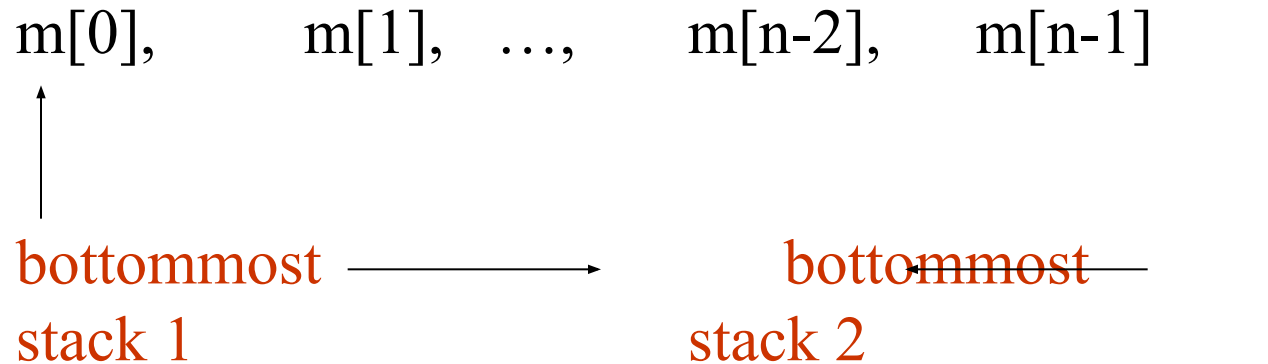


# Multiple stacks and queues

## Two stacks



## More than two stacks (n)

memory is divided into n equal segments

$\text{boundary}[\text{stack\_no}]$

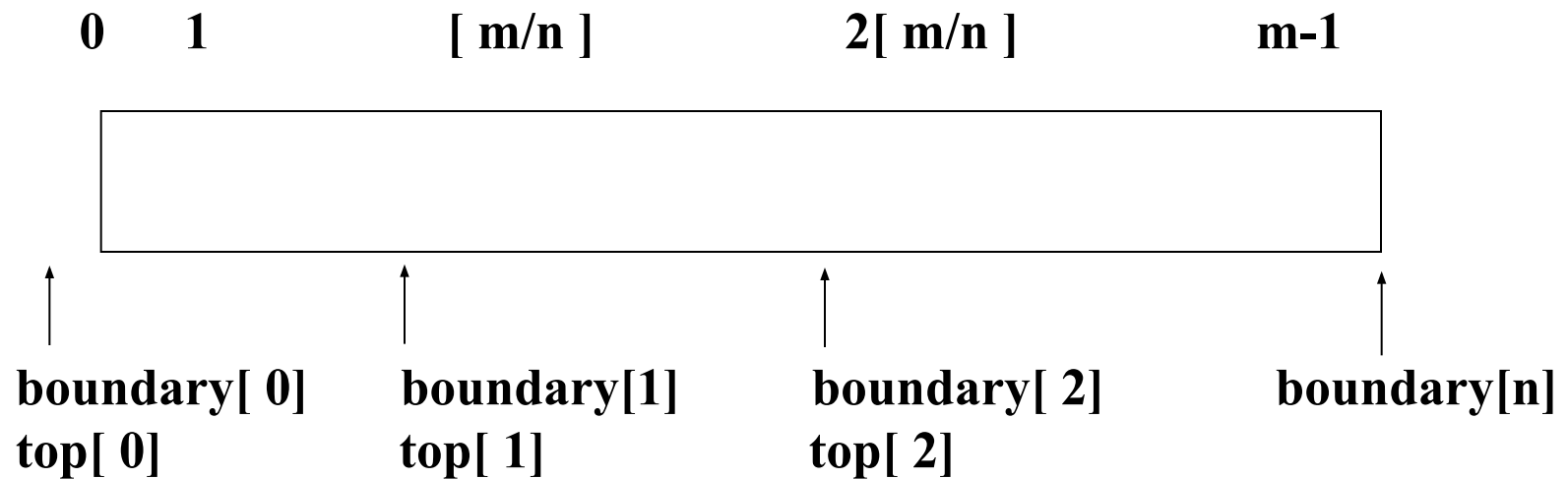
$$0 \leq \text{stack\_no} < \text{MAX\_STACKS}$$

$\text{top}[\text{stack\_no}]$

$$0 \leq \text{stack\_no} < \text{MAX\_STACKS}$$

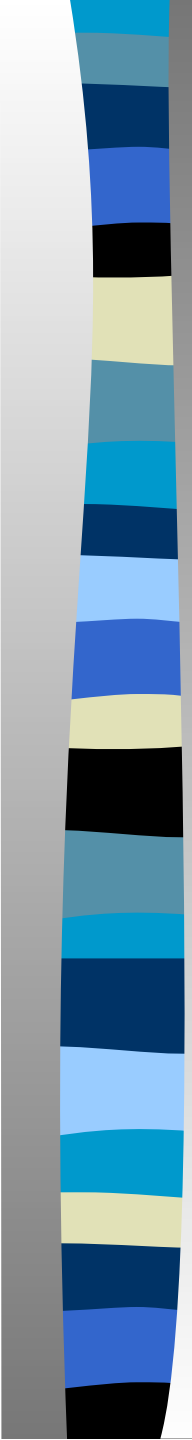


Initially,  $\text{boundary}[i] = \text{top}[i]$ .



