



北京邮电大学



EBU7240 A

Joint Programme Examinations 2020/21

EBU7240 Computer Vision

Paper A

Time allowed 2 hours

Answer ALL questions

Use Answer book to answer the questions.

NOT allowed: electronic calculators and electronic dictionaries.

INSTRUCTIONS

1. You **MUST** use the supplied Answer book to answer the questions.
2. You must NOT take **question papers or answer books**, used or unused, from the examination room.
3. Write only with a black or blue pen **and in English**.
4. Do all rough work in the answer book – **do not tear out any pages**.
5. If you use Supplementary Answer Books, tie them to the end of this book.
6. Write clearly and legibly.
7. **Read the instructions on the inside cover.**

Examiners

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Filename: 2021_EBU7240_A

Instructions

Before the start of the examination

- 1) Place your BUPT and QM student cards on the corner of your desk so that your picture is visible.
- 2) Put all bags, coats and other belongings at the back/front of the room. All small items in your pockets, including wallets, mobile phones and other electronic devices must be **placed in your bag in advance. Possession of mobile phones, electronic devices and unauthorised materials is an offence.**
- 3) Please ensure your mobile phone is switched off and that no alarm will sound during the exam. **A mobile phone causing a disruption is also an assessment offence.**
- 4) Do not turn over your question paper or begin writing until told to do.

During the examination

- 1) You must not communicate with or copy from another student.
- 2) If you require any assistance or wish to leave the examination room for any reason, please raise your hand to attract the attention of the invigilator.
- 3) If you finish the examination early you may leave, but not in the first 30 minutes or the last 10 minutes.
- 4) For 2 hour examinations you may **not** leave temporarily.
- 5) For examinations longer than 2 hours you **may** leave temporarily but not in the first 2 hours or the last 30 minutes.

At the end of the examination

- 1) You must stop writing immediately – **if you continue writing after being told to stop, that is an assessment offence.**
- 2) Remain in your seat until you are told you may leave.

Question 1

a) This question is about **camera model**.

[7 marks]

- i) Given the optical centre, O , at the origin, and the focal length f , and the image plane parallel to xy -plane, **1)** draw the pinhole projection model, including the 3D point $P = (x_1, y_1, z_1)$ and its projected 2D image point $P' = (x'_1, y'_1)$. Also, **2)** represent the coordinate $P' = (x'_1, y'_1)$ in terms of x_1 , y_1 , and z_1 .

(5 marks)

- ii) Describe how depth of field is affected if aperture size becomes smaller.

(2 marks)

b) This question is about **image filtering**.

[8 marks]

- i) Given a 3×3 image, compute the output value of a centre pixel in grey by applying two different filters: **1)** Uniform mean filtering with the 3×3 filter kernel, **2)** Median filtering with the 3×3 filter kernel. (Show your calculations)

(2 marks)

0	2	0
6	200	3
6	6	2

- ii) Explain why the average mean filter is good at removing zero-mean additive white gaussian noise (AWGN) N that has the following probability density function of a Gaussian random variable z .

$$P(z = N) = \frac{1}{\sqrt{2\pi}\sigma} \exp\left(-\frac{z^2}{2\sigma^2}\right)$$

(2 marks)

- iii) Explain the bilateral filtering including **1)** its mathematical definition and **2)** the advantages over Gaussian filtering in image denoising.

(4 marks)

c) This question is about **feature detection and matching**.

[10 marks]

- i) By using Harris corner detector with 3×3 window of equal weighting, the empirical constant $k = 0.05$, and differentiation kernel below (d/dx and d/dy), **1)** find the Harris matrix, and **2)** the corner response for the centre of the following image I_1 , and **3)** determine whether the point is flat, edge, or corner.

(3 marks)

$$d/dx = \begin{bmatrix} 0 \\ -1 \\ 1 \end{bmatrix}, \quad d/dy = \begin{bmatrix} 0 & -1 & 1 \end{bmatrix}, \quad I_1 = \begin{bmatrix} 5 & 5 & 5 & 5 & 5 \\ 5 & 5 & 5 & 5 & 5 \\ 0 & 0 & 1 & 6 & 6 \\ 6 & 6 & 6 & 6 & 6 \\ 6 & 6 & 6 & 6 & 6 \end{bmatrix}$$

- ii) Describe how *key point descriptor construction* works in Scale Invariant Feature Transform.

