

# Summary of my stage in Summer 2018

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## 1 Harmonic maps: examples and the reduction to a local PDE

See [harmonic-maps.org](http://harmonic-maps.org)

## 2 Finding the global equation

### 2.1 Uniqueness of the solution

## 3 Short-time existence and regularity result

### 3.1 Polynomial differential operator

### 3.2 Besov spaces

### 3.3 Regularity result

### 3.4 Short-time existence

## 4 Energy estimates and global existence.

## 5 Appendices: Linear PDE on manifolds.

### 5.1 The global approach

#### 5.1.1 Comparison theorem and Sobolev spaces on manifold

See [sobolev-riemannian.org](http://sobolev-riemannian.org)

#### 5.1.2 Green function

See [green-function.org](http://green-function.org)

### 5.2 The local approach

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