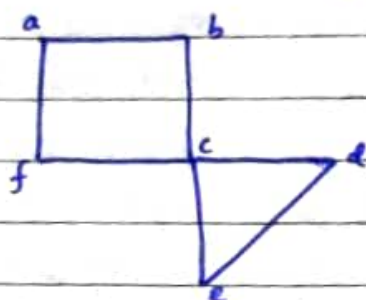


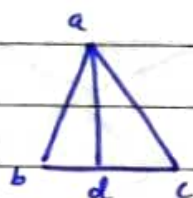
> Euler Circuit: All vertices should have even degrees

Its a ckt where all the edges are visited exactly once



$a \rightarrow b \rightarrow c \rightarrow f \rightarrow a$ ckt

$a \rightarrow b \rightarrow c \rightarrow d \rightarrow c \rightarrow e \rightarrow c \rightarrow f \rightarrow a$ Euler ckt



no Euler ckt for this

> Algo to construct Euler ckt:

procedure Euler (G is connected graph with all vertices of even degree)

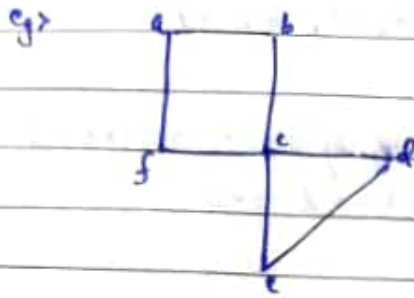
Circuit: A ckt in graph G beginning at an ^{arbitrary} vertex with the edges added to form a path that returns to this

H : G with edges ^{vertices} of the ckt removed. While H has edges begin.

Subckt: A circuit at H beginning at a vertex in H that is also an end pt. of the ckt (path)

H : with all the edges ^{vertices} of the subckt removed + all associated vertices
end

circuit: With subcircuit inserted at appropriate vertex

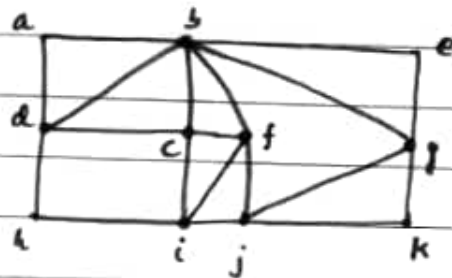


Circuit: $a \rightarrow b \rightarrow c \rightarrow f \rightarrow a$

Subckt: $c \rightarrow d \rightarrow e \rightarrow c$

Subckt inserted at appropriate value : $a \rightarrow b \rightarrow c \rightarrow d \rightarrow e \rightarrow c \rightarrow f \rightarrow a$

★ >

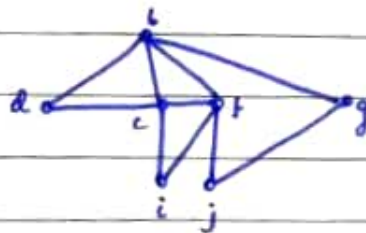


all vertices of even degree
 \therefore Euler ckt exists

Ckt: $a \rightarrow b \rightarrow c \rightarrow g \rightarrow k \rightarrow j \rightarrow i \rightarrow h \rightarrow d \rightarrow a$

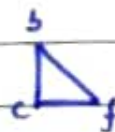
~~Subckt~~ :

H :



Subckt₁ : $b \rightarrow g \rightarrow f \rightarrow i \rightarrow c \rightarrow d \rightarrow b$
 $b \rightarrow g \rightarrow j \rightarrow f \rightarrow i \rightarrow c \rightarrow d \rightarrow b$

H₁ :



Subckt₂ : $b \rightarrow c \rightarrow f \rightarrow b$

H₂ : -NA-

$Sub_2 \text{ in } Sub_1 : b \rightarrow c \rightarrow f \rightarrow b \rightarrow g \rightarrow j \rightarrow f \rightarrow i \rightarrow c \rightarrow d \rightarrow b$

$Sub_1 \text{ in } Sub : a \rightarrow b \rightarrow c \rightarrow f \rightarrow b \rightarrow g \rightarrow j \rightarrow f \rightarrow i \rightarrow c \rightarrow d \rightarrow b \rightarrow e \rightarrow j$
 $\rightarrow k \rightarrow j \rightarrow i \rightarrow h \rightarrow d \rightarrow a$