(4 marks)

- iii) We have two sets of features $\{f_i | i = 1, \dots, N\}$, from a reference image I_1 , and $\{g_j | j = 1, \dots, M\}$, from a target image I_2 . Given a reference feature, f_1 , describe how nearest neighbour matching works on f_1 .

(3 marks)

Question 2

a) This question is about **fitting**.

[8 marks]

- i) The figure below shows the pseudo code for estimating an affine transformation with RANSAC. Fill out the blanks in the code.

(5 marks)

```

Input: A set of  $N$  matched points  $MP = \{(p_0, p'_0), (p_1, p'_1) \dots, (p_{N-1}, p'_{N-1})\}$ 
Output: Affine transform  $T_F$ 

 $S$ : the number of trials
count_mat:  $S \times 1$  vector
 $IN$ : a set of inliers

Initialize count_mat to 0
for  $i = 0 \sim S-1$ 
    Randomly select  $k$  matched points from  $MP$  (Usually,  $k=3, 4$ )
    Estimate an affine transformation  $T_i$  with (1)
    for  $j = 0 \sim N-1$ 
        if (2)
            count_mat[i]++

Choose the best affine transformation  $T \leftarrow T_K$  where (3)

 $IN = NULL$ 
for  $j = 0 \sim N-1$ 
    if (4)
         $IN \leftarrow IN \cup \{(p_j, p'_j)\}$ 

Re-estimate an affine transformation  $T_F$  with  $IN$ 

```

- ii) Explain the *Hough transform algorithm* with illustrations.

(3 marks)

b) This question is about **grouping**.

[8 marks]

i) The figure below shows the pseudo code for *K-means algorithm*. Fill out the blanks.

(3 marks)

- | | |
|----|---|
| 1. | Randomly initialize the cluster centers, c_1, \dots, c_K |
| 2. | Given cluster centers, determine points in each cluster <ul style="list-style-type: none"> For each point p, find the closest c_i. Put (1) |
| 3. | Given points in each cluster, solve for c_i <ul style="list-style-type: none"> Set c_i to be the (2) |
| 4. | If c_i have changed, repeat (3) |

ii) State three advantages and two drawbacks of *Mean-shift algorithm*.

(5 marks)

c) This question is about **calibration**.

[3 marks]

State **1)** the definition of camera calibration with **2)** the illustration of image, camera, and world coordinates.

(3 marks)

d) This question is about **stereo matching**.

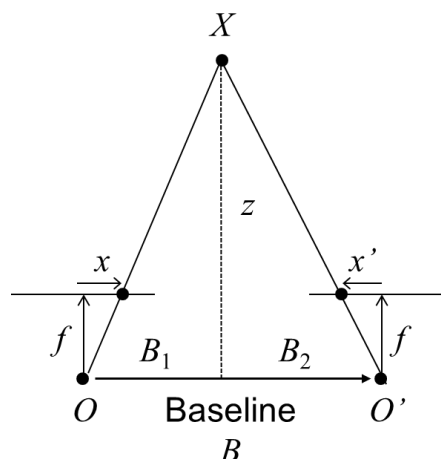
[6 marks]

i) Explain the uniqueness constraint used for improving local stereo matching performance. Provide your description with an illustration.

(3 marks)

ii) In the figure below, derive the relationship between disparity, $x - x'$ and depth z .

(3 marks)



a) This question is about **Tracking**.

[4 marks]

Kanade-Lukas-Tomasi (KLT) Tracker solves the objective function below:

$$\min_p \sum_x [I(\mathbf{W}(\mathbf{x}; \mathbf{p})) - T(\mathbf{x})]^2$$

where \mathbf{p} is warp parameters, I is image intensity, \mathbf{W} is a warping function, T is template image intensity, and \mathbf{x} is pixel coordinate. The figure below shows the procedure of KLT Tracker. Fill out the blanks with the proper notations.

(4 marks)

1. Warp image [$I(\mathbf{W}(\mathbf{x}; \mathbf{p}))$]
2. Compute error image [$I(\mathbf{W}(\mathbf{x}; \mathbf{p})) - T(\mathbf{x})$]
3. Compute gradient [$I(\mathbf{x}')$ (\mathbf{x}' : coordinates of the warped image)]
4. Evaluate Jacobian []
5. Compute Hessian []
6. Compute $\Delta \mathbf{p} = []$
7. Update parameters []

b) This question is about **Recognition**.

[13 marks]

i) Describe *semantic segmentation*, *instance segmentation* and their difference.

(4 marks)

ii) Describe the training and testing phases in *statistical learning framework* with illustration.

