It's often the case that the force responsible for this motion is the Loventz force,

J= Florentz = E+VXB

And typically v'&B' are small enough where only E' really affects the charges * (more later)

So, プーローロ(E+ガxB)でのE

this is Ohm's Law, which is really a model that many materials seem to be able to be usteled by.

Note: F=ma does not imply an increasing current even though Jav (numember this?)

If they were no damping (collision, thermal lossies), it would. But elections in real naturals are The a gas, they have large random V's depending on temperature. So applying a (small) force causes a drift, but the collisions tend to still randomize the motion (called thermalitation).

-) think of the drag time of terminal velocity

> Thermal is by , but Voriff is small

So the current depends on that drift velocity

J= ng Veriff J called the Dude model

(hoventz averaging)

memumber?

met effect is
a cornent to the right. E

Comment: or depends on the martinal

Materials ul large conductivity are good conductors. (you only need a small force to get a large flow)

- Copper is used in most household using $\int_{\text{cu}} = 6.10^{7} \frac{\text{C/s.m}^{2}}{\text{N/c}} = \frac{\text{C}^{2}\text{S}}{\text{Kgm}^{3}} = \frac{1}{\text{Ohm m}} = \frac{1}{\text{Rm}}$

- This is a huge conductivity. By contrast, Wood (an insulator) has Twood = 10 to 10 rm

- A resistor in a circuit would be more like 10+3 or 10+ Ilm ('mid range")

Comment: I thought E=0 in metals!

For static situations, yes that's time, J= OE so if J=0 then E=0.

for a metal T is very large (0->00), so that E= T/ >0 even if there's finite coment.

That is, very small \(\vec{E}\) fields are needed to drive cornerts in neetals. and in our approximation that \(\sigma \rightarrow \in \vec{E} \rightarrow 0 \) still in this case.

tinal Comment. As there are Collisions and thermal losses when driving arment. The power dissipated in the system must he P = DV I = work change second

Phy 482 Ohnis Law (4) Example: Uniform Conducting Wine Here's a bit of wine, We can use Churs anea (Law, A) I) Law, J= 0 E high EDV > low to find 184's Ohm's. the current density is uniter in: J= T/A * here the electric field is also muitorm: E= = (* we will come back to this) = - AV = - T We can call $\frac{L}{\sigma A} = R$ the resistance of the material

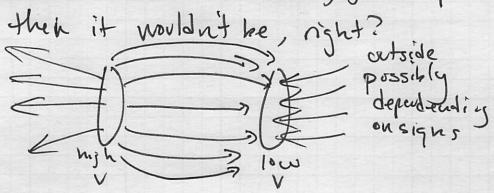
R depends on the geometry and the resistivity of the Material. In this case,

R= TA = PA where p= 1/0 (nemember) [R] = Ohms = [R] So DV = RI (like 184)

Real wines have small E-fields in them and thus small DVs. They are measurable, too! But, big DV's occur across resistance elements; hence, we often focus on them!



In the previous example, why was Euniform? If there was no materal, just two plates,



The cylindrical conductor charges things the current can't leave the conductor for free space, hence I is confined to the conductor, thus $\vec{E} = \vec{J}/\sigma$ is as well. * (this Tout the full stony either! It's the E responsible for F that doesn't leave, but the changes generating that E produce external fields!) " will comeback to this!

E must be parallel to the edges! Ein=0 this is in steady state; when the "switch" is closed changes quickly accomulate to make this E.)

This E.)

This is in steady state; when the "switch" is closed changes quickly accomulate to make this E.)

This E.)

This is in steady state.

Another explanation,

The field!

V=V(1-X) solves this w/ dV/1 = 0

 $V = V_0(1-\frac{x}{L})$ solves this w/dV/dn = 0Uniqueness granutees that $\vec{E} = -\nabla V = \frac{+V_0}{L}\hat{x}$

Phy 482 Ohnis Law (6) Groing hack to consenation of current,

of + ToJ=0 is a local statement

that is, it holds in the bulk constacting

and outside but might have different

på d F6 depending on whene you one.

In the bulk, in steady state, doldt =0 the distribution of charge is (roughly) uncharged even though charges are moving!

So, $\nabla \circ \vec{J} = 0$ again locally (at every pt.)

Berause $\overrightarrow{J} = \overrightarrow{\sigma} \overrightarrow{E}$ in the bulk, $\overrightarrow{\nabla} \cdot \overrightarrow{E} = \overrightarrow{O}$ (thus, $\overrightarrow{\nabla}^2 V = \overrightarrow{O}$ haplace's equ can change the following shaped resistors will have

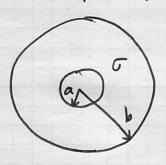
V·E=0 and E·n=0 at the edges.

Charge built up on the surface to shape the field.



Example: Two Concentric Spheres

Two sphenes (radii a + b, b>a) are constructed So the larger one contains the smallerone. There is a material of conductivity, or, between them. A potential of V is maintained between them with the smaller splene at higher potential. What's I?



Assume they are metal Spheres so that any charges are on the surfaces.

Can also assure & distributed over the sphere inside the larger one as long as we solve for Q interms of

Solve for Q inter
Known variables.

$$E = \frac{Q}{4\pi\epsilon_0} \frac{1}{r^2} \hat{r}$$
 So that,

the total current (in terms of Q) is,

$$I = \int \vec{J} \cdot d\vec{a} = \sigma \int \vec{E} \cdot d\vec{a} = \sigma \cdot \vec{G} = Gauss$$
Law

We need to relate this to V So we compute the potential ketnear the spheres.

Phy 402 | Ohm's Law (8)
$$V = -\int_{a}^{b} \vec{E} \cdot d\vec{l} = \frac{Q}{4\pi60} \left(\frac{1}{b} - \frac{1}{a}\right) < O \text{ right?}$$

$$= \frac{Q}{4\pi60} \left(\frac{a-b}{ab}\right) < O \text{ b>a nember?}$$

$$So with $\vec{L} = \sigma \cdot \frac{Q}{60} \text{ and } \vec{V} = \frac{Q}{4\pi60} \frac{(a-b)}{ab}$

$$\vec{V} = \frac{(60I/\sigma)}{4\pi60} \frac{(a-b)}{ab} = I\left(\frac{1}{4\pi\sigma}\right) \frac{(a-b)}{ab}$$

$$\vec{V} = \vec{I} \cdot \frac{\vec{I}}{4\pi} \left(\frac{a-b}{ab}\right) = IR \text{ so}$$

$$\vec{R} = \frac{P}{4\pi} \left(\frac{a-b}{ab}\right) \text{ and depends only on geometry } (a,b) d p.$$$$