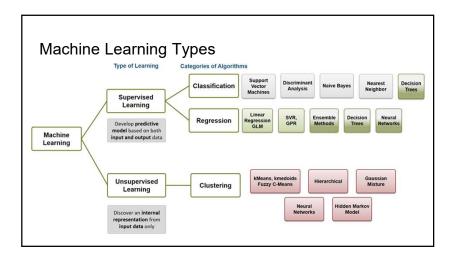
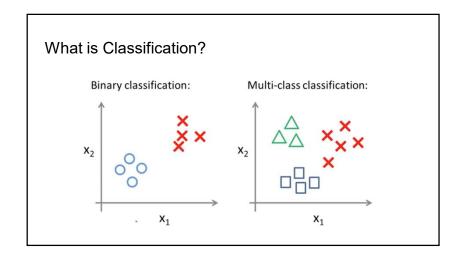
# An Introduction to Decision Trees Classification Models with R

By Dario H. Romero, MS CS Data Scientist / Production Optimization Engineer

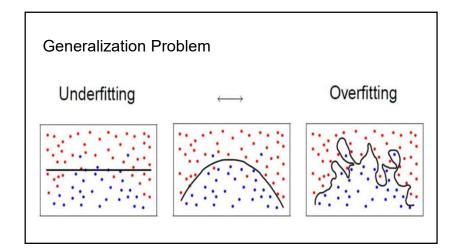
git clone https://github.com/darioromero/classifR.git

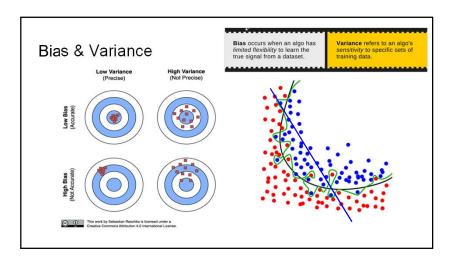
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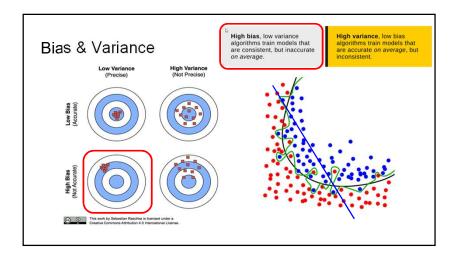


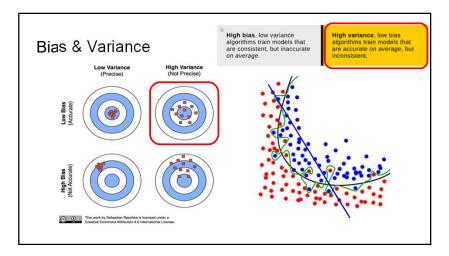


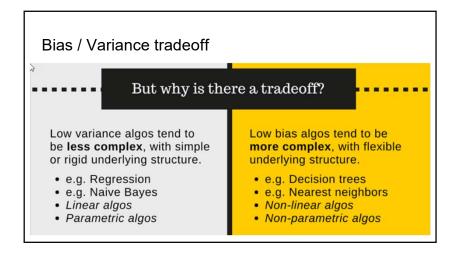
Matter of Interest

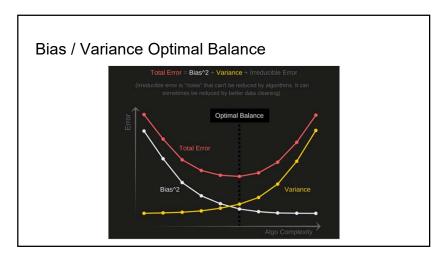






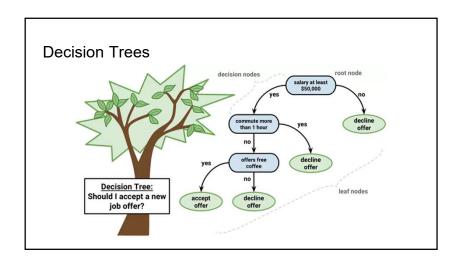






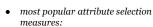


Decision Trees for Classification

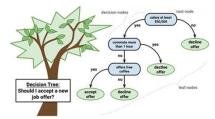


#### **Decision Trees**

The primary challenge in the decision tree implementation is to identify which attributes do we need to consider as the root node and each level. Handling this is known as the attributes selection.



- o Information Gain
- o Gini Index



While using Information Gain as a criterion, we assume attributes to be categorical, and for Gini Index, attributes are assumed to be continuous.

#### **Attribute Selection Methods**

#### **Entropy**

The entropy H(S) is a measure of the amount of uncertainty in the (data) set S.

