Suppose you have a circuit driven by a voltage:

$$V(t) = V_0 \cos(\omega t)$$

You observe the resulting current is:

$$I(t) = I_0 \cos(\omega t - \pi/4)$$

Would you say the current is

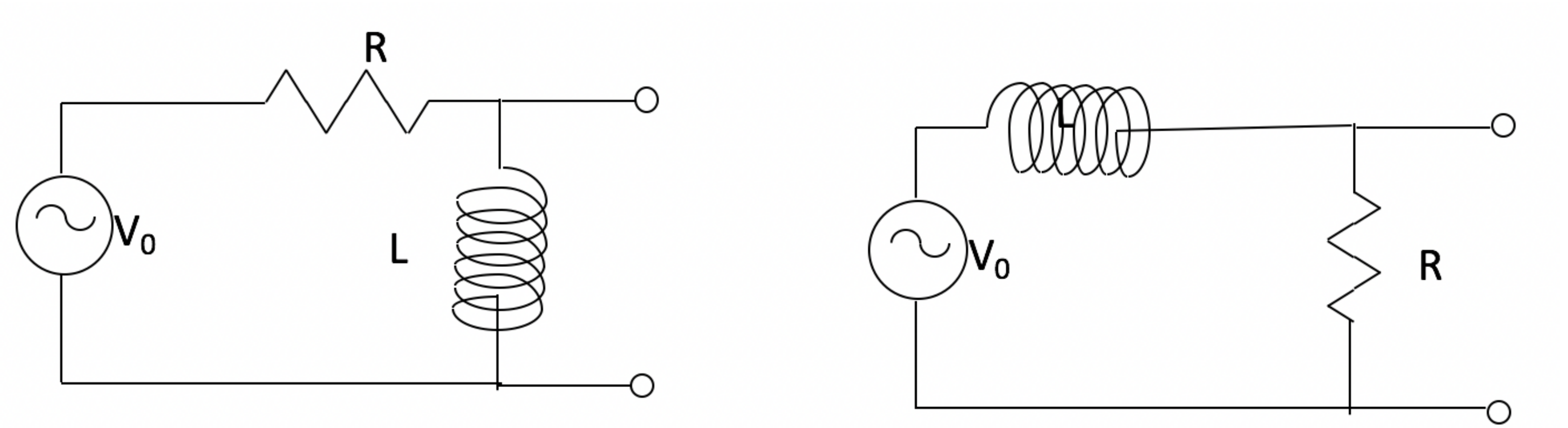
A. leading
B. lagging

the voltage by 45 degrees?

ANNOUNCEMENTS

- Quiz 3 (Friday 2/14) - RLC circuits
  - Solve a circuit problem using the phasor method
  - Discuss limits on the response and how it might act as a filter

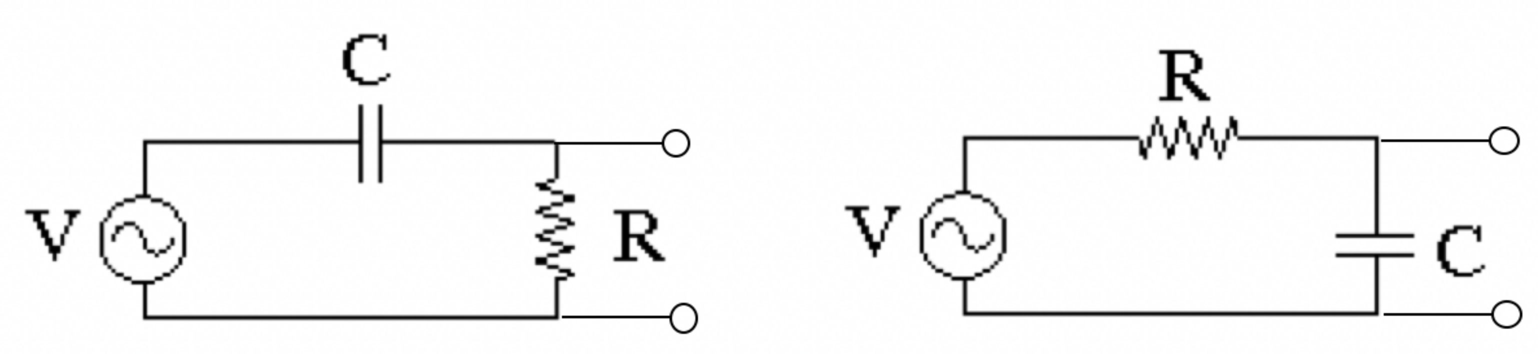
Two LR circuits driven by an AC power supply are shown below.



Which circuit is a low pass filter?

A. The left circuit
B. The right circuit
C. Both circuits
D. Neither circuit

Two RC circuits driven by an AC power supply are shown below.



Which circuit is a high pass filter?

A. The left circuit
B. The right circuit
C. Both circuits
D. Neither circuit

Ampere's Law relates the line integral of B around some closed path, to a current flowing through a surface bounded by the chosen closed path.

$$\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I$$

By calling it a "Law", we expect that:

A. It is neither correct nor useful.
B. It is sometimes correct and sometimes easy to use.
C. It is correct and sometimes easy to use.
D. It is correct and always easy to use.
E. None of the above.

Take the divergence of the curl of any (well-behaved) vector function $\mathbf{F}$, what do you get?

$$\nabla \cdot (\nabla \times \mathbf{F}) = ???$$

A. Always 0
B. A complicated partial differential of $\mathbf{F}$
C. The Laplacian: $\nabla^2 \mathbf{F}$
D. Wait, this vector operation is ill-defined!

Take the divergence of both sides of Faraday's law:

$$\nabla \times \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t}$$

What do you get?

A. 0 = 0 (is this interesting?)
B. A complicated partial differential equation (perhaps a wave equation of some sort ?!) for $\mathbf{B}$
C. Gauss' law!
D. ???

Take the divergence of both sides of Ampere's law:

$$\nabla \times \mathbf{B} = \mu_0 \mathbf{J}$$

According to this, the divergence of $\mathbf{J}$ is:

A. $-\partial\rho/\partial t$

B. A complicated partial differential of $\mathbf{B}$

C. Always 0

D. ???

Ampere's Law relates the line integral of $\mathbf{B}$ around some closed path, to a current flowing through a surface bounded by the chosen closed path.

$$\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I$$

The **path** can be:

A. Any closed path
B. Only circular paths
C. Only sufficiently symmetrical paths
D. Paths that are parallel to the B-field direction.
E. None of the above.

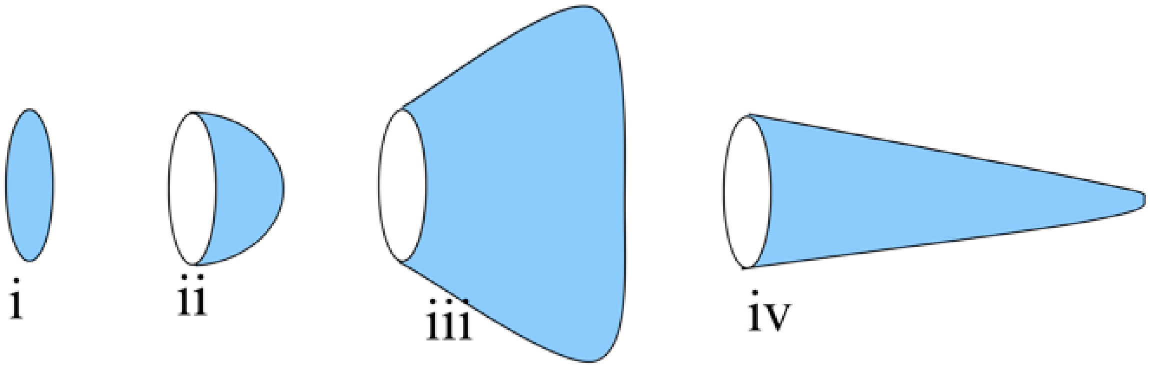
Ampere's Law relates the line integral of $\mathbf{B}$ around some closed path, to a current flowing through a surface bounded by the chosen closed path.

$$\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I$$

The **surface** can be:

A. Any closed bounded surface
B. Any open bounded surface
C. Only surfaces perpendicular to $\mathbf{J}$.
D. Only surfaces tangential to the B-field direction.
E. None of the above.

Rank order $\int \mathbf{J} \cdot d\mathbf{A}$ (over blue surfaces) where $\mathbf{J}$ is uniform, going left to right:



