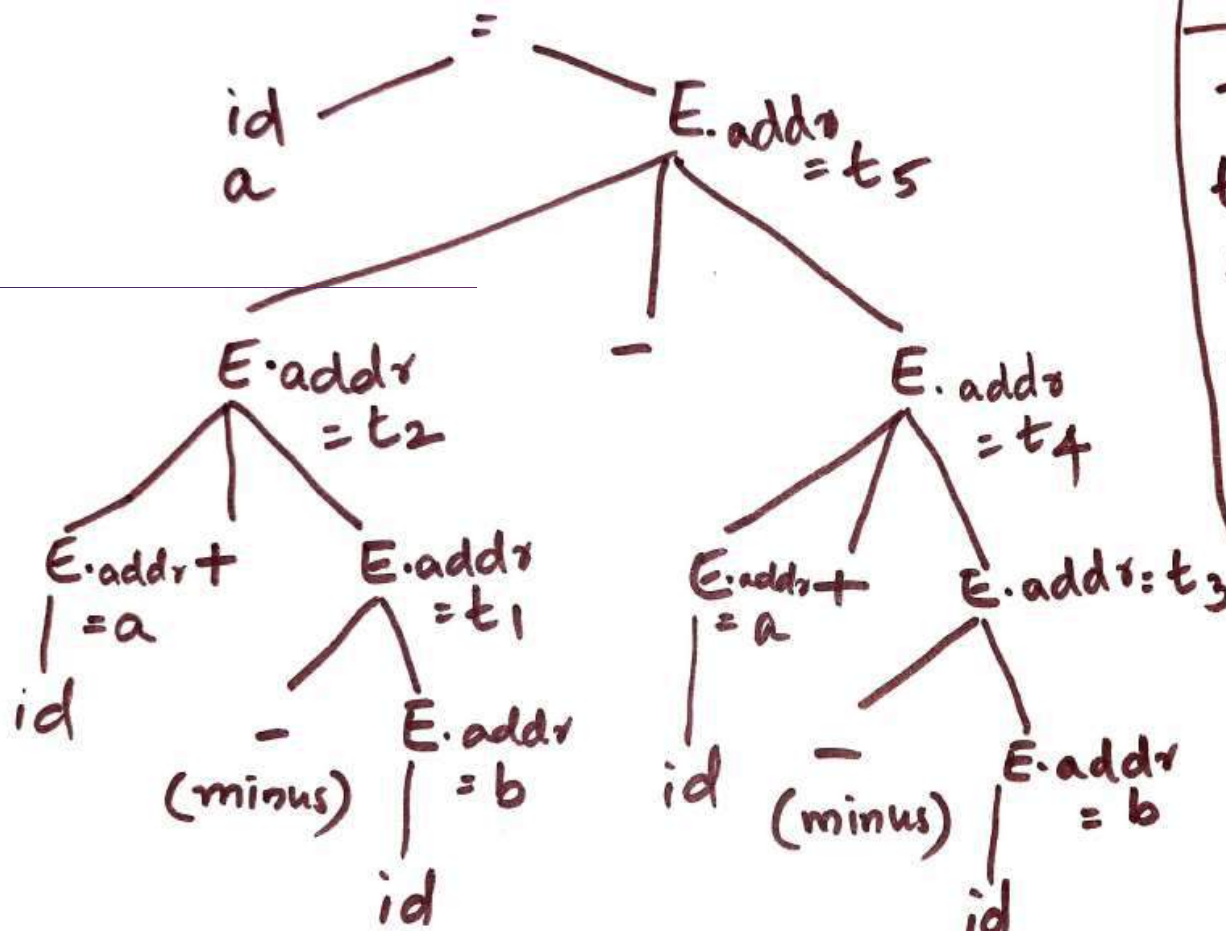
$a + b + (a + b)$



Generate Three Address Code for the following using Translation Scheme

► $a = a + -b - a + -b$

$$a = a + -b - a + -b$$



3AC

$t_1 = \text{minus } b$
 $t_2 = a + t_1$
 $t_3 = \text{minus } b$
 $t_4 = a + t_3$
 $t_5 = t_2 - t_4$
 $a = t_5$

Incremental Translation

- ▶ Code attributes can be long strings, so they are usually generated incrementally.
- ▶ Thus, instead of building up E.code generate only the new three-address instructions, as in the translation scheme.
- ▶ In the incremental approach, gen not only constructs a three-address instruction, it appends the instruction to the sequence of instructions generated so far. The sequence may either be retained in memory for further processing, or it may be output incrementally.
- ▶ Here, attribute **addr** represents the address of a node rather than a variable or constant.

Generating three-address code for expressions incrementally

$S \rightarrow \mathbf{id} = E ; \quad \{ \text{gen}(\text{top.get}(\mathbf{id.lexeme}) \neq E.addr); \}$

$E \rightarrow E_1 + E_2 \quad \{ E.addr = \mathbf{new Temp}();$
 $\text{gen}(E.addr \neq E_1.addr + E_2.addr); \}$

$| \quad - E_1 \quad \{ E.addr = \mathbf{new Temp}();$
 $\text{gen}(E.addr \neq \mathbf{'minus'} E_1.addr); \}$

$| \quad (E_1) \quad \{ E.addr = E_1.addr; \}$

$| \quad \mathbf{id} \quad \{ E.addr = \text{top.get}(\mathbf{id.lexeme}); \}$

Answer the question

- ▶ The least number of temporary variables required to create a three-address code in static single assignment form for the expression

$q + r/3 + s - t * 5 + u * v/w$ is _____ ?

Answer: 8

Addressing Array Elements

- ▶ Array elements can be accessed quickly if they are stored in a block of consecutive locations. In C and Java array elements are numbered $0, 1, \dots, n-1$, for an array with n elements.
- ▶ If the width of each array element is w , then the i^{th} element of array A begins at location $\text{base} + i \times w$. For a one dimensional array, address calculation will be

$$\text{base} + i \times w$$

- ▶ where base is the relative address of the storage allocated for the array. That is, base is the relative address of $A[0]$.
- ▶ For a two dimensional array, the relative address of $A[i_1][i_2]$ can then be calculated by the formula

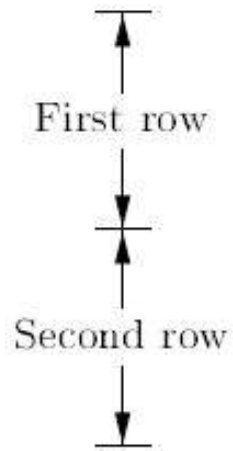
$$\text{base} + i_1 \times w_1 + i_2 \times w_2$$

- ▶ In two dimensions, the location for $A[i_1][i_2]$ is given by

$$\text{base} + (i_1 \times n_2 + i_2) \times w$$

Layouts for a two dimensional array

The address calculations used here are based on row-major layout for arrays, which is used in the C family of languages. Column major form is used in the Fortran family of languages.

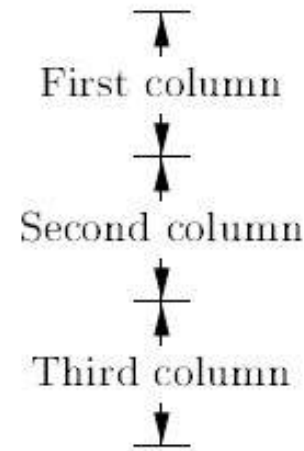


$A[1, 1]$
$A[1, 2]$
$A[1, 3]$
$A[2, 1]$
$A[2, 2]$
$A[2, 3]$

(a) Row Major

$A[1, 1]$
$A[2, 1]$
$A[1, 2]$
$A[2, 2]$
$A[1, 3]$
$A[2, 3]$

(b) Column Major



Translation of Array References

nonterminal L generate an array name followed by a sequence of index expressions:

$$L \rightarrow L [E] \mid \mathbf{id} [E]$$

In C and Java , the lowest numbered array index element is 0.

Nonterminal L has three synthesized attributes:

1. $L.addr$ denotes a temporary that is used while computing the offset for the array reference by summing the terms $i_j \times w_j$
2. $L.array$ is a pointer to the symbol-table entry for the array name. The base address of the array, say, $L.array.base$ is used to determine the actual l -value of an array reference after all the index expressions are analyzed.
3. $L.type$ is the type of the subarray generated by L . For any type t , we assume that its width is given by $t.width$. We use types as attributes, rather than widths, since types are needed anyway for type checking. For any array type t , suppose that $t.elem$ gives the element type.

Semantic Actions for Array References

id = *E* ; { *gen*(*top.get*(**id.lexeme**) != *E.addr*); }

L = *E* ; { *gen*(*L.array.base* '[' *L.addr* ']' != *E.addr*); }

*E*₁ + *E*₂ { *E.addr* = **new** *Temp*();
 gen(*E.addr* != *E*₁.*addr* '+' *E*₂.*addr*); }

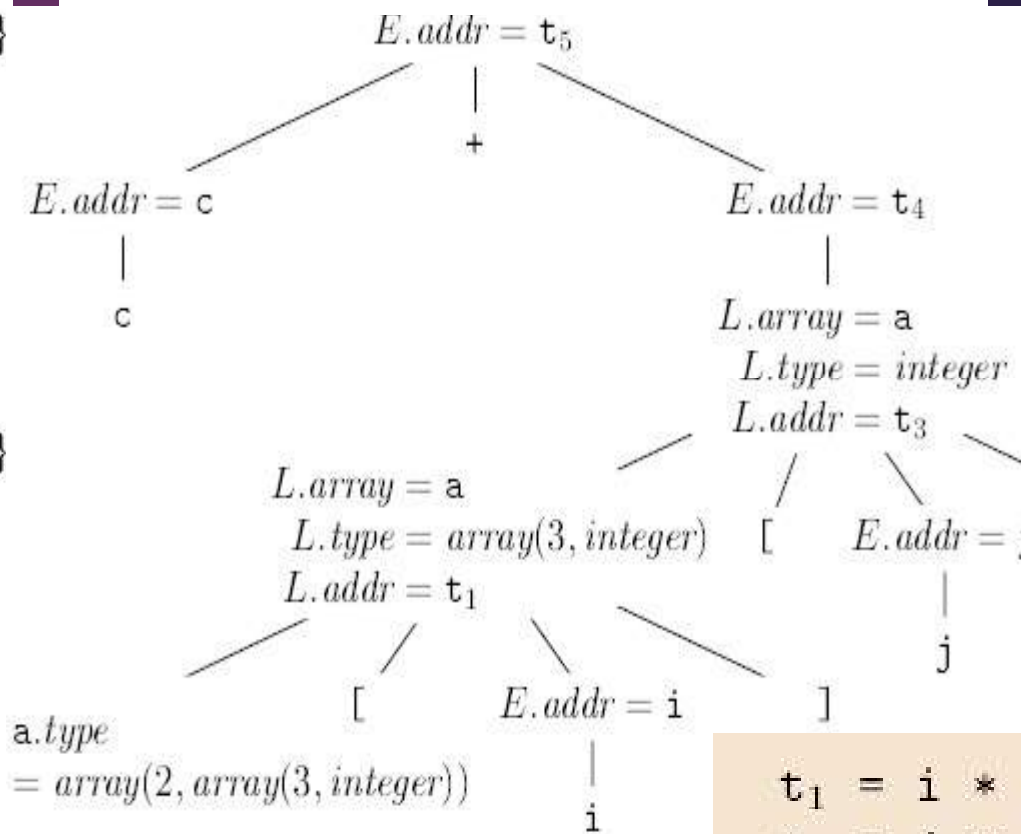
id { *E.addr* = *top.get*(**id.lexeme**); }

L { *E.addr* = **new** *Temp*();
 gen(*E.addr* != *L.array.base* '[' *L.addr* ']); }

id [*E*] { *L.array* = *top.get*(**id.lexeme**);
 L.type = *L.array.type.elem*;
 L.addr = **new** *Temp*();
 gen(*L.addr* != *E.addr* * *L.type.width*); }

*L*₁ [*E*] { *L.array* = *L*₁.*array*;
 L.type = *L*₁.*type.elem*;
 t = **new** *Temp*();
 L.addr = **new** *Temp*();
 gen(*t* != *E.addr* * *L.type.width*);
 gen(*L.addr* != *L*₁.*addr* + *t*); }

Annotated parse tree for *c + a[i][j]*



Three-address code for expression *c + a[i][j]*

*t*₁ = *i* *
*t*₂ = *j* *
*t*₃ = *t*₁ +
*t*₄ = *a* [
*t*₅ = *c* +

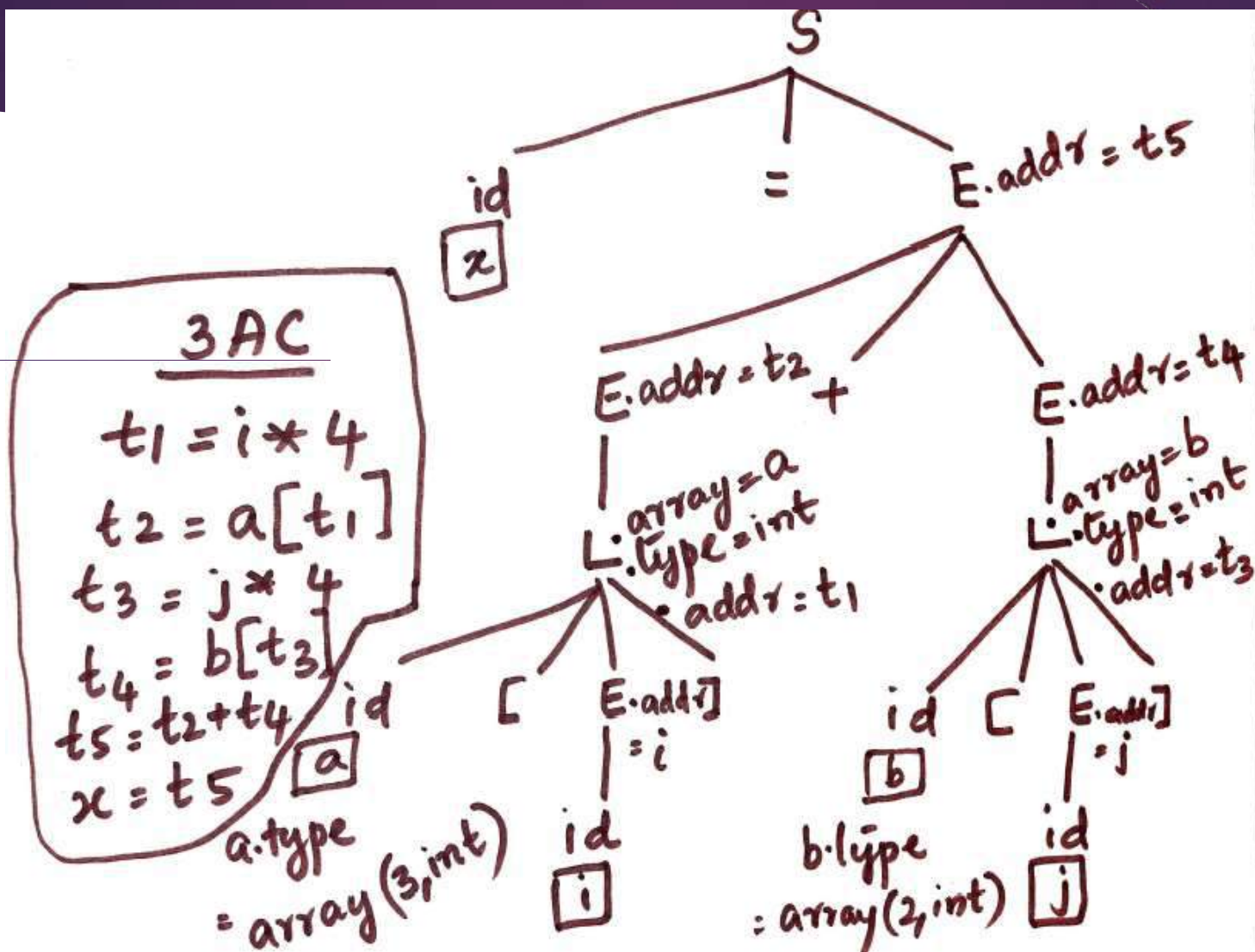
e the Translation Scheme and translate
e following assignment statements

$x = a[i] + b[j]$

-
- Both a and b are integer arrays a[3] and b[2] respectively.

