Aufgabe 2)

```
import Text.Show.Functions
data BinTree a b = Blatt b | Node a (BinTree a b) (BinTree a b) deriving Show
example :: BinTree (Int -> Bool) Char
example =
    Node (\x -> x>4)
        (Node (\x -> (x*x==x))
            (Blatt 'g')
            (Node (\x -> x==0)
(Blatt 'u')
                 (Blatt '1')
        (Node (\x -> x >= 7)
            (Blatt 'f')
            (Blatt 'i')
        )
countInnerNodes :: BinTree a b -> Int
countInnerNodes (Blatt b) = 0
countInnerNodes (Node _ c d) = 1 + (countInnerNodes c) + (countInnerNodes d)
decodeInt :: BinTree (Int -> Bool) b -> Int -> b
decodeInt (Blatt b) x = b
decodeInt (Node a c d) x
                             | a x == False = decodeInt c x
                             | a x == True = decodeInt d x
--е)
decode :: BinTree (Int -> Bool) b -> [Int] -> [b]
decode _ [] = []
decode (Node a c d) xs = map (decodeInt (Node a c d)) xs
                      = (decodeInt (Node a c d) x) : (decode (Node a c d) xs)
-- ALTERNATIV:
mapTree :: (b -> c) -> BinTree a b -> BinTree a c
mapTree f (Blatt v) = Blatt (f (v))
mapTree f (Node x y z) = Node x (mapTree f y) (mapTree f z)
```

Aufgabe 4)

- $i) \quad f :: [Int] \to Int \to [Bool] \to [Int]$
- ii) $g::a \to [a] \to [a]$
- iii) $h :: [Int] \to Int \to [Bool] \to [Bool] \to Bool$
- $\text{iv)} \quad \text{i} :: X \text{ Int Int} \rightarrow \text{Int} \rightarrow \text{Int} \rightarrow \text{Bool}$
- $v) \quad j::Bool \rightarrow Bool \rightarrow [Bool]$

Aufgabe 6)

```
data List a = Nil | Cons a ( List a ) deriving Show
list :: List Int
list = Cons ( -3) ( Cons 14 ( Cons ( -6) ( Cons 7 ( Cons 1 Nil ))))
blist :: List Int
blist = Cons 1 ( Cons 1 ( Cons 0 ( Cons 0 Nil )))
--a)
filterList :: (a -> Bool) -> List a -> List a
filterList f Nil = Nil
filterList f (Cons a b) | (f a) == False = filterList f b
                         | (f a) == True = Cons a (filterList f b)
--b)
divisibleBy :: Int -> List Int -> List Int
divisibleBY x Nil = Nil
divisibleBy x (Cons a b) = filterList (a \rightarrow (rem \ a \ x) == 0) (Cons a b)
foldList :: (a -> b -> b) -> b -> List a -> b
foldList f x Nil = x
foldList f x (Cons a b) = (f a) (foldList f x b)
plus :: Int -> Int -> Int
plus x y = x + y
--d)
listMaximum :: List Int -> Int
listMaximum Nil = minBound
listMaximum (Cons a b) = foldList (x y \rightarrow f x > y then x else y) minBound (Cons a b)
--e)
mapList :: (a -> b) -> List a -> List b
mapList f xs = foldList (\y ys -> Cons(f y) ys) Nil xs
--f)
zipLists :: (a -> b -> c) -> List a -> List b -> List c
zipLists f Nil a = Nil
zipLists f a Nil = Nil
zipLists f (Cons a b) (Cons c d) = Cons (f a c) (zipLists f b d)
--g)
skalarprodukt :: List Int -> List Int -> Int
skalarprodukt Nil a = 0
skalarprodukt a Nil = 0
skalarprodukt (Cons a b) (Cons c d) = foldList (x y -> x + y) 0 (zipLists (x y -> x * y)
(Cons a b) (Cons c d))
```

Aufgabe 8)

```
import Data.List
strings :: Int -> [String]
strings 0 = [""]
strings n = concat (map (\x -> map (\tail -> x:tail) tails) ['a'...'z'])
   where tails = strings (n-1)
divisors :: Int -> [Int]
divisors x = filter (y \rightarrow rem x y == 0) [1..div x 2]
palindromes :: [String]
palindromes = palindromesL 1
palindromesL :: Int -> [String]
palindromesL n = (map(\x -> x++(reverse x)) (strings n))++(palindromesL (n+1))
-- b)
perfects :: [Int]
perfects = filter isPerfect [2..]
isPerfect :: Int -> Bool
isPerfect x = x == sum (divisors x)
semiPerfects :: [Int]
semiPerfects = filter isSemiPerfect [2..]
isSemiPerfect :: Int -> Bool
isSemiPerfect x = any (sumEquals x) (subsequences (divisors x))
sumEquals :: Int -> [Int] -> Bool
sumEquals _ [] = False
sumEquals n xs = n == sum xs
-- d)
fibs :: [Int]
fibs = fibInit 0 1
fibInit :: Int -> Int -> [Int]
fibInit f0 f1 = f0 : f1 : next : fibInit (next + f1) (next + next + f1)
    where next = (f0 + f1)
```