## B EE 427 PA #1 Due: 01/23/2023 3:30pm

Note: There are three parts in this PA. Create a Quartus project file for each part. You should submit your Verilog code to Canvas. In addition, you should show me your demo using the DE1-SoC board. There is no report for this PA.

## Part 1

You are to design a circuit that converts a four-bit binary number  $V = v_3 v_1 v_1 v_0$  into its two-digit decimal equivalent  $D = d_1 d_0$ . Table 1 shows the conversion values.

Input (binary)				Output (decimal)		
$v_3$	$v_2$	$v_1$	$v_0$	$d_1$	$d_0$	
0	0	0	0	0	0	
0	0	0	1	0	1	
0	0	1	0	0	2	
	•					
1	0	0	1	0	9	
1	0	1	0	1	0	
1	0	1	1	1	1	
1	1	0	0	1	2	
	• 1					
1	1	1	1	1	5	

Table 1: Binary-to-decimal conversion values

A partial design of this circuit is given in Figure 1. It includes a comparator that checks when the value of *V* is greater than 9, and uses the output of this comparator in the control of the 7-segment displays.

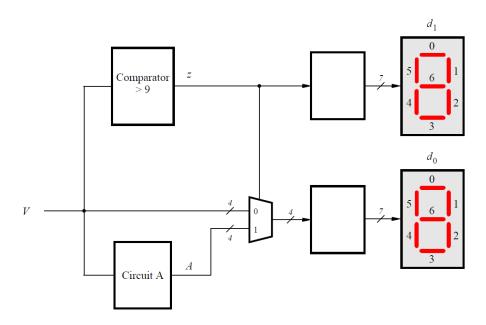


Figure 1: Partial design of the binary-to-decimal conversion circuit.

The output z for the comparator circuit can be specified using a single Boolean expression, with the four inputs  $V_{3-0}$ . Design this Boolean expression by making a truth table that shows the valuations of the inputs  $V_{3-0}$  for which z has to be 1.

Notice that the circuit in Figure 1 includes a 4-bit wide 2-to-1 multiplexer. The purpose of this multiplexer is to drive digit  $d_0$  with the value of V when z = 0, and the value of A when z = 1. To design circuit A, consider the following:

For the input values  $V \le 9$ , the circuit A does not matter because the multiplexer in Figure 1 just selects V in these cases. But for the input values V > 9, the multiplexer will select A. Thus, A has to provide output values that properly implement Table 1 when V > 9. You need to design circuit A so that the input V = 1010 gives an output A = 0000, the input V = 1011 gives the output A = 0001, ..., and the input V = 1111 gives the output A = 0101. Design circuit A by making a truth table with the inputs  $V_{3-0}$  and the outputs  $A_{3-0}$ .

#### Perform the following steps:

- 1. Create a new Quartus project using the system builder program. You'll use switches and 7-segment displays for Part 1.
- 2. Write Verilog code to implement your design. The code should have the 4-bit input  $SW_{3-0}$ , which should be used to provide the binary number V, and the two 7-bit outputs HEX1 and HEX0, to show the values of decimal digits  $d_1$  and  $d_0$ . The intent of Part 1 is to use simple Verilog assign statements to specify the required logic functions using Boolean expressions, so your Verilog code should not include any if-else, case, or similar statements.
- 3. Compile your code and download it onto the DE1-SoC board. Test the circuit by trying all possible values of *V* and observing the output displays.

## Part 2

Figure 2(a) shows a truth table for the *full adder*, which produces the two-bit binary sum  $c_o s = a + b + c_i$ . Figure 2(b) shows how four instances of this full adder module can be used to design a circuit that adds two four-bit numbers. This type of circuit is called a *ripple-carry* adder because of the way that the carry signals are passed from one full adder to the next. Write Verilog code that implements this circuit.

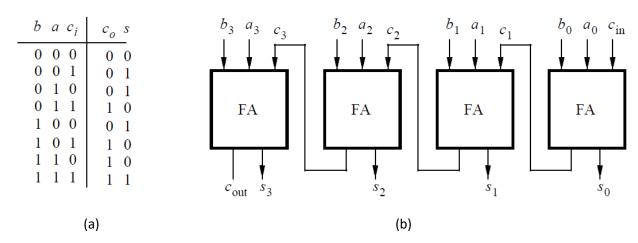


Figure 2: (a) A truth table of the full adder. (b) A 4-bit ripple-carry adder circuit.

