

Distributions-Class.R

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# General Discrete distribution
# 40. Exercise - Repairs
exprepairs <- 0*.55 + 1*.25 + 2*.14 + 3*.04 + 4*.02
exprepairs

## [1] 0.73

40*exprepairs

## [1] 29.2

# Binomial distribution
# Ex. 4.3.2. Extra
# The probability that an egg in a two-dozen carton is cracked is 0.025.
# Let  $X$  = # cracked eggs in a carton. Find:
# (Binomial distribution:  $n = 24$ ,  $p = .025$ )
# Part 1:  $p(X < 3)$ 
pbinom(2, 24, .025)

## [1] 0.978636

# Part 2:  $P(2 \leq X < 6)$ 
pbinom(5, 24, .025) - pbinom(1, 24, .025)

## [1] 0.1201721

# Normal distribution
# Ex. 5.4.22.; plus - Glucose  $N(96, 8.5)$ 
# 5.4.22
qnorm(.05, 96, 8.5)

## [1] 82.01874

qnorm(.95, 96, 8.5)

## [1] 109.9813

# Extra 1: Find  $P(95 < X < 100)$ 
pnorm(100,96,8.5)-pnorm(95,96,8.5)

## [1] 0.2278589

# Extra 2: The glucose levels of 40 randomly sampled people are tested.
# Based on the definition of "normal glucose level", find the probability
that all 40 will have normal levels.
dbinom(40,40,.90)

## [1] 0.01478088
```

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# Probability and Sampling distributions
# Ex. R2-1. - Triathlon
# Parts a-c
# Leo = 4948 seconds; Men ~ N(4313, 583)
# Mary = 5513 seconds; Women ~ N(5261, 807)
leoZ <- (4948-4313)/583
maryZ <- (5513-5261)/807
leoZ

## [1] 1.089194

maryZ

## [1] 0.3122677

# Part d
1-pnorm(4948,4313,583)

## [1] 0.1380342

(4948-4313)/583

## [1] 1.089194

1 - pnorm(1.089194)

## [1] 0.1380342

# Part e
1-pnorm(5513,5261,807)

## [1] 0.3774186

# Part g
qnorm(.05,4313,583)

## [1] 3354.05

# Part h
qnorm(.9,5261,807)

## [1] 6295.212

# Part i
1-pnorm(5513,5261,807/(sqrt(50)))

## [1] 0.01361984

# Ex. R2-2. - Sales incentives
# X = daily sales/person ~ N($3000, $400)
# Part a
1-pnorm(3500, 3000, 400)

## [1] 0.1056498

# Part b
1-pnorm(3500, 3000, (400/sqrt(8)))

## [1] 0.000203476

```