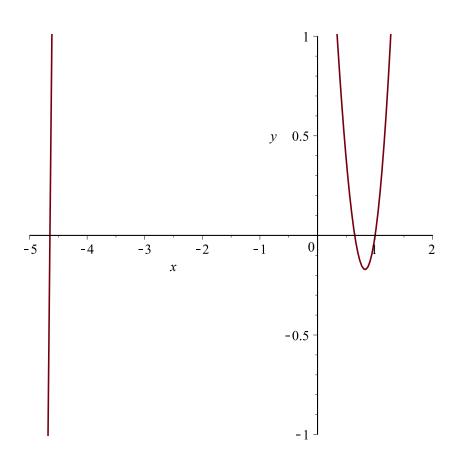
$$\begin{array}{c} 401 \\ > solve(\exp(2x) = 3, x) \\ \hline > fsolve(\exp(2x) = 3, x) \\ \hline > solve(\exp(-x) = 4\exp(x) + 1, x) \\ \ln\left(-\frac{1}{8} - \frac{1}{8}\sqrt{17}\right), \ln\left(-\frac{1}{8} + \frac{1}{8}\sqrt{17}\right) \\ \hline > fsolve(\exp(-x) = 4\exp(x) + 1, x) \\ -0.9406136421 \\ \hline = 402 \\ \hline > solve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 2, x) \\ \hline > fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 2, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) + \operatorname{sqrt}(x) = 12, x) \\ \hline = fsolve(\operatorname{sqrt}(x - 8) +$$

plot(f403(x), x=-5...2, y=-1...1)



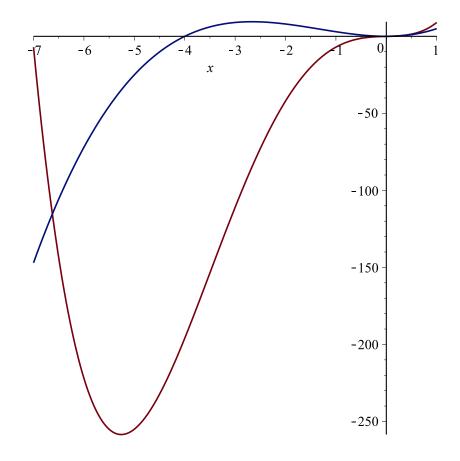
$$= \int fsolve(f403(x) = 0, x, x = -5..0)$$

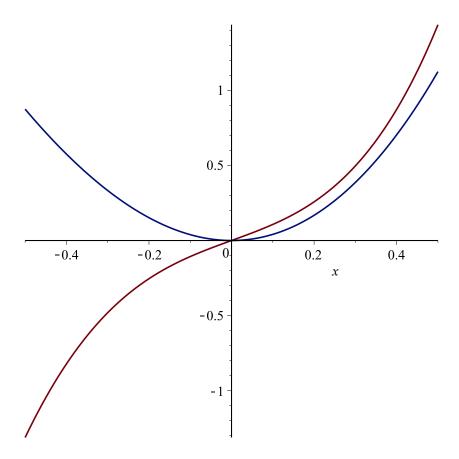
$$= -4.645751311$$
(9)

$$\Rightarrow$$
 fsolve(f403(x) = 0, x, x = 0..0.9)

$$\Rightarrow$$
 fsolve(f403(x) = 0, x, x = 0.9..2)

$$| > plot([x^4 + 7x^3 + x, x^3 + 4x^2], x = -7..1)$$



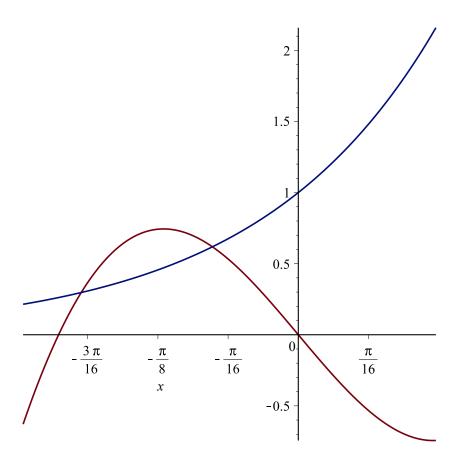


$$\rightarrow$$
 Digits := 3

$$Digits := 3 (12)$$

Two more solutions must be complex 405

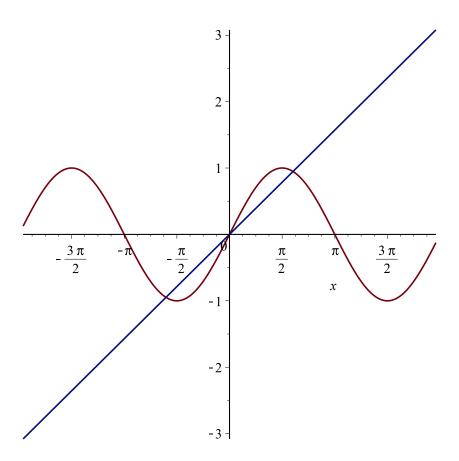
> 
$$plot\left(\left[3x^3 - \sin(3x), \exp(2x)\right], x = -\frac{\text{Pi}}{4} ... \frac{\text{Pi}}{8}\right)$$



$$\int solve\left(3 x^3 - \sin(3 x) = \exp(2 x), x, x = -\frac{Pi}{4} ... - \frac{Pi}{8}\right) -0.607$$
(15)

$$\int solve\left(3 x^{3} - \sin(3 x) = \exp(2 x), x, x = -\frac{Pi}{8} ... - 0\right)$$