Translation of

$$x = a[i] + b[j]$$



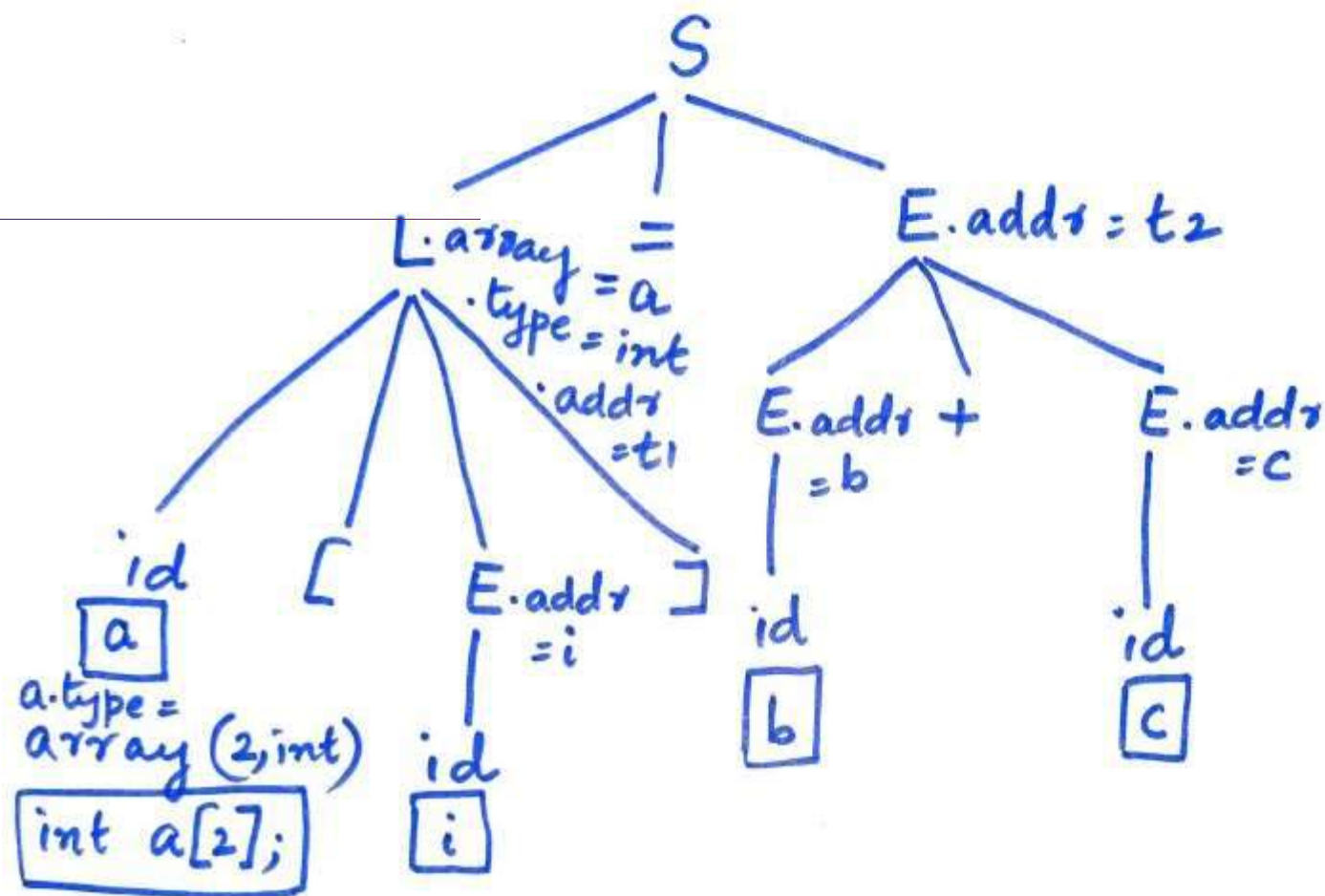
Semantic Actions for Array References

```

$$\begin{aligned} S &\rightarrow \text{id} = E ; & \{ \text{gen}(\text{top.get}(\text{id.lexeme}) \neq E.addr); \} \\ &| L = E ; & \{ \text{gen}(L.array.base '[' L.addr']' \neq E.addr); \} \\ E &\rightarrow E_1 + E_2 & \{ E.addr = \text{new Temp}(); \\ & & \text{gen}(E.addr \neq E_1.addr + E_2.addr); \} \\ &| \text{id} & \{ E.addr = \text{top.get}(\text{id.lexeme}); \} \\ &| L & \{ E.addr = \text{new Temp}(); \\ & & \text{gen}(E.addr \neq L.array.base '[' L.addr']'); \} \\ L &\rightarrow \text{id} [ E ] & \{ L.array = \text{top.get}(\text{id.lexeme}); \\ & & L.type = L.array.type.elem; \\ & & L.addr = \text{new Temp}(); \\ & & \text{gen}(L.addr \neq E.addr * L.type.width); \} \\ &| L_1 [ E ] & \{ L.array = L_1.array; \\ & & L.type = L_1.type.elem; \\ & & t = \text{new Temp}(); \\ & & L.addr = \text{new Temp}(); \\ & & \text{gen}(t \neq E.addr * L.type.width); \\ & & \text{gen}(L.addr \neq L_1.addr + t); \} \end{aligned}$$

```

Annotated parse tree for $a[i] = b + c$



3AC

$t1 = i * 4$

$t2 = b + c$

$a[t1] = t2$

Type Checking

- ▶ To do type checking a compiler needs to assign a type expression to each component of the source program.
- ▶ The compiler must then determine that these type expressions conform to a collection of logical rules that is called the type system for the source language.
- ▶ Type checking has the potential for catching errors in programs.
- ▶ A **sound type system** eliminates the need for dynamic checking for type errors, because it allows us to determine statically that these errors cannot occur when the target program runs.
- ▶ An implementation of a language is **strongly typed** if a compiler guarantees that the programs it accepts will run without type errors.

Type Checking- 2 forms

- Type checking can take on **two** forms: **synthesis and inference**. **Type synthesis** builds up the type of an expression from the types of **its subexpressions**.

$$E \rightarrow E_1 + E_2$$

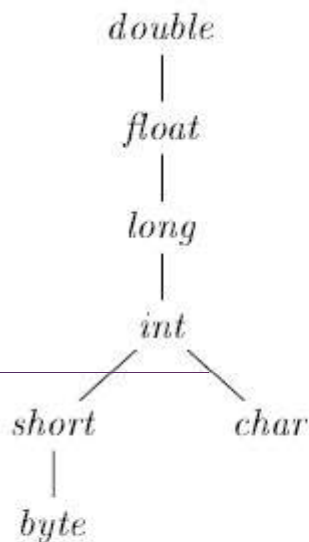
if f has type $s \rightarrow t$ **and** x has type s ,
then expression $f(x)$ has type t

- Here, f and x denote expressions, and $s \rightarrow t$ denotes a function from s to t .
- **Type inference** determines the type of a language construct from the way it is used.

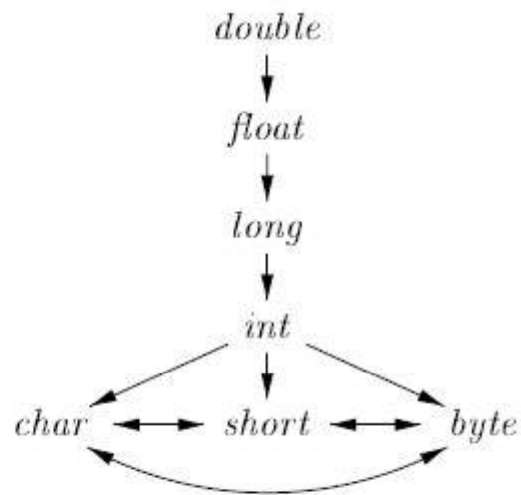
if $f(x)$ is an expression,
then for some α and β , f has type $\alpha \rightarrow \beta$ **and** x has type α

- Let `null` be a function that tests whether a list is empty. Then, from the usage `null(x)`, we can tell that x must be a list.

Type Conversions



(a) Widening conversions



(b) Narrowing conversions

➤ **Widening conversions**, which are intended to preserve information, and **narrowing conversions**, which can lose information.

➤ A type *s* can be narrowed to a type *t* if there is a path from *s* to *t*. Conversion from one type to another is said to be implicit if it is done automatically by the compiler.

➤ **Implicit type conversions**, also called **coercions**.

Type Conversions

- ▶ Conversion is said to be explicit if the programmer must write something to cause the conversion. **Explicit conversions are also called casts.**
- ▶ The semantic action for checking $E \rightarrow E1 + E2$ uses two functions:
- ▶ **max(t1,t2)** takes two types t1 and t2 and returns the maximum (or least upper bound) of the two types in the widening hierarchy.
- ▶ **widen(a , t , w)** generates type conversions if needed to widen the contents of an address a of type t into a value of type w. It returns a itself if t and w are the same type. Otherwise, it generates an instruction to do the conversion and place the result in a temporary, which is returned as the result.

Pseudocode for function **widen**

```
Addr widen(Addr a, Type t, Type w)  
    if ( t = w ) return a;  
    else if ( t = integer and w = float ) {  
        temp = new Temp();  
        gen(temp '=' '(float)' a);  
        return temp;  
    }  
    else error;  
}
```

Introducing type conversions into expression evaluation

```
if (  $E_1.type = integer$  and  $E_2.type = integer$  )  $E.type = integer$ ;  
else if (  $E_1.type = float$  and  $E_2.type = integer$  ) ...  
...
```

```
 $E \rightarrow E_1 + E_2$  {  $E.type = \max(E_1.type, E_2.type)$ ;  
                   $a_1 = \text{widen}(E_1.addr, E_1.type, E.type)$ ;  
                   $a_2 = \text{widen}(E_2.addr, E_2.type, E.type)$ ;  
                   $E.addr = \text{new Temp}()$ ;  
                   $\text{gen}(E.addr \text{ '=' } a_1 \text{ '+' } a_2)$ ; }
```

Let us now translate
the expression
2*3.14

=>

Three Address Translation

```
t1 = ( float ) 2;  
t2 = t1 * 3.14;
```

Algorithm for unification

- ▶ Unification is the problem of determining whether two type expressions s and t can be made identical by substituting expressions for the variables in s and t
- ▶ If s and t have constants, but no variables then s and t unify, if and only if they are identical.
- ▶ The unification algorithm extends to graphs with cycles, so we can test structural equivalence.
- ▶ Type variables are represented by leaves and type constructors by interior nodes. Nodes are grouped into equivalence classes. If two nodes are in same equivalence class, then the type expressions they represent must unify.

Two operations on nodes

- ▶ $\text{find}(m)$ -returns the representative node of the equivalence class currently containing node n .
- ▶ $\text{union}(m,n)$ -merges the equivalence classes containing nodes m and n . If one of the representatives of m and n is a non variable node, union operation helps in simply changing the set field of one equivalence class substitutes the other.

Unification Algorithm

```
boolean unify(Node m, Node n) {  
    s = find(m); t = find(n);  
    if ( s = t ) return true;  
    else if ( nodes s and t represent the same basic type ) return true;  
    else if ( s is an op-node with children s1 and s2 and  
              t is an op-node with children t1 and t2 ) {  
        union(s, t);  
        return unify(s1, t1) and unify(s2, t2);  
    }  
    else if ( s or t represents a variable ) {  
        union(s, t);  
        return true;  
    }  
    else return false;  
}
```




Thank you

Control Flow

- ▶ The translation of statements such as if-else-statements and while-statements is tied to the translation of boolean expressions. In programming languages, boolean expressions are often used to
 - ▶ 1. Alter the flow of control. Boolean expressions are used as conditional expressions in statements that alter the flow of control. The value of such boolean expressions is implicit in a position reached in a program.
 - ▶ 2. Compute logical values. A boolean expression can represent true or false as values. Such boolean expressions can be evaluated in analogy to arithmetic expressions using three-address instructions with logical operators.
- ▶ Boolean expressions are composed of the boolean operators (which we denote `&&`, `||`, and `!`), using the C convention for the operators AND, OR, and NOT respectively.
- ▶ `B -> B || B | B && B | !B | (B) | E rel E | true | false`
- ▶ `rel -> < | <= | > | >= | != | =`

Short-Circuit Code

- ▶ In short-circuit (or jumping) code, the boolean operators `&&`, `||`, and `!` translate into jumps. The operators themselves do not appear in the code; instead, the value of a boolean expression is represented by a position in the code sequence.
- ▶ The statement `if (x < 100 || x > 200 && x != y) x = 0;`

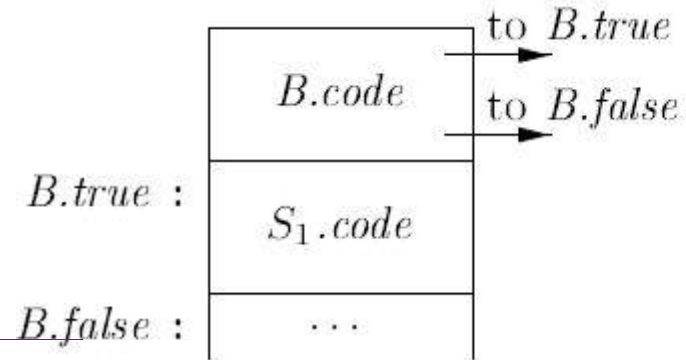
can be translated into

```
if x < 100 goto L2
ifFalse x > 200 goto L1
ifFalse x != y goto L1
L2: x = 0
L1:
```

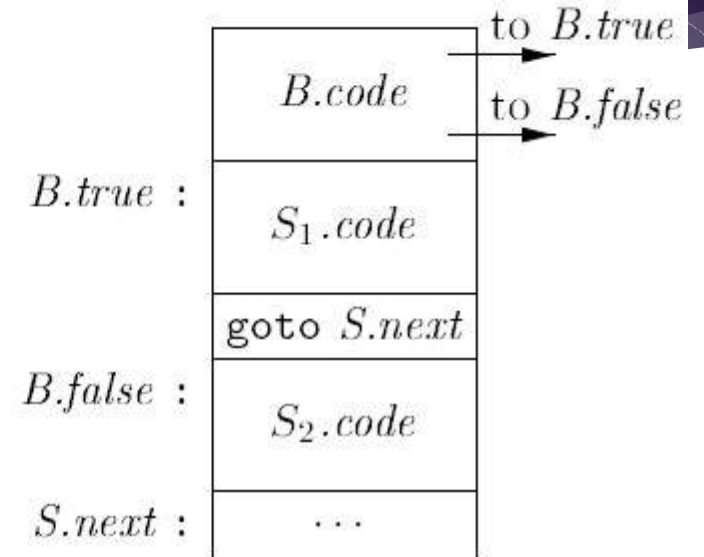
Jumping Code

Flow of Control Statements

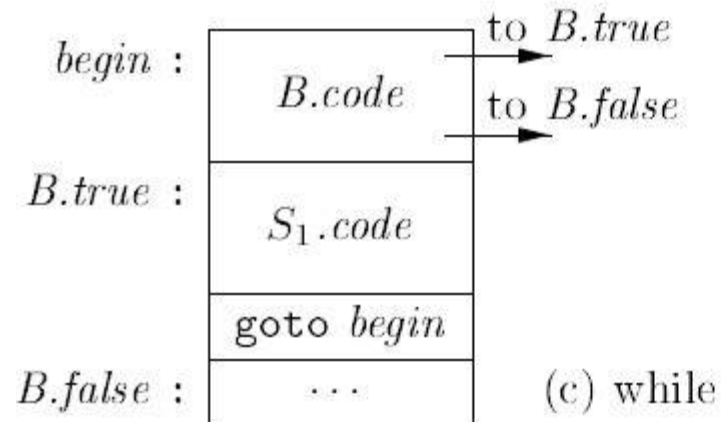
→ **if** (*B*) *S*₁
→ **if** (*B*) *S*₁ **else** *S*₂
→ **while** (*B*) *S*₁



