1) $P(white \ queen \ and \ a1) = P(white \ queen) * P(a1) = \frac{1}{8} * \frac{1}{8} = \frac{1}{64}$

- * There is 8 spaces so $P(a1) = \frac{1}{8}$
- * There is 1 queen and 8 pieces at all so $P(queen) = \frac{1}{8}$
- * And we consider only white pieces so P(white) = 1
- 2) We can't got black queen among our black pieces so $P(black\ queen) = 0$

3)
$$P(rook \ and \ a1) = P(rook) * P(a1) = \frac{1}{4} * \frac{1}{8} = \frac{1}{32}$$

- * There is 8 spaces so $P(a1) = \frac{1}{8}$
- * There is 2 rooks and 8 pieces at all so $P(rook) = \frac{1}{4}$

4) 1)
$$P(\text{ not white queen and } a1) = 1 - (P(\text{white queen}) * P(a1)) = 1 - (\frac{1}{8} * \frac{1}{8}) = \frac{63}{64}$$

- * There is 8 spaces so $P(a1) = \frac{1}{8}$
- * There is 1 queen and 8 pieces at all so $P(queen) = \frac{1}{8}$
- * And we consider only white pieces so P(white) = 1

5)
$$P(\text{not rook and } a1) = 1 - (P(\text{rook}) * P(a1)) = 1 - (\frac{1}{4} * \frac{1}{8}) = \frac{31}{32}$$

- * There is 8 spaces so $P(a1) = \frac{1}{8}$
- * There is 2 rooks and 8 pieces at all so $P(rook) = \frac{1}{4}$