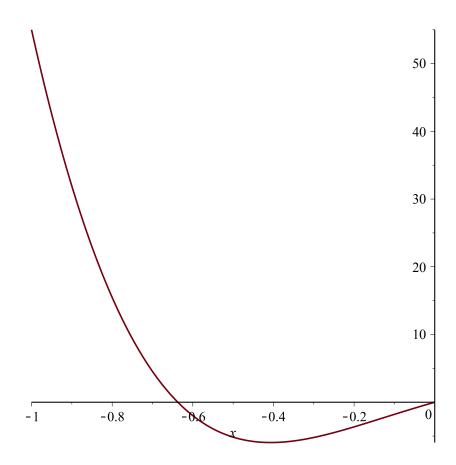
$$-0.240$$
(13)



$$\int solve\left(\sin(x) = \frac{x}{2}, x, x = -\operatorname{Pi} ... - \frac{\operatorname{Pi}}{2}\right)$$

$$-1.90$$
(17)

$$\begin{array}{|c|c|c|c|c|c|}\hline 407 \\ \hline > plot(23 x^5 + 105 x^4 - 10 x^2 + 17 x, x = -1..0) \end{array}$$



> 
$$fsolve(23 x^5 + 105 x^4 - 10 x^2 + 17 x = 0, x, x = -0.5..0)$$
0. (19)

408

> 
$$g1408 := \{f408(0) = 2, f408(1) = 3, f408(2) = 5\}$$
  
 $g1408 := \{1. c = 2, 1.22 \ a + 1.22 \ b + 1.22 \ c = 3, 5.96 \ a + 2.98 \ b + 1.49 \ c = 5\}$  (21)

>  $solve(gl408, \{a, b, c\})$ 

$${a = 0.219, b = 0.240, c = 2.}$$
 (22)

**≥** assign(%)

> f408(x)

$$e^{0.2x} (0.219 x^2 + 0.240 x + 2.)$$
 (23)

> f408(-2)

1.61 (24)

409

>  $solve(\{x + a \cdot y = 2, x - y = 0\}, \{x, y\})$  {x = 1.64, y = 1.64} (25)

410

> solve 
$$\{(x-2)^2 + (y-3)^2 = 16, 3x - 2y = 3\}, \{x, y\}$$
   
  $\{x = RootOf(13 Z^2 - 70 Z + 33), y = \frac{3}{2} RootOf(13 Z^2 - 70 Z + 33) - \frac{3}{2}\}$  (26)

> allvalues(%)

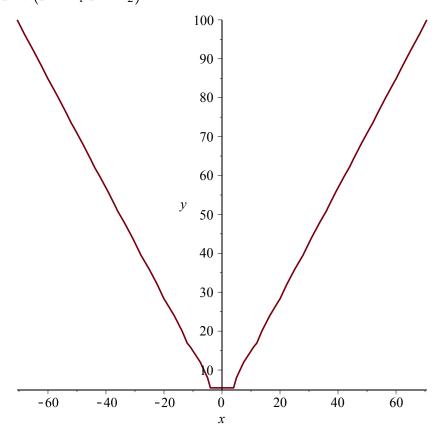
$$\left\{ x = \frac{35}{13} - \frac{2}{13} \sqrt{199}, y = \frac{33}{13} - \frac{3}{13} \sqrt{199} \right\}, \left\{ x = \frac{35}{13} + \frac{2}{13} \sqrt{199}, y = \frac{33}{13} + \frac{3}{13} \sqrt{199} \right\}$$

$$+ \frac{3}{13} \sqrt{199} \right\}$$
(27)

411

> with(plots):  

$$pl411_1 := implicitplot(2 x^2 - y^2 = -1, x = -100..100, y = 0..100)$$
:  
 $pl411_2 := implicitplot(x^4 + y^4 = 2, x = -100..100, y = 0..100)$ :  
 $display(pl411_1, pl411_2)$ 



>, solve  $(\{2x^2 - y^2 = -1, x^4 + y^4 = 2, y > 0\}, \{x, y\})$ 

$$\left\{ x = \frac{1}{5} \sqrt{5}, y = \frac{1}{5} \sqrt{35} \right\}, \left\{ x = -\frac{1}{5} \sqrt{5}, y = \frac{1}{5} \sqrt{35} \right\}$$
 (28)

$$\left\{x = \frac{1}{5}\sqrt{5}, y = \frac{1}{5}\sqrt{35}\right\}, \left\{x = -\frac{1}{5}\sqrt{5}, y = \frac{1}{5}\sqrt{35}\right\}$$

$$\Rightarrow fsolve(\left\{2x^2 - y^2 = -1, x^4 + y^4 = 2\right\}, \left\{x, y\right\})$$

$$\left\{x = 0.447, y = -1.18\right\}$$
(29)