(a) if



(b) if-else



(c) while

Syntax Directed Definition for flow of control statements

PRODUCTION	SEMANTIC RULES
$P \rightarrow S$	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$S \rightarrow \text{assign}$	$S.code = \text{assign}.code$
$S \rightarrow \text{if} (B) S_1$	$B.true = newlabel()$ $B.false = S_1.next = S.next$ $S.code = B.code \parallel label(B.true) \parallel S_1.code$

next, true, false-inherited attributes
code- synthesized attribute

Control-Flow Translation

Boolean Expressions

OPERATOR	SEMANTIC RULES
$B_1 \mid B_2$	$B_1.true = B.true$ $B_1.false = newlabel()$ $B_2.true = B.true$ $B_2.false = B.false$ $B.code = B_1.code \parallel label(B_1.false) \parallel B_2.code$
$B_1 \& B_2$	$B_1.true = newlabel()$ $B_1.false = B.false$ $B_2.true = B.true$ $B_2.false = B.false$ $B.code = B_1.code \parallel label(B_1.true) \parallel B_2.code$ $B_1.true = B.false$ $B_1.false = B.true$ $B.code = B_1.code$
$E_1 \& E_2$	$B.code = E_1.code \parallel E_2.code$ $\parallel gen('if' E_1.addr \text{ rel.op } E_2.addr 'goto' B.true)$ $\parallel gen('goto' B.false)$ $B.code = gen('goto' B.true)$ $B.code = gen('goto' B.false)$

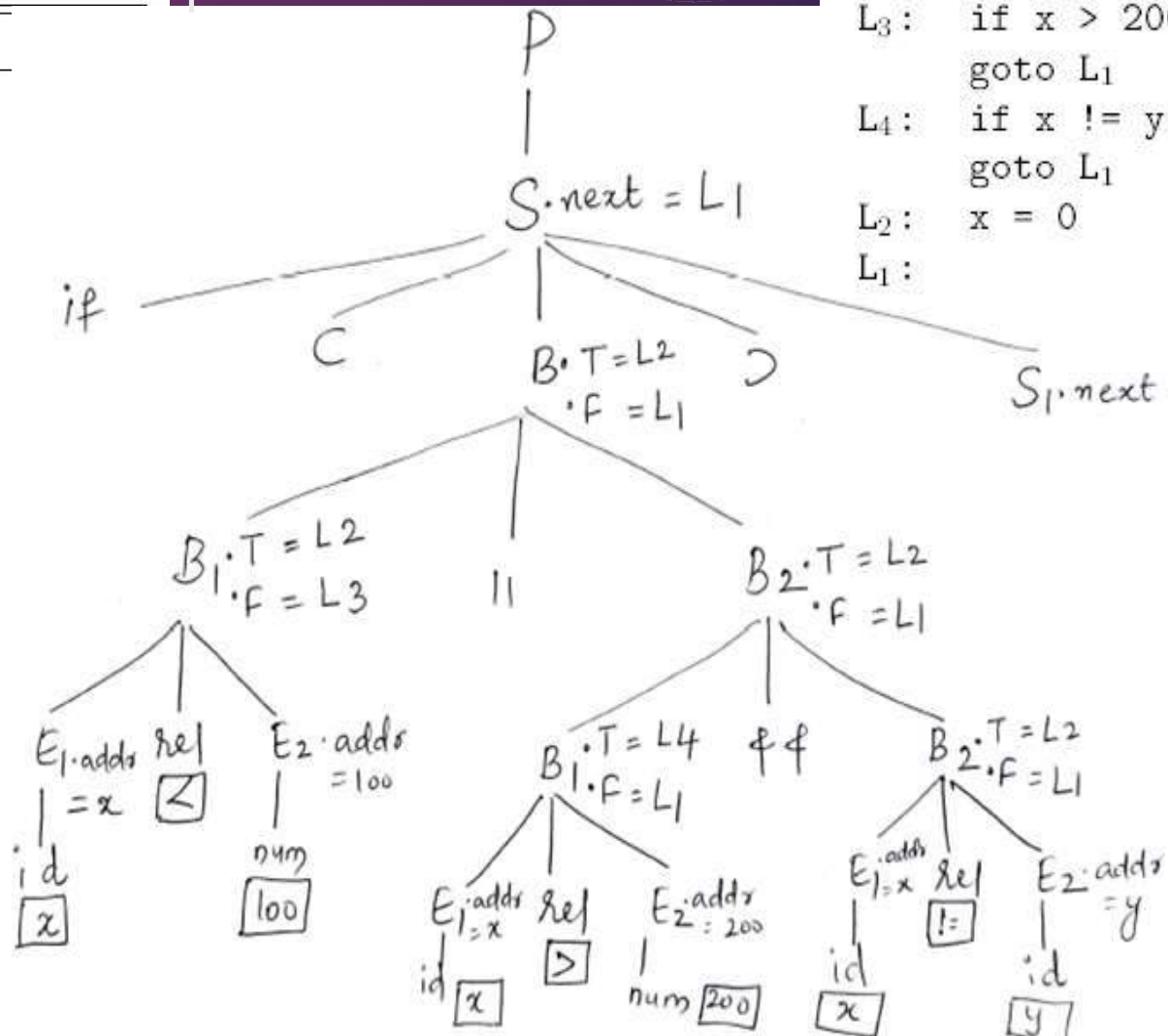
Control-Flow Translation of a simple-if statement

Three Address

```

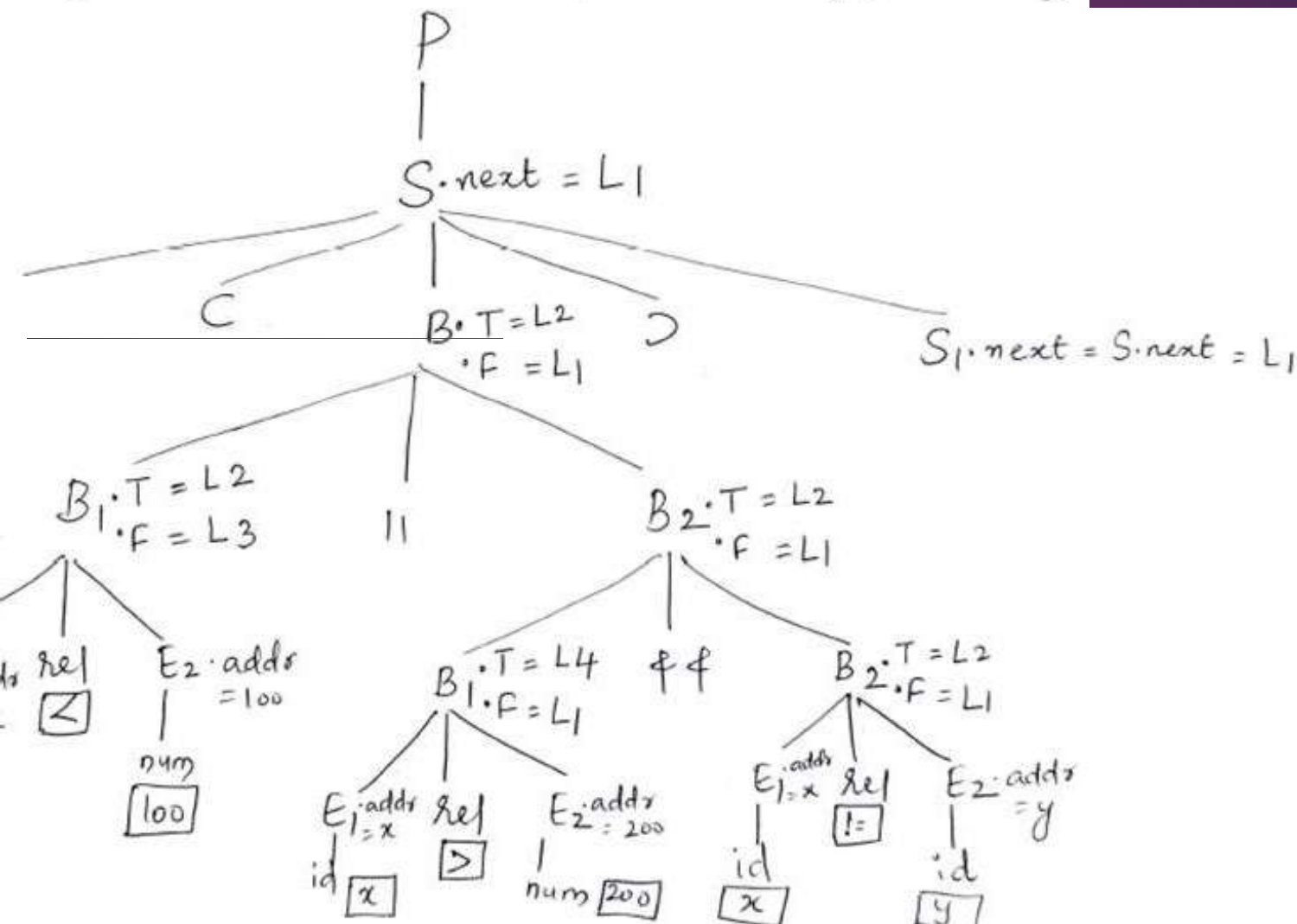
if x < 10
goto L3
L3: if x > 20
goto L1
L4: if x != y
goto L1
L2: x = 0
L1:

```



Control-Flow Translation of a simple-if statement

if ($x < 100 \parallel x > 200 \&\& x \neq y$) $x = 0$;



Three Address Code

```

if x < 100 goto L3
goto L1
L3: if x > 200 goto L4
goto L1
L4: if x != y goto L2
goto L1
L2: x = 0
L1:
    
```

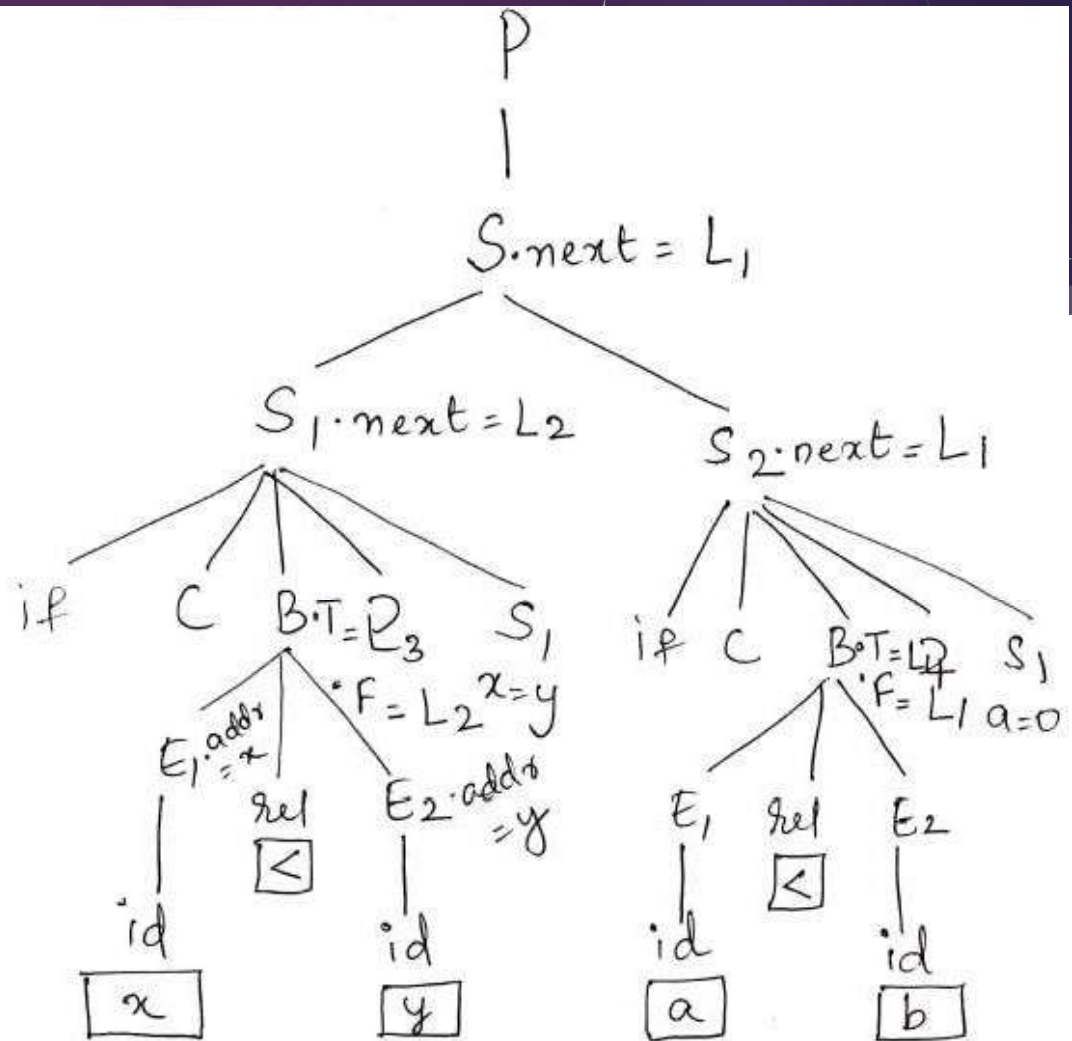
Syntax Directed Definition for flow of control statements

PRODUCTION	SEMANTIC RULES
$P \rightarrow S$	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$S \rightarrow \text{assign}$	$S.code = \text{assign}.code$
$S \rightarrow S_1 S_2$	$S_1.next = newlabel()$ $S_2.next = S.next$ $S.code = S_1.code \parallel label(S_1.next) \parallel S_2.code$

$(x < y) \ x = y;$
 $(a < b) \ a = 0;$

Three Address Code

~~if $x < y$ goto L3~~
 goto L2
 L3: $x = y$
 L2: if $a < b$ goto L4
 goto L1
 L4: $a = 0$
 L1: — — —



