

Lab Report-3

*Name:D.Manogna

Roll No:2022102021

*Name:SriVarshitha

Roll No:2022102030

1.a)

Convolution of $y[n]=x[n]*h[n]$

For discrete signals:

$$\Rightarrow Y[n]=\sum x[k]*h[n-k]$$

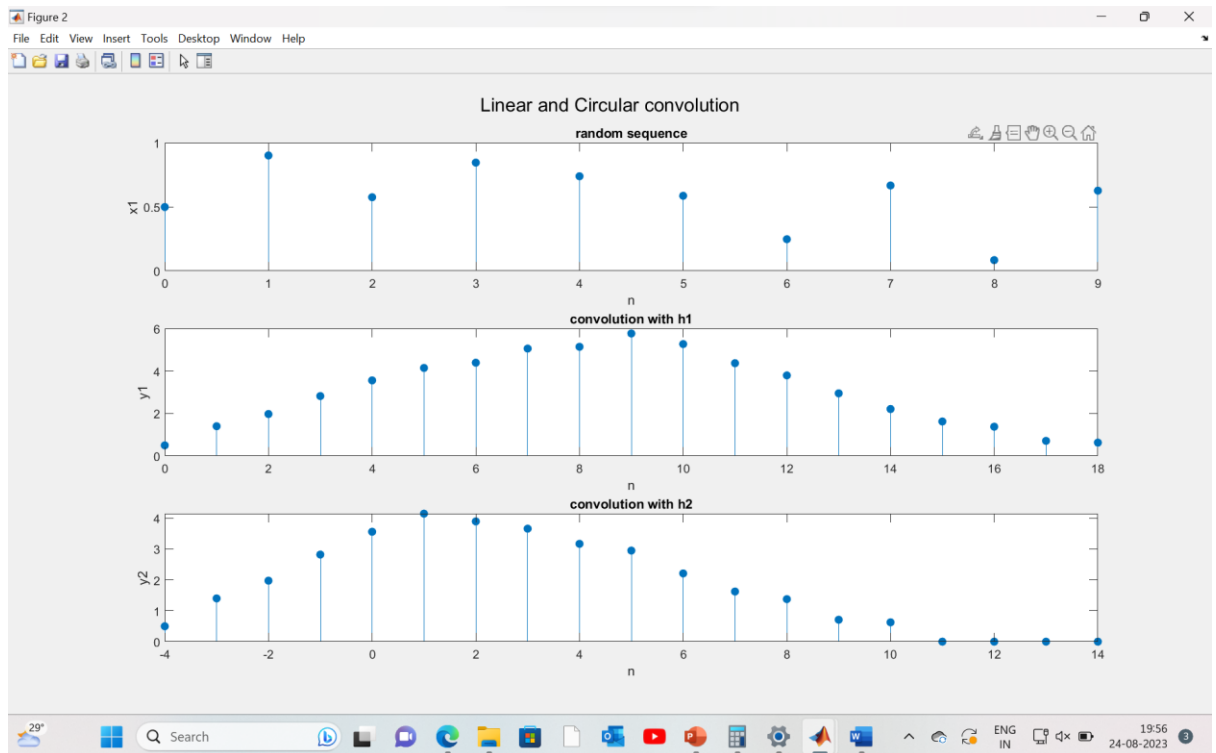
Here in case(i) one signal is unit pulse sequence h_1 starting at $n=0$ to $n=9$ and the other signal is random sequence x_1

The convolution of x_1 and h_1 is y_1

And in case(ii) one signal is unit pulse sequence h_2 starting at $n=0$ to $n=9$ and the other signal is random sequence x_1

