Solving Hard Coreference Problems

Haoruo Peng, Daniel Khashabi and Dan Roth

One fundamental difficulty of coreference resolution is to resolve instances that require background knowledge. In this work, we propose an algorithmic solution that involves a new representation for the knowledge required to address hard coreference problems, along with a constrained optimization framework that uses this knowledge in coreference decision making.

Problem Description

♦ Problems with Existing Coref Systems

- Rely heavily on gender / plurality information e.g. [John] adores [Mary] because [she] is pretty.
- Hard Coreference Instances
- e.g. [A bird] perched on the [limb] and [it] bent. [A bird] perched on the [limb] and [it] sang.

♦ Goal

A better overall coreference system

- Improve on solving hard coreference problems
- Maintain the state-of-art performance on standard coreference problems

Predicate Schemas

♦ Characteristic of Required Knowledge

Associated with "predicate"

♦ Type 1 Predicate Schema

 $pred_m(m,a)$ Predicate_of_m(sub, obj) [The bee] landed on [the flower] because [it] had pollen. S(have(m=[the flower], a=[pollen])) >S(have(m=[the bee], a=[pollen]))

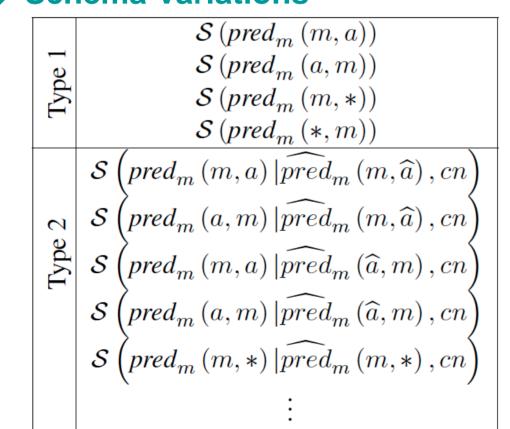
♦ Type 2 Schema

$$pred_m(m,a)|pred_m(m,\hat{a}),cn|$$

[Jim] was afraid of [Robert] because [he] gets scared around new people.

 $S(be\ afraid\ of\ (m=*,\ a=*)\ |\ get\ scared\ around\ (m=*,\ a=*),\ because) >$ S(be afraid of $(a=*, m=*) \mid get scared around (m=*, a=*), because)$

♦ Schema Variations



♦ Example Beyond Above Schemas

[Lakshman] asked [Vivan] to get him some ice cream because [he] was hot.

Utilizing Knowledge

♦ Knowledge as Features

$$f_{u,v} = \mathbf{w}^T \phi(u,v) + \tilde{\mathbf{w}}^T \mathbf{s}(u,v)$$
Pairwise Mention Scoring Function

Scoring Function for Predicate Schemas

- Noise in Knowledge
- Implicit Textual Inference

♦ Knowledge as Constraints

Generating Constraints

$$\begin{cases} \text{if } s_i(u, v) \ge \alpha_i s_i(w, v) \Rightarrow y_{u, v} \ge y_{w, v}, \\ \text{if } s_i(u, v) \ge s_i(w, v) + \beta_i \Rightarrow y_{u, v} \ge y_{w, v} \end{cases}$$

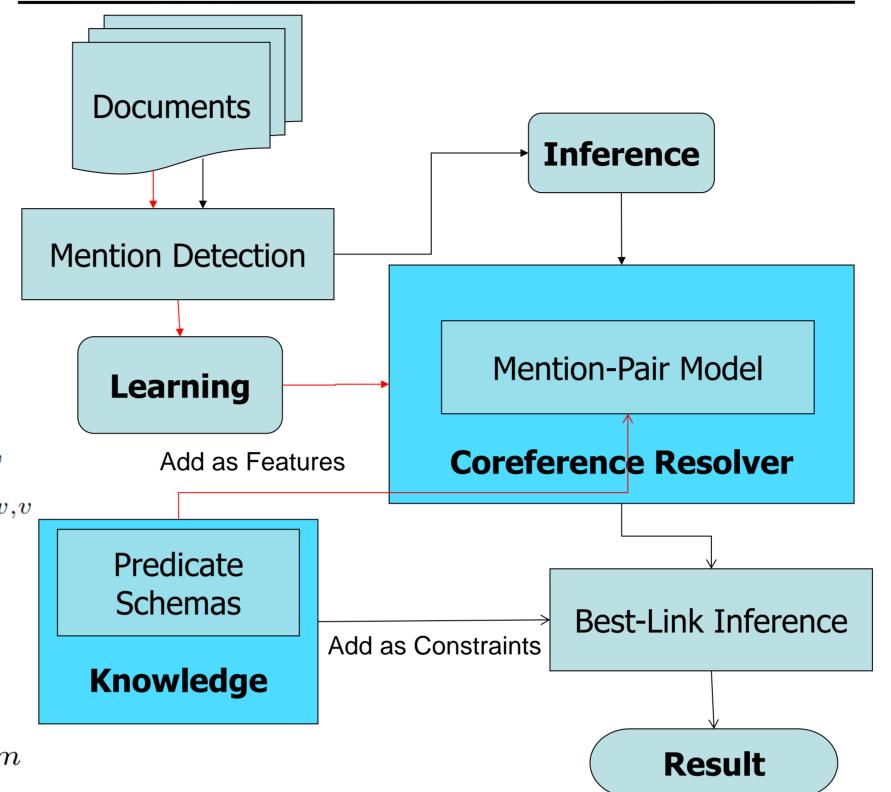
• ILP Inference (Best-Link)