All stacks are empty and divided into roughly equal segments.

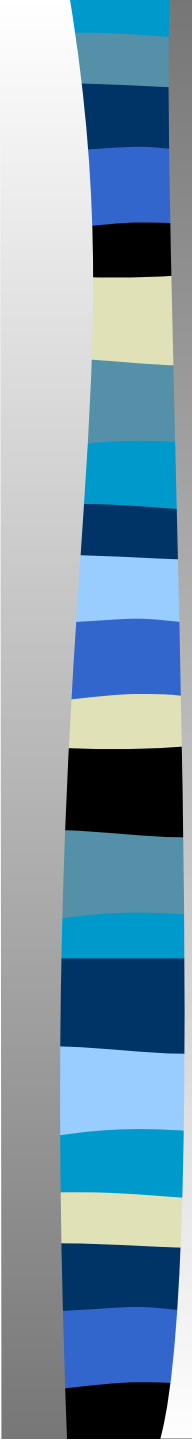
\*Figure 3.18: Initial configuration for  $n$  stacks in memory  $[m]$ . (p.129)



```
#define MEMORY_SIZE 100  /* size of memory */
#define MAX_STACK_SIZE 100
    /* max number of stacks plus 1 */
/* global memory declaration */
element memory[MEMORY_SIZE];
int top[MAX_STACKS];
int boundary[MAX_STACKS];
int n; /* number of stacks entered by the user */
*(p.128)
```

---

```
top[0] = boundary[0] = -1;
for (i = 1; i < n; i++)
    top[i] = boundary[i] = (MEMORY_SIZE/n)*i;
boundary[n] = MEMORY_SIZE-1;
*(p.129)
```



```
void add(int i, element item)
{
    /* add an item to the ith stack */
    if (top[i] == boundary [i+1])
        stack_full(i);    may have unused storage
        memory[++top[i]] = item;
}
```

**\*Program 3.12:** Add an item to the stack *stack-no* (p.129)

---

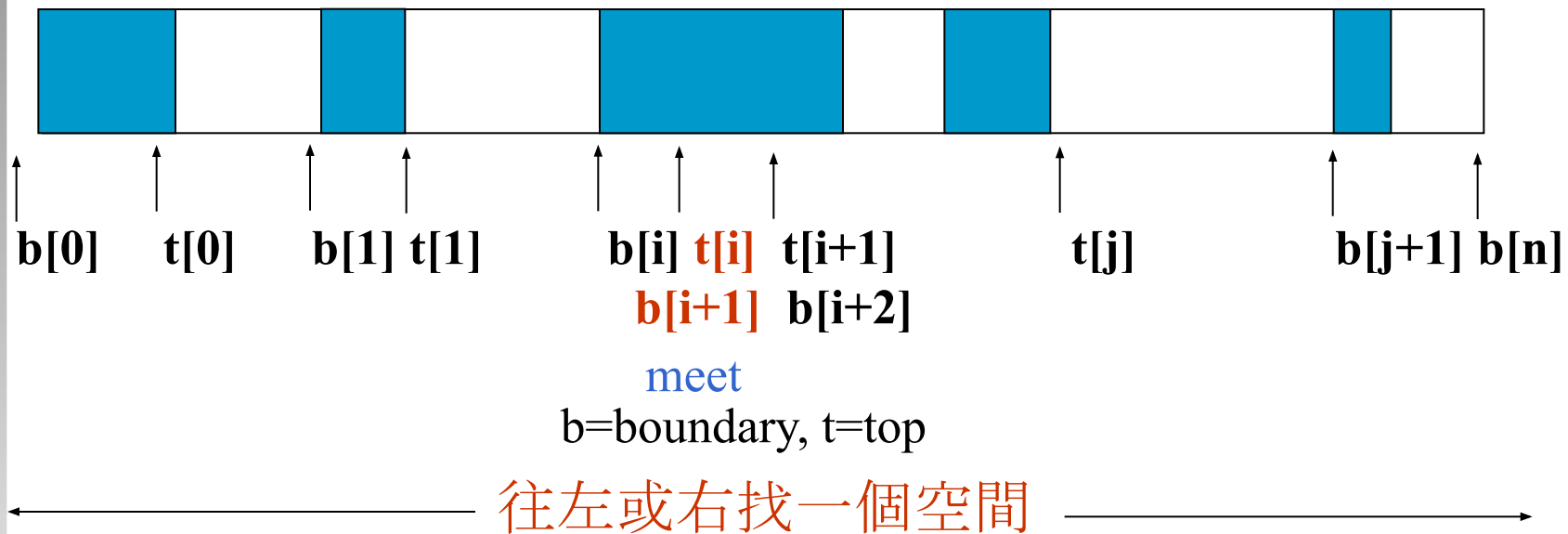
```
element delete(int i)
{
    /* remove top element from the ith stack */
    if (top[i] == boundary[i])
        return stack_empty(i);
    return memory[top[i]--];
}
```

**\*Program 3.13:** Delete an *item* from the stack *stack-no* (p.130)

Find  $j$ ,  $\text{stack\_no} < j < n$  (往右)

such that  $\text{top}[j] < \text{boundary}[j+1]$

or,  $0 \leq j < \text{stack\_no}$  (往左)



**\*Figure 3.19:** Configuration when stack  $i$  meets stack  $i+1$ .

but the memory is not full (p.130)