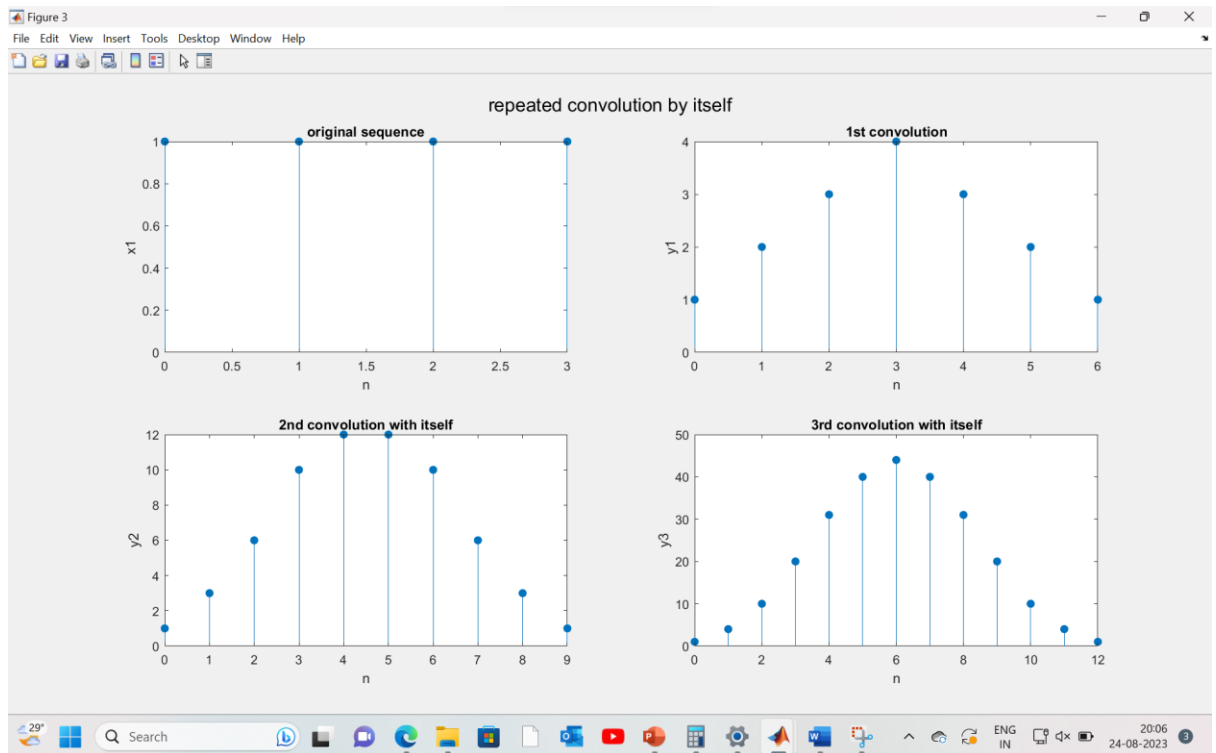
The convolution of x_1 and h_2 is y_2

Plot:



b)
convolution of a signal with itself repeatedly
here the signal is a unit pulse sequence at $n=0$ to $n=3$

Plot:

