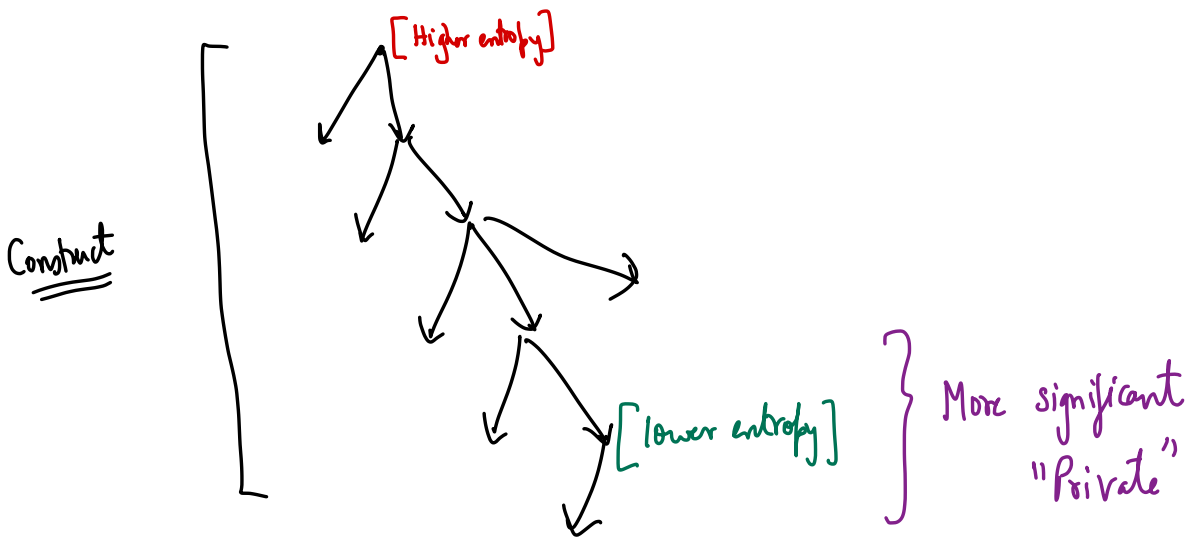


Planets = ["Sun", "Moon", "Mer", "Ven", "Mars", "Jup", "Sat", "Uranus",
"Neptune"]

$E = \{ \text{"Sim"} : 0.7, \text{"Mex"} : 0.8, \dots \}$

↓ "generate a tree"; "get an encoding from most significant to least significant".

More significance object has lesser entropy



Person

"Alice" = [✓ , , , , - - - , ✓]
Sun Moon Neptune

Alice[0] vs. Alice[7]
✓ Private

100 people

2D array 100 rows x 9 columns

~~Sum~~

Mean

Moving

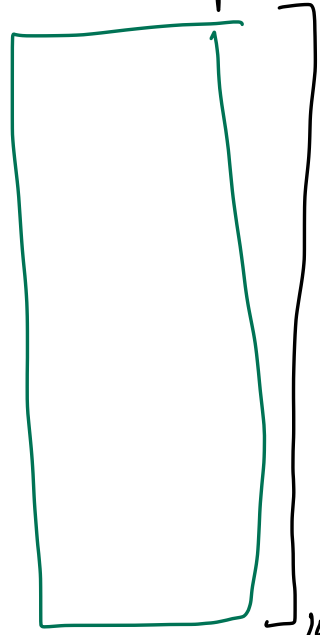
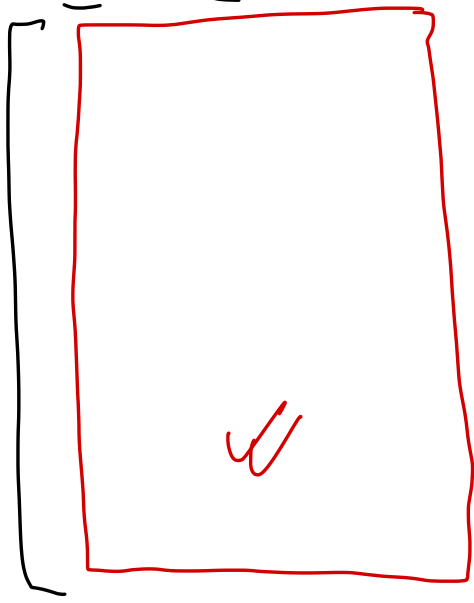
Neptune

✓ "Alice"

✓ "Bob"

M =

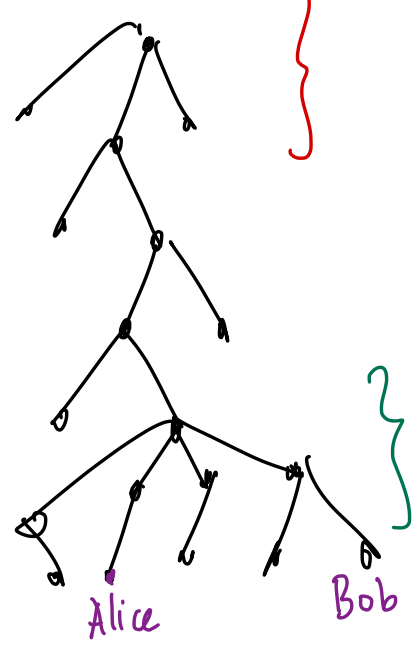
⋮



100 x 9

Function

Harder



← leaves

$$M = \begin{matrix} & \text{Sum} \\ \begin{matrix} \text{Alice} \\ \text{Bob} \\ \text{Charlie} \end{matrix} & \begin{bmatrix} 2 & 4 & \dots & \dots & \dots \\ 3 & 2 & \dots & \dots & \dots \\ 4 & 1 & \dots & \dots & \dots \end{bmatrix} \end{matrix}$$

$$N_{\text{future}} = \begin{bmatrix} 1 \\ 6 \\ 7 \end{bmatrix}_{3 \times 9}$$

$$M \times \underbrace{I}_{9 \times 9} = \begin{bmatrix} 2 & 4 & \dots & \dots & \dots \\ 3 & 2 & \dots & \dots & \dots \\ 4 & 1 & \dots & \dots & \dots \end{bmatrix}$$

$$\begin{bmatrix} 1 \\ 6 \\ 7 \end{bmatrix}_{3 \times 9}$$

$$M \times \underbrace{0}_{9 \times 9} = \begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix}$$

$$\begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix}$$

$$M \times N = M'$$

$$\underbrace{(N)}_{\text{matrix}} \begin{bmatrix} \boxed{\begin{matrix} \dots & \dots \\ \dots & \dots \end{matrix}} & \dots & \dots \\ \dots & \dots & \dots \end{bmatrix}$$

✓

$\underbrace{\boxed{\begin{matrix} \dots & \dots \\ \dots & \dots \end{matrix}}}_{9 \times 9}$

• inverting N is hard.

• $(\text{sub-matrix of } N)^{-1}$

 is harder to invert.

• N : encryption matrix.

$$M \times N = \overset{\curvearrowright}{\underset{\leftarrow}{M'}}$$

$$\boxed{M = M' \times N^{-1}}$$