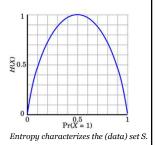
It is a measure of the disorder in a dataset.

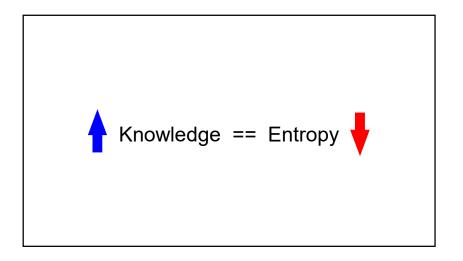
#### Entropy for a partition $H(S, \vec{a})$

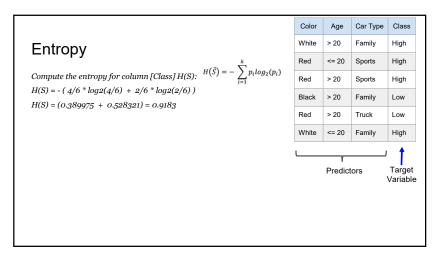
It is a measure of the disorder in a particular vector  $\vec{a}$ , within the dataset S.

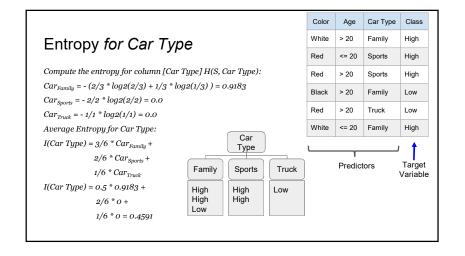
#### Information gain

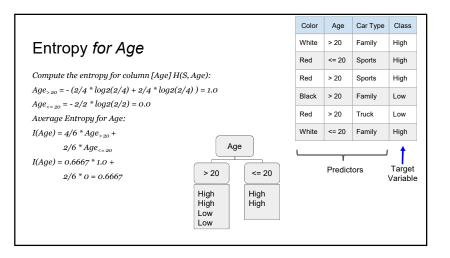
It is a measure of the decrease in disorder achieved by partitioning the original dataset.

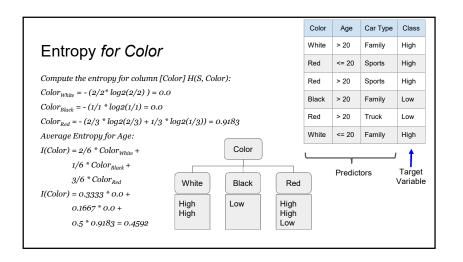


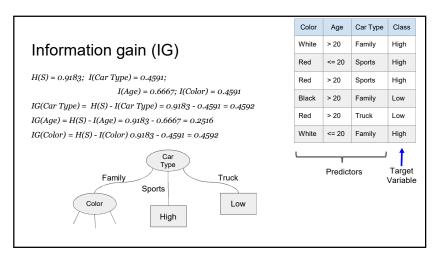


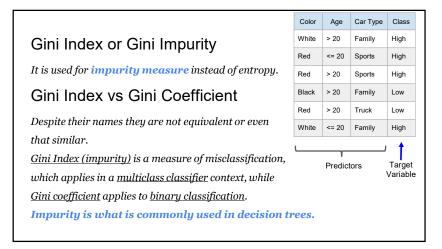


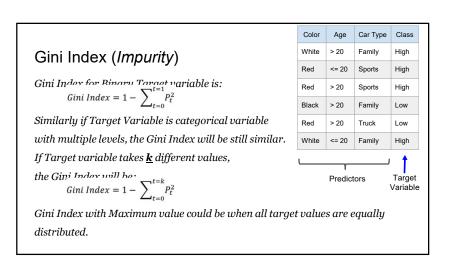












#### Gini Index: Attribute Selection Measure

• If a data set D contains examples from n classes, gini index, gini(D) is defined

 $gini(D) = 1 - \sum_{j=1}^{n} p_j^2$ 

where  $p_i$  is the relative frequency of class j in D

• If a data set D is split on A into two subsets  $D_1$  and  $D_2$ , the *gini* index *gini*(D)

 $gini_{A}(D) = \frac{|D_{1}|}{|D|}gini(D_{1}) + \frac{|D_{2}|}{|D|}gini(D_{2})$ • Reduction in Impurity:  $\Delta gini(A) = gini(D) - gini_{A}(D)$ 