(5 marks)

iii) State the **1)** two advantages and **2)** two drawbacks of *nearest neighbour classifier*.

(4 marks)

c) This question is about **detection**.

[8 marks]

i) In Viola/Jones face detector, integral images are used for fast feature evaluation during testing. Find **1)** the integral image of the figure below and compute **2)** the sum of pixels in the grey region based on the integral image. (Show your calculations)

(4 marks)

5	4	3	8	3
3	1	1	2	6
1	6	0	5	7
1	3	6	5	9
1	2	2	1	3

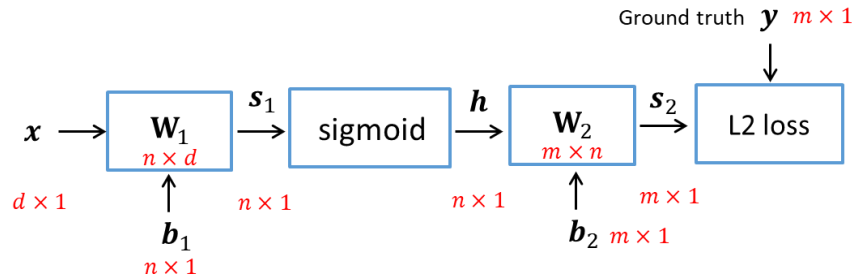
ii) Viola/Jones face detector employs boosting for feature selection. Describe the process, with illustration, of *boosting round 1*.

(4 marks)

a) This question is about **Backpropagation in Deep Learning**.

[10 marks]

The figure below is 2-layer neural network with batch size 1:



where $s_1 = W_1 x + b_1$, $s_2 = W_2 h + b_2$, and the loss function $L = (s_2 - y)^2$.

And the sigmoid function is defined as below:

$$h = \sigma(s_1) = \frac{1}{1 + e^{-s_1}}$$

i) Derive the following derivative, $\frac{\partial L}{\partial s_2}$.

(2 marks)

ii) Derive the following derivatives as a function of $\frac{\partial L}{\partial s_2}$:

$$1) \frac{\partial L}{\partial b_2}, \quad 2) \frac{\partial L}{\partial h}$$

(4 marks)

iii) In the above 2-layers neural net, the batch size is 1. Re-draw this figure when the batch size is 16. State the dimension of all variables clearly.

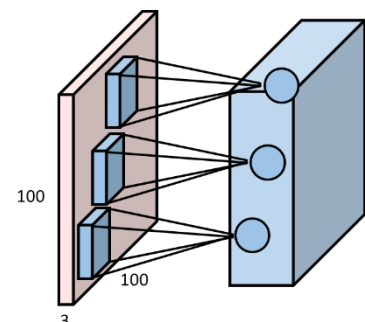
(4 marks)

b) This question is about **Feedforward process in deep learning**.

[7 marks]

The feed-forward process of the convolution is performed as below. Assume that matrix and vector multiplication is used for an efficient implementation on GPU. Note that the figure is drawn with $BS = 1$.

Input: $[100 \times 100 \times 3]$
Conv filter: 32 filters of $[3 \times 3 \times 3]$
Stride: 1
Padding: 1
Batch size: BS



- i) Compute the size of output activation map when $BS = 1$. Use the formula for computing the size of activation map.

(2 marks)

- ii) Explain the feed-forward process of the convolutional layer in a form of $O = WX + B$. Assume that the batch size $BS = 1$. Hint) Explain this by considering O as 32×10000 matrix. O should be reshaped into the output activation map.

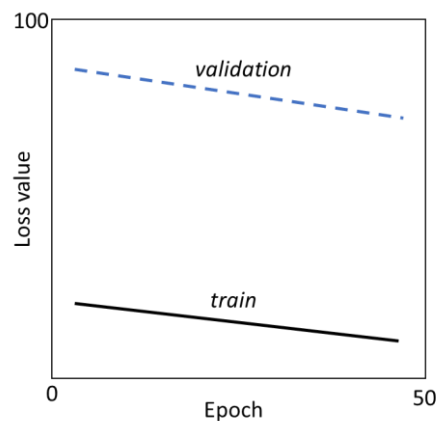
(5 marks)

- c) This question is about **Training a neural network**.

[8 marks]

- i) Based on the loss curve in the figure below, state the problem and suggest the solution.

(4 marks)



- ii) State two advantages and two drawbacks of neural networks.

(4 marks)

END OF PAPER