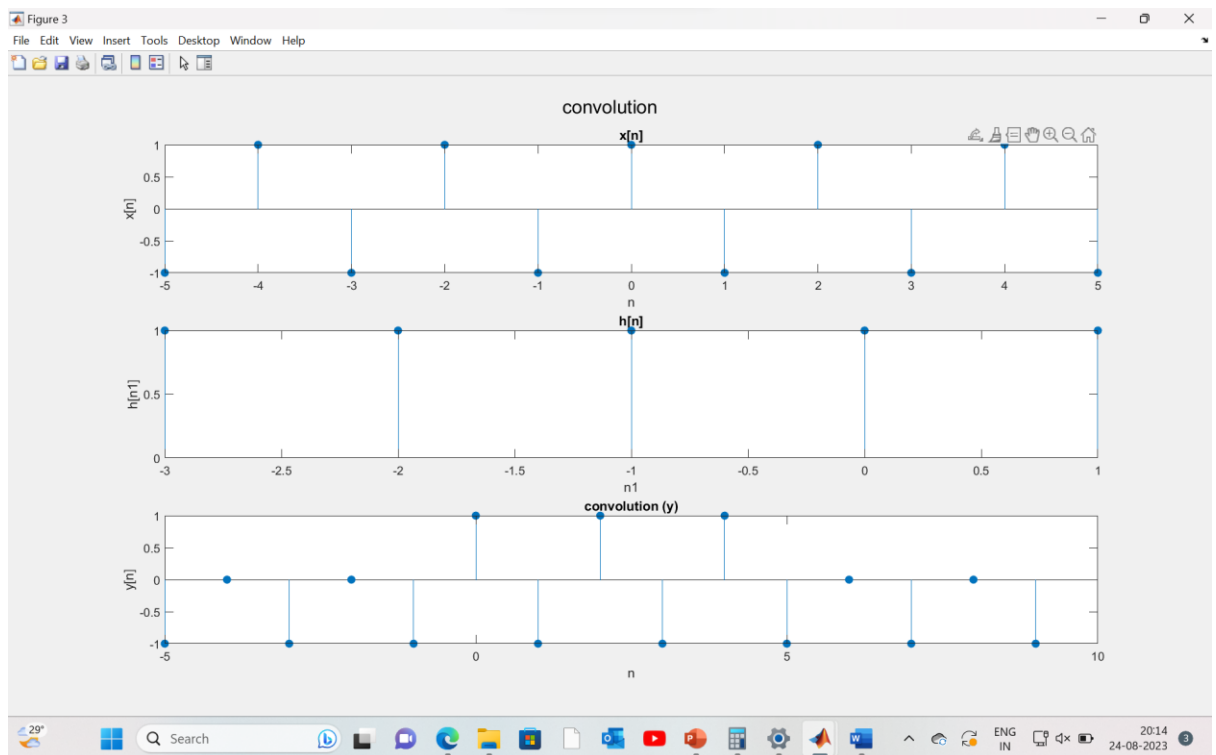


c)

Here the convolution of $x[n]$ and unit pulse sequence starting at $n=-3$ to $n=1$ is $y[n]$

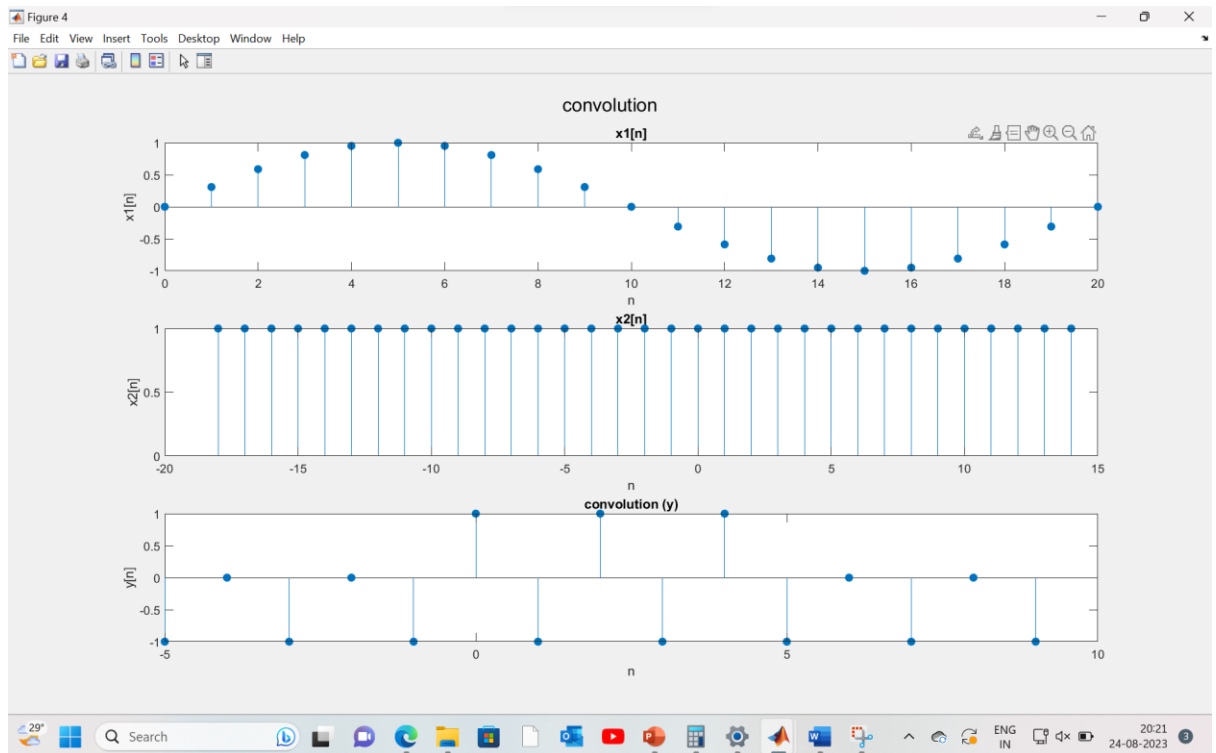
Where $x[n]=(-1)^n$ for $n=[-5,5]$

Plot:



d) $x1[n] = \sin(2\pi f n)$ for $n = [0, 20]$ and
 $x2[n] = (-1)^n$ for $n = [-18, 14]$
convolution of $x1[n]$ and $x2[n]$ is y

Plot:



2)

$x_1[n]$ is a random Gaussian sequence of length 10 and

$x_2[n]$ is $\delta[n-3]$ starting from $n=0$ to $n=9$

Linear Convolution of $x_1[n]$ and $x_2[n]$ is $y_1[n]$

Circular Convolution of $x_1[n]$ and $x_2[n]$ is $y_2[n]$

Plot:

