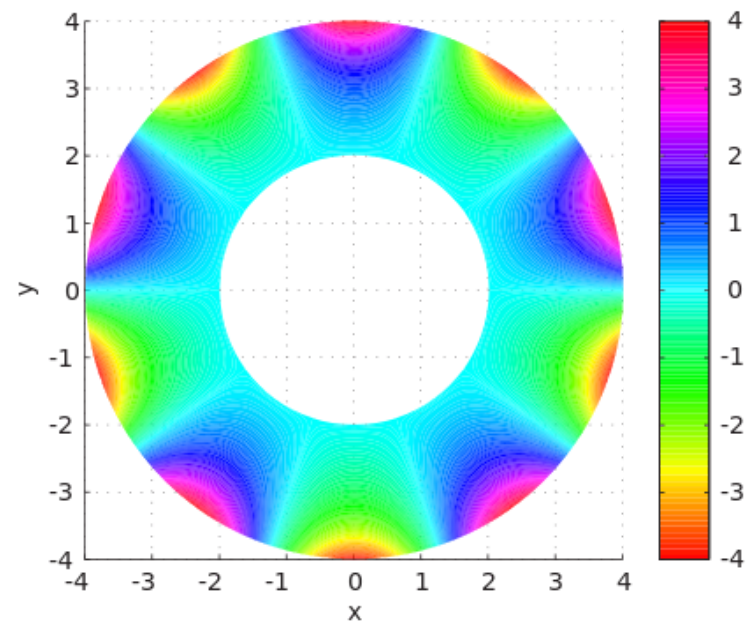
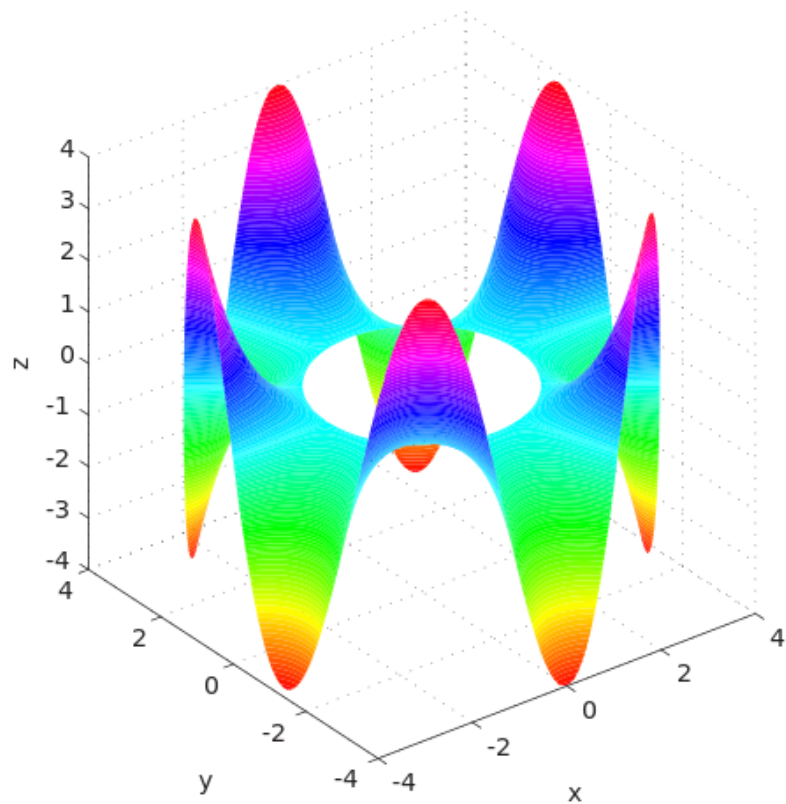


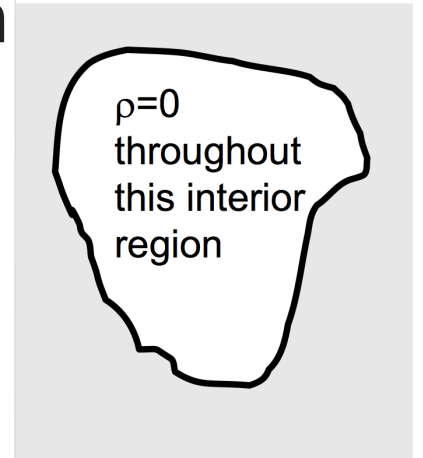
A parallel plate capacitor is attached to a battery which maintains a constant voltage difference V between the capacitor plates. While the battery is attached, the plates are pulled apart. The electrostatic energy stored in the capacitor

- A. increases.
- B. decreases.
- C. stays constant.

