

In the first stage of the mass spectrometer, with  $\mathbf{E} = E_0\hat{z}$  (pointing upward) and  $\mathbf{B} = B_0\hat{x}$  (pointing out of the page), which particles travel through in a straight line?

- A. All particles regardless of speed
- B. Particles with speed  $B_0/E_0$
- C. Particles with speed  $E_0/B_0$
- D. Can't tell without knowing  $q$  and/or  $m$

*You may assume all particles move exclusively in the +y direction.*

Can we use the same mass spectrometer set up for negatively and positively charged particles? That is, will our set up distinguish between particles of a given mass and differently-signed charges?

- A. Yes
- B. No

If we place a physical filter (i.e., a piece of metal with a thin slot that is a bit larger than the beam width to avoid diffraction) at the end of the first stage, which particles (assume they are all positively charged) hit the upper-part of the filter? Which hit the lower part?

- A. Fast moving particles hit the upper part; slow ones hit the lower part
- B. Slow moving particles hit the upper part; fast ones hit the lower part
- C. It's not possible to tell without  $q$  and/or  $m$

For our velocity selector where  $\mathbf{E} = E_0\hat{z}$  and  $\mathbf{B} = B_0\hat{x}$  and we start particles from rest, we end up with the following **coupled** equations of motion,

$$\begin{aligned} m\dot{v}_y &= qv_zB_0 \\ m\dot{v}_z &= qE_0 - qv_yB_0 \end{aligned}$$

How might we solve them for  $y(t)$  and  $z(t)$ ?

- A. Just integrate the equations of motion
- B. Guess the general solution
- C. Take the time derivative of one and plug into the other
- D. Give up???