A. iii > iv > ii > i

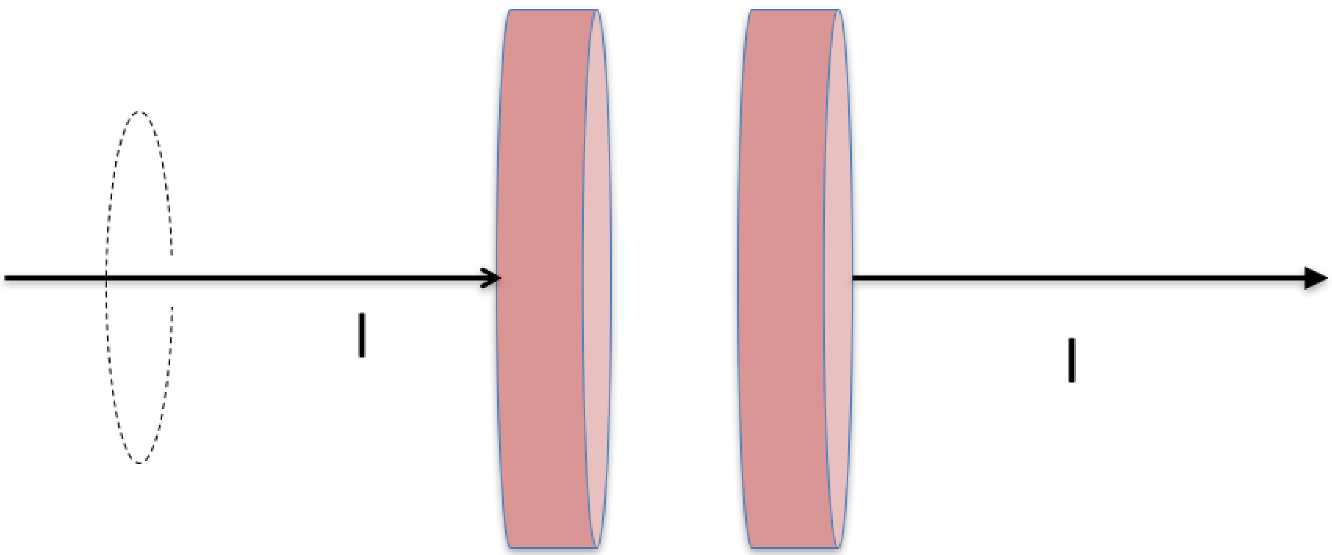
B. iii > i > ii > iv

C. i > ii > iii > iv

D. Something else!!

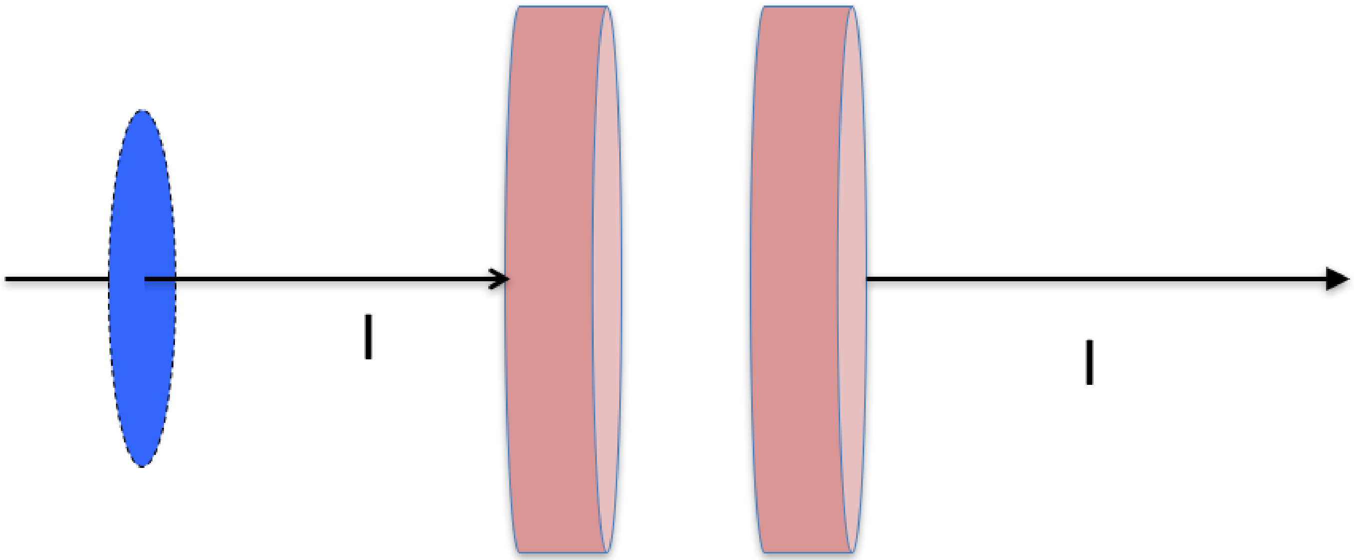
E. Not enough info given!!

We are interested in $\mathbf{B}$ on the dashed "Amperian loop", and plan to use $\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I_t$ to figure it out. What is I_t here?