#### Perform the following steps:

- 1. Create a new Quartus project using the system builder program. You'll use switches and LEDs for Part 2.
- 2. Write a Verilog module for the full adder sub-circuit and write a top-level Verilog module that includes four instances of this full adder.
- 3. Use switches  $SW_{7-4}$  and  $SW_{3-0}$  to represent the inputs a and b, respectively. Use  $SW_8$  for the carry-in  $c_{in}$  of the adder. Connect the outputs of the adder,  $c_{out}$  and s, to the red lights  $LEDR_{4-0}$ .
- 4. Compile the circuit and download it onto the DE1-SoC board.
- 5. Test your circuit by trying different values for numbers a, b, and  $c_{in}$ .

## Part 3

In Part 1, we discussed the conversion of binary numbers into decimal digits. For this part, you are to design a circuit that adds the two binary coded decimal (BCD) digits. The inputs to your circuit are the 4-bit numbers A and B, plus a 1-bit carry-in,  $c_{in}$ . When these inputs are added, the result will be a 5-bit binary number. But this result is to be displayed on 7-segment displays as a two-digit BCD sum  $S_1S_0$ . For a sum equal to zero you would display  $S_1S_0 = 00$ , for a sum of one  $S_1S_0 = 01$ , for nine  $S_1S_0 = 09$ , for ten  $S_1S_0 = 10$ , and so on. Note that the inputs A and B are assumed to be decimal digits, which means that the largest sum that needs to be handled by this circuit is  $S_1S_0 = 9 + 9 + 1 = 19$ .

One approach for describing the adder in Verilog code is to specify an algorithm like the one represented by the following pseudo-code:

```
1 T_0 = A + B + c_0

2 if (T_0 > 9) then

3 Z_0 = 10;

4 c_1 = 1;

5 else

6 Z_0 = 0;

7 c_1 = 0;

8 end if

9 S_0 = T_0 - Z_0

10 S_1 = c_1
```

It is reasonably straightforward to see what circuit could be used to implement this pseudo-code. Lines 1 and 9 represent adders, lines 2-8 correspond to multiplexers, and testing for the condition  $T_0 > 9$  requires comparators.

You are to write Verilog code that corresponds to this pseudo-code. Note that you can perform additions in your Verilog code instead of the subtraction shown in line 9. Use the ripple-carry adder module designed in Part 2 (you may need to increase the bit-width from 4 to 5).

Perform the following steps:

- 1. Create a new Quartus project for your Verilog code. You'll use switches and 7-segment displays for Part 3.
- 2. Use switches  $SW_{7-4}$  and  $SW_{3-0}$  for the inputs A and B, respectively, and use  $SW_8$  for the carryin. The value of A should be displayed on the 7-segment display HEX5, while B should be on HEX3. Display the BCD sum,  $S_1S_0$ , on HEX1 and HEX0.
- 3. Download your design onto your DE1-SoC board and test it by trying different values for numbers A and B.

# Reference

[1] Intel, "Teaching Materials for the Intel FPGA Academic Program"

# **Supplement: Truth table for Part 1**

Input			Output									
Input			Dec	Decimal HEX0 for $d_0$								
$v_3$	$v_2$	$v_1$	$v_0$	$d_1$	$d_0$	[6]	[5]	[4]	[3]	[2]	[1]	[0]
0	0	0	0	0	0	1	0	0	0	0	0	0
0	0	0	1	0	1	1	1	1	1	0	0	1
0	0	1	0	0	2							
0	0	1	1	0	3							
0	1	0	0	0	4							
0	1	0	1	0	5							
0	1	1	0	0	6							
0	1	1	1	0	7							
1	0	0	0	0	8							
1	0	0	1	0	9							
1	0	1	0	1	0	1	0	0	0	0	0	0
1	0	1	1	1	1	1	1	1	1	0	0	1
1	1	0	0	1	2							
1	1	0	1	1	3							
1	1	1	0	1	4							
1	1	1	1	1	5							

Comparator result z		HEX1 for $d_1$						
Comparator result 2	[6]	[5]	[4]	[3]	[2]	[1]	[0]	
0	1	0	0	0	0	0	0	
1	1	1	1	1	0	0	1	

HEX1[6] = 1	HEX0[6] =
HEX1[5] =	HEX0[5] =
HEX1[4] =	HEX0[4] =
HEX1[3] =	HEX0[3] =
HEX1[2] = 0	HEX0[2] =
HEX1[1] = 0	HEX0[1] =
HEX1[0] =	HEX0[0] =