Syntax Directed Definition for flow of control statements

PRODUCTION	SEMANTIC RULES
$P \rightarrow S$	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$S \rightarrow \text{assign}$	$S.code = \text{assign}.code$
$S \rightarrow \text{if} (B) S_1$	$B.true = newlabel()$ $B.false = S_1.next = S.next$ $S.code = B.code \parallel label(B.true) \parallel S_1.code$

next, true, false-inherited attributes
code- synthesized attribute

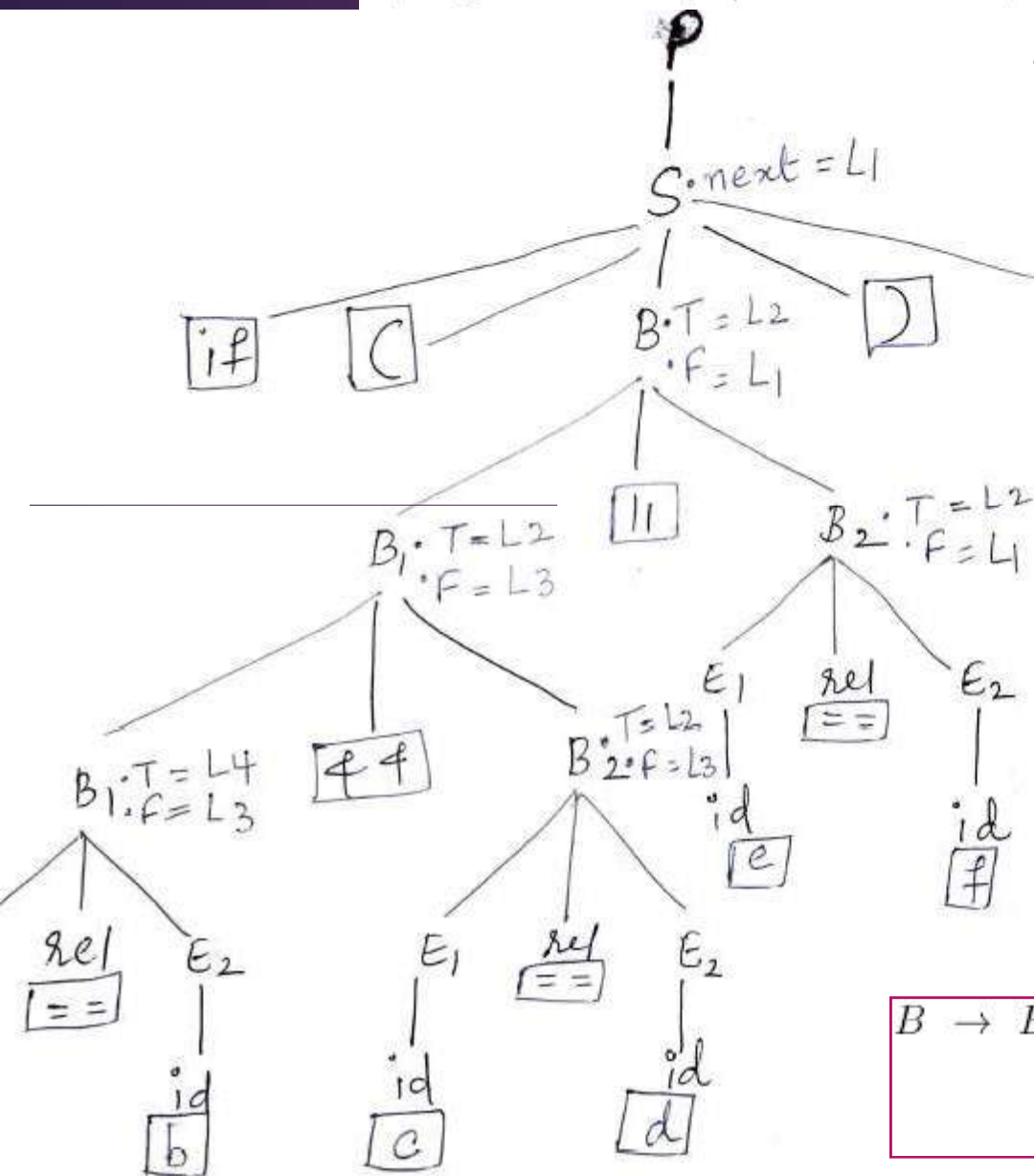
Control-Flow Translation of Boolean Expressions

PRODUCTION	SEMANTIC RULES
$B \rightarrow B_1 \parallel B_2$	$B_1.true = B.true$ $B_1.false = newlabel()$ $B_2.true = B.true$ $B_2.false = B.false$ $B.code = B_1.code \parallel label(B_1.false) \parallel B_2.code$
$B \rightarrow B_1 \&\& B_2$	$B_1.true = newlabel()$ $B_1.false = B.false$ $B_2.true = B.true$ $B_2.false = B.false$ $B.code = B_1.code \parallel label(B_1.true) \parallel B_2.code$
$B \rightarrow ! B_1$	$B_1.true = B.false$ $B_1.false = B.true$ $B.code = B_1.code$
$B \rightarrow E_1 \text{ rel } E_2$	$B.code = E_1.code \parallel E_2.code$ $\parallel gen('if' E_1.addr \text{ rel.op } E_2.addr 'goto' B.true)$ $\parallel gen('goto' B.false)$
$B \rightarrow \text{true}$	$B.code = gen('goto' B.true)$
$B \rightarrow \text{false}$	$B.code = gen('goto' B.false)$

if (a == b && c == d || e == f) x == 1;

Three Address Code

if a == b goto L4
goto L3
L4: if c == d goto L3
goto L3
L3: if e == f goto L2
goto L1
L2: x == 1
L1: ---



$B \rightarrow B_1 || B_2$

$B_1.true = B.true$

$B_1.false = newlabel()$

$B_2.true = B.true$

$B_2.false = B.false$

$B.code = B_1.code || label(B_1.false)$

$B \rightarrow E_1 \text{ rel } E_2$

$B.code = E_1.code || E_2.code$

$|| \text{ gen('if' } E_1.addr \text{ rel.op } E_2.addr \text{ 'go$

$|| \text{ gen('goto' } B.false)$

PRODUCTION	SEMANTIC RULES
S	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$\text{if } (B) S_1 \text{ else } S_2$	$B.true = newlabel()$ $B.false = newlabel()$ $S_1.next = S_2.next = S.next$ $S.code = B.code$ $\parallel label(B.true) \parallel S_1.code$ $\parallel gen('goto' S.next)$ $\parallel label(B.false) \parallel S_2.code$
$E_1 \text{ rel } E_2$	$B.code = E_1.code \parallel E_2.code$ $\parallel gen('if' E_1.addr \text{ rel } op E_2.addr 'goto' B.true)$ $\parallel gen('goto' B.false)$

$\text{if } (x < 0) \quad x = -1 \quad \text{else } x = 1$

Address Code:

$\text{if } x < 0 \text{ goto } L_2$

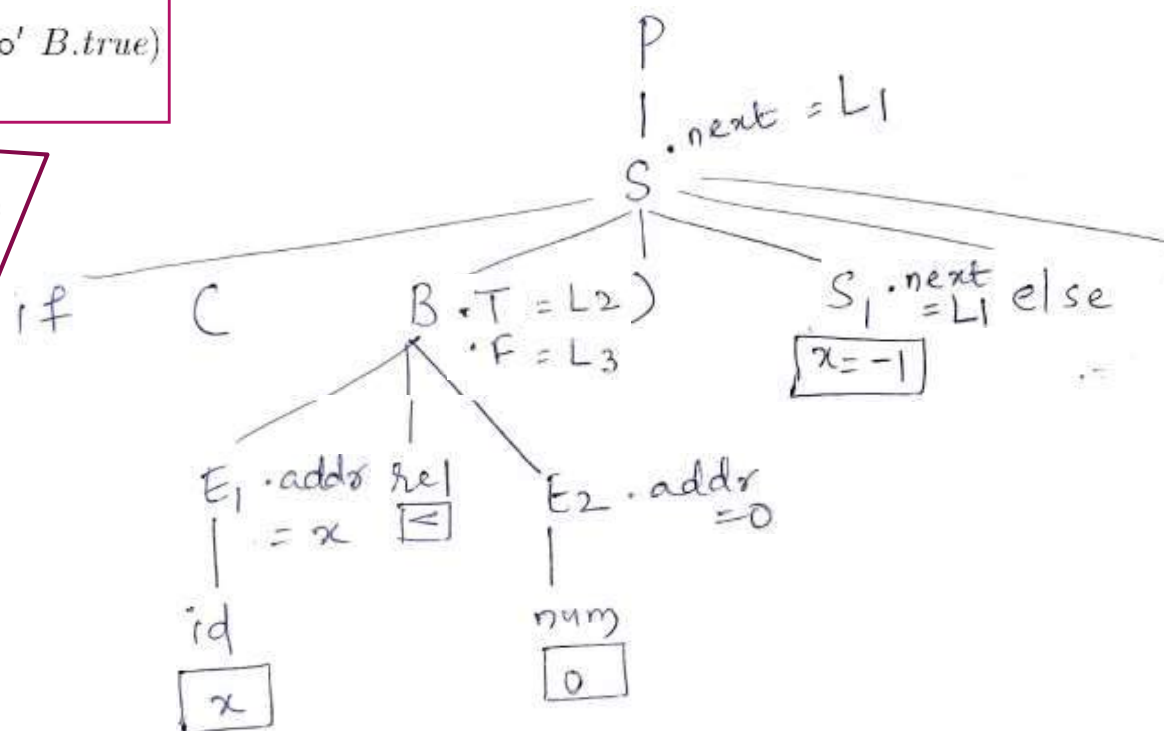
goto L_3

$L_2: x = -1$

goto L_1

$L_3: x = 1$

$L_1: - - -$

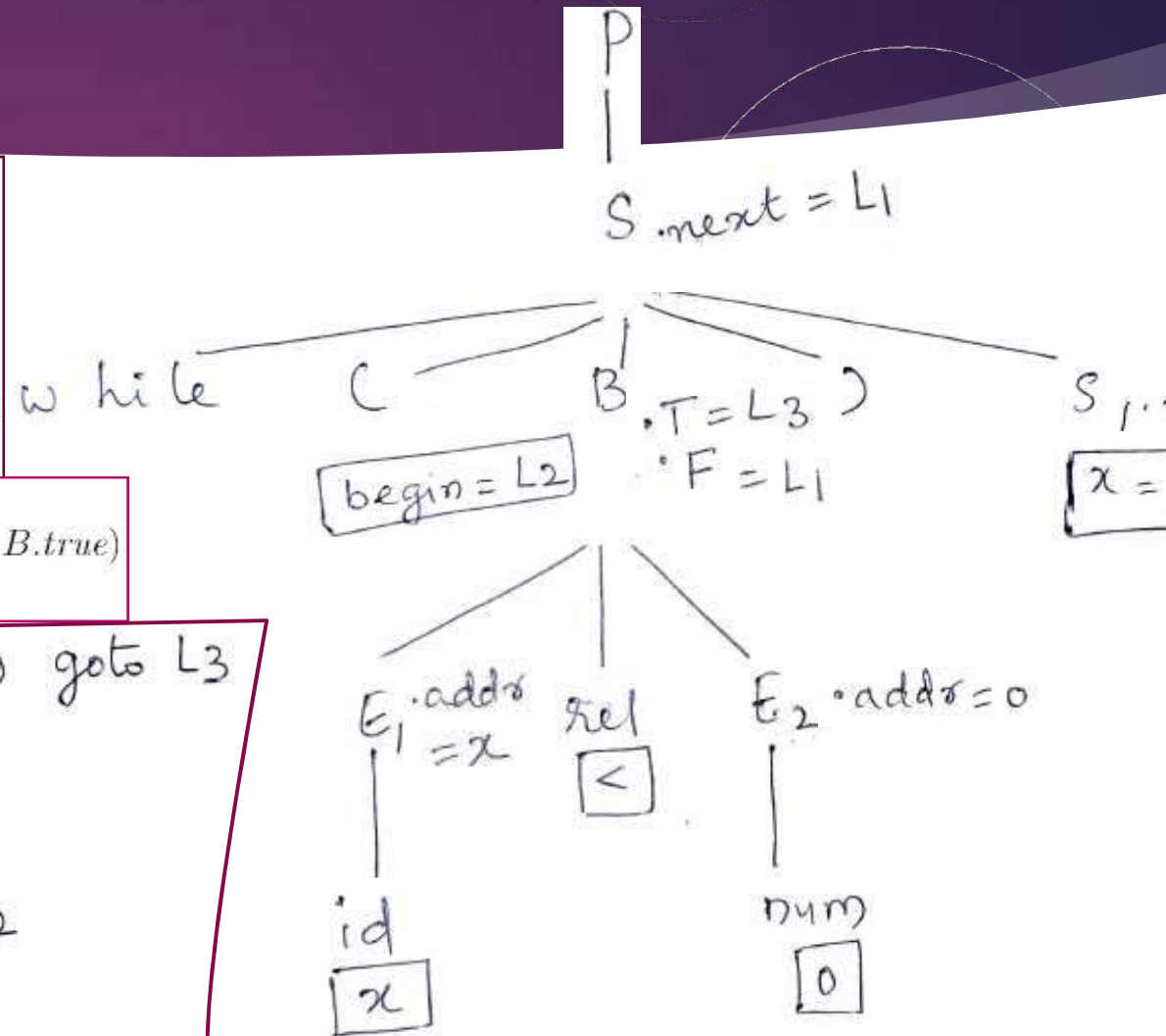


while (x < 0) x = -1 ;

CONDITION	SEMANTIC RULES
	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
while (B) S ₁	$begin = newlabel()$ $B.true = newlabel()$ $B.false = S.next$ $S_1.next = begin$ $S.code = label(begin) \parallel B.code$ $\parallel label(B.true) \parallel S_1.code$ $\parallel gen('goto' begin)$
rel E ₂	$B.code = E_1.code \parallel E_2.code$ $\parallel gen('if' E_1.addr \text{ rel } op E_2.addr 'goto' B.true)$ $\parallel gen('goto' B.false)$

Address Code

L₂: if x < 0 goto L₃
 goto L₁
 L₃: x = -1
 goto L₂
 L₁: - - -



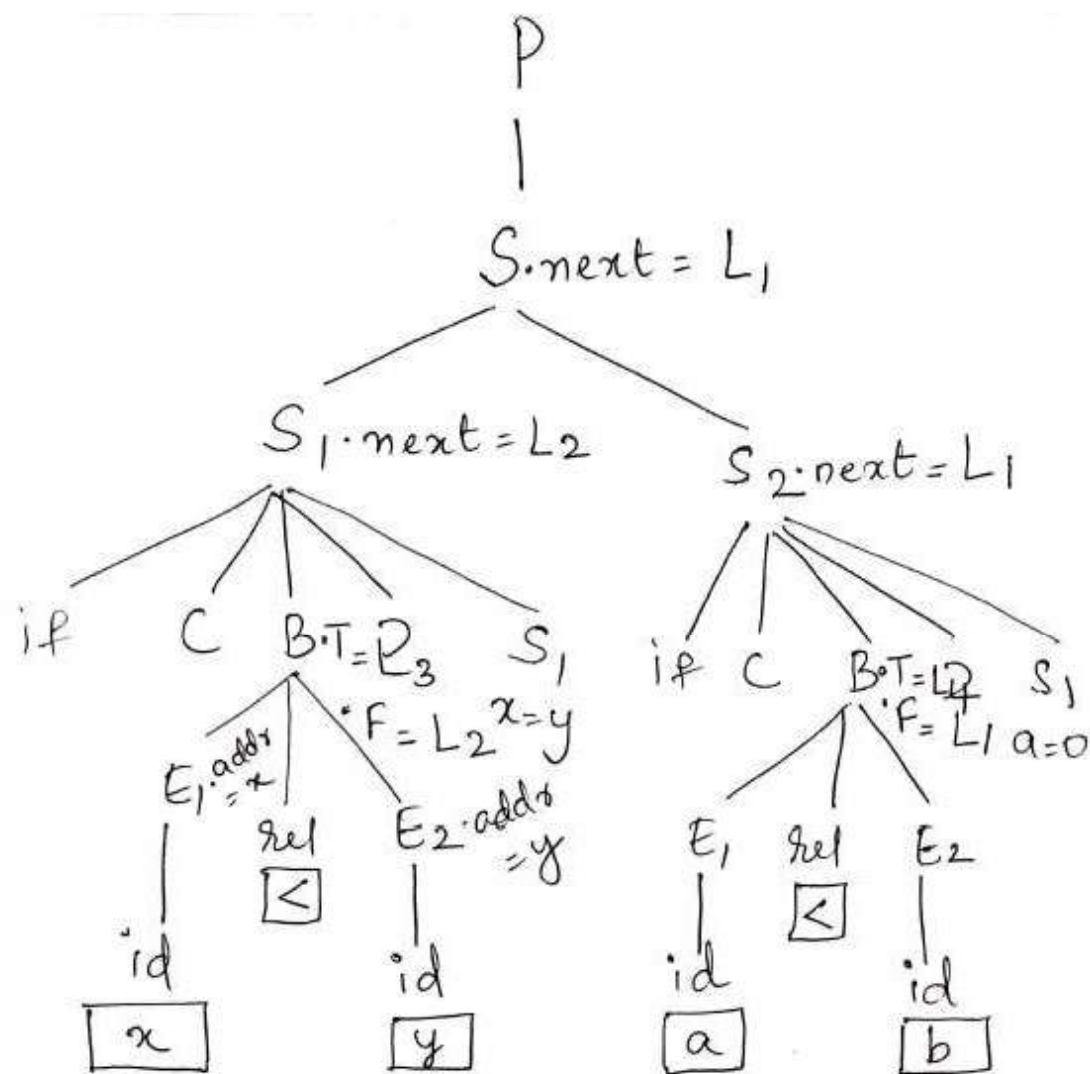
Syntax Directed Definition for flow of control statements

PRODUCTION	SEMANTIC RULES
$P \rightarrow S$	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$S \rightarrow \text{assign}$	$S.code = \text{assign.code}$
$S \rightarrow S_1 S_2$	$S_1.next = newlabel()$ $S_2.next = S.next$ $S.code = S_1.code \parallel label(S_1.next) \parallel S_2.code$

$(x < y) \ x = y;$
 $(a < b) \ a = 0;$

Three Address Code

if $x < y$ goto L_3
 goto L_2
 $L_3: \ x = y$
 $L_2: \ \text{if } a < b \text{ goto } L_4$
 goto L_1
 $L_4: \ a = 0$
 : — — —




Avoiding Redundant Gotos

```
if x > 200 goto L4  
goto L1
```

```
L4: .....
```

Instead, consider the instruction:

```
ifFalse x > 200 goto L1  
L4: .....
```



Short-circuit code/Jumping Code

This ifFalse instruction takes advantage of the natural flow from one instruction to the next in sequence, so control simply “falls through” to label L4

if $x > 200$, thereby avoiding a jump.