A. I
B. $I/2$
C. 0
D. Something else

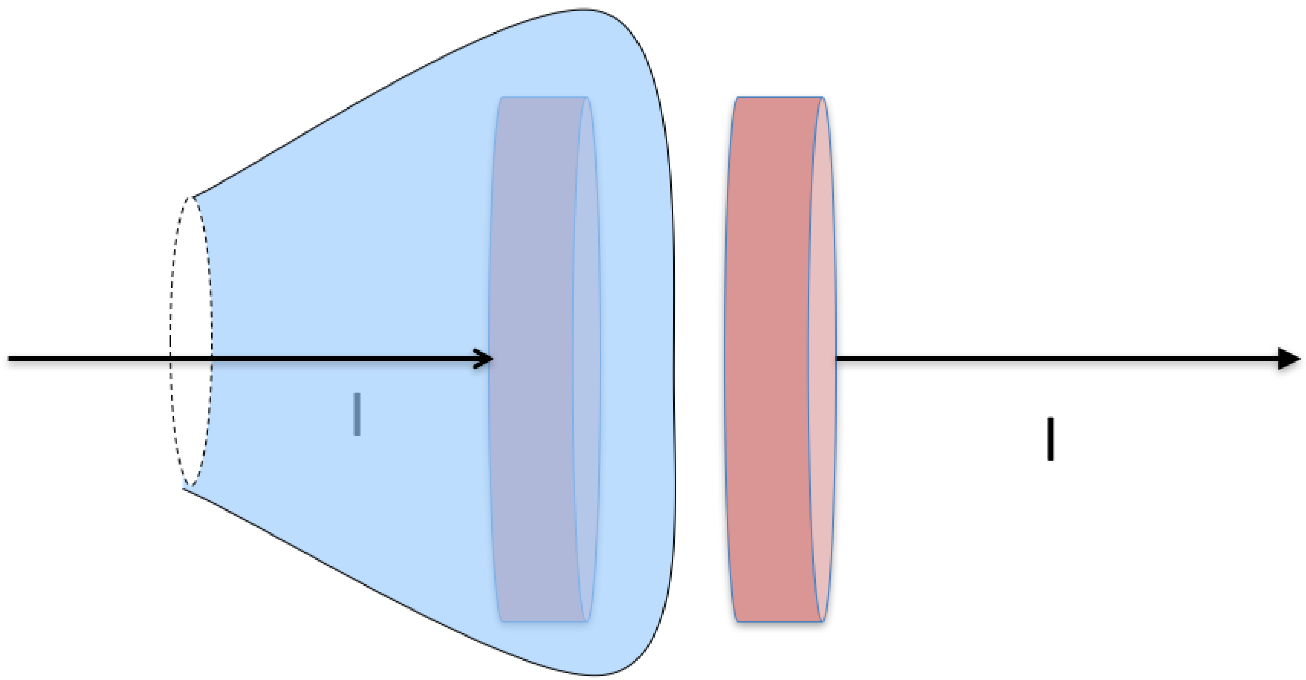
We are interested in $\mathbf{B}$ on the dashed "Amperian loop", and plan to use $\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I_t$ to figure it out. What is I_t here? *The surface over which we integrate* $\boldsymbol{J} \cdot d\boldsymbol{A}$ *is shown in blue.*



A. I
B. $I/2$
C. 0
D. Something else

We are interested in $\mathbf{B}$ on the dashed "Amperian loop", and plan to use $\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I_t$ to figure it out. What is I_t here?

The surface over which we integrate $\mathbf{J} \cdot d\mathbf{A}$ is shown in blue.



A. I

B. $I/2$

C. 0

D. Something else

The complete differential form of Ampere's Law is now argued to be:

$$\nabla \times \mathbf{B} = \mu_0 \mathbf{J} + \mu_0 \epsilon_0 \frac{\partial \mathbf{E}}{\partial t}$$

The integral form of this equation is:

A. $\iint \mathbf{B} \cdot d\mathbf{A} = \mu_0 I + \mu_0 \epsilon_0 \frac{d}{dt} \oint \mathbf{E} \cdot d\mathbf{l}$

B. $\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I + \mu_0 \epsilon_0 \frac{d}{dt} \oint \mathbf{E} \cdot d\mathbf{l}$

C. $\iint \mathbf{B} \cdot d\mathbf{A} = \mu_0 I + \mu_0 \epsilon_0 \frac{d}{dt} \iint \mathbf{E} \cdot d\mathbf{A}$

D. $\oint \mathbf{B} \cdot d\mathbf{l} = \mu_0 I + \mu_0 \epsilon_0 \frac{d}{dt} \iint \mathbf{E} \cdot d\mathbf{A}$

E. Something else/???