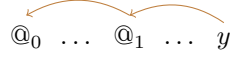
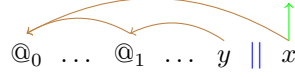


- (FVar – FVar)

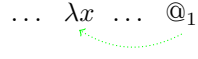


\longrightarrow^x , where n is a right child of $@_1$ and $n = (\text{FVar})$

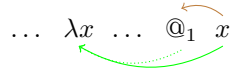


3. (Apps)

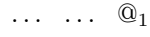
- (App – BVar)



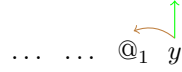
\longrightarrow^x



- (App – FVar)



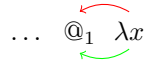
\longrightarrow^y , such that $\exists \lambda y$ in traversal: $@_1 \dashrightarrow \lambda y$



- (App – Lam)



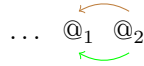
$\longrightarrow^{\lambda x}$



- (App – App)

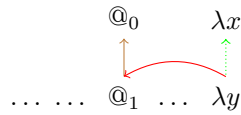


$\longrightarrow^{@_2}$

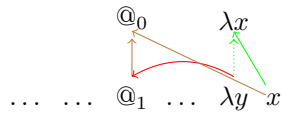


4. (Lam-Reds)

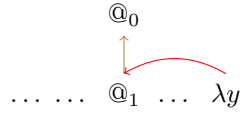
- (Lam-Red – BVar)



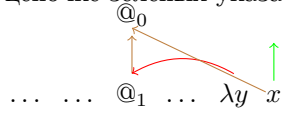
\longrightarrow^x



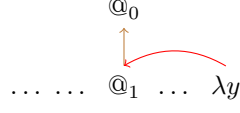
- (Lam-Red – FVar)



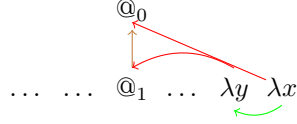
\longrightarrow^x , где $\exists \lambda x$ в истории, доступная по цепочке зеленых указателей из λy



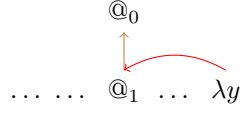
- (Lam-Red – Lam)



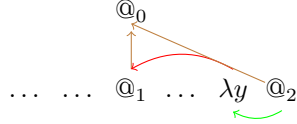
$\longrightarrow^{\lambda x}$



- (Lam-Red – App)

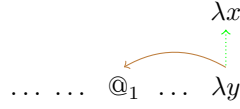


$\longrightarrow^{\textcircled{2}}$

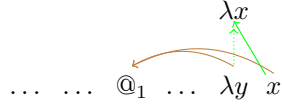


5. (Lam-Browns)

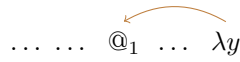
- (Lam-Brown – BVar)



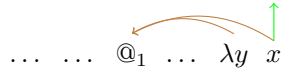
\longrightarrow^x



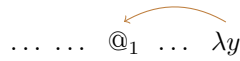
- (Lam-Brown – FVar)



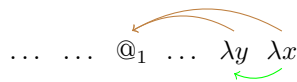
\longrightarrow^x , где $\exists \lambda x$ в истории, доступная по цепочке зеленых указателей из λy



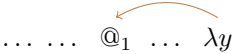
- (Lam-Brown – Lam)



$\longrightarrow^{\lambda x}$



- (Lam-Brown – App)

$$\dots\dots @_1 \dots \lambda y$$


$$\longrightarrow @_2$$

$$\dots\dots @_1 \dots \lambda y @_2$$