Fall – Through Technique

- ▶ By using a special label *fall* (i.e., “don't generate any jump”), we can adapt the semantic rules to allow control to fall through from the code for *B* to the code for *S*₁.
- ▶ The new rules for *S* → if (*B*) *S*₁ is set *B*:true to *fall*

$$B.true = fall$$
$$B.false = S_1.next = S.next$$
$$S.code = B.code || S_1.code$$

Similarly, the rules for if-else- and while-statements also set *B.true* to *fall*.

- ▶ We now adapt the semantic rules for boolean expressions to allow control to fall through whenever possible. Suppose *B*:true is *fall* ; i.e, control falls through *B*, if *B* evaluates to true.

Semantic Rules for $B \rightarrow E_1 \text{ rel } E_2$

The rules for $P \rightarrow S$ create label L1.

$test = E_1.addr \text{ rel.op } E_2.addr$

$s =$ **if** $B.true \neq fall$ **and** $B.false \neq fall$ **then**
 $gen('if' \ test \ 'goto' \ B.true) \ || \ gen('goto' \ B.false)$
else if $B.true \neq fall$ **then** $gen('if' \ test \ 'goto' \ B.true)$
else if $B.false \neq fall$ **then** $gen('ifFalse' \ test \ 'goto' \ B.false)$
else ''

$B.code = E_1.code \ || \ E_2.code \ || \ s$

Semantic Rules for $B \rightarrow B_1 \mid B_2$

$B_1.true = \text{if } B.true \neq fall \text{ then } B.true \text{ else } newlabel()$

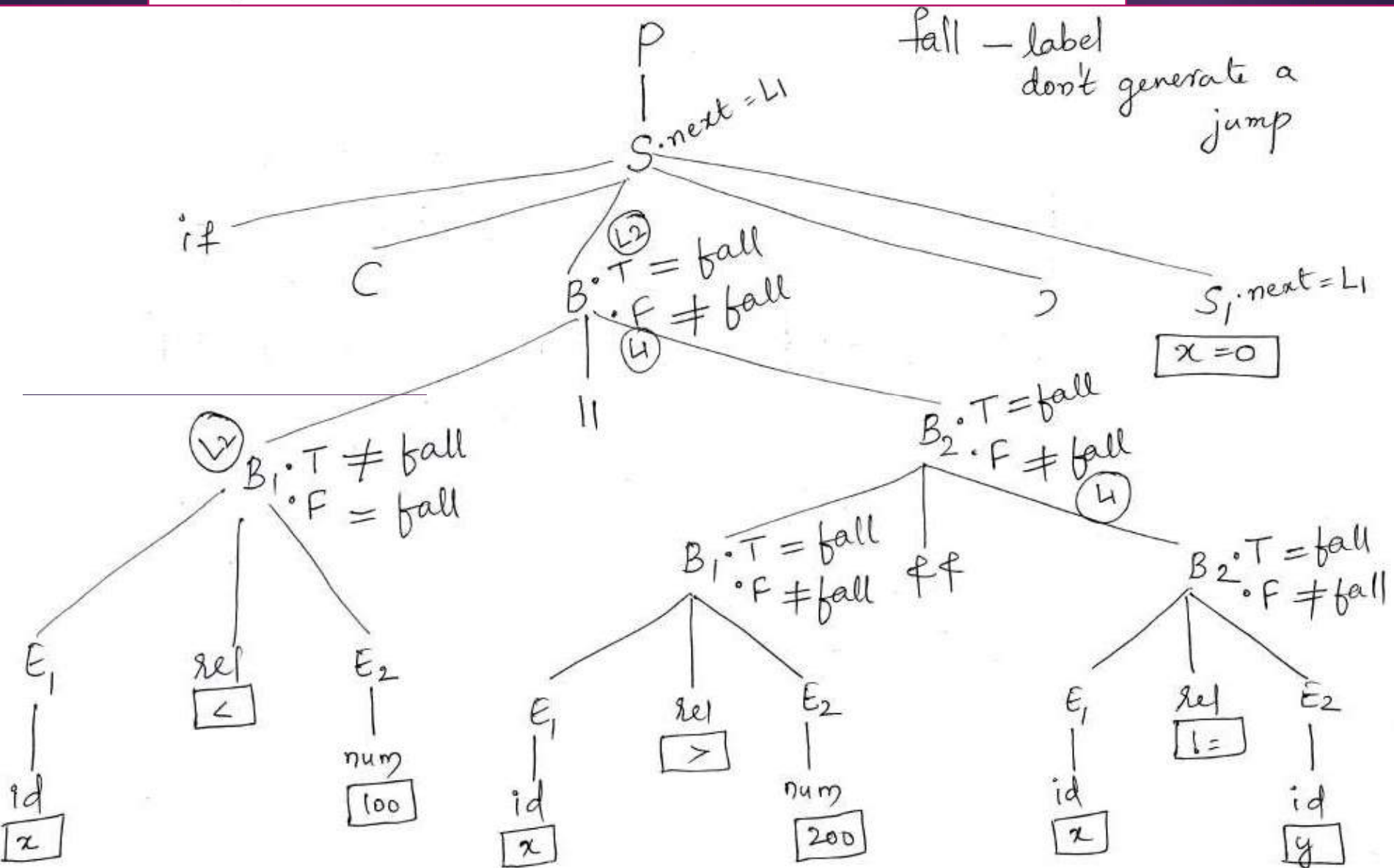
$B_1.false = fall$

$B_2.true = B.true$

$B_2.false = B.false$

$B.code = \text{if } B.true \neq fall \text{ then } B_1.code \mid B_2.code$
 $\text{else } B_1.code \mid B_2.code \mid label(B_1.true)$

if ($x < 100 \parallel x > 200 \ \&\& \ x \neq y$) $x = 0;$



$B.\text{code} = B.\text{true} = \text{fall}$
Yes $B.\text{true} = \text{fall}$ then

$B_1.\text{code} \Rightarrow$

if $x < 100$ goto L_2

$B_2.\text{code} \Rightarrow$

iffalse $x > 200$ goto L_1

iffalse $x \neq y$ goto L_1

$B.\text{code} = B_1.\text{code} \parallel B_2.\text{code} \parallel \text{label}(B_1.\text{true})$

if $x < 100$ goto L_2

iffalse $x > 200$ goto L_1

iffalse $x \neq y$ goto L_1

$L_2 :$

$B \rightarrow B_1 \parallel B_2$

test = $E_1.\text{addr} \text{ rel.op } E_2$

① $E_1.\text{addr} = x; \text{rel.op} = <$
 $E_2.\text{addr} = 100$

$B.T \neq \text{fall}$ then

if $x < 100$ goto L_2

② $E.\text{addr} = x; \text{rel.op} = >$
 $E_2.\text{addr} = 200$

$B.F \neq \text{fall}$ then

iffalse $x > 200$ goto L_1

③ $E.\text{addr} = x; \text{rel.op} = !=$
 $E.\text{addr} = y$

$B.F \neq \text{fall}$ then

iffalse $x \neq y$ goto L_1

rewriting using 'fall' label: fall through technique/ Short-circuit code

$S \rightarrow \text{if } (B) S_1$

B.code is computed

$S_1.\text{code} \Rightarrow \boxed{x = 0}$

if $x < 100$ goto L2

iffalse $x > 200$ goto L1

iffalse $x \neq y$ goto L1

L2: $x = 0$

L1: — — —

$S.\text{code} = B.\text{code} \parallel S_1.\text{code}$

B.code
L2: $x = 0$

$P \rightarrow S$

$P.\text{code} = S.\text{code} \parallel \text{label}(S.\text{next})$

S.code
L1: — — —

statement translated using the fall-through technique

```
if( x < 100 || x > 200 && x != y ) x = 0;
```

translates into the code of

```
    if x < 100 goto L2
    ifFalse x > 200 goto L1
    ifFalse x != y goto L1
L2:  x = 0
L1:
```


Boolean Values and Jumping Code

A clean way of handling both roles of boolean expressions is to first build a syntax tree for expressions, using either of the following approaches:

1. *Use two passes.* Construct a complete syntax tree for the input, and then walk the tree in depth-first order, computing the translations specified by the semantic rules.
2. *Use one pass for statements, but two passes for expressions.* With this approach, we would translate E in **while** (E) S_1 before S_1 is examined. The translation of E , however, would be done by building its syntax tree and then walking the tree.

A boolean expression may be evaluated for its value, and assignment statements such as $x = \text{true}$; or $x =$

The following grammar has a single nonterminal E for expressions:

$$\begin{aligned} S &\rightarrow \text{id} = E ; \mid \text{if} (E) S \mid \text{while} (E) S \mid S S \\ E &\rightarrow E \mid \mid E \mid E \&\& E \mid E \text{rel} E \mid E + E \mid (E) \mid \text{id} \mid \text{true} \mid \text{false} \end{aligned}$$

Nonterminal E governs the flow of control in $S \rightarrow \text{while} (E) S_1$. The same nonterminal E denotes a value in $S \rightarrow \text{id} = E ;$ and $E \rightarrow E + E$.

method *jump* generate jumping code at an expression node, and let method *rvalue* generate code to compute the value of the node into a temporary

When E appears in $S \rightarrow \mathbf{while} (E) S_1$, method *jump* is called at node $E.n$. The implementation of *jump* is based on the rules for boolean expressions.

Specifically, jumping code is generated by calling $E.n.jump(t, f)$ where t is a new label for the first instruction of $S_1.code$ and f is the label for $S.next$.

When E appears in $S \rightarrow \mathbf{id} = E ;$, method *rvalue* is called at node $E.n$. If E has the form $E_1 + E_2$, the method call $E.n.rvalue()$ generates code

If E has the form $E_1 \&\& E_2$, we first generate jumping code for E_1 and then assign true or false to a new temporary \mathbf{t} at the true and false exits respectively, from the jumping code.

Translating a boolean assignment by computing the value of a temporary

For example, the assignment $x = a < b \ \&\& \ c < d$ can be implemented by the code

```
    ifFalse a < b goto L1
    ifFalse c < d goto L1
    t = true
    goto L2
L1:  t = false
L2:  x = t
```

Backpatching

- ▶ A key problem when generating code for boolean expressions and flow-of-control statements is that of matching a jump instruction with the target of the jump.
- ▶ For example $S \rightarrow \text{if } (B) S1$, S contains a jump when B is false.
- ▶ We followed an approach like this before, Pass labels as inherited attributes to where the relevant jump instructions were generated. But a separate pass is then needed to bind labels to addresses.
- ▶ In a one-pass translation, B must be translated before S is examined.
- ▶ Backpatching is a one-pass translation approach.
- ▶ In backpatching list of jumps are passed as synthesized attributes. Specifically, when a jump is generated, the target of the jump is temporarily left unspecified.
- ▶ Each such jump is put on a list of jumps whose labels are to be filled in when the proper label can be determined. All of the jumps on a list have the same target label. We follow here the translation using position numbers.

One-Pass Code Generation using Backpatching

- ▶ Backpatching can be used to generate code for boolean expressions and flow of-control statements in one pass.
- ▶ Synthesized attributes `truelist` and `falselist` of nonterminal `B` are used to manage labels in jumping code for boolean expressions.
- ▶ In particular, `B:true` will be a list of jump or conditional jump instructions into which we must insert the label to which control goes if `B` is true.
- ▶ `B:false` likewise is the list of instructions that eventually get the label to which control goes when `B` is false.
- ▶ As code is generated for `B`, jumps to the true and false exits are left incomplete, with the label field unfilled.
- ▶ Statement `S` has a synthesized attribute, `S.nextlist` denoting a list of jumps to the instruction immediately following the code for `S`.

To manipulate list of jumps, three functions are used

makelist(i) creates a new list containing only i , an index into the array of instructions; *makelist* returns a pointer to the newly created list.

merge(p_1, p_2) concatenates the lists pointed to by p_1 and p_2 , and returns a pointer to the concatenated list.

backpatch(p, i) inserts i as the target label for each of the instructions on the list pointed to by p .

Backpatching for Boolean Expressions

$\rightarrow B_1 \mid \mid M B_2 \mid B_1 \ \&\& \ M B_2 \mid ! B_1 \mid (B_1) \mid E_1 \ \text{rel} \ E_2 \mid \text{true} \mid \text{false}$
 $\rightarrow \epsilon$

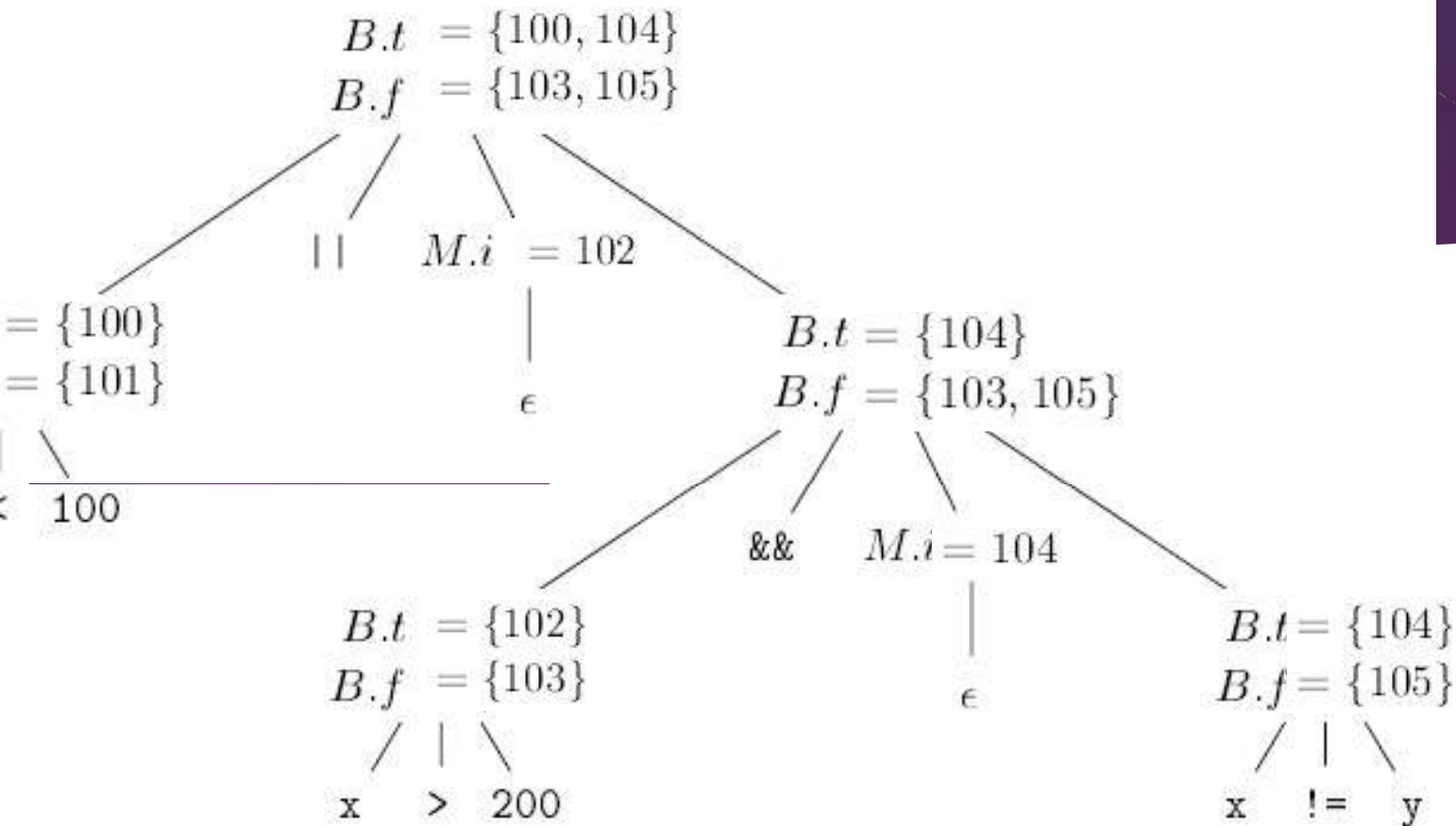
Now we will design a translation scheme suitable for generating code for boolean expression during bottom up parsing.

