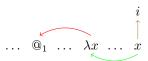
1 Labelled Transition System для Traversals

- Вход: $\lambda\text{-терм }M\in \Lambda$ вида $\Lambda@\Lambda\mid \Lambda$ x . $\Lambda\mid x;$
- Пространство состояний множество цепочек вида n_1, \ldots, n_m, \ldots , где $\forall i, n_i$ узел дерева для M;
- Метка перехода добавляемый узел дерева.

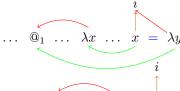
1.1 Rules

1. (BVars)

• (BVar - Lam)



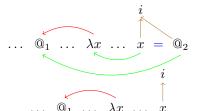
 $\longrightarrow^{\lambda y}$



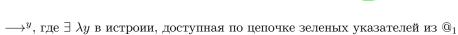
• (BVar – App)



 \longrightarrow ^{@2}



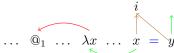
• (BVar – BVar)



 $\lambda y \dots @_1 \dots \lambda x \dots x = y$

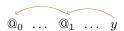
• (BVar - FVar)

 \longrightarrow^y , где
 $\not\exists~\lambda y$ в истроии, доступная по цепочке зеленых указателей и
з $@_1$

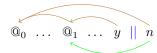


2. (FVars)

• (FVar - Not-FVar)



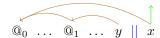
 \longrightarrow^n , where n is a right child of $@_1$ and $n \neq (FVar)$



• (FVar – FVar)



 \longrightarrow^x , where n is a right child of $@_1$ and n = (FVar)



- 3. (Apps)
 - (App BVar)

 $\ldots \lambda x \ldots @_1$

 \longrightarrow^x

 $\ldots \lambda x \ldots @_1 x$

 \bullet (App – FVar)

 \dots \mathbb{Q}_1

 \longrightarrow^y , such that $\not\exists \lambda y$ in tarversal: $@_1-->\lambda y$

 \dots \mathbb{Q}_1 y

• (App – Lam)

 \dots $@_1$

 $\longrightarrow^{\lambda x}$

 $\dots \quad @_1 \quad \lambda x$

• (App – App)

 \dots $@_1$

 $\longrightarrow^{@_2}$

 \ldots $@_1$ $@_2$

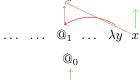
- 4. (Lam-Reds)
 - \bullet (Lam-Red BVar)

 \mathbb{Q}_0 λx $\mathbb{Q}_1 \dots \lambda y$

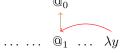
 \longrightarrow^{a}

• (Lam-Red – FVar)

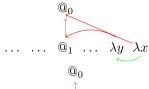
 \longrightarrow^x , где
 $\not \exists \ \lambda x$ в истории, доступная по цепочке зеленых указателей из
 λy



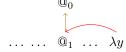
• (Lam-Red – Lam)



 $\longrightarrow^{\lambda x}$



• (Lam-Red – App)



 $\longrightarrow^{@_2}$

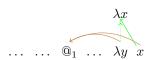


5. (Lam-Browns)

 \bullet (Lam-Brown – BVar)



 \longrightarrow^{a}



• (Lam-Brown - FVar)



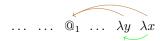
 \longrightarrow^x , где $\not\exists \ \lambda x$ в истории, доступная по цепочке зеленых указателей из λy



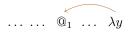
• (Lam-Brown – Lam)



 $\longrightarrow^{\lambda x}$



 $\bullet \ (Lam\text{-}Brown-App)$



 $\longrightarrow^{@_2}$

 $\dots \dots \mathbb{Q}_1 \dots \lambda y \mathbb{Q}_2$