$$\underset{s.t. \sum_{u < v} y_{uv} \leq 1, \forall u}{\operatorname{arg max}_{y} \sum_{u,v} w_{uv} y_{uv}}$$
s.t.
$$\sum_{u < v} y_{uv} \leq 1, \forall v$$

$$y_{uv} \in \{0,1\}, \forall u, v$$
if $s > t + s$ then

if
$$s_{uv} \ge t + s_{um}$$
 then $y_{uv} \ge y_{um}$ if $s_{uv} \ge t' \cdot s_{um}$ then $y_{uv} \ge y_{um}$

Learning and Inference Framework



Knowledge Acquisition

♦ Gigaword co-occurrences

- Extract instances of Type 1 and 2 Predicate Schemas from Gigaword
- Use counts as scores

e.g. The bee landed on the flower because the bee wanted pollen.

 $\mathbf{S}_{\mathrm{giga}}(land(\mathbf{m}=[the\ bee],\ \mathbf{a}=[flower])) + \mathbf{1}\ \mathbf{S}_{\mathrm{giga}}(want(\mathbf{m}=[the\ bee],\ \mathbf{a}=[pollen])) + \mathbf{1}$ e.g. The police arrested [John] because [John] robbed Jack.

 $S_{giga}(arrest(a=[the\ police],\ m=[John]) \mid rob(m=[John],\ a=[Jack]),\ because) + 1$

Use chunker + dependency parser to extract (sub, predicate, obj) triples)

Use heuristics to determine coreferent mentions in triples

♦ Wikipedia Disambiguated Co-occurrences

- Extract disambiguated noun, verbs and entities, etc. in Wikipedia (Illinois-Wikifier)
- Use statistics: (immediately) after / (immediately) before to approximate Type 1 Predicate Shema
- e.g. $S_{wiki}(land(m=[the\ bee], a=*)) + 1 S_{wiki}(want(m=[the\ bee], a=*)) + 1$
- e.g. $S_{wiki}(land(a=*, m=[flower])) + 1 S_{wiki}(want(a=*, m=[pollen])) + 1$

Web Search Statistics

- Generate web queries to approximate Type 1 Predicate Schema
- Use returned Google counts as scores
- e.g. $S_{web}(want(m=[the\ bee], a=[pollen]))$: "the bee want", "the bee want pollen", "the bee pollen"
- e.g. $S_{web}(want(m=[flower], a=[pollen]))$: "flower want", "flower want pollen", "flower pollen"

Polarity Information

- Initialize polarities of the mention according to its predicate (Wilson et al, 2005)
- Negate the polarity when the mention role is object
- Reverse polarity when there is a polarity reversing connective (such as "but")
- e.g. Steve annoyed Carl, but he liked to hang out with Chris.
- $S_{pol}(annoy(m=[Steve], a=[Carl]) | like(m=[he], a=[Chris]), but) = NOT (-1 AND +1) = +1$

Results

Datasets

- Winograd (Rahman&Ng, 2012)
- Winocoref: Winograd plus more mentions

e.g. [Stephen] threw the bags of [Johnny] into the water since [he] mistakenly asked [him] to carry [his] bags.

Standard Coref: ACE, Ontonotes

♦ Metrics

- Precision (Winograd, binary classification)
- AntePre
 - *k* pronouns in sentence
 - Each pronoun has n_i antecedents
 - Altogether m correct binary decisions

AntePre= $\frac{m}{\sum_{i=1}^{k} n_i}$

MUC, BCUB, CEAF (standard coref)

Evaluations:

Hard Coreference Problems

Datasets	Winograd	Winocoref
Metrics	Precision	AntePre
State of the Art Coref (ILL)	51.48	68.37
Rahman and Ng (2012)	73.05	
KnowFeat (Our paper)	71.81	88.48
KnowCons (Our paper)	74.93	88.95
KnowComb (Our paper)	76.41	89.32

Standard Coreference Problems

System	MUC	BCUB	CEAFe	AVG
		ACE		
IlliCons	78.17	81.64	78.45	79.42
KnowComb	77.51	81.97	77.44	78.97
	On	toNotes		
IlliCons	84.10	78.30	68.74	77.05
KnowComb	84.33	78.02	67.95	76.76

Ablation Study

- We categorized instances in Winocoref data
- Cat1 / Cat2: Instances that can be solved using Type 1 / Type 2 Predicate Schemas
- Cat 3: All remaining instances
- Cat1 16.8% Cat2 56.2% Cat3 27.0%
- Schemas evaluated on each category

Schema	AntePre(Test)	AntePre(Train)
Type 1	76.67	86.79
Type 2	79.55	88.86
Type 1 (Cat1)	90.26	93.64
Type 2 (Cat2)	83.38	92.49