Original by: Yingfan Liu, liuyf@se.cuhk.edu.hk

#### Gini Index (worked out example)

1. Compute the Gini index for the overall collection of training examples on the target Variable (Class).

$$gini(D) = 1 - \sum_{j=1}^{n} p_j^2 = 1 - [(4/6)^2 + (2/6)^2] = 0.4444$$

2. Compute the Gini index for the predictor Variable Car Type:

Family: =  $1 - [(2/3)^2 + (1/3)^2] = 0.4444$ 

Sports: =  $1 - [(2/2)^2] = 0.0$ 

Truck: =  $1 - [(1/1)^2] = 0.0$ 

Weighted Average = (3/6) \* 0.4444 + (2/6) \* 0.0 + (1/6) \* 0.0 = 0.2222

2. Compute the Delta Gini index for the predictor Variable Car Type: Delta gini(Class) = gini(D) - gini(Car Type | D) = 0.4444 - 0.2222 = 0.2222

Select attribute with lower Gini Index for splitting

Predictors

Color

White

Red

Black > 20

Red

Age

> 20

<= 20

> 20

> 20

<= 20

Car Type

Family

Sports

Sports

Family

Truck

Family

Class

High

High

High

Low

Low

High

Target Variable

https://view.officeapps.live.com/op/view.aspx?src=http://dni-institute.in/blogs/wp-content/uploads/2014/11/Gini-Index-Calculation-Binary-Target-Variable.xlsx

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$$gini(D) = 1 - \sum_{j=1}^{n} p_j^2 = 1 - [(4/6)^2 + (2/6)^2] = 0.4444$$

2. Compute the Gini index for the predictor Variable Age:

> 20: = 1 - 
$$[(2/4)^2 + (2/4)^2] = 0.5$$
  
<= 20: = 1 -  $[(2/2)^2] = 0.0$ 

Weighted Average = (4/6) \* 0.5 + (2/6) \* 0.0 = 0.3333

2. Compute the Delta Gini index for the predictor Variable Age: Delta gini(Class) = gini(D) - gini(Age | D) = 0.4444 - 0.3333 = 0.1111

Color	Age	Car Type	Class
White	> 20	Family	High
Red	<= 20	Sports	High
Red	> 20	Sports	High
Black	> 20	Family	Low
Red	> 20	Truck	Low
White	<= 20	Family	High



Select attribute with lower Gini Index for splitting

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#### Gini Index (worked out example)

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$$gini(D) = 1 - \sum_{j=1}^{n} p_j^2 = 1 - [(4/6)^2 + (2/6)^2] = 0.4444$$

2. Compute the Gini index for the predictor Variable Color.

Red: =  $1 - [(1/3)^2 + (2/3)^2] = 0.4444$ 

White: =  $1 - [(2/2)^2] = 0.0$ 

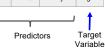
Black: =  $1 - [(1/1)^2] = 0.0$ 

Weighted Average = (3/6) \* 0.4444 + (2/6) \* 0.0 + (1/6) \* 0.0 = 0.2222

2. Compute the Delta Gini index for the predictor Variable Color: Delta gini(Class) = gini(D) - gini(Age | D) = 0.4444 - 0.2222 = 0.2222

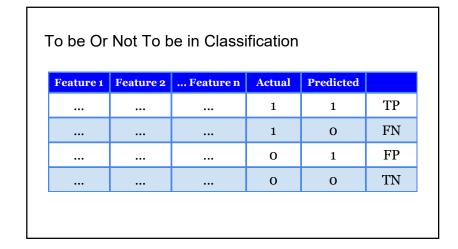
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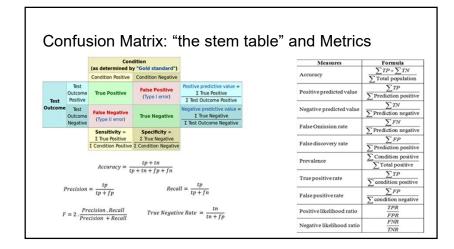


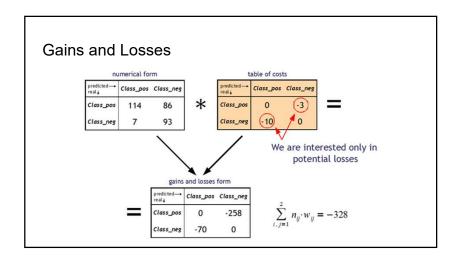


Select attribute with lower Gini Index for splitting

**Errors and Model Accuracy** 







### **End of Theory**



## Binary Classification using Decision Trees with R and CARET

#### The CARET package in R

The caret package, short for classification and regression training, contains numerous tools for developing predictive models using the rich set of models available in R.

The package focuses on simplifying model training and tuning across a wide variety of modeling techniques.

It also includes methods for pre-processing training data, calculating variable importance, and model visualizations.