A marker nonterminal M in the grammar causes a semantic action to pick up, appropriate times, the index of the next instruction to be generated.

ation
me for
ean
essions

- 1) $B \rightarrow B_1 \ || \ M \ B_2$ { *backpatch*(B_1 .*false*list, M .*instr*);
 B .*true*list = *merge*(B_1 .*true*list, B_2 .*true*list);
 B .*false*list = B_2 .*false*list; }
- 2) $B \rightarrow B_1 \ \&\& \ M \ B_2$ { *backpatch*(B_1 .*true*list, M .*instr*);
 B .*true*list = B_2 .*true*list;
 B .*false*list = *merge*(B_1 .*false*list, B_2 .*false*list); }
- 3) $B \rightarrow ! \ B_1$ { B .*true*list = B_1 .*false*list;
 B .*false*list = B_1 .*true*list; }
- 4) $B \rightarrow (\ B_1 \)$ { B .*true*list = B_1 .*true*list;
 B .*false*list = B_1 .*false*list; }
- 5) $B \rightarrow E_1 \ \text{rel} \ E_2$ { B .*true*list = *makelist*(*nextinstr*);
 B .*false*list = *makelist*(*nextinstr* + 1);
 gen('if' E_1 .*addr* *rel.op* E_2 .*addr* 'goto -');
 gen('goto -'); }
- 6) $B \rightarrow \text{true}$ { B .*true*list = *makelist*(*nextinstr*);
 gen('goto -'); }
- 7) $B \rightarrow \text{false}$ { B .*false*list = *makelist*(*nextinstr*);
 gen('goto -'); }
- 8) $M \rightarrow \epsilon$ { M .*instr* = *nextinstr*; }

notated parse tree for $x < 100 \mid\mid x > 200 \&\& x \neq y$



tes truelist, falselist, instr are
 ented by t,f and i respectively

Control Flow Translation

```
if x < 100 goto _  
goto _
```

are generated. (We arbitrarily start instruction numbers at 100.) The marker nonterminal M in the production

$$B \rightarrow B_1 \mid \mid M B_2$$

records the value of *nextinstr*, which at this time is 102. The reduction of $x > 200$ to B by production (5) generates the instructions

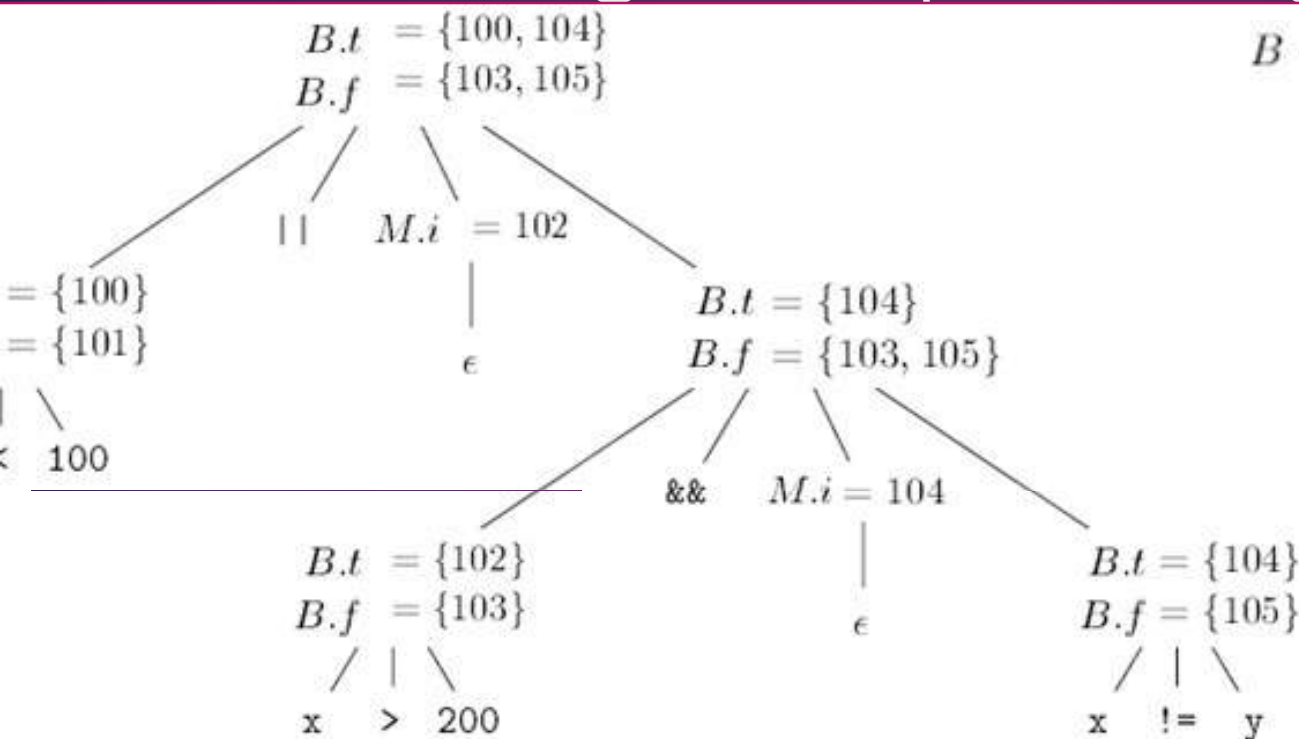
```
if x > 200 goto _  
goto _
```

subexpression $x > 200$ corresponds to B_1 in the production $B \rightarrow B_1 \&\& M B_2$

the marker nonterminal M records the current value of *nextinstr*, which is now 104. Reducing $x \neq y$ into B by production (5) generates

```
104: if x != y goto _  
105: goto _
```

Translation using backpatching



$B \rightarrow B_1 || M B_2 \quad \{ \text{backpatch}(B_1.\text{falselist}, \text{true}) \}$

```

100:  if x < 100 goto -
101:  goto 102
102:  if x > 200 goto 104
103:  goto -
104:  if x != y goto -
105:  goto -
    
```

$B \rightarrow B_1 \&\& M B_2 \quad \{ \text{backpatch}(B_1.\text{truelist}, \text{true}) \}$

Changes in the
backpatching
process



```

100:  if x < 100 goto -
101:  goto -
102:  if x > 200 goto 104
103:  goto -
104:  if x != y goto -
105:  goto -
    
```

(a) After backpatching 104 into instruction 102.

```

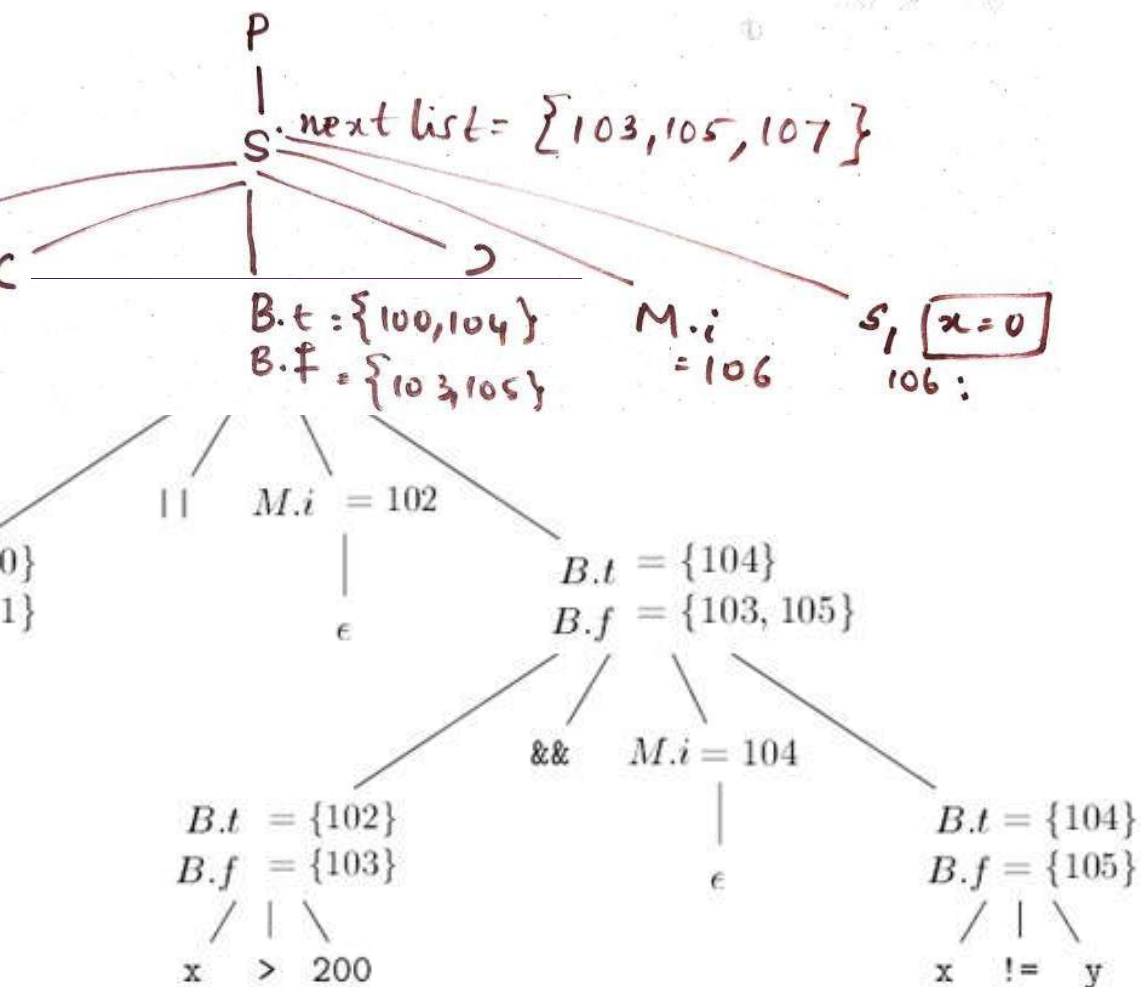
100:  if x < 100 goto -
101:  goto 102
102:  if x > 200 goto 104
103:  goto -
104:  if x != y goto -
105:  goto -
    
```

(b) After backpatching 102 into instruction 101.

Translation of if statement through backpatching

```

if ( B ) M S1 { backpatch( B.truelist, M.instr);
                  S.nextlist = merge( B.falselist, S1.nextlist ); }
    
```



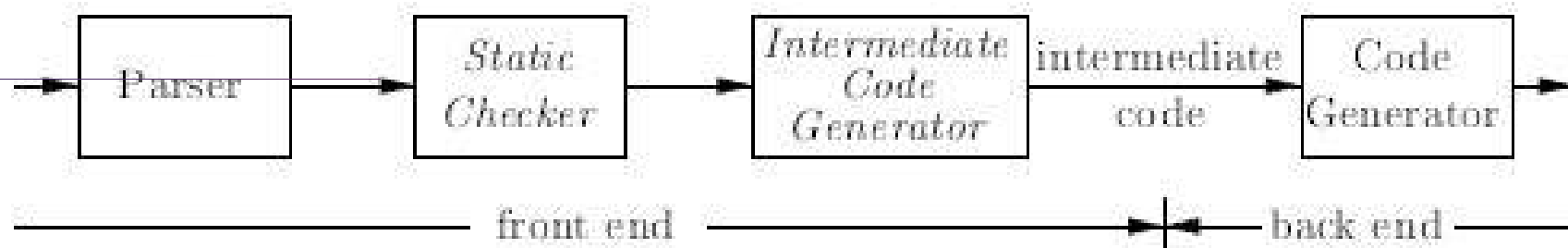
```

100:  if x < 100 goto 106
101:  goto 102
102:  if x > 200 goto 103
103:  goto 107
104:  if x != y goto 106
105:  goto 107
    
```

Intermediate Code Generation

Logical structure of a compiler front end

In an analysis-synthesis model of a compiler, the front end analyzes a source program and creates an intermediate representation, from which the back end generates target code.



Logical structure of a compiler front end

Where parsing, static checking, and intermediate-code generation are done sequentially; some of these can be combined and folded into parsing.

Static checking includes type checking, which ensures that operators are applied to compatible operands. For example, static checking assures that a break-statement in C is enclosed within a loop or switch-statement.

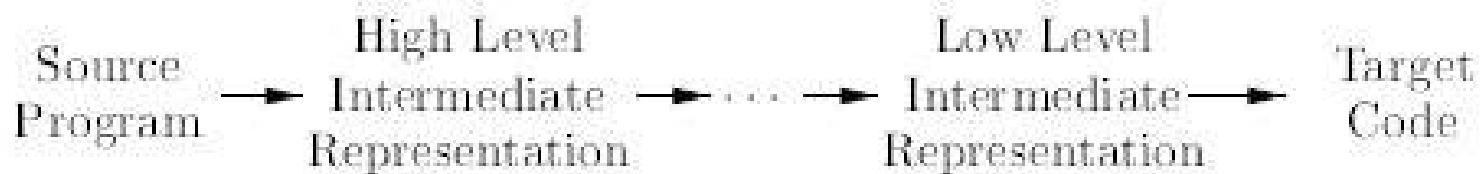
Compiler might use a sequence of intermediate representations

The term **three-address code** comes from instructions of the general form

= y op z with three addresses: two for the operands y and z and one for the result x.

In the process of translating a program in a given source language into code for a given target machine, a compiler may construct a sequence of intermediate representations.

Low-level representation is suitable for machine-dependent tasks like register allocation and instruction selection. High Level representation a tree like structure.



variants of Syntax Trees - DAG

A directed acyclic graph (hereafter called a DAG) for an expression identifies the common subexpressions (subexpressions that occur more than once) of the expression. Nodes in a syntax tree represent constructs in the source program; the children of a node represent the immediate components of a construct.

Directed Acyclic Graphs for Expressions

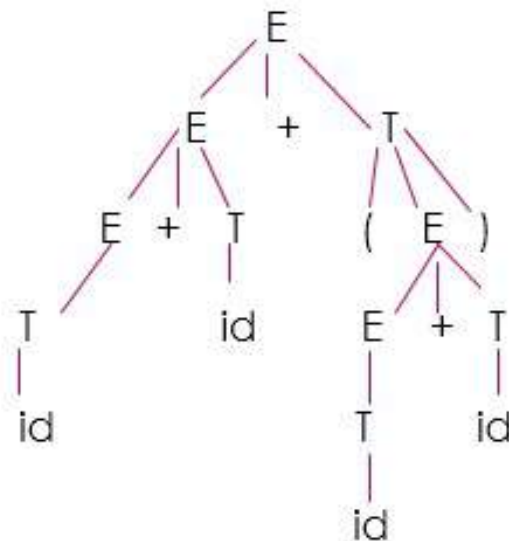
Like the syntax tree for an expression, a DAG has leaves corresponding to atomic operands and interior nodes corresponding to operators.