LAPLACE'S EQUATION

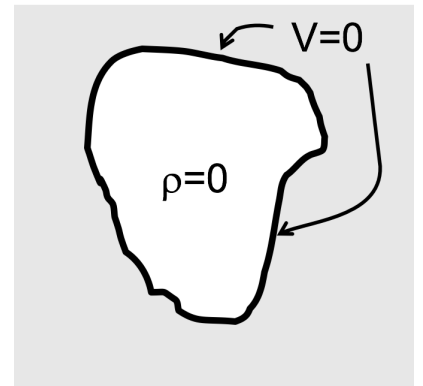


A region of space contains no charges. What can I say about V in the interior?



- A. Not much, there are lots of possibilities for $V(r)$ in there
- B. $V(r) = 0$ everywhere in the interior.
- C. $V(r) = \text{constant}$ everywhere in the interior

A region of space contains no charges. The boundary has $V=0$ everywhere. What can I say about V in the interior?



- A. Not much, there are lots of possibilities for $V(r)$ in there
- B. $V(r) = 0$ everywhere in the interior.
- C. $V(r) = \text{constant}$ everywhere in the interior

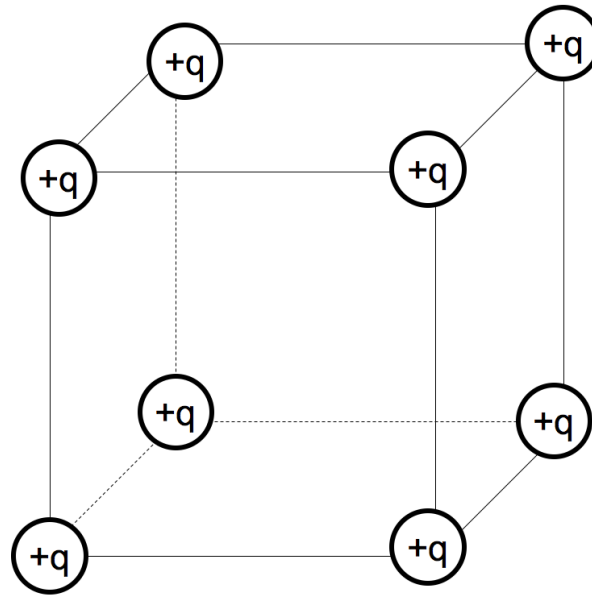
For the 1D Laplace problem ($\nabla^2 V = \partial^2 V / \partial x^2 = 0$), we can choose the following ansatz:

A. $k_0 x$

B. $k_0 x + k_1$

C. $k_0 x^2 + k_1 x + k_2$

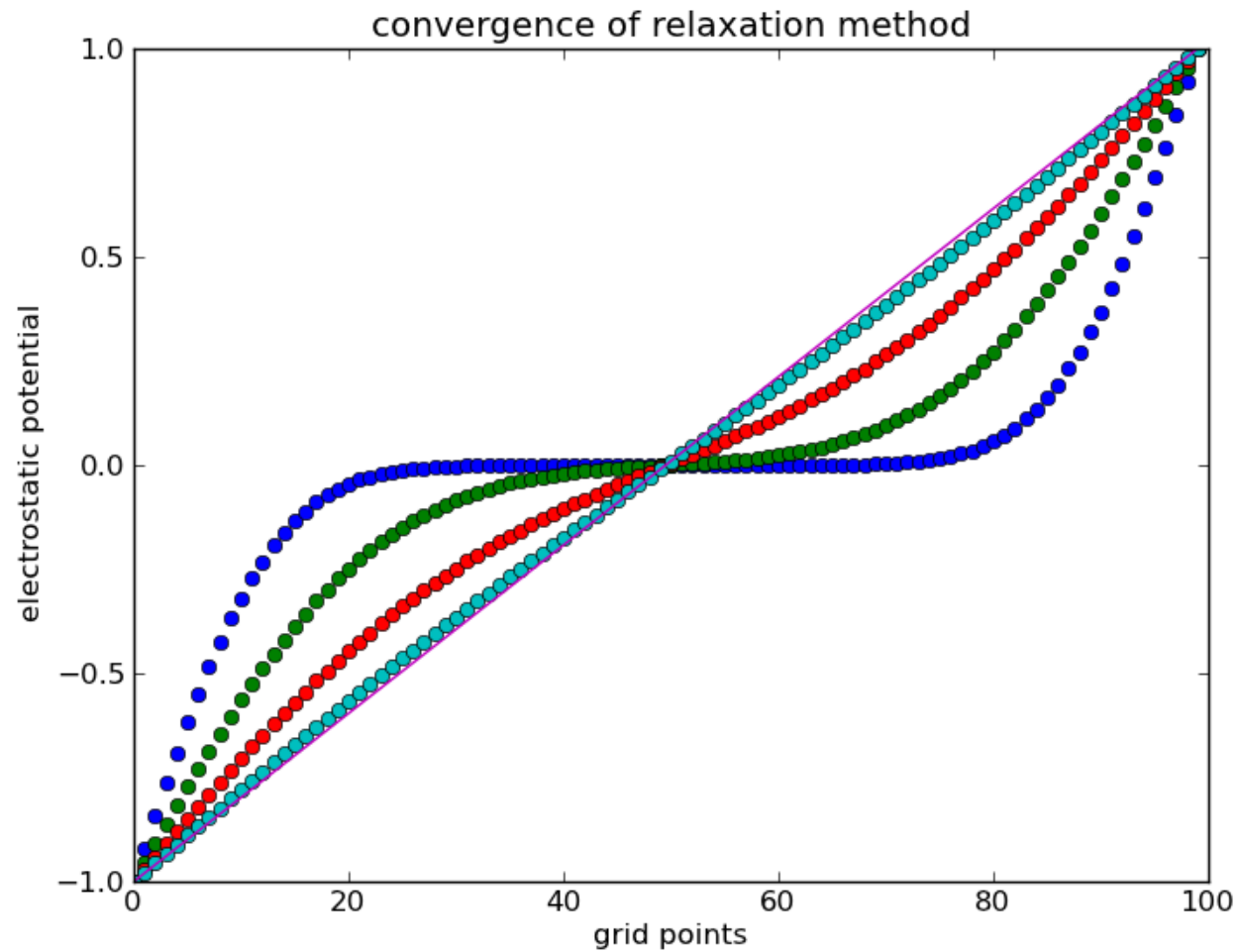
D. Can't tell



If you put a positive test charge at the center of this cube of charges, could it be in stable equilibrium?

- A. Yes
- B. No
- C. ???

METHOD OF RELAXATION



Consider a function $f(x)$ that is both continuous and continuously differentiable over some domain. Given a step size of a , which could be an approximate derivative of this function somewhere in that domain? $df/dx \approx$

A. $f(x_i + a) - f(x_i)$

B. $f(x_i) - f(x_i - a)$

C. $\frac{f(x_i + a) - f(x_i)}{a}$

D. $\frac{f(x_i) - f(x_i - a)}{a}$

E. More than one of these

If we choose to use:

$$\frac{df}{dx} \approx \frac{f(x_i + a) - f(x_i)}{a}$$

Where are we computing the approximate derivative?

- A. a
- B. x_i
- C. $x_i + a$
- D. Somewhere else

Taking the second derivative of $f(x)$ discretely is as simple as applying the discrete definition of the derivative,

$$f''(x_i) \approx \frac{f'(x_i + a/2) - f'(x_i - a/2)}{a}$$

Derive the second derivative in terms of f .