

Danny Tan

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HW # 3

Problem 1:

A.

$$[A,E] \text{ Error} = 0 + 6 = 6$$

Neighbors:

$$[A,B,E] \text{ Error} = 3 + 0 = 3$$

$$[A,C,E] \text{ Error} = 2 + 0 = 2$$

$$[A,D,E] \text{ Error} = 2 + 0 = 2$$

$$[A] \text{ Error} 0 + 10 = 10 \quad [E] \text{ Error} 0 + 4 = 16$$

$$[A,B] = 4 \quad [A,C] = 4$$

$$[A,D] = 5 \quad [E,B] = 8 \quad [E,C] = 9 \quad [E,D] = 10$$

The best neighbor will be $[A,C,E]$ and $[A,D,E]$ each give an error of 2.

On the next iteration, the best neighbor for $[B,C,E]$ which give a error of 1 because the algorithm will choose $[A,C,E]$ first.

B.

The size of the state space is all of the subset. N choose 0 + N choose 1 + N choose 2 + ... + N choose N which equals to 2^N .

S = the set of number that is already used

Deletion is S

Addition is $N - S$

Replacement is $S * (N - S)$

When you sum everything it will be, $N + NS - S^2$. To find the maximum we can set the derivative to 0. $-2S + N = 0$. So we get $S = 0.5N$

So the equation is $N + 0.5 * N^2 - 0.25 * N^2 = 0.25 * N^2 + N$.

But we have to account for the odd case, in this case it will be $0.25 * N^2 + N - 0.25$. And the even case is $0.25 * N^2 + N$

Problem 2:

The roots that are pruned are 6, 2, 20, and 7. The best move for max is 8.