Syntax-directed definition to produce syntax trees or DAG's

PRODUCTION	SEMANTIC RULES
$E \rightarrow E_1 + T$	$E.node = \text{new Node}('+', E_1.node, T.node)$
$E \rightarrow E_1 - T$	$E.node = \text{new Node}('-', E_1.node, T.node)$
$E \rightarrow T$	$E.node = T.node$
$E \rightarrow (E)$	$T.node = E.node$
$E \rightarrow \text{id}$	$T.node = \text{new Leaf}(\text{id}, \text{id.entry})$
$E \rightarrow \text{num}$	$T.node = \text{new Leaf}(\text{num}, \text{num.val})$

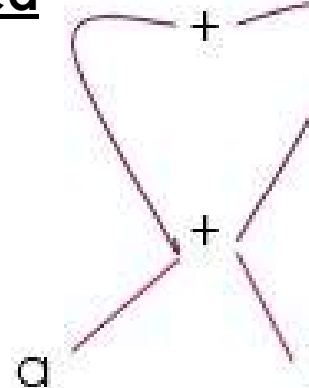
Syntax Tree

Input string to be represented
a + b + (a + b)



DAG

Input string to be represented
a + b + (a + b)

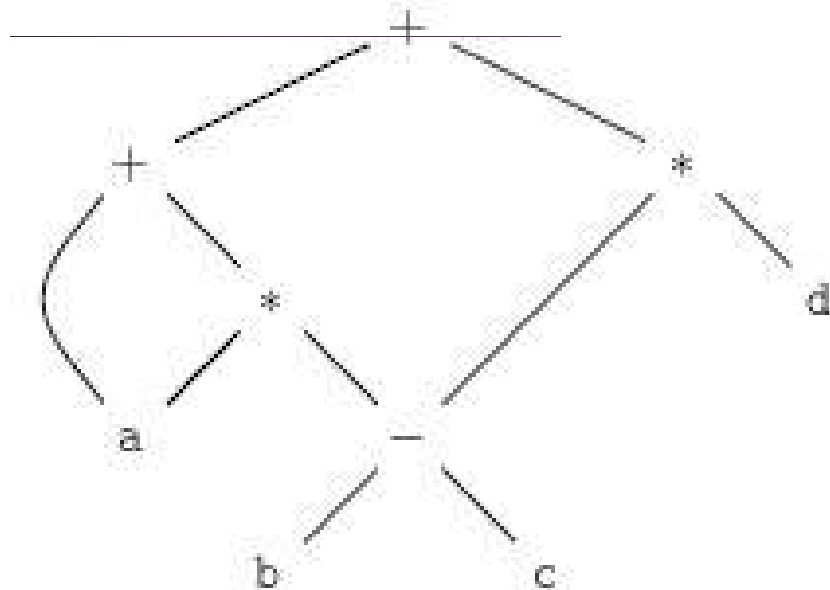


Steps for constructing the DAG

- 1) $p1 = \text{Leaf}(\text{id}, \text{entry-a})$
- 2) $p2 = \text{Leaf}(\text{id}, \text{entry-b})$
- 3) $p3 = \text{Node}('+', p1, p2)$
- 4) $p4 = \text{Leaf}(\text{id}, \text{entry-a}) = p1$
- 5) $p5 = \text{Leaf}(\text{id}, \text{entry-b}) = p2$
- 6) $p6 = \text{Node}('+', p1, p2) = p3$
- 7) $p7 = \text{Node}('+', p3, p3)$

Construct DAG for the expression $+a*(b-c)+ (b-c)*d$

DAG



Steps for constructing the DAG

- 1) $p_1 = \text{Leaf}(\text{id}, \text{entry-}a)$
- 2) $p_2 = \text{Leaf}(\text{id}, \text{entry-}a) = p_1$
- 3) $p_3 = \text{Leaf}(\text{id}, \text{entry-}b)$
- 4) $p_4 = \text{Leaf}(\text{id}, \text{entry-}c)$
- 5) $p_5 = \text{Node}('-', p_3, p_4)$
- 6) $p_6 = \text{Node}('*', p_1, p_5)$
- 7) $p_7 = \text{Node}('+', p_1, p_6)$
- 8) $p_8 = \text{Leaf}(\text{id}, \text{entry-}b) = p_3$
- 9) $p_9 = \text{Leaf}(\text{id}, \text{entry-}c) = p_4$
- 10) $p_{10} = \text{Node}('-', p_3, p_4) = p_5$
- 11) $p_{11} = \text{Leaf}(\text{id}, \text{entry-}d)$
- 12) $p_{12} = \text{Node}('*', p_5, p_{11})$
- 13) $p_{13} = \text{Node}('+', p_7, p_{12})$

Construct the DAG for the expression
assuming + associates from the left)

$$\underline{((x + y) - ((x + y) * (x - y)))} + ((x + y) * (x - y))$$

$$a + b + a + b.$$

$$a + a + (a + a + a + (a + a + a + a)).$$

Tutorial Questions

► 1. $A \rightarrow L M \{ L.i = f(A.s); M.i = f(L.s); A.s = f(M.s); \}$

► 2. $A \rightarrow Q R \{ R.i = f(A.i); Q.i = f(R.i); A.s = f(Q.s); \}$

► Is the above definitions S-Attributed or L-attributed?

Construct Activation Tree and Activation Record for the given program

```
main(){  
    printf("%d ", fib(5));  
}  
  
fib(int num)  
{  
    if(num == 0 || num == 1)  
        return num;  
    else  
        return fib(num-1) + fib(num-2);  
}
```

Translation Scheme using Backpatching

- One pass Translation
- Only synthesized attributes - list of jumps are passed as synthesized attributes
- Suitable for bottom up parsing
- Uses position numbers

Backpatching for Boolean Expressions

$\rightarrow B_1 \mid \mid M B_2 \mid B_1 \ \&\& \ M B_2 \mid ! B_1 \mid (B_1) \mid E_1 \ \text{rel} \ E_2 \mid \text{true} \mid \text{false}$
 $\rightarrow \epsilon$

Now we will design a translation scheme suitable for generating code for boolean expression during bottom up parsing.

A marker nonterminal M in the grammar causes a semantic action to pick up, at appropriate times, the index of the next instruction to be generated.

$M \rightarrow \epsilon \qquad \{ \ M.instr = nextinstr; \}$

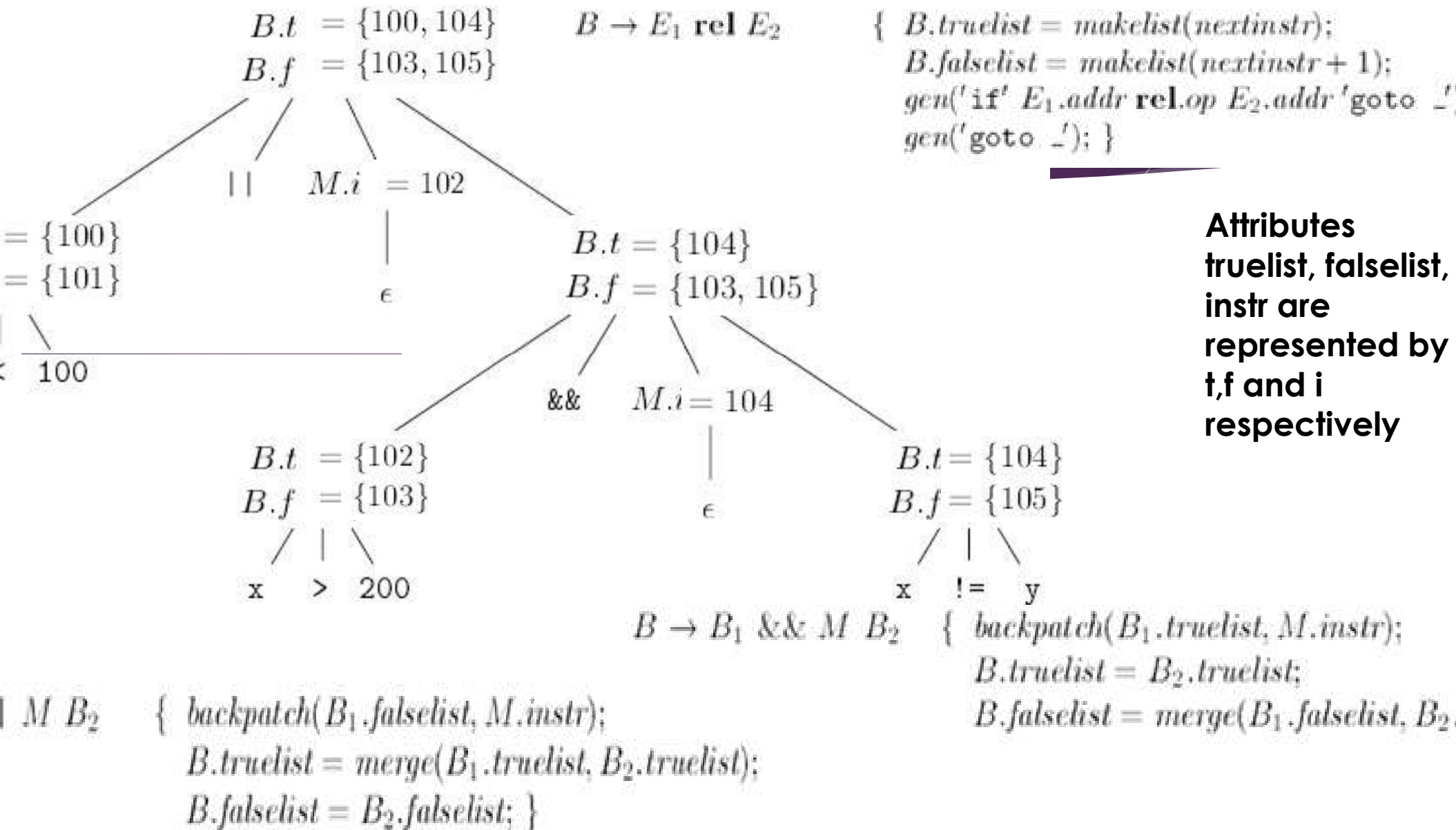
To manipulate list of jumps, three functions are used

makelist(i) creates a new list containing only i , an index into the array of instructions; *makelist* returns a pointer to the newly created list.

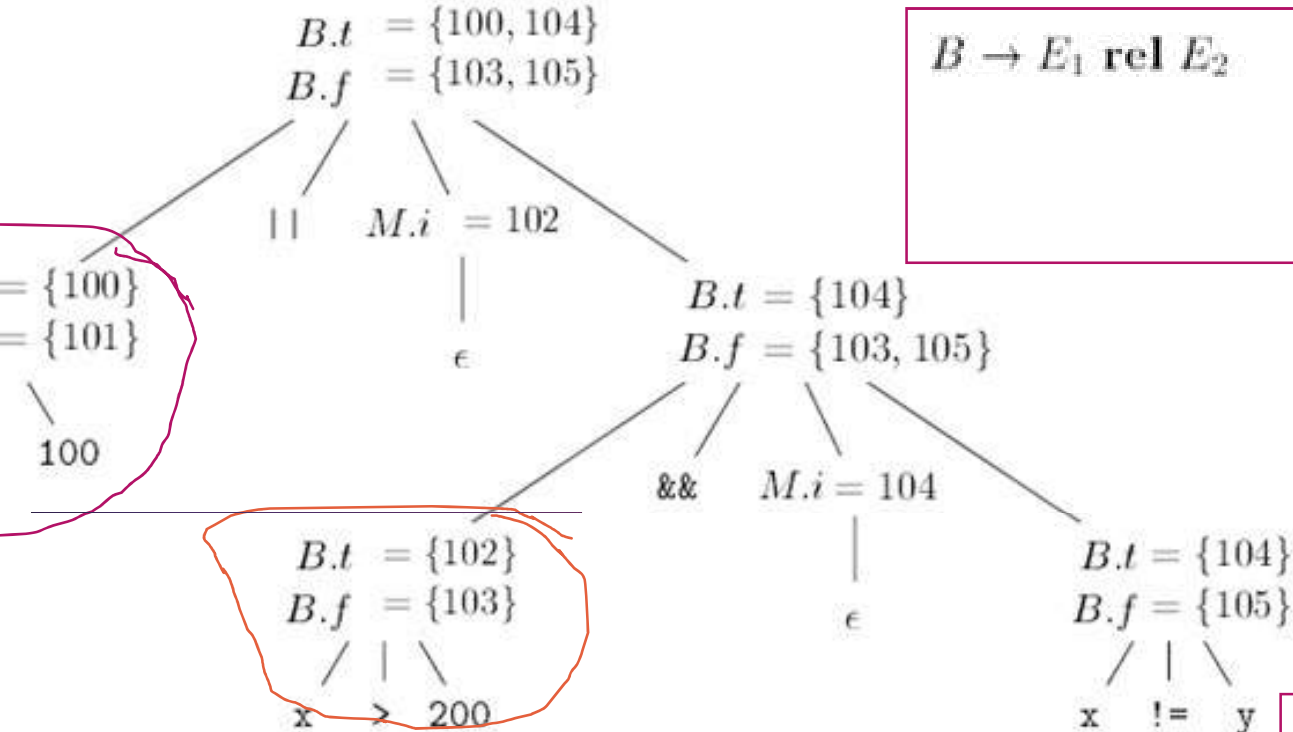
merge(p_1, p_2) concatenates the lists pointed to by p_1 and p_2 , and returns a pointer to the concatenated list.

backpatch(p, i) inserts i as the target label for each of the instructions on the list pointed to by p .

notated parse tree for $x < 100 \parallel x > 200 \&\& x \neq y$



translation using backpatching


$$B \rightarrow E_1 \text{ rel } E_2$$

```

{ B.truelist = makelist(nextinstr);
  B.falselist = makelist(nextinstr + 1);
  gen('if' E1.addr rel.op E2.addr 'got
  gen('goto _'); }

```

```
100:  if x < 100 goto _
```

```
101: goto 102
```

```
102:  if x > 200 goto 10
```

```
103: goto _
```

```
104:  if x != y goto _
```

```
105: goto _
```

$$B \rightarrow B_1 \ \&\& \ M \ B_2 \quad \{ \text{backpatch}(B_1.\text{truelist}, M.\text{instr});$$
$$B \rightarrow B_1 \parallel M B_2 \quad \{ \text{backpatch}(B_1, \text{false}) \}$$

```
100:  if x < 100 goto _
```

```
101: goto _
```

```
102:  if x > 200 goto 104
```

```
103: goto _
```

```
104:  if x != y goto _
```

```
105: goto _
```

```
100:  if x < 100 goto _
```

```
101: goto 102
```

```
102:  if x > 200 goto 10
```

```
103: goto _
```

```
104:  if x != y goto _
```

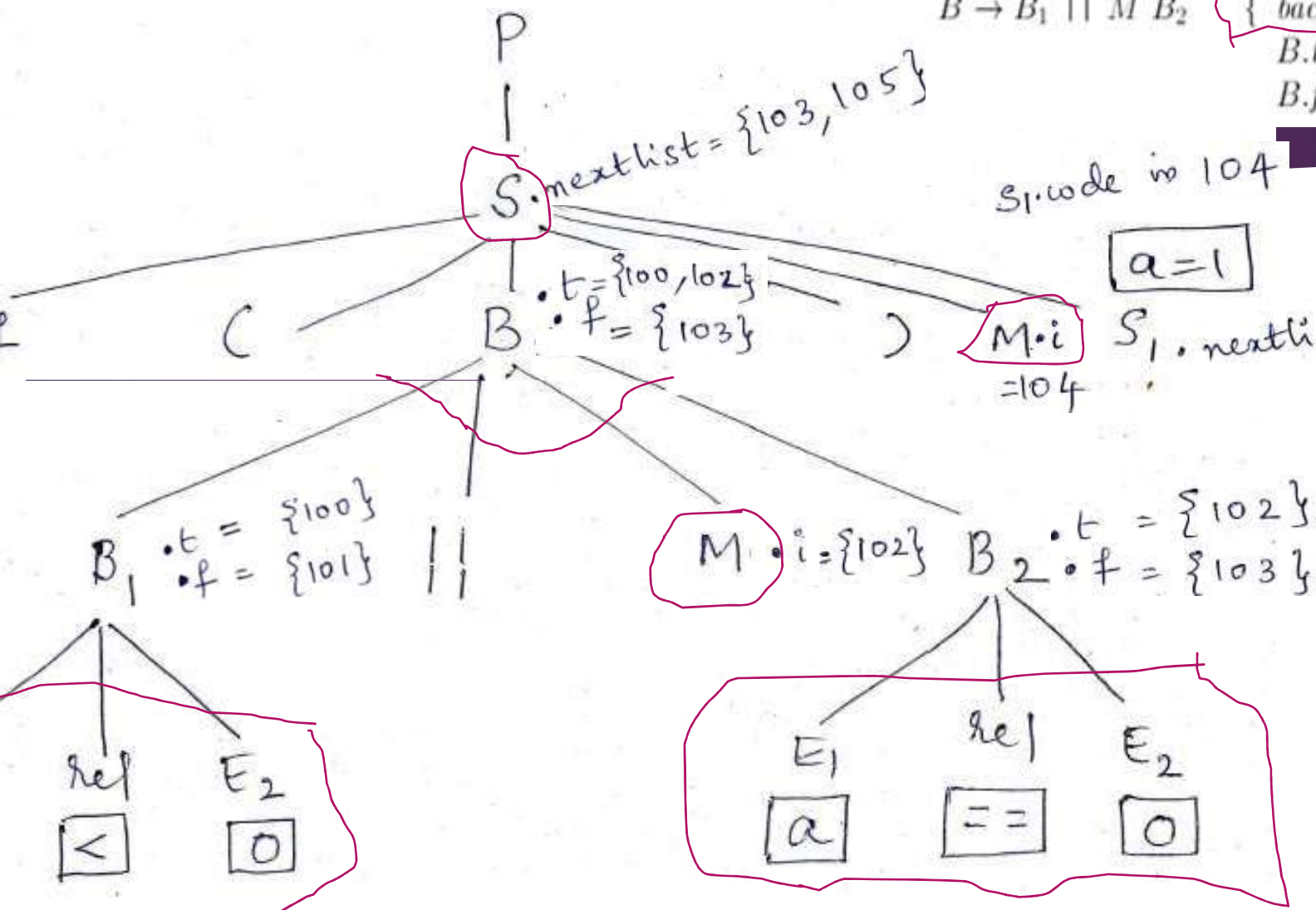
```
105: goto _
```

(a) After backpatching 104 into instruction 102.

(b) After backpatching 102 into instr

$(a < 0 \ || \ a == 0) \ a = 1$

$S \rightarrow \text{if}(B) M S_1 \{$
 $\quad \text{backpatch}(B.\text{truelist}, M.\text{instr});$
 $\quad S.\text{nextlist} = \text{merge}(B.\text{falselist}, S_1.\text{nextlist});$
 $\}$
 $B \rightarrow B_1 \ || \ M B_2 \{$
 $\quad \text{backpatch}(B_1.\text{falselist}, M.\text{instr});$
 $\quad B.\text{truelist} = \text{merge}(B_1.\text{truelist}, B_2.\text{truelist});$
 $\quad B.\text{falselist} = B_2.\text{falselist};$
 $\}$



100: if $a < 0$ goto 101;
 101: goto 102;
 102: if $a == 0$ goto 103;
 103: goto 105;
 104: $a = 1$;
 105: —

Translation of $a == b \ \&\& \ c == d$

```

B1 && M B2 { backpatch(B1.truelist, M.instr);
                  B.truelist = B2.truelist;
                  B.falselist = merge(B1.falselist, B2.falselist); }

```

```

E1 rel E2 { B.truelist = makelist(nextinstr);
               B.falselist = makelist(nextinstr + 1);
               gen('if' E1.addr rel.op E2.addr 'goto -');
               gen('goto -'); }

```

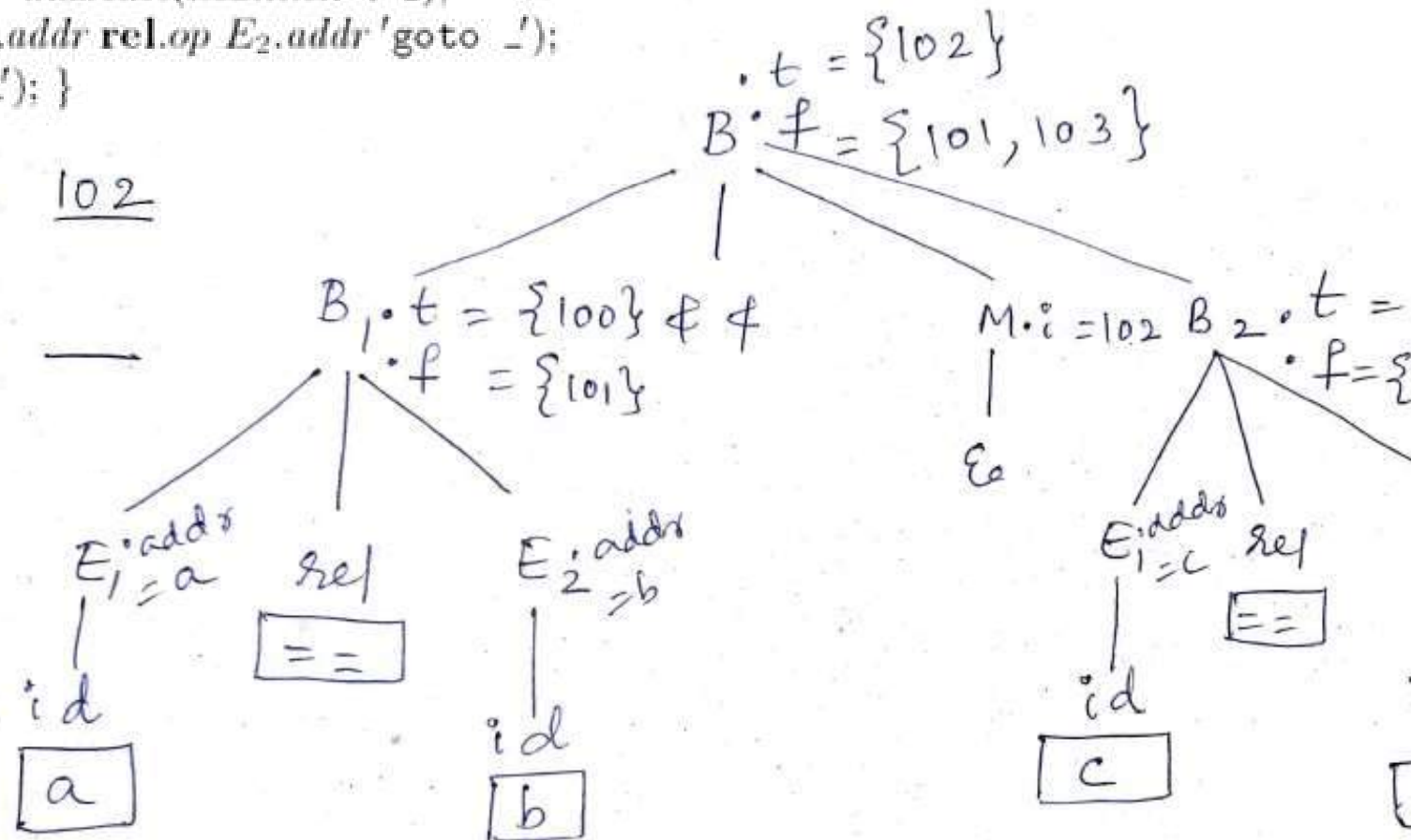
```

: if a == b goto 102
: goto —
: if c == d goto —
: goto —

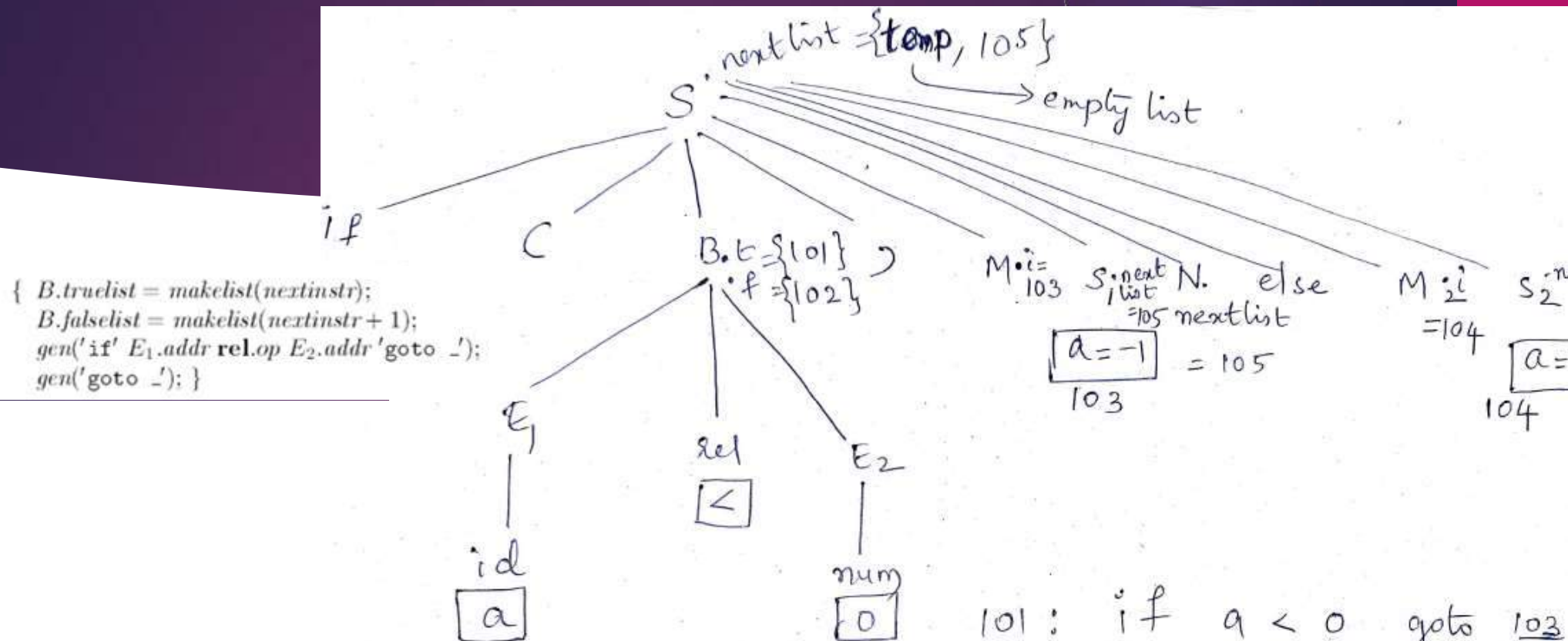
```



Address Code



else statement



```
{ B.truelist = makelist(nextinstr);
  B.falselist = makelist(nextinstr + 1);
  gen('if' E1.addr rel.op E2.addr 'goto -');
  gen('goto -'); }
```

if (B) $M_1 S_1 N$ else $M_2 S_2$

```
{ backpatch(B.truelist, M1.instr);
  backpatch(B.falselist, M2.instr);
  temp = merge(S1.nextlist, N.nextlist);
  S.nextlist = merge(temp, S2.nextlist); }
```

101: if $a < 0$ goto 103

102: goto 104

103: $a = -1$

104: $a = 1$

105: —

Break, Continue, Goto statements

- ▶ If S is the enclosing construct, then a break statement is a jump to the first instruction after the code for S .
-
- ▶ We can generate code for break by
 - (1) Keeping track of the enclosing statement S
 - (2) Generating an unfilled jump for the break-statement, and
 - (3) Putting this unfilled jump on $S.nextlist$

Switch-statement syntax

```
switch (  $E$  ) {  
    case  $V_1$ :  $S_1$   
    case  $V_2$ :  $S_2$   
        ...  
    case  $V_{n-1}$ :  $S_{n-1}$   
    default:  $S_n$   
}
```

The intended translation of a switch is code to:

1. Evaluate the expression E .
2. Find the value V_j in the list of cases that is the same as the value of expression. Recall that the default value matches the expression if none of the values explicitly mentioned in cases does.
3. Execute the statement S_j associated with the value found.

Implementation of case statements

- ▶ Use a table and a loop to find the address to jump.
- ▶ Hash Table: If the number of values exceeds 10 or so, it is more efficient to construct a hash table for the values, with the labels of the various statements as entries. If no entry for the value possessed by the switch expression is found, a jump to the default statement is generated.
- ▶ Do Backpatching to generate a series of branching statements with the targets of the label left unspecified. To-be determined label table can be used for this purpose.

Syntax-Directed Translation of Switch-Statements

```
switch (  $E$  ) {  
  case  $V_1$ :  $S_1$   
  case  $V_2$ :  $S_2$   
    ...  
  case  $V_{n-1}$ :  $S_{n-1}$   
  default:  $S_n$ 
```

Syntax

```
code to evaluate  $E$  into  $t$   
goto test  
 $L_1$ : code for  $S_1$   
      goto next  
 $L_2$ : code for  $S_2$   
      goto next  
      ...  
 $L_{n-1}$ : code for  $S_{n-1}$   
         goto next  
 $L_n$ : code for  $S_n$   
       goto next  
test: if  $t = V_1$  goto  $L_1$   
      if  $t = V_2$  goto  $L_2$   
      ...  
      if  $t = V_{n-1}$  goto  $L_{n-1}$   
      goto  $L_n$   
next:
```

other translation of a switch statement

```
switch (  $E$  ) {  
  case  $V_1$ :  $S_1$   
  case  $V_2$ :  $S_2$   
    ...  
  case  $V_{n-1}$ :  $S_{n-1}$   
  default:  $S_n$ 
```

Syntax

```
code to evaluate  $E$  into  $t$   
if  $t \neq V_1$  goto  $L_1$   
code for  $S_1$   
goto next  
 $L_1$ :  
if  $t \neq V_2$  goto  $L_2$   
code for  $S_2$   
goto next  
 $L_2$ :  
...  
 $L_{n-2}$ :  
if  $t \neq V_{n-1}$  goto  $L_{n-1}$   
code for  $S_{n-1}$   
goto next  
 $L_{n-1}$ :  
code for  $S_n$   
next:
```

case three-address-code instructions used to translate a switch statement

Reading the queue of value-label pairs, we can generate a sequence of three-address statements of the form



```
case t V1 L1
case t V2 L2
...
case t Vn-1 Ln-1
case t t Ln
next:
```

There, t is the temporary holding the value of the selector expression E , and L_n is the label for the default statement.

The **case t Vi Li** instruction is a synonym for **if t=Vi goto Li**

Intermediate code for procedures

Assume that the parameters are passed by value.
Suppose that a is an array of integers, and that f is a function from integers to integers. Then, the assignment

$$n = f(a[i]);$$

might translate into the following three-address code:

- 1) $t_1 = i * 4$
- 2) $t_2 = a[t_1]$
- 3) param t_2
- 4) $t_3 = \text{call } f, 1$
- 5) $n = t_3$

Intermediate code for procedures

```

$$\begin{aligned} D &\rightarrow \text{define } T \text{ id } ( F ) \{ S \} \\ F &\rightarrow \epsilon \mid T \text{ id } , F \\ S &\rightarrow \text{return } E ; \\ E &\rightarrow \text{id } ( A ) \\ A &\rightarrow \epsilon \mid E , A \end{aligned}$$

```

Symbol tables:

Let s be the top symbol table when the function definition is reached. The function name is entered into s for use in the rest of the program.

In the production for D , after seeing `define` and the function name, we push s and set up a new symbol table

```
Env.push(top); top = new Env(top);
```

Call the new symbol table, t . Note that top is passed as a parameter in `new Env(top)`, so the new symbol table t can be linked to the previous one, s . The new table t is used to translate the function body.

Translate these statements

1. $f = \min(1, n-1, n+1)$

Three address code:

```
t1 = n - 1
t2 = n + 1
param 1
param t1
param t2
t3 = call min, 3
f = t3
```

2. `switch(a + b){`
 `case 1: a=b;`
 `case 0: b=a;`
 `default: a=0;`
 `}`

Three address code:

```
t1 = a + b
if t1 != 1 goto L1
a = b
goto next
L1: if t1 != 0 goto L2
b = a
goto next
L2: a = 0
next:
```